# Basic Programming Concepts 

## and

## The IBM 1620 Computer

Daniel N. Leeson
Donald L. Dimitry


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Date: Sat, 4 Apr 2009 09:22:13-0700
From: "Dan Leeson"

You are welcome to scan the copy you have of my book, and submit the scan to the IBM 1620 section of the bitsaver.org archives. Be my guest.
Every now and then, I bump into people whose first introduction to computing was through the IBM 1620 and who did so using my book. Frankly, I am flattered to have played a small role in the history of the computer business. I live near the computer history museum in Mountain View, California, and every now and then I find something in my attic to donate to them. What I will not donate is a special, leather-bound copy of the book, given to me by the publishers after it had sold a great many copies. Don Dimitry and I wrote the book without any expectations that it would become a best seller for its day. But it did.

Thanks for making my day and finding some use to what is now an obsolete book, though it was a killer in its brief time..

Dan Leeson

## Basic Programming Concepts

 andThe IBM 1620 Computer


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## THE IBM 1620 COMPUTER

Daniel N. Leeson<br>Donald L. Dimitry

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We acknowledge with thanks the cooperation of the International Business Machines Corporation in assisting us with materials for the publication of this book. Their kindness in allowing us to use certain copywritten materials is greatly appreciated.

## For

Rosanne and Helen

## Preface

Construction of a text on computers usually takes one of two directions: (1) general computer philosophy stressing engineering design, scientific-commercial applications, and a variety of related subjects such as Boolean algebra, switching circuit theory, and so forth, or (2) the total organization of a single computer (possibly an imaginary one) with the tacit assumption that one learns an entire range of computers by studying a particular one.

There is a variety of excellent books on general computer philosophy (see "Reading Reference"). However, we have decided to take the latter tack and generate a book on one specific computer whose popularity makes its choice a logical one.

Authorities on computing and computers differ in their opinions as to how material of this nature should be taught. An example of this is the disagreement about the necessity of flow charting, the distinction between coding and programming, and so forth. At this early stage of computing education there is far too little experience to rely upon, and consequently, each individual expresses his beliefs as he feels them to be correct.

The materials in this text are what we believe to be a satisfactory approach to the pedagogical problem of computer education. Perhaps, with the passage of time, our opinions will change as computers develop towards goals now considered in the realm of fantasy.

For the following two reasons, the machine chosen for this total organization study is the IBM 1620 computer: First, the 1620 is a physically small machine of good computing power whose size makes its availability to a university, and subsequently to a student, more practical; second, the 1620 is a computer that uses the decimal system of arithmetic. It is our belief that a "first" machine should be decimal in its internal arithmetic. This is not to say that a decimal machine is superior to a machine using another arithmetic system, or that the converse is true. There is much to be said for each one. However, the problems of learning basic machine concepts are difficult enough without confusing the situation by adding the complexities of a new or less commonly used type of arithmetic.

It is also our belief that adequate study of this single computer prepares one for further study on a whole host of other machines, including computers using binary arithmetic internally.

There is a general concept, romantically propagated by the uninformed, which assumes that programmers are deep, silent thinkers given only to esoteric intellectual pursuits. Such is not the case at all. The qualities that make for a
competent programmer are too elusive to pinpoint. There is, however, one quality that is common to all programmers: an astonishing ability to absorb repeated failure. This is because the "first-time correct" program is extremely rare, and the word "first" can be changed to "second," "third," and "fourth" with the statement still true.

Each person becomes proficient in his art by a study of the classic problems pertaining to his field. The Euclidian geometry has had its theorems proven time and again by students of mathematics. The budding musician masters his art by practicing scales. The beginning programmer obtains one form of proficiency by analysis and coding of certain "classic" problems. Many of these have been incorporated here in a chapter consisting solely of problems.

There are many techniques that make a program not only run, but run efficiently, and one of the tasks of the novice programmer is to discover these tricks for himself. To the professional programmer, the old saw, "Time is money," takes on a whole universe of meaning.

We make no assumptions about the educational background of the reader, nor do we assume that a 1620 is available for program testing. It is quite possible, and in some machine installations most practical, for the programmer never to see or physically operate the computer. Although it is desirable to see the results of one's efforts in operation, it is not mandatory for instruction purposes.

It is true that the majority of the examples in the chapter of problems assume some technical background, and the chapters dealing with floating point and Fortran also imply a scientific utilization of the machine. However, the computer may be studied for commercial applications as well as scientific with equal facility. The text, because of the subject matter, must be technical in its presentation, but the nonscientifically oriented reader should be able to assimilate the material.

The student is to be constantly reminded of two "theorems" associated with computer programming which, unfortunately, have more truth than humor: Theorem 1. Every program has at least one error. Theorem 2. Every program can be shortened.

It is difficult to describe how many people have assisted us in the preparation of this book, and to thank each of them in the manner that they deserve would require at least one additional volume.

However, we would be remiss in our responsibilities if we did not mention those individuals whose tireless efforts reached Herculean proportions. These people are: Edward Sinanian and Charles Stewart of IBM General Products Division, San Jose, California, for their review of the manuscript and their particular attention to the chapters on symbolic programming and Fortran; Frank Beckman and Kenneth King for encouraging the use of this book in a classroom situation at the Watson Scientific Computing Laboratories, Columbia University; Sarah Snook, IBM, New York, Guy Magnuson, IBM, Chicago, and

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To all of these people we say simply "Thank you very much."
FAIR LAWN, NEW JERSEY D. N. LEESON
july 4, 1962
D. L. DIMITRY

## Table of Contents

PAGE
PREFACE ..... vii
INTRODUCTION
TO DATA PROCESSING SYSTEMS CHAPTER 1 ..... 7
Data processing and data processing systems. The computer and itsrelationship to the productivity of man. Development of the storedprogram computer. Basic considerations of data processing. Enteringand recording of data. General requirements of a storage media. Thedata processing system's control center. Philosophy of the storedprogram. Data recording on cards and paper tape. General andelementary computer characteristics.
INTRODUCTION TO THE1620 DATA PROCESSING SYSTEMCHAPTER 210General description. The representation of data in core storage. Func-tions of the flag bit. Field and record definitions. Internal modes of datarepresentation. The structure and operation of magnetic core storage.
BASIC PROGRAMMING CONCEPTS CHAPTER 3 ..... 22Computer instruction categories. Instruction format. List of instruc-tions and codes. P-address description. Q-address description. Im-mediate instructions. Two-address instruction system. One-over-oneaddress system. Internal machine indicators. Execution-time-formulaabbreviations.
THE ALGORITHMS OF ARITHMETIC CHAPTER 426Principle of the hand calculator. Subtraction, multiplication, and divi-sion as functions of addition. The addition and multiplication tables.Carry propogation in addition. Insertion of high-order zeros. Subtrac-tion. Carry propogation in subtraction. Multiplication. Caution inindiscriminate use of arithmetic table areas.
THE ARITHMETIC INSTRUCTIONS CHAPTER 5 ..... 33Importance of arithmetic commands. Division methods. Add. Subtract.Multiply. Compare. Add Immediate. Subtract Immediate. MultiplyImmediate. Compare Immediate. Problems.
PAGE
INTERNAL DATA TRANSMISSION CHAPTER 6
Necessity for data transmission. Transmit Digit. Transmit Field. Trans- mit Record. Transmit Digit Immediate. Transmit Field Immediate. Problems.53
BRANCH INSTRUCTIONS CHAPTER 7
Deviation from sequential program execution. Branch. Looping. Closed subroutines. Branch and Transmit. Branch and Transmit Immediate. Branch Back. Branch on Digit. Branch no Flag. Branch no Record Mark. Branch Indicator. Branch no Indicator. Problems.60
INPUT-OUTPUT CHAPTER 8
Input-output devices. Read Numerically. Real Alphamerically. Write Numerically. Write Alphamerically. Dump Numerically. Problems.74
MISCELLANEOUS INSTRUCTIONS CHAPTER 982
Set Flag. Clear Flag. Halt. Debugging feature of the Halt command.No Operation. Control. Problems.
INTRODUCTION TO ASYMBOLIC PROGRAMMING SYSTEM ........... CHAPTER 1088Necessity for a symbolic system. Construction of an operation codetranslator. Elements of a translating system. Total translation of certainspecialized instructions. List of all operations and associated uniquemnemonics. Dictionary concept. Information sentences for a processor.Origin counting. Choice of useful mnemonics. Complete programtranslation. Declaratives and instructions. Labeling concepts. Processordefinition. Assembly system.
THE SYMBOLIC PROGRAMMING SYSTEM CHAPTER 11 ..... 100Instructions and declaratives. The SPS coding form. Construction oflabels. Operands and remarks. Types of operands. Arithmetic allowableon operands. DORG. DEND. DS. DC. DSS. DSC. DAS. DAC.DSA. DSB. TCD. TRA. HEAD. DNB SEND. Additional processorinformation. Error detection in the source program.
FLOATING POINT ARITHMETIC CHAPTER 12 ..... 148Difficulties arising in fixed-point calculation. Number scaling. Floatingpoint. Scientific notation. Characteristic. Mantissa. Normalization.Range of floating-point numbers. Flag requirements. Overflow andunderflow conditions. Excess fifty notation. Problems.
MACRO INSTRUCTIONS CHAPTER 13155Open subroutines. Closed subroutines. Macro instructions. Linkage
PAGE
systems. Floating Add. Floating Subtract. Floating Multiply. Float-ing Divide. Fixed Divide. Floating Square Root. Floating Sine Co-sine. Floating Arctangent. Floating Exponential. Floating Logarithm.Floating Transmit Field. Floating Branch and Transmit. Restrictionsand general information about macro instructions. Function of thesubroutine Pick. Normalization, noise, and filling digits.
INTRODUCTION TO FORTRAN CHAPTER 14
Advances in computer technology. Advances in programming systems. Efficiency. Fortran. Make-up of the Fortran system. Compilation.170
BASIC 1620 FORTRAN CHAPTER 15
Definitions. Fixed and floating-point constants. Fixed and floating-174point point variables. Basic operations. Expression definition. Typesof Fortran statements. Arithmetic-type statements. Numbering ofstatements. Unconditional Go To. Computed Go To. If. If SenseSwitch. Input-output and Format. Pause. Stop. End. The subscrip-tion of variables. Dimension. Do. Continue. Library functions. Com-ments. Examples. General information.
PROBLEMS CHAPTER 16221Problems for absolute coding. Macroless symbolic problems. Full sym-bolic problems. Basic Fortran problems.
ADDITIONAL INSTRUCTIONS APPENDIX I ..... 233
Move flag. P-field meaning for Strip and Fill instructions. Double-digit conversion. Transfer Numerical Strip. Transfer Numerical Fill.Problems.
DIRECT DIVIDE APPENDIX II239Automatic division. Dividend, divisor, and quotient size. Load Divi-dend. Load Dividend Immediate. Divide. Method of successive sub-traction. Divide Immediate. Incorrect division positioning. Summaryof division rules. Problems.
INDIRECT ADDRESSING APPENDIX III248Purpose of indirect addressing. Direct addressing. Indirect addressing.Form of an indirect address. Allowable indirect instruction operands.Examples.
FLOATING POINT HARDWARE APPENDIX IV253Advantages of floating-point hardware. Mantissa size. Characteristicrange. Restrictions. Floating Add. Floating Subtract. Floating Multi-
ply. Floating Divide. Floating Transmit Field. Field Branch and Transmit. Floating Shift Right. Floating Shift Left. General information on floating-point hardware.

## THE INPUT-OUTPUT DEVICES

APPENDIX V
262
The paper-tape reader. The paper-tape punch. Specialized error conditions. Loading the paper-tape punch. The card reader and punch. Buffering. The card reader. Specialized error conditions. Card reader component description. The card punch. Specialized error conditions. Card punch component description. Operating lights for card readpunch unit. Error restart procedures. The console typewriter.

## THE 1620 CONSOLE

APPENDIX VI
The console panel. Instruction and execute cycle panel. Control gates. Input-output. Operation register. Multiplier. Sense and branch. Memory buffer register. Memory data register. Digit register. Memory address register. Memory address register display selector. Parity check switch and indicator lights. Input-output check switch and indicator lights. Overflow check switch and indicator light. Program switches. Power-on switch and light. Power-ready light. Reset key. Thermal light. Punch no feed light. Reader no feed light. Display MAR key. Save key and light. Insert key and light. Release key. Start key. Automatic light. Manual light. Stop key. Instant stop key. Check stop light. Emergency-off switch.

## CONSOLE OPERATING PROCEDURES

APPENDIX VII
Instructing the computer from the typewriter. Clearing core storage to zeros. Program entry from the typewriter. Printing core storage data on the typewriter. Program alteration and/or data entry. Single instruction execution of a program. Procedure to turn off thermal light. Assembling an SPS source program (tape). Error detection in source program. Procedure for handling errors. Running the object program. Error messages at object time. Compiling a Fortran program (tape). Errors in the source program. The Fortran trace feature. Running the object program. Typewriter entry of data. Error messages at object time. Assembling an SPS program (card). Error detection in the source program. Procedures for handling errors. Running the object program. Error messages at object time. Compiling a Fortran program (card). Errors in the source program. Sequence checking the Fortran compiler and subroutine decks. Fortran trace features. Running the object program. Typewriter entry of data. Error messages at object time.
THE INTERNAL ORGANIZATION OF BASIC 1620 FORTRAN APPENDIX VIII ..... 326The table of symbols. Locating an encountered operation. Locatingthe addresses of encountered symbols. FAC. Determining the categoryof Fortran statements. Events that occur before the determination ofcategory. Categories 1 and 2. Nonrelocatable subroutines. Themanipulation of algebraic statements. Polish notation. Scanning tech-niques. Linkage to relocatable subroutines. The unary minus. Dimen-sion. Go to. Pause. Stop. If Sense Switch. If floating point. If fixedpoint. If expression. Computed go to. Do. Continue. Input-outputand format. Problems.
GLOSSARY ..... 354
READING REFERENCE ..... 359
INDEX ..... 363

Chapter 1

## Introduction to Data Processing Systems

Data processing is a series of planned actions and operations upon information to achieve a desired result. The operations are performed according to precise and strict rules of procedure. The procedures and devices used are what constitute a data processing system. Recently, "data processing" has become a generic term for "computing."

The computer offers to man a means to increase his productivity. This is accomplished in five ways. (1) Computers through their speed alone enable man to increase his output per hour. (2) Computers enable man to make use of many mathematical methods that were previously impractical due to the lengthy and time-consuming calculations involved. Imagine attempting to solve a system of 50 simultaneous linear equations on a desk calculator. The computer solves this problem in minutes. (3) Computers have enabled man to develop new mathematical techniques to solve problems previously thought to be beyond the realm of practical mathematics. (4) Computers increase accuracy. Extensive analysis has shown that the human will make at least 5 errors in 100 hand calculations, making him at best 95 percent effective. The computer closely approaches 100 percent accuracy ( $99.99+$ percent). When an error does occur, it is usually sensed, and its presence is indicated to the operator. (5) Computers increase productivity by encouraging intelligent planning.

The need for data processing systems is widespread. Technological growth and advances have been increasing at a rapid and frantic pace. The demands for information are enormous. The aircraft industry, manned missiles, an invulnerable defense network, and design engineering all require an amount of data processing that staggers the imagination.
The 1940's were a great development period for data processing systems. The principles of electronics were applied to data processing equipment, and the first "stored program" computer was developed. At the start, data processing machines were directed by machine instructions that were programmed on interchangeable control panels, cards, or paper tapes. Detailed instructions telling the machine what to do next had to be wired in or read in as the work progressed. Data put into the machine were processed according to the instructions contained in these preset devices. Only in a limited fashion could the computer deviate from the fixed sequence of its program.
It soon became apparent that these programming techniques inhibited the speed and performance of the computer. To give the computer greater latitude in working problems without operator assistance, scientists proposed that the computer store its program in a high-speed internal memory or storage unit. Thus, it would have immediate access to instructions as it called for them. With an internal storage system, the computer could process a program in much the same way that it processed data. It could even be made to modify its own instructions as dictated by developing stages of work. To meet this requirement, highspeed storage devices were developed and the "stored program" computer was born.
All data processing involves at least three basic considerations: (1) the data or input to the system, (2) the orderly planned processing of the input within the system, and (3) the end result or output from the system.
The input may consist of any type of data: commercial, scientific, statistical, engineering, etc. Processing is carried out by a pre-established sequence of instructions that are followed automatically by a computer. These instructions are the result of an analysis of the desired output by a programmer. He then originates a series of instructions to the computer to produce the end result. The processing terminates with the end result, which is recorded for further processing or for reports or data files.
To meet these three basic considerations, data processing systems are composed of four types of functional units: input, output, storage, and processing devices. They are designed to process business and scientific data at electronic speeds. In addition automatic self-checking devices
insure great accuracy. The key element of these systems is the processing unit, a high speed electronic computer.

## INPUT AND OUTPUT DEVICES

The data processing system requires, as a necessary part of its information handling ability, devices that can enter data and instructions into the system and record data from the system. These functions are performed by input-output devices linked directly to the system.

Input devices read or sense the coded data or instructions that are recorded on a prescribed medium and make this information available to the computer. Output devices record or write information from the computer on an output medium. Specific input-output devices relating to the 1620 Data Processing System, will be discussed in Appendix V.

## STORAGE (MEMORY)

Storage devices are capable of receiving information, retaining information, and making this information available. All data and instructions must be placed in storage before they can be processed by the computer. Each storage location holds a specific unit of data. Information is read into storage by an input device and is then available for processing. Each location, position, or section of storage is numbered so that the stored data or instructions can be readily located by the computer as needed.

When information enters a storage location, it replaces the previous contents of that location. However, when information is taken from a storage location, the contents remain unaltered. Thus, once located in storage, the same data may be used many times. The computer requires time to locate and transfer information to and from storage. This is called access time.

The size or capacity of storage determines the amount of information that can be held within the system at any one time.

## CENTRAL PROCESSING UNIT

The central processing unit is the control center of the entire data processing system. It is divided into two parts: (1) the arithmetic-logical unit and (2) the control section.

The arithmetic-logical unit performs such operations as addition, subtraction, multiplication, division, comparing, transferring, and storing. It also has logical ability-the ability to test various conditions encountered during processing and to take one of two or more alternate paths, depending on the result of the test.

The control section directs and coordinates the entire computer system as a single multipurpose machine. These functions involve controlling the input-output units and the arithmetic-logical operation of the central processing unit. This section directs the system according to the procedure (stored program) developed by its human programmer.

## STORED PROGRAMS

Each data processing system is designed to perform only a specific number and class of operations. It is directed to perform each operation by an instruction. The instruction defines a basic operation to be performed and identifies the data, device, or mechanism needed to carry out the operation. The entire series of instructions required to complete a given procedure is known as a program.

For example, the computer may have the operation of multiplication built into its circuits in much the same way that the ability to add is built into a simple desk calculator. There must be some means of directing the computer to perform multiplication just as the adding machine is directed by depressing keys. There must also be a way to instruct the computer where in storage it can find the factors which are to be multiplied.

Further, the comparatively simple operation of multiplication implies other activity that must precede and follow the calculation. The multiplicand and multiplier must be read into storage by an input device. Once the calculation is performed, the product may be recorded by an output device.

Any calculation, therefore, implies reading in data, locating factors in storage, perhaps adjusting the result, and perhaps writing out the completed result. Even the simplest portion of a procedure involves a number of planned steps that must be precisely specified to the computer if the procedure is to be accomplished.

An entire procedure is composed of these individual steps grouped in a sequence that directs the computer to produce a desired result. Thus, a complex problem must first be reduced to a series of basic machine operations before it can be solved. Each of these operations is coded as an instruction in a form that can be interpreted by the computer. An instruction in this form is called a "machine language instruction." The instructions are placed in toto, in the storage unit as a stored program.

The possible variations of a stored program provide the data processing system with almost unlimited flexibility. One computer can be applied to a great number of different procedures by simply reading in or loading the proper program into storage.

## DATA REPRESENTATION

Communication with a computer system requires that data be reduced to a set of symbols that can be read and interpreted by data processing machines. The symbols differ from those easily recognizable by man, because the information to be represented must conform to the design and operation of the computer. The choice of these symbols and their meaning is a matter of convention on the part of the designers. The important fact is that information can be represented by symbols, which become the language for communication between people and machines.

Information to be used for computer systems can be recorded on various media. We shall discuss two of them, cards and paper tape. Data are represented on cards by the presence or absence of holes in specific locations of the card. In a similar manner, small holes along a paper tape represent data.

## CARDS

The punched card is the most widely used media for communication with machines. Information is recorded as small holes punched in specific locations in a card of standard size. ${ }^{1}$ Information represented (coded) by the presence or absence of holes in specific locations can be read or sensed as the card is moved through a card-reading device. Reading or sensing the card is basically a process of automatically converting data recorded as holes to an electronic language and entering the data into the computer.

The punched card provides 80 vertical columns with 12 punching positions in each column. The 12 punching positions form 12 horizontal rows across the card. One or more punches in a single column represent a character. The number of columns used depends on the amount of data to be represented. The standard card code uses one or more of the 12 possible punching positions of a vertical column to represent a numeric, alphabetic, or special character. The 12 punching positions are divided into two areas, numeric and zone. The first 9 punching positions from the bottom of the card are the numeric punching positions and have an assigned value of $9,8,7,6,5,4,3,2$, and 1 , respectively. The remaining 3 positions, 0,11 (synonymously termed $X$ ), and 12 , are the zone positions. The 0 position is considered to be both a numeric and zone position.

The numeric characters 0 through 9 are represented by a single punch in a vertical column. For example, 0 is represented by a single punch in the 0 zone position of the column. A numeric 5 is represented by a single punch in the 5 position of the column.

The alphabetic characters are represented by two punches in a single
${ }^{1}$ The standard-size card is $73 / 8$ by $31 / 4 \mathrm{in}$.
vertical column, one numeric punch and one zone punch. The alphabetic characters A through I use the 12 zone punch and a numeric punch 1 through 9. In this fashion the letter A is punched as $12-1, \mathrm{~B}$ as $12-2 \ldots$ I as 12-9. The alphabetic characters J through R use the 11 zone punch and a numeric punch 1 through 9 , respectively. The alphabetic characters Sthrough Z use the 0 zone punch and the numeric characters 2 through 9 , respectively (see Fig. 1.1).


Fig. 1.1 Standard Punched Card Codes.

Special characters are represented by one, two, or three punches in a single column of the card and consist of punch configurations not used to represent numeric or alphabetic data.

## PAPER TAPE

Punched paper tape serves much the same purpose as the punched cards. Data are recorded as a special arrangement of punched holes along the length of a paper tape. Paper tape is a continuous recording medium as compared to cards which are fixed in length.

Reading or sensing paper tape is basically a process of automatically converting data recorded as holes to an electronic language and entering the data into the computer.
Data are recorded (punched) and read as holes located in eight parallel channels along the length of the paper tape. One column of the eight possible punching positions (one for each channel) across the width of the tape is used to code numeric, alphabetic, special, and functional characters.

The lower four channels of the tape (excluding the feed holes) are labeled $1,2,4$, and 8 , and are used to record numeric characters. The numeric characters 1 through 9 are represented as a punch or punches in these four positions and the character " 0 " is represented as a punch in the zero position. The sum of the positional values indicates the numeric value of the character. For example, a hole in channel 1 is used to represent a numeric 1 ; a combination of a 1 and 2 punch represents a numeric 3 . The $X$ and 0 channels are similar to the zone punches in cards. These channels are used in combination with the numeric channels to record alphabetic and special characters (see Fig. 1.2).


Fig. 1.2. Character Coding for Eight-Channel Paper Tape.

To check that each character is recorded correctly, each column of the tape is punched with an odd number of holes. A check hole must be present in any column whose basic code ( $\mathrm{X}, 0,8,4,2,1$ ) consists of an even number of holes. Internal checking devices in the 1620 investigate each vertical array of punches to assure that this condition has been satisfied.

A punch in the $E / L$ (end-of-line) channel is a specific function character used to mark the end of a record on the tape. The tape feed code consists of punches in the $\mathrm{X}, 0, \mathrm{C}, 8,4,2$, and 1 channels and is used to indicate blank character positions. A paper tape reader automatically skips over areas of tape punched with the tape feed code.

Figure 1.2 shows the 1620 coding for all characters on an 8 -channel paper tape.

## COMPUTER CHARACTERISTICS

## MACHINE CYCLES

All computer operations take place in fixed time intervals called machine cycles. These time intervals are measured by pulses from an electronic clock in the system. Within a machine cycle, the computer can perform
a specific machine operation. The number of machine cycles required to execute a single instruction depends on the nature and function of the instruction.

## SERIAL AND PARALLEL OPERATION

Computers are classified as either serial or parallel depending on the method the computer uses to perform arithmetic. Essentially, all arithmetic is performed by addition.
In a serial computer, numbers to be added are considered one position at a time (the units position, tens position, hundreds, and so on) in the same way that addition is done with paper and pencil. Whenever a carry is developed, it is retained temporarily and then added to the sum of the next higher order position.
The time required for serial operation depends on the number of digits in the factors to be added. Serial addition is shown in Table 1.1.

Table 1.1

|  | 1st Step | 2nd Step | 3Rd STEp | 4TH Step |
| :--- | :---: | :---: | :---: | :---: |
| Augend | 1234 | 1234 | 1234 | 1234 |
| Addend | 2459 | 2459 | 2459 | 2459 |
| Carry | 1 | 1 |  |  |
| Sum | 3 | 93 | 693 | 3693 |

In a parallel computer, addition is performed on complete data words (a "word" is made up of two or more storage positions). The words are combined in one operation, including carries. Any two data words, regardless of the magnitude of the numbers contained in the words, can be added in the same time. Table 1.2 shows parallel addition.

Table 1.2

| Augend | 00564213 |
| :--- | :---: |
| Addend | 00000824 |
| Carry | 1 |
| Final Result | 00565037 |

## FIXED AND VARIABLE WORD LENGTH

"Fixed word length" and "variable word length" are terms used to describe the unit of data that can be addressed (referenced) and processed by a computer system.
In fixed word length operation, information is handled and addressed in units or words containing a predetermined number of positions. The size of a word is designed into the system and normally corresponds to the smallest unit of information that can be addressed for processing in the central processing unit. Records, fields, characters, or factors are all manipulated in parallel as words.
In variable word length operations, data-handling circuitry is designed to process information serially as single characters. Records, fields, or factors may be of any practical length within the capacity of the storage unit. Information is available by character instead of by word.

Operation within a given data processing system may be entirely of a fixed word nature, entirely variable, or a combination of both. In the 1620 Data Processing System, data are stored and processed as single characters. All arithmetic and data-handling operations are done serially, character by character.

## Chapter 2

## Introduction to the 1620 Data Processing System

The 1620 Data Processing System (Fig. 2.1) is an electronic digital computer designed for technological and commercial applications. The heart of the system is the 1620 Central Processing Unit (Fig. 2.2) which houses the arithmetic and logical units, the magnetic core storage ( 20,000 positions), and the console panel and typewriter. The central processing unit is augmented by the 1622 Card Read-Punch and/or the 1621 Paper Tape Reader and the 1624 Paper Tape Punch, depending on whather the system is to process punched cards, paper tape, or both.
Expansion of the basic system is possible by increasing the size of the magnetic core storage in increments of 20,000 positions until a maximum of 60,000 positions is reached (Fig. 2.3). A variety of special devices and additional instructions is available to increase the power and flexibility of the system.

Data and instructions entered into the system are placed in core storage as decimal digits. Each core storage position can be referred to individually and can store one digit of information. The addressing system provides for the selection of any digit or group of digits in storage. The 1620 can also process alphabetic characters and special characters such as $\$, \star,-,+$, etc.
The arithmetic and logical section of the computer is directed by the stored program. The 1620 has more than 30 different operations in its


Fig. 2.1. The 1620 Data Processing System.


Fig. 2.2. The 1620 Central Processing Unit.


Fig. 2.3. Additional Core Module with Housing.
repertoire. Among these is a powerful set of branching instructions that make logical decisions based on the results of tests performed on a system of indicators and switches.

Addition, subtraction, and multiplication operations are performed by a table look-up method described in Chapter 4. Addition and multiplication tables are stored in specified areas of storage and are automatically referred to when one of the arithmetic operations is being performed. Division is accomplished by a division simulating program or by an automatic division feature.
The 1620 is a variable field computer in the complete sense of the term. Not only can data fields be of different lengths, but these same variable length fields can also be factors in all arithmetic operations without editing for size or position. Accuracy of results is insured by automatic internal checking that operates when data is being entered, read out, or processed by the system.

The console of the 1620 consists of control keys, switches, indicator panel, and typewriter. The control keys and switches are used for manual or automatic operation of the system. The console panel provides a visual indication of the status of various registers and control circuitry within the computer. The typewriter is used as an output device, for direct entry of data and instructions into core storage, and for permanent logging of the operator's intervention during the execution of a program.
Information is entered into the system by the input devices: the 1621 Paper Tape Reader, the 1622 Card Read-Punch, and the typewriter. Eighty-column cards are read at the rate of 250 cards per minute. The paper tape reader reads an 8-channel paper tape at the rate of 150 characters per second. Speed of typewriter information entry depends upon the operator's ability.

The recording of processed information is accomplished by the output devices; the 1622 Card Read-Punch, the 1624 Paper Tape Punch, and the typewriter. Cards are punched at the rate of 12580 -column cards per minute; the tape punch punches information in an 8 -channel paper tape at the rate of 15 characters per second; and the typewriter types at the rate of 10 characters per second.
Program preparation is simplified by the use of two major programming systems. These are the Symbolic Programming System (SPS) and Fortran (from "formula translation"), both of which will be discussed in detail.

SPS, which simplifies program writing by reducing the clerical work involved, assembles a program written in mnemonic or symbolic notation by converting the symbols to machine language instructions and assigning locations in core storage for both data and instructions.

Fortran translates a problem expressed as a series of algebraic state-
ments into a complete machine language program, generating the step-by-step instructions necessary to solve the problem. A program written in Fortran for the 1620, after minor modifications, can also be translated and executed on other computers such as the IBM 7090, 1401, and many others.

## INTERNAL DATA REPRESENTATION

## DIGITS

Each core storage position in the 1620 has a unique address and can store one digit of information. Each digit is in a binary coded decimal (BCD) form represented by a 6 -bit numeric code. In this code, six positions of binary notation ( 0 or 1 ) are used and each of these positions is called a bit (binary digit). Each position has one of two conditions: either a bit is present represented by a " 1 " or it is not present represented by a " 0 ." The six positions are divided into three groups: one check bit ( C bit), one flag bit ( F bit), and four numeric bits with the assigned values of $8,4,2$, and 1 (table 2.1).

Table 2.1

| Check <br> Bit | Flag <br> Bit | Numerical Bits |  |  |
| :---: | :---: | :---: | :---: | :---: |
| C | F | 8 | 4 | 2 | 1

The value of a decimal digit is the sum of the bits present in the numeric portion of the 6 -bit code. Only bit combinations whose sum is 9 or less are used. Using the notation that a " 1 " indicates the presence of a bit and a " 0 " indicates the absence of a bit, we would represent the decimal digit 6 as 0110 considering only the numeric positions. The digit 8 is represented as 1000 .

The check bit is used for parity checking purposes. A parity check is a built-in method of checking the validity of coded information. This code checking occurs automatically within the computer as the data processing operations are carried out. Each character in the computer represented in the 6 -bit numeric code must consist of an odd number of bits. During processing, a character with an even number of bits causes the machine to signal a parity error. When a digit is read into the computer by an input device, it is automatically converted to the

6-bit numeric code and the check bit is automatically added if it is required. The flag bit, to be discussed shortly, is counted in parity checking. The check bit alone represents the digit 0 .

Table 2.2 shows the 6 -bit numeric coding of the decimal digits 0 through 9.

Table 2.2
Character Coding

|  | C | F | 8 | 4 | 2 | 1 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 1 | 0 | 0 | 0 | 0 | 0 |
| 1 | 0 | 0 | 0 | 0 | 0 | 1 |
| 2 | 0 | 0 | 0 | 0 | 1 | 0 |
| 3 | 1 | 0 | 0 | 0 | 1 | 1 |
| 4 | 0 | 0 | 0 | 1 | 0 | 0 |
| 5 | 1 | 0 | 0 | 1 | 0 | 1 |
| 6 | 1 | 0 | 0 | 1 | 1 | 0 |
| 7 | 0 | 0 | 0 | 1 | 1 | 1 |
| 8 | 0 | 0 | 1 | 0 | 0 | 0 |
| 9 | 1 | 0 | 1 | 0 | 0 | 1 |

The flag bit is used in three ways:

1. Field Definition: The high-order position of a numeric field is defined by the presence of a flag (the terms "flag" and "flag bit" are used synonymously). Thus the number 537 would appear in storage with a flag bit in the core position containing the 5. A flag is denoted by a horizontal line above a digit, $\overline{5} 37$.
2. Sign Control: The presence of a flag in the units position of a numeric field indicates that the field is negative. If no flag is present in the units position of a field, the field is taken to be positive. The number -537 would appear in storage as $\overline{5} 3 \overline{7}$.
3. Carries: Flags present in certain digits of the addition table (see Chapter 4) are interpreted as carries in arithmetic operations.
A record mark character ( $\ddagger$ ) is a nondecimal digit with C-8-2 or F-8-2 coding. It is primarily used in input and output operations and in record transmission within the computer. The novice programmer will find that a good portion of his errors occur in attempting to do arithmetic operations on record marks.

A numeric blank has C-8-4 coding. It is used for the control of blank columns when cards are being punched, and, like the record mark, cannot be used in arithmetic operations. Unlike the record mark, it may not even be present in an instruction.

Alphabetic information is represented in the computer in a doubledigit form. Two core storage locations are required to represent one alphamerical character. The two digits are referred to as the zone digit and the numerical digit. The two digits representing one alphamerical character must be located in adjacent core positions, and the zone digit must always occupy an even-numbered core position.

Table 2.3 shows the double-digit representation of all the alphameric characters.

Table 2.3
Alphameric Data Representation


## FIELDS

A field consists of a number of consecutive digits which are considered as a group in arithmetic and internal data transmission instructions. A field is always addressed (referenced) by its low-order digit, which occupies the highest numbered core storage position of the field. A field is processed serially from right to left into successively lower core storage positions until a digit with a flag is sensed. The digit with the flag is treated as part of the field, but no more digits are processed.

The absence of a flag in the low-order position of a field (the addressed digit) is unconditionally interpreted as a positive field of data.

One-digit fields of data are not allowed. The smallest allowable data field is two digits.

Figure 2.4 illustrates the processing of a field.


Fig. 2.4. Field Processing.

## RECORDS

A record consists of a field or fields of data related to input-output operations. A record is addressed at its high-order digit, which occupies the lowest core storage position of the record. Records are processed


Fig. 2.5. Record Processing.
serially from left to right (high-order to low-order digits). A record mark ( $\ddagger$ ) defines the end of a record and is located in the highest numbered core location.
Figure 2.5 illustrates the processing of a record as compared to the processing of a field.

## NUMERICAL AND ALPHAMERICAL MODES

The input-output instructions of the 1620 cause data to be read or written in either a numerical or alphamerical mode. The 1620 has no way to determine if an element entering the system is being entered as numeric data or alphabetic data unless the appropriate mode is indicated in the input-output instruction.

In the numeric input mode each character read in is represented in storage by one decimal digit. Alphabetic and special characters will not enter storage correctly as they require a double-digit representation. Only the record mark ( $\ddagger$ ), numeric blank, and the digits 0 through 9 will be represented in storage correctly. In the numeric output mode each character in storage is represented as a single character on the output medium. Data in storage in the double-digit code will not be converted to its single character representation.
In the alphameric input mode each input character is automatically converted to its double-digit representation and is stored in memory as two decimal digits. In the alphameric output mode the double-digit representation of data is automatically converted to single characters which are then written on the output medium.

## MAGNETIC CORE STORAGE

The storage medium utilized by the 1620 Data Processing System is magnetic core storage. A magnetic core is a tiny ring of ferromagnetic material a few hundredths of an inch in diameter. The outstanding characteristic of the core is that it can be easily magnetized, and, unless deliberately changed, it retains its magnetism indefinitely.
Many of these cores are strung on a screen of wires to form what is called a core plane (Fig. 2.6).
By sending half the amount of current necessary to magnetize a core through each of the two wires passing through the core in question we can magnetize it. Note that no other core in the plane becomes magnetized by the current flowing through the two wires. Furthermore, by reversing the flow of current through the wires, we can magnetize the core in the other direction. Thus, depending upon the direction of the current flow, a core can be either positively or negatively magnetized.


Fig. 2.6. A Standard Core Plane.

Cores then can be controlled in two ways: by selecting a specific pair of wires, we can decide which core is to be affected; and by controlling the direction of current flow, we can determine whether it is to be positively or negatively magnetized. We can now adopt a convention and say that when a core is positively magnetized it is "on" or contains a bit. If a core is negatively magnetized it is "off" and does not contain a bit.

If we stacked six core planes vertically so that a vertical column contained six cores, we could represent the 6 -bit numeric coding used by the 1620 for internal data representation. Each of the six core planes assumes a specific value-one plane would be the C-bit plane, another plane would be the F -bit plane, and another plane would be the 8 -bit plane, etc. Thus six vertical cores form a core storage position and can represent any decimal digit through the 6 -bit numeric code signified by the status of the cores (positive or negative).
In the 1620 , core storage is made up of 12 core planes. Thus one vertical column contains two core storage positions. The top six core planes represent all the even-numbered addresses, and the bottom six core planes represent all the odd-numbered core addresses. Figure 2.7 shows the core array in the 1620 .
Since all 12 core planes are read out simultaneously, any single core storage address affects two adjacent core storage positions, one with an even-numbered address and one with an odd-numbered address. Those cores with a positive charge are read into a Memory Buffer Register (MBR). The MBR is a two-position register into which both the odd and even addressed digits are read from core. If the digit in core position 00500 were addressed, the MBR would receive the digits from core positions 00500 and 00501 . If the digit in core position 00501 were ad-


Fig. 2.7. 1620 Core Array.
dressed, the MBR would again receive the digits from core positions 00500 and 00501.

Core storage positions are addressed sequentially from 00000 to the highest numbered core storage address: 19999, 39999, or 59999. Addressing is cyclical in that position 00000 follows the highest allowable address when incrementing, and precedes the highest allowable address when decrementing.

## Chapter 3

## Basic Programming Concepts

Contrary to some popular belief, the digital computer is not a "brain." It does not yet possess the intelligence to think. The computer can do nothing of its own volition, but must rely upon instructions supplied by humans to perform a given task. Thus a communication between man and computer is necessary. This communication takes the form of a set of formal instructions with which we command the computer and to which the computer responds. Once the computer has received its instructions, it can perform its task at speeds measured in microseconds. The combination of the human thought process and the fantastic speeds at which computers operate form a powerful tool for industry and research.

Chapters 5 through 9 are devoted to a complete detailed description of all basic 1620 instructions. These instructions fall into five general categories:

1. Arithmetic
2. Internal Data Transmission
3. Branch
4. Input-Output
5. Miscellaneous

The 1620 digital computer utilizes a 12 -digit instruction which is divided into three parts: a 2-digit operation (OP) code, a 5 -digit P address ( P Operand), and a 5 -digit Q address (Q Operand). Each of the 12 digits making up an instruction is assigned a unique notation so that easy
reference may be made to any part of an instruction. The two digits forming the operation code will be referenced as $\mathrm{O}_{0}$ and $\mathrm{O}_{1}$. The five digits comprising the P address will be referenced as $\mathrm{P}_{2}, \mathrm{P}_{3}, \mathrm{P}_{4}, \mathrm{P}_{5}$, and $P_{6}$. Similarly, the five digits comprising the $Q$ address will be referenced as $Q_{7}, Q_{8}, Q_{9}, Q_{10}$, and $Q_{11}$.

Fig. 3.1 illustrates the format of a 1620 instruction.

| $\mathrm{O}_{0}$ | $\mathrm{O}_{1}$ | $\mathrm{P}_{2}$ | $\mathrm{P}_{3}$ | $\mathrm{P}_{4}$ | $\mathrm{P}_{5}$ | $\mathrm{P}_{6}$ | $\mathrm{Q}_{7}$ | $\mathrm{Q}_{8}$ | $\mathrm{Q}_{9}$ | $\mathrm{Q}_{10}$ | $\mathrm{Q}_{11}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| OP <br> Oode | C Address |  |  |  |  | Q Address |  |  |  |  |  |

Fig. 3.1. Instruction Format.
The 2-digit operation code specifies which operation is to be executed. Table 3-1 is a chart of all basic 1620 operation codes and their associated mnemonics. Mnemonics refer to the alphabetic representation of operations codes used in the symbolic programming system (see Chapter 11).
The 5 -digit P operand has many functions, depending on the instruction. It may represent the core location (1) that data is transmitted to, (2) that data is transmitted from, (3) that the program branches to, or (4) of data to be processed.

Likewise, the Q operand has many functions, depending on the instruction. It may represent (1) the address from which data is transmitted, (2) the input-output device that is employed, (3) the address of data to be processed, or (4) the indicator that is interrogated.

The 1620 has an extremely powerful and flexible instruction repertoire. Certain arithmetic and internal data transmission instructions are labeled immediate. These instructions use part of the instruction itself as a data field. The low-order position of the data field is the $Q_{11}$ position of the instruction itself. The immediate instructions greatly facilitate programming and conserve storage locations by storing constants as part of instructions.

The instructions that direct the 1620 are stored in the magnetic core memory of the computer. The high-order digit ( $\mathrm{O}_{0}$ ) of an instruction must be located in an even-numbered core position. This restriction is imposed by the workings of the internal circuitry of the computer, with which we will not concern ourselves at this time. Suffice it to say that this restriction is easily complied with.

An instruction is referenced by the core location of its high-order digit $\left(\mathrm{O}_{0}\right)$. Thus if we refer to the instruction at core location 00012, the instruction we are referencing is made up of the digits in core locations 00012 to 00023 , inclusive.

Table 3.1

|  | Mnemonic | Code |
| :---: | :---: | :---: |
| Arithmetic Instructions |  |  |
| Add | A | 21 |
| Add Immediate | AM | 11 |
| Subtract | S | 22 |
| Subtract Immediate | SM | 12 |
| Multiply | M | 23 |
| Multiply Immediate | MM | 13 |
| Compare | C | 24 |
| Compare Immediate | CM | 14 |
| Internal Data Transmission Instructions |  |  |
| Transmit Digit | TD | 25 |
| Transmit Digit Immediate | TDM | 15 |
| Transmit Field | TF | 26 |
| Transmit Field Immediate | TFM | 16 |
| Transmit Record | TR | 31 |
| Branch Instructions |  |  |
| Branch | B | 49 |
| Branch No Flag | BNF | 44 |
| Branch No Record Mark | BNR | 45 |
| Branch on Digit | BD | 43 |
| Branch Indicator | BI | 46 |
| Branch No Indicator | BNI | 47 |
| Branch and Transmit | BT | 27 |
| Branch and Transmit Immediate | BTM | 17 |
| Branch Back | BB | 42 |
| Input-Output Instructions |  |  |
| Read Numerically | RN | 36 |
| Write Numerically | WN | 38 |
| Dump Numerically | DN | 35 |
| Read Alphamerically | RA | 37 |
| Write Alphamerically | WA | 39 |
| Miscellaneous Instructions |  |  |
| Control | K | 34 |
| Set Flag | SF | 32 |
| Clear Flag | CF | 33 |
| Halt | H | 48 |
| No Operation | NOP | 41 |

The 1620 uses a 2 -address instruction system. During normal operation, program instructions are executed sequentially. For example, if we start at core location 00000, the instructions at 00000, 00012, 00024, 00036, and so forth, are executed in that order. This sequential execution of instructions can be altered by the use of the branch instructions discussed in Chapter 7.

In a 2 -address system both addresses may reference data. The 2 address system is in contrast to a 1 -over- 1 addressing system, in which part of the instruction itself is used to indicate the location of the instruction to be executed next. The 2-address system is, in many ways, a much more powerful and flexible programming system.
In the discussion of the functions of the Q address, it was mentioned that indicators may be interrogated. The 1620 has internal machine indicators to facilitate the decision-making ability of the computer. The three indicators of greatest importance are the following:

1. High Positive ( $\mathrm{H} / \mathrm{P}$ ). The High Positive indicator is turned on if the result of an arithmetic operation is positive and not zero.
2. Equal/Zero (E/Z). The Equal Zero indicator is turned on if the result of an arithmetic operation is zero.
3. Overflow. The Overflow indicator is turned on if certain overflow conditions exist.

A more detailed discussion of the on-off status of the indicators is made in the chapter on arithmetic instructions.

As each instruction is discussed, a formula for computing execution time will be given. The following abbreviations are used.
$D_{p}=$ Number of digits, including high-order zeros, in the field at the $P$ address.
$D_{q}=$ Number of digits, including high-order zeros, in the field at the $Q$ address.
$\boldsymbol{D}_{z}=$ Number of positions compared prior to detection of a digit other than zero.
$\boldsymbol{R}_{q}=$ Number of digits, including the record mark, in the record at the Q address.

## Chapter 4

## The Algorithms of Arithmetic

The heart of the hand calculator is the accumulator unit, which operates on the principle of the toothed gear. Addition is usually accomplished by rotating the gear in one direction. As the gear reaches a maximum position it flips an adjacent gear. In this way carries are propagated in the addition process. Subtraction is accomplished by rotating the gear in a direction opposite to that of addition. Multiplication can be considered as successive addition, and division as a process of iterative subtraction. The 1620 has no accumulator and does not operate on the principle of the toothed gear. Consequently, an alternate method of performing the basic functions of mathematics must be used. The basic operations of the 1620 are addition and multiplication, and certain areas of core storage are reserved for addition and multiplication tables. These operations are done serially, digit by digit, and the computer "looks up" the result of an operation in these tables. Subtraction utilizes the addition table but prepares the subtrahend digit before entry into the addition table. This preparation takes the form of tens or nines complementation. The process of division is discussed in a special chapter.

The addition table occupies core positions 00300-00399 (see Table 4.1). Looking at this table, the reader will notice that the number 7 appears at the following 8 locations: 00307, 00316, 00325, 000334, 00343, 00352, 00361 , and 00370 . The reader will also notice that a flagged $7(\overline{7})$ appears at core positions 00389 and 00398.
You have probably noticed that the sum of the digits in the units and tens positions of the address is the digit located in that core position.

## Table 4.1

Add Table

| High-Order |  |  |  |  | Po | ion | Ad |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Positions of Address | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 |
| 0030 | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 |
| 0031 | 1 | . 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | $\overline{0}$ |
| 0032 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | $\overline{0}$ | T |
| 0033 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | $\overline{0}$ | $\bar{\top}$ | $\overline{2}$ |
| 0034 | 4 | 5 | 6 | 7 | 8 | 9 | $\overline{0}$ | T | $\overline{2}$ | $\overline{3}$ |
| 0035 | 5 | 6 | 7 | 8 | 9 | $\overline{0}$ | 了 | $\overline{2}$ | $\overline{3}$ | $\overline{4}$ |
| 0036 | 6 | 7 | 8 | 9 | $\overline{0}$ | $\bar{T}$ | $\overline{2}$ | $\overline{3}$ | $\overline{4}$ | $\overline{5}$ |
| 0037 | 7 | 8 | 9 | $\overline{0}$ | $T$ | $\overline{2}$ | $\overline{3}$ | $\overline{4}$ | 5 | $\overline{6}$ |
| 0038 | 8 | 9 | $\overline{0}$ | $\bar{T}$ | $\overline{2}$ | $\overline{3}$ | $\overline{4}$ | 5 | $\overline{6}$ | $\overline{7}$ |
| 0039 | 9 | $\overline{0}$ | T | $\overline{2}$ | $\overline{3}$ | $\overline{4}$ | $\overline{5}$ | $\overline{6}$ | $\overline{7}$ | $\overline{8}$ |

It is also obvious in the case of the two flagged 7's that the flag is present for the purpose of propagation of carries. Addition is accomplished in the 1620 by literally attaching data digits to a machine-generated address of 003 XX to form a 5 -digit add table address. The answer is then "looked up" in the add table.

As a further example note that the sum of the digits 4 and 2 is found at table address 00342 or 00324.

The addition of two numbers that generates a carry-over produces the following result: the addition table address generated by the adjacent digits will be increased by 1 .

If a field containing $n$ digits is added to a field containing $n+k$ digits ( $k>0$ ), $k$ zeros are inserted automatically to make the fields of equal length. These zeros are inserted one at a time by internal circuitry of the 1620. They do not alter the field permanently. (See Fig. 4.1.)

The process of subtraction is almost identical with that of addition. That is, an address of 003 XX is generated with the data digits supplying the missing positions of the address. However, the subtrahend digit is inserted in the look-up address in its tens complement form on the first cycle and in its nines complement form thereafter. If the addition table yields a flagged digit, the address generated by the contiguous digits will be increased by 1 (see Fig. 4.2).

Multiplication in the 1620 is also accomplished by combining the digits


Fig. 4.1. Schematic Diagram of Add Operation.
to be multiplied into a table address. The multiplication table, which occupies core locations 00100-00299 (see Table 4.2), does not yield as obvious an algorithm as did the addition process.
The computer does not generate a base address of 001XX as might be expected. Instead, the base address is chosen to be 00XXX. The multiplicand digit is inserted into the tens position of the base address. The multiplier digit is routed through a special device called the doubler. The doubler is an internal device that doubles a digit. Although the multiplier digit enters the doubler as a single element, it leaves this unit as a 2 -digit number (see Fig. 4.3). After exit from the doubler, the tens digit of the


Fig. 4.2. Schematic Diagram of Subtract Operation.
number is incremented by 1 and is then routed to the hundreds digit of the base address being formed. The units digit of the doubler's effort is routed to the units digit of the base address, and this completes the construction of the multiplication table look-up address.

Unlike the addition process, the multiplication table look-up process yields not one but two digits as the product of any two elements. These are found at the table look-up address and the adjacent odd address one position higher in core. Internal machine operation causes these digits to be reversed and routed out to a product generation area (see Fig. 4.3).

Table 4.2

Multiply Table

| High-Order |  |  |  | Pos | ion | Ad |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Positions of | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 |
| $\begin{aligned} & \text { Address } \\ & 0010 \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 0011 | 0 | 0 | 1 | 0 | 2 | 0 | 3 | 0 | 4 | 0 |
| 0012 | 0 | 0 | 2 | 0 | 4 | 0 | 6 | 0 | 8 | 0 |
| 0013 | 0 | 0 | 3 | 0 | 6 | 0 | 9 | 0 | 2 | 1 |
| 0014 | 0 | 0 | 4 | 0 | 8 | 0 | 2 | 1 | 6 | 1 |
| 0015 | 0 | 0 | 5 | 0 | 0 | 1 | 5 | 1 | 0 | 2 |
| 0016 | 0 | 0 | 6 | 0 | 2 | 1 | 8 | 1 | 4 | 2 |
| 0017 | 0 | 0 | 7 | 0 | 4 | 1 | 1 | 2 | 8 | 2 |
| 0018 | 0 | 0 | 8 | 0 | 6 | 1 | 4 | 2 | 2 | 3 |
| 0019 | 0 | 0 | 9 | 0 | 8 | 1 | 7 | 2 | 6 | 3 |
| 0020 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 0021 | 5 | 0 | 6 | 0 | 7 | 0 | 8 | 0 | 9 | 0 |
| 0022 | 0 | 1 | 2 | 1 | 4 | 1 | 6 | 1 | 8 | 1 |
| 0023 | 5 | 1 | 8 | 1 | 1 | 2 | 4 | 2 | 7 | 2 |
| 0024 | 0 | 2 | 4 | 2 | 8 | 2 | 2 | 3 | 6 | 3 |
| 0025 | 5 | 2 | 0 | 3 | 5 | 3 | 0 | 4 | 5 | 4 |
| 0026 | 0 | 3 | 6 | 3 | 2 | 4 | 8 | 4 | 4 | 5 |
| 0027 | 5 | 3 | 2 | 4 | 9 | 4 | 6 | 5 | 3 | 6 |
| 0028 | 0 | 4 | 8 | 4 | 6 | 5 | 4 | 6 | 2 | 7 |
| 0029 | 5 | 4 | 4 | 5 | 3 | 6 | 2 | 7 | 1 | 8 |

To the novice, this may seem like a good deal of wind and very little storm. Popular belief may lead one to the idea that the computer is intelligent enough to add 2 and 3 , or multiply 5 and 6 , without extensive coaching. Unfortunately, in the present state of computer development, the thinking machine is semifantasy, semifiction.
Some computers have accumulating units, as do hand calculators. But the methods of arithmetic are generally performed by a cleverly arranged


Fig. 4.3. Schematic Diagram of Multiply Operation.
sequence of electronic switching circuits rather than by the use of the toothed gear principle.

In general, it is not necessary for a programmer to know these arithmetic algorithms. In the 1620, however, care must be taken not to store information in the core area reserved for the addition and multiplication table sections of memory. There is no internal circuitry to prevent entry into this area or destruction thereof during program operation.

## Chapter 5

## The Arithmetic Instructions

Fundamentally, a computer is a calculator. Hence, the instructions that perform arithmetic are among the most important in the repertoire of commands. This chapter deals only with those arithmetic instructions that are common to all 1620 's. Divide commands, which are not necessary for a machine installation, are discussed in a later chapter. Special division-simulating programs perform this operation in a variety of ways: successive subtraction; approximation of a reciprocal by series, followed by a multiplication; etc. The statement that "divide commands are not necessary" does not imply that one may not divide with the 1620. Circuitry, which performs division under command, may not be present in some machines, in which case one must resort to division simulators called division subroutines. The choice to have division command circuitry is made at each machine installation, and such a choice is generally made with consideration of two factors: necessity and funds. The difference between subroutine divide and command circuitry is only one of speed, not accuracy.

Although speed of calculation is not the only factor under consideration when one undertakes a computer survey, it is an extremely critical one. The reader will notice that all timings of operations are given in microseconds. It is this remarkable speed factor that makes a computer so valuable.

## Instruction: Add

Operation Code: 21
Symbolic Name: A
Description:
The data ${ }^{1}$ that is located at the Q address ( Q field data) is added to the data that is located at the P address ( P field data). The sum
${ }^{1}$ Unless otherwise specified, the term "data" refers to a single item.
replaces the P field data. The Q field data remains unchanged. A zero sum retains the sign of the P field data. A sum other than zero retains the sign of the larger valued field. If the number of digits in the Q field data is less than the number of digits in the P field data, high-order zeros are internally generated to make the fields of equal length. The generated zeros do not alter the Q field data.

The addition process is terminated by the sensing of the flag over the high-order digit of the P field data. The algebraic sign of the result is indicated by the presence or absence of a flag in the units position of the P field data after termination of the operation.

A correct answer may not be developed if the number of digits in the Q field data exceeds the number of digits in the P field data. Only the number of digits in the $Q$ field data equal to the number of digits in the $P$ field data is used in developing the result. An invalid addition is always obtained if the addition causes a carry beyond the high-order position of the initial P field data. The carry is lost and does not affect the field contiguous to the high-order digit of the P field data.
If either of the preceding two conditions is obtained, the Overflow indicator will be turned on. Processing does not necessarily terminate.
On the console of the 1620 there are many switches that have two settings: "on" and "of". One of these, the Overflow switch, causes the 1620 to halt if the Overflow indicator is on and the switch is in the "on" position. If the Overflow indicator is on and the switch is in the "off" position, processing continues. If the Overflow indicator is off, the switch setting has no effect upon machine operations.

If the result of the addition is positive, and not zero, the High/Positive ( $\mathrm{H} / \mathrm{P}$ ) indicator will be turned on. The $\mathrm{H} / \mathrm{P}$ indicator is turned off if the result of an addition is negative or zero. The Equal/Zero (E/Z) indicator is turned on if the result is zero and off if the result is not zero, regardless of sign.

Execution time of addition varies according to the number of digits in the P field data and also according to whether recomplementation is necessary. Recomplementation is necessary if both the following conditions exist:

1. The $Q$ and $P$ fields of data are of opposite sign.
2. The absolute value of the Q field data is greater than the absolute value of the P field data.

Basic Execution Time in Microseconds: $160+80 \mathrm{D}_{p}$
Recomplementation Time in Microseconds: $80\left(\mathrm{D}_{p}+1\right)$

The following examples demonstrate (1) the proper form of the Add command, (2) the action as a result of the command, (3) which indicators are in the on status at the conclusion of the command, (4) the time of execution including, where applicable, recomplementation time, and (5) the validity of the algebraic result.

Example: 211500210003

Ī2962
Core location 15002
before addition
Ī6969
Core location 15002 after addition
Indicator Condition: $\mathrm{H} / \mathrm{P}$ on
Time of Execution: 560 microseconds
Arithmetic Result: Valid
Example: 210093217962


Core location 00932
before addition
0001516
Core location 00932 after addition
Indicator Condition: $\mathrm{H} / \mathrm{P}$ on
Time of Execution: 1360 microseconds
Arithmetic Result: Valid
Example: 210091701232


Core location 00917 before addition

0̄3
Core location 00917 after addition


Core location 10003 before and after addition


Core location 17962 before and after addition

## 0̄102

Core location 01232 before and after addition
Indicator Condition: Overflow and $\mathrm{H} / \mathrm{P}$ on
Time of Execution: 320 microsecondsArithmetic Result: Invalid

Example: 211000015000

0̄521
Core location 10000
before addition
00000
Core location 10000 after addition

Indicator Condition: E/Z on
Time of Execution: 480 microseconds
Arithmetic Result: Valid

Example: 211805319999
9 9999991
Core location 18053 before addition 000000000
Core location 18053 after addition

## $52 \overline{1}$

Core location 15000 before and after addition

## $\overline{0} 9$

Core location 19999 before and after addition

Indicator Condition: Overflow and $\mathrm{E} / \mathrm{Z}$ on
Time of Execution: 800 microseconds
Arithmetic Result: Invalid

Example: 211572118982


Core location 15721
before addition
015
Core location 15721 after addition


Core location 18982 before and after addition

Indicator Condition: Overflow and $\mathrm{H} / \mathrm{P}$ on
Time of Execution: 400 microseconds
Arithmetic Result: Valid

Example: 211899917999

00012
Core location 18999
before addition
$\overline{0} 0010 \overline{ }$
Core location 18999 after addition
Indicator Condition: Overflow on
Time of Execution: 1040 microseconds
Arithmetic Result: Valid
Example: 210089501026
$\overline{0} 015$
Core location 00895
before addition
$\overline{0} 030$
Core location 00895 after addition
Indicator Condition: All off
Time of Execution: 480 microseconds
Arithmetic Result: Valid
$\overline{0} 00000002 \overline{2} \longrightarrow$
Core location 17999 before and after addition


Core location 01026 before and after addition

Instruction: Subtract
Operation Code: 22
Symbolic Name: S

## Description:

The data that is located at the $Q$ address ( $Q$ field data) is subtracted from the data that is located at the P address ( P field data). The difference replaces the $P$ field data. The $Q$ field data remains unchanged. A zero result retains the sign of the $P$ field data. The sign of a result, other than zero, is determined by algebraic analysis of the $P$ and $Q$ fields of data.

The rules concerning validity of result in the subtract operation are identical with those of addition. Execution time is also identical with that of addition. Recomplementation is necessary if both of the following conditions exist:

1. The $Q$ and $P$ fields of data are of like sign.
2. The absolute value of the Q field data is greater than that of the $P$ field data.

Example: 220093217932
0 $000010 \overline{ }$
Core location 00932
before subtraction
$000153 \overline{6}$
Core location 00932 after subtraction

Indicator Condition: All off
Time of Execution: 720 microseconds
Arithmetic Result: Valid

Example: 221500210003
$\overline{1} 2962$
Core location 15002
before subtraction
008955
Core location 15002 after subtraction

Indicator Condition: $\mathrm{H} / \mathrm{P}$ on
Time of Execution: 560 microseconds
Arithmetic Result: Valid

Example: 220091701232


Core location 00917 before subtraction $\overline{0} \overline{1}$

Core location 00917 after subtraction

Indicator Condition: Overflow on
Time of Execution: 560 microseconds
Arithmetic Result: Invalid

## 0̄1526

Core location 17932 before and after subtraction

## $4007 \longleftarrow$

Core location 10003 before and after subtraction
$\overline{0} 102$
Core location 01232 before and after subtraction

Example: 221000015000

0̄521
Core location 10000 before subtraction

1042
Core location 10000 after subtraction

Indicator Condition: $\mathrm{H} / \mathrm{P}$ on
Time of Execution: 480 microseconds
Arithmetic Result: Valid

Example: 221805319999


Core location 18053
before subtraction
0̄0000і̄
Core location 18053 after subtraction

Indicator Condition: All off
Time of Execution: 1200 microseconds
Arithmetic Result: Valid

Example: 221789501888
1̄00
Core location 17895
before subtraction
$\overline{0} 00 \overline{0}$
Core location 17895 after subtraction

Indicator Condition: E/Z on
Time of Execution: 480 microseconds
Arithmetic Result: Valid

0̄52Ī
Core location 15000 before and after subtraction
$\overline{0} 1$
Core location 19999 before and after subtraction
$\overline{1} 00 \overline{0}$
Core location 01888 before and after subtraction

## Instruction: Multiplication

Operation Code: 23
Symbolic Name: M
Description:
The data that is located at the P address ( P field data) is multiplied by the data that is located at the Q address ( Q field data). The resultant product is placed in core storage beginning at position 00099 and extending through successively lower numbered core positions.

There are 20 locations in storage (positions 00080-00099) which, in toto, are referred to as the fixed product area. These positions are automatically cleared to zeros before formation of the product begins. The multiplication operation is terminated by the flag in the high-order position of the Q field data. A flag is placed over the high-order position of the product and the sign of the product is indicated by the presence or absence of a flag in position 00099.

A zero product may be either positive or negative depending upon the signs of the $Q$ and $P$ fields of data. The algebraic rules of sign manipulation are obeyed.

Since the fixed product area is cleared before multiplication begins, chain multiplications, without intermediate saving of results, are not possible.

The length of the product is the sum of the number of digits (highorder zeros included) in the Q and P fields of data. Although only 20 core positions are cleared to zero prior to the multiplication, a product may be formed whose length is limited only by the number of available core storage positions. Thus, the product of two 100 -digit numbers (or greater) is quite possible in a 20,000-core-position 1620.

If the product to be developed exceeds 100 digits, the highest numbered core position below 00000 will contain the digit immediately following that contained in 00000. This feature is sometimes termed "wrap-around memory." Thus, a product of two 52-digit numbers will have its high-order digit at 19996 and its low-order digit at 00099 in a 20,000 -core-position machine or $39996-00099$ in a 40,000 -core-position machine, and so forth.

It is the programmer's responsibility to clear any core locations below core position 00080 if he intends to use them in development of a product. Failure to do this may result in an invalid product.

The H/P and E/Z indicators are affected by multiplication in the same fashion as by addition and subtraction. However, it is not possible to obtain an overflow condition through multiplication.

Execution time varies according to the number of digits in the fields of data at the Q and P addresses.

Execution Time in Microseconds: $560+40 \mathrm{D}_{q}+168 \mathrm{D}_{q} \mathrm{D}_{p}$

Example: 231500016000


Core location 15000 before and after multiplication
ō0000006
Core location 00099 after multiplication
Indicator Condition: $\mathrm{H} / \mathrm{P}$ on
Execution Time: 3280 microseconds
Example: 231976500897
${ }^{0} 1 \overline{2}$
Core location 19765 before and after multiplication
$\overline{0} 013 \overline{2}$
Core location 00099
after multiplication
Indicator Condition: All off
Execution Time: 1648 microseconds
Example: 231500016000
$0 \overline{1}$
Core location 15000 before and after multiplication
0̄001
Core location 00099
after multiplication
Indicator Condition: $\mathrm{H} / \mathrm{P}$ on
Execution Time: 1312 microseconds

00002
Core location 16000 before and after multiplication

## ī1 <br> Core location 00897 before and after multiplication

## ōĪ

Core location 16000 before and after multiplication

Instruction: Compare
Operation Code: 24
Symbolic Name: C
Description:
The data that is located at the Q address ( Q field data) is compared with the data that is located at the P address ( P field data). This com-
parison is accomplished by subtracting the Q field data from the P field data and discarding the digits of the difference. However, this subtraction is performed by internal machine circuitry and does not affect the Q and P fields of data. If the number of digits in the Q field data is less than the number of digits in the P field data, high-order zeros are internally generated to make the fields of equal length. The generated zeros do not alter the Q field data.

The result of the comparison triggers indicators (H/P, E/Z, and Overflow) which may be interrogated at a later stage of the program. In no way is the sequence of the program altered by the act of comparison.

If the P field data is algebraically greater than the Q field data, the $\mathrm{H} / \mathrm{P}$ indicator is turned on and the $\mathrm{E} / \mathrm{Z}$ indicator is turned off. If the $P$ field data is equal to the Q field data, the $\mathrm{E} / \mathrm{Z}$ indicator is turned on and the $\mathrm{H} / \mathrm{P}$ indicator is turned off. If the P field data is less than the Q field data, both the $\mathrm{H} / \mathrm{P}$ and $\mathrm{E} / \mathrm{Z}$ indicators are turned off. It is a priori obvious that both the $\mathrm{H} / \mathrm{P}$ and $\mathrm{E} / \mathrm{Z}$ indicators cannot be on simultaneously.

Comparison proceeds serially from low- to high-order positions of data (high- to low-core addresses) until terminated by the flag in the highorder digit of the P field data. If the number of digits (high-order zeros included) in the P field data is less than the number of digits (highorder zeros included) in the Q field data, the Overflow indicator is turned on and the comparison terminates with the high-order (flagged) digit of the P field data. The comparison up to that point will have been correct and the $\mathrm{H} / \mathrm{P}$ and/or $\mathrm{E} / \mathrm{Z}$ indicators affected accordingly.

If the signs of the two fields differ initially, comparison terminates when a digit other than zero is detected in either the P or Q fields of data. When two fields contain all zeros, the comparison disregards the sign and the $\mathrm{E} / \mathrm{Z}$ indicator is turned on. In the comparison of two fields of unlike sign, the positive field is, of course, the greater.

The numerical sequence of comparison is, as would be expected, ascending from 0 through 9 . In alphameric representation, the following is the sequential order from lowest to highest:
b [blank character with representation of 00].) $+\$ \star-/$, ( = @ A BCDEFGHI0JKLMNOPQRSTUVW X Y Z 0123456789

The record mark and numerical blank (see Chapter 2) are not usable in the compare instructions as they were also not usable as data in arithmetic instructions. Attempts to use them in such commands will
result in memory address register check stop conditions (see Appendix VI). The computer halts with a MAR check indication at the console.

Execution time varies according to the number of digits (high-order zeros included) in the $P$ field data if and only if the data fields are of like sign. The execution time for fields of unlike sign depends upon the number of digits compared before a nonzero digit is detected in either data field.

Basic Execution Time in Microseconds: $160+80 \mathrm{D}_{p}$
Execution Time in Microseconds for Fields of Unlike Sign: $200+80 \mathrm{D}_{z}$
Example: 241000015000
$\overline{8} 57$
Core location 10000 before and after comparison
Indicator Condition: $\mathrm{H} / \mathrm{P}$ on
Time of Execution: 400 microseconds
Example: 241786200953


Core location 17862 before and after comparison

## 49

Core location 15000 before and after comparison
$\overline{0} 0001 \longleftarrow$
Core location 00953 before and after comparison

Indicator Condition: Overflow and $\mathrm{H} / \mathrm{P}$ on
Time of Execution: 320 microseconds
Example: 241982319999

Ī52
Core location 19823 before and after comparison


Core location 19999 before and after comparison

Indicator Condition: Overflow and $\mathrm{H} / \mathrm{P}$ on
Time of Execution: 400 microseconds

Example: 241234501976
0 1000
Core location 12345 before and after comparison

Ī000
Core location 01976 before and after comparison

Indicator Condition: $\mathrm{E} / \mathrm{Z}$ on
Time of Execution: 560 microseconds

Example: 241899918001
$\overline{1} 9 \overline{2}$
Core location 18999 before and after comparison

97876
Core location 18001 before and after comparison

Indicator Condition: All off
Time of Execution: 280 microseconds

Example: 241500016000


Core location 15000 before and after comparison

1̄ $3 \overline{8}$
Core location 16000 before and after comparison

Indicator Condition: All off
Time of Execution: 400 microseconds

Instruction: Add Immediate
Operation Code: 11
Symbolic Name: AM
Description:

In the Add instruction, both the P and Q portions of the instruction reference core locations where the two data fields are to be found. In the Add Immediate instruction, only the $P$ portion of the instruction references a data field. The instruction itself, beginning with the digit in position $\mathrm{Q}_{11}$, is chosen as the field of data. Addition then proceeds in a fashion identical with that of the standard Add command: digit by digit serial addition extending through lower and lower core positions.

As will be remembered in the case of the Add command, both fields require flags to designate their high-order positions, and the high-order $P$ field data digit terminates the operation. The rule is identical here, but since the $\mathrm{Q}_{11}$ digit defines the low-order position of the second data field, a flag should be present somewhere within the Add Immediate instruction to indicate the high-order position of the field. Without this flag, addition may proceed through the $\mathrm{Q}, \mathrm{P}$, and Operation portions of the instruction and into the contiguous instruction, not necessarily halting even there.

All other information pertaining to the Add Immediate command, including execution time, is identical with that of Add.

Example: $1112345000 \overline{1} 0$


Core location 12345 before Add Immediate
$\overline{3} 60$
Core location 12345 after Add Immediate

Indicator Condition: $\mathrm{H} / \mathrm{P}$ on
Time of Execution: 400 microseconds
Arithmetic Result: Valid

Example: $1119854 \overline{0} 8000$
ī78569
Core location 19854 before
Add Immediate
Ī86569
Core location 19854 after
Add Immediate
Indicator Condition: $\mathrm{H} / \mathrm{P}$ on
Time of Execution: 640 microseconds
Arithmetic Result: Valid

Example: $11 \overline{0} 050000000$
$\overline{5} 000000000 \longleftarrow$
Core location 00500 before
Add Immediate
$5050000000 \longleftarrow$
Core location 00500 after
Add Immediate
Indicator Condition: $\mathrm{H} / \mathrm{P}$ on
Time of Execution: 960 microseconds
Arithmetic Result: Valid
Example: $1118888000 \overline{0} \overline{1}$ 0500
Core location 18888 before
Add Immediate
0499
Core location 18888 after
Add Immediate
Indicator Condition: $\mathrm{H} / \mathrm{P}$ on
Time of Execution: 480 microseconds
Arithmetic Result: Valid
Example: $1114567 \overline{0} 1500$
01326
Core location 14567 before Add Immediate
$\overline{0} 017 \overline{4}$
Core location 14567 after
Add Immediate
Indicator Condition: All off
Time of Execution: 1040 microseconds
Arithmetic Result: Valid
Example: 111500000100
$\overline{0} 00100 \longleftarrow$
Core location 15000 before
Add Immediate
0 00200
Core location 15000 after
Add Immediate
Indicator Condition: Overflow and $\mathrm{H} / \mathrm{P}$ on
Time of Execution: 640 microseconds
Arithmetic Result: Valid
Instruction: Subtract Immediate
Operation Code: 12
Symbolic Name: SM
Description:

The field beginning with the $\mathrm{Q}_{11}$ digit of the Subtract Immediate
instruction is subtracted from the field referenced by the P address. The requirements pertaining to the use of the flag in Add Immediate are identical here. All other information, including execution time, is identical with that of Subtract.

Example: $1212345000 \overline{1} 0$
$\overline{6} 10$
Core location 12345 before
Subtract Immediate
$\overline{6} 00$
Core location 12345 after Subtract Immediate

Indicator Condition: $\mathrm{H} / \mathrm{P}$ on
Time of Execution: 400 microseconds
Arithmetic Result: Valid

Example: $12165430 \overline{0} 10 \overline{1}$
1001
Core location 16543 before
Subtract Immediate
Ī102
Core location 16543 after
Subtract Immediate
Indicator Condition: $\mathrm{H} / \mathrm{P}$ on
Time of Execution: 480 microseconds
Arithmetic Result: Valid
Example: $1209527 \overline{0} 1000$
0 0572
Core location 09527 before
Subtract Immediate
$\overline{0} 042 \overline{8}$
Core location 09527 after
Subtract Immediate
Indicator Condition: All off
Time of Execution: 1040 microseconds
Arithmetic Result: Valid

## Example: 121522212345

İ25 $\qquad$
Core location 15222 before
Subtract Immediate
$\overline{2} 2 \overline{0}$
Core location 15222 after
Subtract Immediate
Indicator Condition: Overflow on
Time of Execution: 720 microseconds
Arithmetic Result: Invalid

Example: $\overline{1} 21000000000$
$\overline{0} 00000000000 \longleftarrow$
Core Location 10000 before
Subtract Immediate
$\overline{1} 2100000000 \overline{0} \longrightarrow$
Core location 10000 after
Subtract Immediate
Indicator Condition: All off
Time of Execution: 2160 microseconds
Arithmetic Result: Valid

Instruction: Multiply Immediate
Operation Code: 13
Symbolic Name: MM
Description:

The $P$ field data is multiplied by the field beginning with the $Q_{11}$ digit of the Multiply Immediate instruction. Multiplication is terminated by a flag in the high-order position of the multiplier. Since the low-order multiplier digit is $\mathrm{Q}_{11}$ of the Multiply Immediate instruction, the requirements concerning the use of the flag in previous Immediate-type instructions are also applicable here. All other information, including execution time, is identical with that of Multiply.

Example: $131324300 \overline{0} 100$
25
Core location 13243 before and after Multiply Immediate
$\overline{0} 02500$


Core location 00099 after
Multiply Immediate
Indicator Condition: $\mathrm{H} / \mathrm{P}$ on
Time of Execution: 2064 microseconds
Example: $1300800000 \overline{0} \overline{2}$
$\overline{0} 2 \longrightarrow$
Core location 00800 before and after Multiply Immediate
$\overline{0} 000 \overline{4}$
Core location 00099 after
Multiply Immediate
Indicator Condition: All off
Time of Execution: 1688 microseconds
Example: $131000000 \overline{0} 0 \overline{1}$
$\overline{0} \overline{1}$
Core location 10000 before and after Multiply Immediate
0 0001
Core location 00099 after
Multiply Immediate
Indicator Condition: $\mathrm{H} / \mathrm{P}$ on
Time of Execution: 1688 microseconds
Instruction: Compare Immediate
Operation Code: 14
Symbolic Name: CM
Description:
The $P$ field data is compared with the field whose units position is at the $Q_{11}$ digit of the Compare Immediate instruction. The requirements
concerning the use of a flag in the previous Immediate instructions are also applicable here. All other information, including execution time, is identical with that of Compare.

Example: 141500000123
Ī35
Core location 15000 before and after Compare Immediate
Indicator Condition: $\mathrm{H} / \mathrm{P}$ on
Time of Execution: 400 microseconds
Example: 1417869 0̄0011̄
$\overline{0} 000001 \overline{1} \longleftarrow$
Core location 17869 before and after Compare Immediate
Indicator Condition: $\mathrm{E} / \mathrm{Z}$ on
Time of Execution: 800 microseconds
Example: $1415 \overline{0} 0312354$
0̄0021789
Core location 15003 before and after Compare Immediate
Indicator Condition: All off
Time of Execution: 800 microseconds
Example: $1412345 \overline{1} 0000$
$\overline{0} 500 \longleftarrow$
Core location 12345 before and after Compare Immediate
Indicator Condition: Overflow and $\mathrm{H} / \mathrm{P}$ on
Time of Execution: 480 microseconds
Example: 141300000000
$141300000000 \longrightarrow$
Core location 13000 before and after Compare Immediate
Indicator Condition: Overflow and $\mathrm{E} / \mathrm{Z}$ on
Time of Execution: 1120 microseconds

## Problems

For all Problems, the following core content is assumed:

| Core Location <br> (Low-Order Digit) | Contents |
| :---: | :--- |
| 00857 | $\overline{3} 2 \overline{0}$ |
| 10000 | $\overline{9} 5$ |
| 12027 | $\overline{1} 562 \overline{1}$ |
| 13056 | $\overline{0} 09102$ |
| 15007 | $\overline{0} \overline{1}$ |
| 16029 | $\overline{0} 0 \overline{1}$ |
| 17926 | $\overline{1} 0$ |
| 18522 | $\overline{9} 87651$ |
| 19027 | $\overline{9} 812971$ |
| 19558 | $\overline{2} 87028$ |

State the following for all problems:

1. Result (Value and location).
2. Indicator conditions (In the case of multistep programs, state final indicator conditions).
3. Timings in microseconds.
4. Validity (In the case of multistep programs, state validity of final result).

The core content listed above is to be assumed for every problem and the results of any one problem are independent of all others.

1. 211852215007
2. 211000012027
3. 211202710000
4. 211602916029
5. $21 \quad 1902719558$
6. 211792616029
7. 211305615007
8. 221852215007
9. 221000012027
10. 221202710000
11. 221602916029
12. 221902719558
13. 221792616029
14. 221305615007
15. 211202710000

221202717926
16. $21 \quad 1202717926$

221202710000
17. 211305612027

221305619027
18. 211902719558

211602910000
221902716029
19. 231000015007
20. 231792618522
21. 231852217926
22. 231305616029
23. 231602913056
24. 221000015007

211602910000
231602917926
25. 221902719558

|  | 22 | 19027 | 15007 |
| :--- | :--- | :--- | :--- |
| 23 | 16029 | 19027 |  |
| 26. | 21 | 16029 | 15007 |
| 21 | 10000 | 17926 |  |
|  | 23 | 16029 | 10000 |
| 27. | 24 | 16029 | 17926 |
| 28. | 24 | 18522 | 19558 |
| 29. | 24 | 15007 | 16029 |
| 30. | 24 | 00857 | 17926 |
| 31. | 21 | 10000 | 15007 |
|  | 22 | 10000 | 17926 |
|  | 23 | 17926 | 17926 |
|  | 24 | 00099 | 10000 |
| 32. | 23 | 00857 | 17926 |
| 24 | 12027 | 00099 |  |
| 33. | 11 | 15007 | 00001 |

221902715007
231602919027
26. 211602915007

211000017926
231602910000
27. 241602917926
28. 241852219558
29. 241500716029
30. 240085717926
31. 211000015007

221000017926
231792617926
240009910000
32. 230085717926
33. $1115007000 \overline{0} 1$
34. $11 \quad 1792600003$
35. 1112027 I 0000
36. $111305 \overline{6} 10000$
37. 220085710000
$11100000001 \overline{0} 0$
220085710000
38. $1210000000 \overline{1} 0$
$1110000000 \overline{0} 1$
$131000000 \overline{1} 00$
$1400099 \overline{8} 6000$
39. 211305612027

221305610000
$1313056 \overline{0} 1000$
240009919027
40. 231602916029

240009915007

## Chapter 6

## Internal Data Transmission

The ability to move data from one internal location to another is fundamental to computer operations. For instance, it may be necessary to obtain the sum of two fields and retain both fields unaltered. Thus, one field must be moved to an alternate location and the addition process then accomplished.

The variety of ways that data may be internally transmitted distinguishes today's computers from those of five years ago. Computers of the future will undoubtedly have an even greater repertoire of data transmission instructions. The 1620 has five such commands in its basic repertoire.

## Instruction: Transmit Digit

Operation Code: 25
Symbolic Name: TD

## Description:

The content of the single core position referenced by $Q_{7}$ through $Q_{11}$ is transmitted to the single core position referenced by $\mathrm{P}_{2}$ through $\mathrm{P}_{6}$. The digit at the Q address is not altered. If it contains a flag, the flag is transmitted also.

Execution Time in Microseconds: 200 (constant)

Example: 251500010000

Core location 15000 before
Transmit Digit
3
Core location 15000 after
Transmit Digit
Example: 251200011000
$\overline{2}$
Core location 12000 before
Transmit Digit
9
Core location 12000 after
Transmit Digit
Example: 251700018000
Core location 17000 before
Transmit Digit
$\overline{5}$
Core location 17000 after
Transmit Digit
Example: 251111112222
Core location 11111 before
Transmit Digit
$\ddagger \longleftarrow$
Core location 11111 after
Transmit Digit

Core location 10000 before
and after Transmit Digit

## 9

Core location 11000 before and after Transmit Digit

## 5

Core location 18000 before and after Transmit Digit


Core location 12222 before and after Transmit Digit

## Instruction: Transmit Field

Operation Code: 26
Symbolic Name: TF
Description:
The Q field data is transmitted serially to contiguous core locations
beginning at the core position referenced by the P address of the Transmit Field instruction. Transmission proceeds from low- to high-order digits of the Q field data (high- to low-core addresses) and is terminated by the sensing of the flag in the high-order position of the $Q$ field data.

The transmission of data is destructive in nature. That is, the data in locations P through $\mathrm{P}-\mathrm{D}_{q}+1$ is destroyed by the transmission of the $Q$ field data digits. The $Q$ field data remains unchanged.

Execution Time in Microseconds: $160+40 \mathrm{D}_{q}$

Example: 261500016000

## $\overline{2} 3 \overline{4} 5 \overline{7}$ <br> Core location 15000 before <br> Transmit Field

000000
Core location 15000 after
Transmit Field
Time of Execution: 360 microseconds

Example: 261000011000
1213\#4
Core location 10000 before
Transmit Field
$\overline{1} 213 \overline{1} 0$
Core location 10000 after
Transmit Field
Time of Execution: 240 microseconds

Example: 260095212621
00120
Core location 00952 before
Transmit Field
5 $\ddagger \ddagger \ddagger$
Core location 00952 after Transmit Field

Time of Execution: 360 microseconds
$\overline{0} 0000$
Core location 16000 before and after Transmit Field

Core location 11000 before and after Transmit Field

5 搠 $\longrightarrow$
Core location 12621 before and after Transmit Field

Instruction: Transmit Record
Operation Code: 31
Symbolic Name: TR

## Description:

The Q record data is transmitted serially to contiguous core locations beginning at the core position specified by the P address. Transmission proceeds from high- to low-order digits of the $Q$ record data (low- to high-core addresses ) and is terminated by the presence of a record mark in the $Q$ record data. The record mark is transmitted as part of the record and the $Q$ record data remains unchanged. Record transmission, like field transmission, is destructive in nature.

Execution Time in Microseconds: $160+40 \mathrm{R}_{q}$

Example: 311500016000
$[\overline{1} 2 \overline{1} 3 \overline{4} 5 \ldots$
Core location 15000

Transmit Record $\quad$| $\overline{4} 1 \overline{4} 2 \overline{4} 33 \overline{4} 4 \overline{0} 0 \overline{0} \ddagger$ |
| :--- |
| Core location 16000 before |
| and after Transmit Record |

$\longrightarrow \overline{4} 1 \overline{4} 2 \overline{4} 3 \overline{4} 4 \overline{0} 0 \overline{0} \ddagger$
Core Location 15000 after Transmit Record

Time of Execution: 640 microseconds
Example: 311000015500

| $\longrightarrow 1 \ddagger 3 \ddagger 5 \ddagger 217 \ddagger 02$. | $\longrightarrow \overline{2} \overline{1} \overline{6} 5 \overline{3} \ddagger$ |
| :---: | :---: |
| —Core location 10000 before Transmit Record | - <br> Core location 15500 before and after Transmit Record |
| $\longrightarrow \overline{2} \overline{1} \overline{6} 5 \overline{3} \ddagger 217 \ddagger 02 \ldots$ |  |
| Core location 10000 after Transmit Record |  |

Time of Execution: 400 microseconds

Instruction: Transmit Digit Immediate
Operation Code: 15
Symbolic Name: TDM

## Description:

The digit located at $Q_{11}$ of the Transmit Digit Immediate instruction is transmitted to the single core position referenced by $\mathrm{P}_{2}$ through $\mathrm{P}_{6}$.

The original $\mathrm{Q}_{11}$ digit is not altered. If the $\mathrm{Q}_{11}$ digit is flagged, the flag is also transmitted. Positions $\mathrm{Q}_{7}$ through $\mathrm{Q}_{10}$ are not utilized.

Execution Time in Microseconds: 200 (constant)
Example: 151000012345
$6 \longrightarrow$
Core location 10000 before
Transmit Digit Immediate
5
Core location 10000 after
Transmit Digit Immediate
Example: $151112500 \overline{1} 2 \overline{3}$


Core location 11125 before
Transmit Digit Immediate
$\overline{3}$
Core location 11125 after
Transmit Digit Immediate
Example: 1500928 8888 $\ddagger$


Core location 00928 before
Transmit Digit Immediate
$\ddagger$
Core location 00928 after
Transmit Digit Immediate

Instruction: Transmit Field Immediate
Operation Code: 16
Symbolic Name: TFM

## Description:

The field whose units position is the $\mathrm{Q}_{11}$ digit of the Transmit Field Immediate instruction is chosen as the data field and is serially transmitted to contiguous core locations beginning at the core position referenced by the P address. Transmission proceeds from low- to high-order digits of the data field (high- to low-core addresses) until terminated by
the presence of a flag in the high-order position of the field. The requirements imposed by the necessity for a flag in the arithmetic Immediate instructions are identical here.

Execution Time in Microseconds: $160+40 \mathrm{D}_{q}$
Example: $1619999 \overline{1} 2345$
$019 \overline{9} 8$
Core location 19999 before
Transmit Field Immediate
$\overline{1} 2345$
Core location 19999 after
Transmit Field Immediate
Time of Execution: 360 microseconds
Example: $16090 \overline{0} 000000$
ī11̄1ī1111
Core location 09000 before
Transmit Field Immediate
ō0000000
Core location 09000 after
Transmit Field Immediate
Time of Execution: 480 microseconds
Example: 1610000 0$\ddagger \ddagger \ddagger \ddagger$
$9 \overline{8} 7 \overline{6} \overline{5}$
Core location 10000 before
Transmit Field Immediate
0 $\ddagger$
Core location 10000 after
Transmit Field Immediate
Time of Execution: 360 microseconds

## Problems

For all problems the following core location and content is assumed:

| Core Location <br> (Low-Order Digit) | Contents |
| :---: | :--- |
| 10000 | $\overline{1} 23 \ddagger 42$ |
| 11000 | $\overline{6} 00000$ |
| 12255 | $\overline{2} 7$ |
| 17956 | $\overline{1} \overline{0}$ |

The core content listed above is to be assumed for every problem and the results of any one problem are independent of all others.

What and where will be the final arithmetic results for the following problems?

1. 251100109998

311699510995
21 170Q0 17956
$1217000 \overline{0} 001 \overline{0}$
2. 151225600000

151225700000
151225800000
151225900000
261700012259
221700017956
3. $16122590 \overline{0} 000$

251225611000
$2617000 \quad 12259$
221700017956
4. 261225910998

151225600000
261700017956
221700017956
5. 311099809995

151099800001
$111100000 \overline{1} 2 \overline{3}$
211100012255
$12110000002 \overline{2} 7$
6. 211100009997

251999911000
251100010999
251099919999
261999911000
$111999900 \overline{1} 3 \overline{2}$
241100019999

## Chapter <br> 7

## Branch Instructions

The great power of a digital computer is derived not only from its microsecond speed, but also from its ability to make logical decisions and choose alternative paths. In fact, the ability to choose one of several alternate paths is what differentiates the computer from a high-speed calculator.
As previously stated, the 1620 executes the stored program instructions sequentially. Obviously, it is often desirable to deviate from sequential execution of instructions and to "branch" (go to) to some other part of the program for the next instruction. The question of whether to continue instruction execution sequentially or to branch to some other portion of the program requires the computer to make a decision that might be based on the result of a test. For example, if we were writing a program to calculate the real roots of a quadratic equation by the formula

$$
X=\frac{-B \pm \sqrt{B^{2}-4 A C}}{2 A}
$$

we would first find the value of $B^{2}-4 A C$. If this value were positive we would want to continue and solve for $X$. However, if the result were negative we would not want to continue, but would want to go to another part of the program and perhaps type out an indication that no real roots existed. The 1620 can be programmed to make certain tests and to branch to a particular part of the stored program as determined by the results of the tests. Several tests may be made to effect more complex decisions.
This chapter is devoted to that class of instructions which enable the computer to deviate from a sequential instruction execution and to go to some other portion of the program for the next instruction. The 1620 has in its instruction repertoire 9 Branch instructions, 2 of which give the programmer the ability to test for any one of 28 conditions.

Branch instructions are of two types, unconditional branches and conditional branches. As the name implies, an unconditional branch
will branch to a specified address for the next instruction no matter what conditions exist at the time. In contrast, a conditional branch will branch to another part of the program for the next instruction if and only if some specific condition exists.

## UNCONDITIONAL BRANCH INSTRUCTIONS

Instruction: Branch
Operation Code: 49
Symbolic Name: B

## Description:

The program branches unconditionally to the instruction specified by the P address. The P address must reference an even-numbered core location since it is the address of an instruction. The Q portion of the instruction is not utilized.

The Branch instruction may be used to return to the first of a series of instructions which are repeatedly executed, with variations in data each time, until certain conditions are satisfied. This is an iterative process known in data processing as looping. One execution of a loop is called a pass. As an example of looping, consider the flow chart of a program to sum the numbers from 1 to 100 .


The Branch instruction may also be used to return to the main program after an exception routine is completed or to start a program at any instruction in core storage.

Execution Time in Microseconds: 200 (constant)
Example: 490700000000
Branch to the instruction
whose address is 07000
Example: $490 \overline{0} 40289 \overline{9} 617$
Branch to location 00402 for the next instruction

Example: 490801300000
This instruction is incorrect because the address of the instruction to be branched to is odd.

## UNCONDITIONAL BRANCH INSTRUCTIONS WITH VARIATIONS

## CLOSED SUBROUTINE

A closed subroutine may be defined as a subprogram that can be entered from any instruction in a main program and that will provide for automatic re-entry to the instruction following the exit point in the main program.

Closed subroutines are frequently desired in stored programs. As an example, it may be necessary to take the square root of different numbers at different points in the program. Whenever it is desired to take the square root of a number, the instructions to do so could be included in the program sequentially. However, this would mean that the same series of instructions would reappear whenever we wanted to calculate a square root. It is more desirable to include the series of instructions to calculate the square root once in the program, and to make use of this subroutine whenever required. To do this, three considerations must be met:

1. The address of the return point in the main program must be made available to the subroutine for re-entry to the main program.
2. The subroutine must know where the argument(s) is/are located and the main program must know where the result is stored.
3. Provisions must be made for transfer out of the sequence of the main program to the subroutine.

The following three Branch instructions are specifically designed for programming the closed subroutine.
Instruction: Branch and Transmit
Operation Code: 27
Symbolic Name: BT
Description:
This instruction always performs three functions: (1) the address of the next instruction in sequence is automatically saved by being stored in a special register, (2) the $Q$ field data is serially transmitted to the core storage position whose address is 1 less than the P address. Transmission of data continues to successively lower numbered core positions until terminated by the flag in the high-order position of the $Q$ field data, and (3) the program branches to the instruction at the $P$ address (the $P$ address must be even).

The field data at the Q address remains unchanged.
As previously discussed, the primary use of the Branch and Transmit instruction is to facilitate the programming of a closed subroutine. This one instruction saves the return address, locates the argument, and branches to the subroutine.

A Branch Back instruction, to be discussed shortly, is used as the last instruction in the subroutine and provides a branch to the instruction address that was saved in a special register by the action of the Branch and Transmit instruction.

Execution Time in Microseconds: $200+40 \mathrm{D}_{q}$
Example: 271500012035
$\longrightarrow$ XX XXXXX XXXXX

Next instruction in sequence

1. Save the address of next instruction in sequence
2. Transmit $Q$ field data to 14999
3. Branch to 15000 for the next instruction
$2 \overline{4} 6 \overline{8} 9 \overline{9} 261700114999$
Core location 15000 before Branch and Transmit
$2 \overline{1} 3466261700114999$
Core location 15000 after Branch and Transmit

13466
Core location 12035
before and after Branch and Transmit

Execution Time: 400 microseconds

Instruction: Branch and Transmit Immediate
Operation Code: 17
Symbolic Name: BTM

## Description:

The Branch and Transmit Immediate instruction performs three functions (1) the address of the next instruction in sequence is automatically saved by being stored in a special register, (2) the field whose low-order position is the $Q_{11}$ digit of the instruction is serially transmitted to the core storage location whose address is 1 less than the P address. Transmission of data continues to successively lower numbered core positions until terminated by the flag in the high-order position of the field being transmitted. Thus, part or all (depending on where the highorder flag is located) of the instruction itself is transmitted to the P address -1 , and (3) the program branches to the instruction at the P address (the P address must be even).

The primary use of the Branch and Transmit Immediate instruction is to facilitate programming a closed subroutine. The field whose loworder position is the $\mathrm{Q}_{11}$ digit of the instruction may be the address of the argument, in which case it is this address that is transmitted to the $P$ address -1 . The $Q_{11}$ position of the instruction may be the units position of the argument, in which case the argument is transmitted to the P address -1 . In either case the requirement that the argument be in a location known to the subroutine is satisfied.

Execution Time in Microseconds: $200+40 D_{q}$
Example: $1710000 \quad \underbrace{1} 2035$

| $\longrightarrow \mathrm{XX} \mathrm{XXXXX} \mathrm{XXXXX}$ | $2 \overline{4} \overline{6} 8 \overline{9} 9 \overline{9} 261700114999$ |
| :---: | :---: |
|  |  |
| Next instruction in | Core location 10000 |
| sequence | before Branch and |
|  | Transmit |
| 1. Save the address of | 2112035261700114999 |
| next instruction in | Core location 10000 |
| sequence | after Branch and |
|  | Transmit |

2. Transmit $Q$ Data to 09999
3. Branch to 10000 for the next instruction

Execution Time: 400 microseconds

Instruction: Branch Back
Operation Code: 42
Symbolic Name: BB
Description:
Branch unconditionally to the instruction at the address saved by (1) the execution of the last Branch and Transmit, or Branch and Transmit Immediate, instruction, or (2) a previous depression of the Save key on the console (the Save key function is described in Appendix VI). The Save key function has priority over the Branch and Transmit and Branch and Transmit Immediate instructions. The P and Q portions of the instruction are not utilized.

If the main program exits to a closed subroutine with a Branch and Transmit or Branch and Transmit Immediate instruction, the Branch Back instruction can be used as the last instruction in the subroutine to return to the main program.

Execution Time in Microseconds: 200 (constant)

## CONDITIONAL BRANCH INSTRUCTIONS

Instruction: Branch on Digit
Operation Code: 43
Symbolic Name: BD
Description:
The program will branch to the instruction at the P address if the core storage location specified by the Q address does not contain a zero. If the core position contains a zero, the next instruction in sequence is executed. The 1, 2, 4, and 8 core planes of the core storage position specified by the Q address are tested. If any one of these bits is present, the program will branch. Thus a $\ddagger(\mathrm{C}-2-8)$ will also cause the program to branch. Since the P operand of the Branch on Digit instruction is the address of an instruction, it must reference an even-numbered core position.

Example: 431500010312

The program will not branch but will execute the next instruction in sequence

Execution Time: 200 microseconds

Example: 431201219013


Core location 19013
The program will branch to the instruction at core position 12012

Execution Time: 240 microseconds

Example: 431206004000

The program will not branch but will execute the next instruction in sequence

Execution Time: 200 microseconds

Example: 430600013068

The program will branch to core location 06000

Execution Time: 240 microseconds

Example: The following program will branch to location 16488 if any nonzero digit is discovered between positions 19000-19003 inclusive

0
Core location 10312

Instruction: Branch no Flag
Operation Code: 44
Symbolic Name: BNF

## Description:

The program will branch to the instruction at the P address if the core storage location specified by the Q address does not contain a flag. If a flag is present, the next instruction in sequence is executed. Since the P address of the Branch no Flag instruction is the address of an instruction, it must reference an even-numbered core position.

This instruction may be used to test the sign of a data field or to find the length of a data field by testing for the field-defining flag.

Execution Time in Microseconds: 240 if a branch occurs 200 if the branch does not occur

Example: 441500012013

The program will branch to the instruction at core position 15000 .

Execution Time: 240 microseconds

Example: 441206819012

The program will not branch but will execute the next instruction in sequence.

Execution Time: 200 microseconds

Example: 441500000612

The program will branch to the instruction at core position 15000.

Execution Time: 240 microseconds

## Instruction: Branch no Record Mark <br> Operation Code: 45

Symbolic Name: BNR

## Description:

The program will branch to the instruction at the P address if the core storage location specified by the Q address does not contain a record mark. If a record mark is present, the next instruction in sequence is executed. Since the P address of the Branch no Record Mark instruction is the address of an instruction, it must reference an even-numbered core position.

Execution Time in Microseconds: 240 if a branch occurs 200 if the branch does not occur

Example: 450700013268
The program will branch to the instruction at location 07000.

Execution Time: 240 microseconds
Example: 450902415012
The program will not branch but will execute the next instruction in sequence.


Core location 15012

Execution Time: 200 microseconds
Instruction: Branch on Indicator
Operation Code: 46
Symbolic Name: BI
Description:
The program will branch to the instruction at the P address if the indicator or program switch specified by the $\mathrm{Q}_{8}$ and $\mathrm{Q}_{9}$ positions of the instruction is on. The $Q_{7}, Q_{10}$, and $Q_{11}$ positions of the instruction are not utilized. The 2-digit indicator codes used in the $\mathrm{Q}_{8}$ and $\mathrm{Q}_{9}$ positions of the instruction are as follows:

01—Program switch 1
02-Program switch 2
03-Program switch 3
04-Program switch 4
06-Read Check indicator
07-Write Check indicator
09-Last Card indicator
11-High/Positive indicator
12-Equal/Zero indicator
13-High/Positive or Equal/Zero indicator
14-Overflow indicator
15-Exponent Overflow indicator
16-Memory Buffer Register (MBR) Even Check indicator
17-Memory Buffer Register (MBR) Odd Check indicator
19—Any Data Check indicator

Indicator codes 01 through 04 refer to the four program switches located on the console. These switches are manually set to either an on or an off position.

The Read Check (06), Write Check (07), MBR-Even Check (16), and MBR-Odd Check (17) indicators reflect the results of parity checking during input-output operations and memory read-in and read-out cycles. If a parity error is discovered, the appropriate indicator is turned on.

The Any Data Check (19) indicator is turned on if any one, or more, of the Read Check, Write Check, MBR-Even Check, or MBR-Odd Check indicators is on.

The High/Positive (11), Equal/Zero (12), and Overflow (14) indicators are turned on or off during arithmetic operations (see Chapter 5). The Exponent Overflow indicator (15) is discussed in the appendix on floating point hardware. The High/Positive or Equal/Zero indicator (13) is turned on if either the High/Positive or the Equal/Zero indicator is turned on.

Except for the Any Data Check indicator, the High/Positive indicator, the Equal/Zero indicator, and the High/Positive-Equal/Zero indicator, all indicators are turned off if they are interrogated by their respective Branch Indicator instruction. The status of the console switches remain unchanged since they are manually controlled.

Execution Time in Microseconds: 200 if the branch occurs
160 if the branch does not occur

## Example: Branch to the address specified by the configuration of the program switches as follows:

| Program | Switches | Branch to |
| :---: | :---: | :---: |
| 1 off | 4 off | 14000 |
| 1 off | 4 on | 15000 |
| 1 on | 4 off | 16000 |
| 1 on | 4 on | 17000 |

Location Instruction

| 00500 | 46 | 00536 | 00100 |  | Branch if 1 on |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 00512 | 46 | 15000 | 00400 |  | 1 off and 4 on |
| 00524 | 49 | 14000 | 00000 | 1 off and 4 off |  |
| 00536 | 46 | 17000 | 00400 | 1 on and 4 on |  |
| 00548 | 49 | 16000 | 00000 | 1 on and 4 off |  |

Instruction: Branch no Indicator
Operation Code: 47
Symbolic Name: BNI

## Description:

The Branch no Indicator instruction is the same as the Branch Indicator instruction except that the branch to the $P$ address occurs if the indicator specified by the $\mathrm{Q}_{8}$ and $\mathrm{Q}_{9}$ positions of the instruction is off.

At first glance it may seem a duplication of effort to have two Branch instructions which test the same indicators for opposite conditions. However, with a little thought it becomes evident that being able to test directly for either condition will both simplify programming and save program steps.

Execution Time in Microseconds: 200 if the branch occurs 160 if the branch does not occur

> Example: If program switch 1 is off, branch to location 04688 for the next instruction. If it is on, continue sequential instruction execution.
> Solution using Branch Indicator instruction:

00500460052400100
00512490468800000
00524
Solution using Branch no Indicator instruction:

00500470468800100
00512

> One program step is saved using the Branch no Indicator instruction.

Example: If the data fields at locations 17156 and 12123 are not equal, branch to location 00500 for the next instruction.

```
2417156 12123
4700500 01200
```


## Problems

Give the results to the following problems as actual numbers or in an algebraic symbolic notation. For example, if the first problem summed the numbers from one to 1000 , the answer could be expressed as $\sum_{i=1}^{1000}$

1. When the following program halts, what will the field whose units position is core location 13000 contain?

| 00500 | 16 | 13000 | $\overline{0} 0000$ |
| :--- | :--- | :--- | :--- |
| 00512 | 11 | 13000 | $0000 \overline{1}$ |
| 00524 | 47 | 00512 | 01400 |
| 00536 | 48 | 00000 | 00000 |

2. When the following program halts, what will the field whose units position is core location 13966 contain?

| 14168 | 16 | 13966 | $\overline{0} 0000$ |
| :--- | :--- | :--- | :--- |
| 14180 | 16 | 06745 | $00 \overline{0} 00$ |
| 14192 | 11 | 13966 | $0000 \overline{2}$ |
| 14204 | 11 | 06745 | $000 \overline{0} 1$ |
| 14216 | 14 | 06745 | $00 \overline{1} 00$ |
| 14228 | 47 | 14192 | 01200 |
| 14240 | 48 | 00000 | 00000 |

3. When the following program halts, what will the field whose units position is core location 07000 contain?

| 00700 | 16 | 07000 | $\overline{0} 0000$ |
| :--- | :--- | :--- | :--- |
| 00712 | 16 | 07081 | $00 \overline{0} 00$ |
| 00724 | 11 | 07081 | $000 \overline{0} 1$ |
| 00736 | 14 | 07081 | $00 \overline{1} 00$ |
| 00748 | 46 | 00784 | 01200 |
| 00760 | 11 | 07000 | $000 \overline{0} 2$ |
| 00772 | 49 | 00724 | 00000 |
| 00784 | 48 | 00000 | 00000 |

4. When the following program halts, what will the field whose units position is core location 17800 contain?

| 00800 | 16 | 00835 | $\overline{0} 0001$ |
| :--- | :--- | :--- | :--- |
| 00812 | 16 | 17800 | $\overline{0} 0000$ |
| 00824 | 11 | 17800 | 00000 |
| 00836 | 11 | 00835 | $000 \overline{0} 1$ |
| 00848 | 14 | 00835 | $\overline{0} 0101$ |
| 00860 | 47 | 00824 | 01200 |
| 00872 | 48 | 00000 | 00000 |

5. When the following program halts, what will the fields whose units positions are core locations 19000 and 17199 contain?

$$
\begin{array}{llll}
00464 & 16 & 17199 & \overline{0} 0000 \\
00476 & 16 & 190 \overline{0} 00 & 00000 \\
00488 & 16 & 00511 & 00001 \\
00500 & 11 & 17199 & 00000 \\
00512 & 23 & 00511 & 00511 \\
00524 & 21 & 19000 & 00099 \\
00536 & 11 & 00511 & 000 \overline{0} 1 \\
00548 & 14 & 00511 & 0 \overline{0} 200 \\
00560 & 47 & 00500 & 01200 \\
00572 & 48 & 00000 & 00000
\end{array}
$$

6. When the following program halts, what will the fields whose units positions art core locations 14000 and 18000 contain?

$$
\begin{array}{llll}
02178 & 16 & 14000 & 000 \overline{0} 3 \\
02190 & 16 & 18000 & \overline{0} 0000 \\
02202 & 11 & 18000 & 00 \overline{0} 01 \\
02214 & 11 & 02213 & 000 \overline{0} 1 \\
02226 & 14 & 02213 & 00 \overline{1} 01 \\
02238 & 47 & 02202 & 01200 \\
02250 & 12 & 14000 & 000 \overline{0} 1 \\
02262 & 46 & 02298 & 01200 \\
02274 & 16 & 02213 & 00 \overline{0} 01 \\
02286 & 49 & 02202 & 00000 \\
02298 & 48 & 00000 & 00000
\end{array}
$$

7. The following problem is solving a quadratic equation of the form $A X^{2}+B X+C=0$ by a trial and error method. An integer solution is assumed. What is the equation (what are values of $A, B$, and $C$ )?

| 07988 | 16 | 18500 | $\overline{0} 0001$ |
| :--- | :--- | :--- | :--- |
| 08000 | 23 | 18500 | 18500 |
| 08012 | 26 | 19000 | 00099 |
| 08024 | 13 | 19000 | $000 \overline{1} 3$ |
| 08036 | 26 | 19000 | 00099 |
| 08048 | 13 | 18500 | $000 \overline{0} 9$ |
| 08060 | 21 | 19000 | 00099 |
| 08072 | 14 | 19000 | $00 \overline{9} 04$ |
| 08084 | 46 | 08120 | 01200 |
| 08096 | 11 | 18500 | $000 \overline{0} 1$ |
| 08108 | 49 | 08000 | 00000 |
| 08120 | 48 | 00000 | 00000 |

8. When the following program halts, what will the field whose units position is core location 15000 contain?
$005881615 \overline{0} 0000000$
$00600130061100 \overline{0} 01$
00612211500000099
$006241100611000 \overline{0} 2$
00636470060001400
00648480000000000

## Chapter 8

## The Input-Output Instructions

To be a useful tool, the digital computer must be able to communicate with man. It must have the ability to receive information and data, and, after processing this data at microsecond speeds, it must be able to communicate the results back to man.
The 1620 has the following input-output devices to perform this communication: the typewriter, the card reader, the paper tape reader, the card punch and the paper tape punch. Only one input-output device may be selected at any time. The $\mathrm{Q}_{8}$ and $\mathrm{Q}_{9}$ positions of all the input-output instructions which will be discussed in this chapter specify the inputoutput ${ }^{1}$ device through a 2 -digit code as follows:

Code I/O Device<br>01 Typewriter<br>02 Paper Tape Punch<br>03 Paper Tape Reader<br>04 Card Punch<br>05 Card Reader

Instruction: Read Numerically
Operation Code: 36
Symbolic Name: RN
Description:
Numerical information from the input device specified by the $\mathrm{Q}_{8}$ and $Q_{9}$ positions of the Read Numerically instruction is transmitted serially to the core storage location specified by the P address and through successively higher core locations until terminated by one of the following conditions:

[^0]1. Sensing of the end-of-line character (written for demonstration purposes as $E / L$ ) when the input is from the paper tape reader. At that time, a record mark is generated automatically by the 1620 and is placed in core following the last character read from tape.
2. Depression of the Release key on the console when input is from the typewriter. In this case a record mark is not generated automatically by the computer. If it is desired to place a record mark in core storage when entering information from the typewriter, the Record Mark key on the typewriter must be depressed.
3. Reading into core storage the 80 th character from the card input buffer storage. Here again a record mark is not generated automatically by the computer. If it is desired to place a record mark in core storage from the card reader, the record mark character (0-2-8) must be punched in a card. If a record mark is present in a card, it does not terminate the reading of data from the card input buffer. A full 80 columns of a card are always read regardless of their contents (excepting parity errors which could cause check stop conditions).

Each numerical character from the input device along with its flag (if any), is stored in a single core storage location. Check bits, if needed, are generated internally to observe parity.

The $Q_{7}, Q_{10}$, and $Q_{11}$ positions of the Read Numerically instruction are not utilized.

Read Numerically is an example of destructive read-in: the old information is replaced by the new data for the total area of input.

The execution time of this instruction depends upon the speed of the input device selected and the number of characters that are read from that device.

Example: 361001200300

$$
312120 \overline{6} 945 \ddagger 1672 \mathrm{E} / \mathrm{L}
$$

Paper tape input
$\longrightarrow 312120 \overline{6} 945 \ddagger 1672 \ddagger$
Core location 10012
after instruction execution

Instruction: Read Alphamerically
Operation Code: 37
Symbolic Name: RA
Description:
Alphameric information from the input device specified by the $Q_{8}$ and $Q_{\theta}$ positions of the Read Alphamerically instruction is transmitted serially to the core storage location specified by the P address and through
successively higher core locations until terminated by one of the following conditions:

1. Sensing of the end-of-line character when the input is from the paper tape reader. At that time, an alphameric record mark character (a numeric zero digit followed by a single record mark character) is generated automatically by the computer and is placed in core storage following the last character read from tape.
2. Depression of the Release key on the console when the input is from the console typewriter. An alphameric record mark character is not generated automatically by the computer. If it is desired to place an alphameric record mark in core storage when entering information from the typewriter, the Record Mark key on the typewriter must be depressed.
3. Reading into core storage the 80 th character from the card input buffer storage. A record mark is not generated automatically in core storage. If it is desired to read a record mark into core storage from the card reader, the record mark character ( $0-2-8$ ) must be punched in a card. The full 80 columns of a card are always read regardless of their contents (excepting parity errors which could cause check stop conditions).
The P address of the Read Alphamerically instruction must specify an odd-numbered core location (the $\mathrm{P}_{8}$ digit must be odd); otherwise, the input information is not placed in core storage correctly and parity errors may occur during reading. This is due to the fact that when information is read alphamerically, it is automatically converted to the 2-digit alphameric code. The odd-numbered location must contain the righthand (numerical) digit of the 2-digit alphameric code read from the input device. The zone digit is generated and placed in the adjacent even-numbered core position automatically.

Information from the input device may be a random mixture of numeric, alphabetic, and special characters. Each character from the input device is stored in core storage as two digits (the alphameric code discussed in Chapter 2). Flags are not transmitted into core storage on characters read by the input device; flags already in the core storage area when the information is read in remain unchanged.

The $\mathrm{Q}_{7}, \mathrm{Q}_{10}$, and $\mathrm{Q}_{11}$ positions of the Read Alphamerically instruction are not utilized. The execution time depends on the input device selected and the number of characters transmitted.

Example: 371500100300
$3 \mathrm{ABC} 271984 \mathrm{~F}+/ \mathrm{J} \ddagger \mathrm{E} / \mathrm{L}$
Paper tape input
$\longrightarrow 73414243727771797874461021510 \ddagger 0 \ddagger$
Core location 15000 after instruction execution

Note:
It is permissible to read alphameric information in the numeric mode but the characters do not enter the 1620 alphamerically. Table 8.1 demonstrates the translation effect of alphameric information read numerically.

## Table 8-1*

## Character

A, B, ..., I
$\mathrm{J}, \mathrm{K}, \ldots, \mathrm{R}$
S, T, ..., Z
$/$
.
,
@
)
( C84
$=\quad 821$
$\star$
-
$+$
*The period (.), comma (.), and equal sign (=) will behave as a record mark in the Transmit Record instruction.

## Instruction: Write Numerically

Operation Code: 38
Symbolic Name: WN

## Description:

Numerical information from core storage, beginning with the character at the core storage location specified by the P address and continuing through successively higher core addresses, is transmitted serially to the output device specified by the $\mathrm{Q}_{8}$ and $\mathrm{Q}_{9}$ positions of the Write Numerically instruction.

Transmission of data continues until terminated by one of the following conditions:

1. Sensing of a record mark character in core storage if the output device is the typewriter or the paper tape punch. If the output device is the paper tape punch, sensing a record mark character in core storage causes an end-of-line character to be punched in the tape. If the output device is the typewriter, sensing a record mark character in core storage terminates transmission but is not written on the typewriter.
2. Depressing the Release key on the console.
3. Writing of the 80th position in the card output buffer storage.

Each numerical character in core storage, along with its flag (if any), is written on the output device. The characters in core storage remain unchanged. No alphamerical or special character represented in core storage as two numerical characters can be written on the output device as a single character by this instruction.

If no record mark is encountered in core storage when the typewriter or paper tape punch is used as the output medium, and the highest numbered core storage address is written, the next position transmitted is 00000 and transmission continues. If the numerical blank character appears in memory (C-8-4), it will be printed as "@" on the typewriter, punched as C-8-4 on paper tape, or will leave a blank column on the card.

For typewriter and paper tape output, the P address of this instruction may not reference a record mark. The $Q_{7}, Q_{10}$, and $Q_{11}$ positions of the Write Numerically instruction are not utilized.

The execution time of this instruction depends upon the speed of the device selected and the number of characters written.

Example: 381200000100
$\longrightarrow 316 \ddagger 24680 \ldots$
Core Location 12000
before and after execution
316
Typewriter output

Example: 381200000200
$\longrightarrow 316 \ddagger 24680 \ldots$

- Core location 12000
before and after execution
316E/L
Paper tape output

Example: 381200000400
$\longrightarrow 316 \ddagger 24680 \ldots$
Core location 12000
before and after execution
$316 \ddagger 24680$. . ( 80 characters)
Card output

Instruction: Write Alphamerically
Operation Code: 39
Symbolic Name: WA
Description:
Alphameric information from core storage, beginning with the character at the core storage location specified by the P address and continuing through successively higher core addresses, is transmitted serially to the output device specified by the $\mathrm{Q}_{8}$ and $\mathrm{Q}_{9}$ positions of the Write Alphamerically instruction.

Transmission continues until terminated by one of the following conditions:

1. Sensing of an alphameric record mark in core storage if the output device is the typewriter or the paper tape punch. If the output device is the paper tape punch, sensing an alphameric record mark in core storage causes an end-of-line character to be punched in the tape. If the output device is the typewriter, sensing an alphameric record mark in core storage terminates transmission but is not written on the typewriter.
2. Depression of the Release key on the console.
3. Writing of the 80th position in the card output buffer.

Each alphameric character in core storage consists of two numeric digits and is written on the output device as a single alphameric character. The characters in core storage remain unchanged. No flags are written on the output device.

The P address of the Write Alphamerically instruction must be odd ( $\mathrm{P}_{6}$ must be an odd digit), otherwise the information in core storage, expressed in alphameric (double-digit) code, is not correctly converted to the single character output representation. The $Q_{7}, Q_{10}$, and $Q_{11}$ positions of the instruction are not utilized. For typewriter and paper tape output, the P address of this instruction may not reference an alphameric record mark.

The execution time is dependent upon the speed of the output device and the number of characters written.

Example: 390900100100
$\longrightarrow 48415954565549430041554153686249620 \ddagger \ldots$

- Core location 09000
before and after execution
HARMONIC ANALYSIS
Typewriter output
Example: 391579100200
$\longrightarrow 49556345596541530055560300770 \ddagger \ldots$
— Core location 15790
before and after execution
INTERVAL NO. 7E/L
Paper tape output
Instruction: Dump Numerically
Operation Code: 35
Symbolic Name: DN
Description:
Numerical information from core storage, beginning with the character at the core storage location specified by the P address and continuing through successively higher core addresses, is transmitted serially to the output device specified by the $\mathrm{Q}_{8}$ and $\mathrm{Q}_{9}$ positions of the Dump Nu merically instruction. Transmission is terminated after the character from the highest numbered core storage address of that module has been written. This is the character at core position 19999, 39999 or 59999 depending on the module that the P address specified. If it is desired to stop transmission before the character in the highest numbered core storage position is transmitted, the Release key on the console may be depressed.
Each numerical character, with its flag (if any), as well as any single record mark character, is written on the output device. The character in core storage remains unchanged. If the output device is the paper tape punch, an end-of-line character is punched in the tape immediately following the last character dumped by the instruction. This end-of-line character will be punched into the paper tape only if the instruction has been completely executed and will not be punched if the Release key has been depressed before the highest character in the storage module has been punched.

The $Q_{7}, Q_{10}$, and $Q_{11}$ digits of this instruction are not utilized. The execution time of this instruction depends upon the speed of the output device selected and the number of characters written on that device.

Example: 351500000100

| $\longrightarrow$ | $36 \overline{4} 82 \ddagger+\overline{0} \ddagger 198 \ldots$ |
| ---: | :--- |
|  | Core location 15000 before |
|  | and after execution |
|  | $36 \overline{4} 82 \ddagger 0 \overline{0} \ddagger 198 \ldots$ |
|  | Typewriter output |

## Problems

State in as few sentences as possible the function of each of the following programs.

| 1. | 00500 | 36 | 10000 | 00300 |
| :--- | :--- | :--- | :--- | :--- |
|  | 00512 | 38 | 10000 | 00200 |
|  | 00524 | 49 | 00500 | 00000 |
| 2. | 00500 | 37 | 10001 | 00500 |
|  | 00512 | 39 | 10001 | 00400 |
|  | 005 |  |  | 49 |
| 3. | 00620 | 49 | 00500 | 00000 |
|  | 00632 | 31 | 10001 | 00500 |
|  | 00644 | 46 | 00680 | 00100 |
|  | 00656 | 39 | 10001 | 00400 |
|  | 00668 | 49 | 00620 | $0000 \ddagger$ |
|  | 00680 | 39 | 10001 | 00200 |
|  | 00692 | 49 | 00620 | 00000 |
| 4. | 00000 | 35 | 00000 | 00400 |
|  | 00012 | 16 | 00022 | 00000 |
| 5. | 00500 | 16 | 19999 | 00000 |
|  | 00512 | 36 | 10000 | 00500 |
|  | 00524 | 11 | 19999 | $000 \overline{01}$ |
|  | 00536 | 47 | 00512 | 00900 |
|  | 00548 | 15 | 00000 | $0000 \ddagger$ |
|  | 00560 | 38 | 19995 | 00100 |

## Chapter 9

## Miscellaneous Instructions

The five instructions discussed in this chapter complete the basic ${ }^{1}$ repertoire of 1620 instructions. The functions that they perform are not closely related, so they are grouped under the general name of miscellaneous instructions.

The reader should not let the term miscellaneous connote insignificance. The Set Flag, Clear Flag, Halt, No Operation, and Control instructions, if used carefully and thoughtfully, can greatly facilitate and sophisticate programming.
Instruction: Set Flag
Operation Code: 32
Symbolic Name: SF
Description:
A flag is placed at the core location specified by the $P$ address, and a check bit is either added or removed to adjust for parity checking. If a flag is present, the instruction has no effect. The Q portion of the instruction is not utilized. The digit at the P address is not altered by the instruction.

The primary use of the Set Flag instruction is to define the high-order position of data fields. Of course, the data may be flagged when it is prepared for input, but this is not always practical or desirable.
Execution Time in Microseconds: 200 (constant)
${ }^{1}$ See Appendixes I, II, IV for additional 1620 instructions.

Example: 321000000000
 Set Flag

Example: 321300100000
5
Core location 13001 before Set Flag

Example: $3211500000 \overline{0} 09$


Core location 11500 before Set Flag
$\overline{6}$
Core location 10000 after Set Flag
$5 \longrightarrow$
Core location 13001 after Set Flag
 Set Flag

Instruction: Clear Flag
Operation Code: 33
Symbolic Name: CF
Description:
The flag in the core location specified by the P address is removed, and a check bit is either added or removed to adjust for parity checking. If no flag is present, the instruction has no effect. The $Q$ portion of the instruction is not utilized. The digit at the P address is not altered by the instruction.

The Clear Flag instruction may be used when it is desired to make a negative field positive. The flag in the units position of the field is simply removed with the instruction. If flags are not wanted as a part of output, the Clear Flag instruction can be used to remove them.

Execution Time in Microseconds: 200 (constant)
Example: 330542100000


Example: 331200068291


Core location 12000 before Clear Flag
ס


Core location 05421 after Clear Flag
$2 \longrightarrow$
Core location 12000 after
Clear Flag

Example: The following program reverses the sign of a data field stored in locations 01690-01699, and then branches to location 06000 for the next instruction.

| Location | Instruction |
| :---: | :---: |
| 00500 | 440053601699 |
| 00512 | 330169900000 |
| 00524 | 490600000000 |
| 00536 | 320169900000 |
| 00548 | 490600000000 |

Instruction: Halt
Operation Code: 48
Symbolic Name: H
Description:
Program execution is halted and the computer stops in the manual mode. Depression of the Start key on the console will cause the computer to continue program execution beginning with the next instruction in sequence. The P and Q portions of the instruction are not utilized.

After a Halt instruction has been executed, the address of the $Q_{11}$ position of the instruction is displayed on the console in the Memory Address Register indicator lights. Thus, it is possible to distinguish between several different Halt instructions in the same program.

The Halt instruction has many important uses. It may be employed to interrupt program execution for operator intervention. The operator may take advantage of the halt to load a tape, set program switches, investigate the contents of certain portions of core storage, and so forth. It is also very helpful in debugging and for error indication purposes. Different error conditions encountered in a problem may be programmed to branch to different Halt instructions. By noting the address of the $\mathrm{Q}_{11}$ position of the Halt instruction in the Memory Address Register lights, we can tell which error condition stopped program execution. The following program serves to demonstrate this principle. A record mark is assumed in core location 15001.

| 00500 | 14 | 13000 | 50000 | Compare with $\overline{50000}$ |
| :--- | :--- | :--- | :--- | :--- |
| 00512 | 46 | 00584 | 01300 | Branch if number $\supseteq 50000$ |
| 00524 | 22 | 15000 | 13000 | Subtract |
| 00536 | 47 | 00572 | 01300 | Branch if result negative |
| 00548 | 38 | 14996 | 00100 | Type out result |
| 00560 | 48 | 00000 | 98640 | Halt-program completed |
| 00572 | 48 | 00000 | 00000 | Halt-negative result |
| 00584 | 48 | 00000 | 00080 | Halt-number $\sum 50000$ |

The above program contains three Halt instructions. Two of the Halt instructions signal error conditions; the third indicates the successful completion of the program. The error conditions exist if the data field at core location 13000 is greater than or equal to 50000 , or if the result of the subtract operation is negative. When the program executes a Halt instruction, the address in the memory address register lights indicates which Halt instruction terminated program execution. Then, from a listing of the program it can be determined which condition caused the program to halt. If the address displayed is 00571 , the program was successfully completed. If the displayed address is 00583 , the program halted because the result of the subtract operation was negative. If the data field at location 13000 was greater than 50000 , the program would have halted and the displayed address would be 00595.
Judiciously placed Halt instructions are a great aid in program debugging. Groups of instructions may be checked out by interspersing Halt statements throughout the program. If the program should "hang up," the troublesome portion can be isolated as being between the last executed Halt instruction and the next Halt instruction in sequence.

Execution Time in Microseconds: 160 (constant)
Instruction: No Operation
Operation Code: 41
Symbolic Name: NOP ${ }^{2}$
Description:
Perform no operation and advance to the next instruction in sequence. The $P$ and $Q$ portions of the No Operation instruction are not utilized.

The No Operation instruction has two major functions. The No Operation instructions when judiciously placed throughout a program allow for the insertion of additional instructions at a later time without any of the program having to be relocated. If only one instruction is to be inserted, it may be located in the core positions used by the No Operation instruction. If it is desired to insert more than one instruction, the No Operation instruction may be replaced by a Branch instruction, which will branch the program to an unused part of memory where the additional instructions will be added.

A second use of the No Operation instruction is to eliminate a Halt or any other instruction without relocating the rest of the program. The operation code of the instruction to be eliminated is replaced by the operation code of the No Operation instruction (41). This may be done from the console or as a part of the program itself.

Execution Time in Microseconds: 160 (constant)
${ }^{2}$ Pronounced no-op.

Example: In the following program it is desired to branch to a subroutine located at 09012 only after the first card is read. The instruction to branch to the subroutine is in location 00414. Since the same read instruction will be used to read in all the cards it is necessary to alter the Branch instruction so that it is operative only after the first card is read. This is accomplished by having a Transmit Digit Immediate instruction in the subroutine which changes the operation code of the Branch instruction (49) to the operation code of the No Operation instruction (41). Now, as all subsequent cards are read, a branch to the subroutine will not occur.

| 00402 | 36 | 13000 | 00500 | Read a card |
| :--- | :--- | :--- | :--- | :--- |
| 00414 | 49 | 09012 | 00000 | Branch to subroutine |
| 00426 | 11 | 13010 | 00100 |  |
| Main program continues |  |  |  |  |

01626490040200000 Go to read another card
$090121106900000 \overline{10}$ Subroutine begins here

09612150041500001 Modify Branch instructions to NOP
09624490042600000 Return to main program

## Instruction: Control

Operation Code: 34
Symbolic Name: K
Description:
This instruction is used to control the functions of spacing, tabulating, and returning the carriage on the typewriter. The $\mathrm{Q}_{8}$ and $\mathrm{Q}_{9}$ positions of this instruction always contain an 01 , specifying the typewriter, since this is the only unit that can be controlled by this instruction. The $\mathrm{Q}_{11}$ position specifies the control function desired with a 1 -digit code. The codes are as follows:

| Code | Function |
| :---: | :--- |
|  |  |
| 1 | Space |
| 2 | Return Carriage |
| 8 | Tabulate |

The entire $P$ operand and the $Q_{7}$ and $Q_{10}$ portions of the Control instruction are not utilized.

Execution Time in Microseconds: This is dependent upon the control function and the position of the typewriter carriage at the time of instruction execution.

Example: 340000000108
The typewriter is tabulated
Example: 349999990102
The carriage is returned

The typewriter is spaced one position horizontally. This instruction is equivalent to depressing the space bar on the typewriter.

## Chapter 10

## Introduction to a Symbolic Programming System

We are now at a stage of development where absolute machine language coding is cumbersome. One must have a complete table of operation codes and necessary $Q$ address modifiers at hand in order to write a program. In addition, one must keep track of where program steps lie in memory, and extensive charts must be kept as road maps for the internal data arrangement. The housekeeping necessitated by absolute coding is cumbersome and the flow of logic is difficult to trace. Lastly, and of greatest importance, errors are easily made and difficult to locate. If computers are as "intelligent" as is commonly supposed, why not allow the computer to do its own housekeeping?

Throughout the chapters on machine operations, a symbolic name was associated with every machine code: $21-\mathrm{A}, 34-\mathrm{K}, 13-\mathrm{MM}$, and so forth. How difficult would it be for a programmer to construct a program to read an instruction whose operation code was symbolic, replace this with machine language coding, punch the translated instruction, and repeat this sequence until all instructions were translated?

On the surface, this may sound like a frightening task. However, it is not exceedingly difficult; the basic logic is described in the diagram shown in Figure 10.1. The logic employed is simply one of exhaustion: check the alphabetic representation of the OP code against all allowable representations. It must match one of them or it is in error.


Fig. 10.1. Flow Chart of an OP Code Translator.

If the input to such a program were A- 1234502378 (the underscore "-" is used to indicate a blank character), the output would be 211234502378 . The program translated the alphabetic representation of "A_" into the machine OP code of " 21. ." ("A-" is " 4100 " in alphabetic double-digit representation.) The blank is necessary for it is possible to have a 2 -letter OP code: AM, BD, and so forth. Note also that this logic scheme would not allow for 3 -letter OP codes: TDM, BNF, and so forth. In that case it would be necessary to check the six high-order digits instead of the present four. BNR would appear as 425559 , and so forth.

Upon close inspection of the logic diagram of Figure 10.1, one begins to see all sorts of exceptions that would cause this particular program to be totally unusuable. However, all of these can be overcome by more extensive programming until the desired goal of total OP code translation is obtained. In this way, one would not have to remember the numeric representation of operation codes but could choose the corresponding mnemonic form which is more easily retained.

This then is the basic philosophy of a symbolic system: substituting alphabetic information for numerics and forcing the computer, under control of a special program, to do the housekeeping.

The performance of this sort of translation implies three elements:

1. An error-catching processor that handles symbolic input and produces absolute output.
2. A program written in the language acceptable to the processor. This is called the "source program."
3. An accurate worker that will understand the processor's directions and perform the translation of a source program which it does not understand to one which it will understand. (The choice of future tense is quite important.) The worker is the computer and the translated source program is termed the "object program."
Consider an instruction such as 340000000102 which, upon execution, would cause a carriage return on the typewriter. Why not keep this instruction stored in core and generate it whenever a symbolic operation code such as RCTY (Return Carriage on the TYpewriter) is encountered? Also, by the same logic, TBTY (TaBulate the TYpewriter) would always generate 340000000108 and SPTY (SPace the TYpewriter) would yield 340000000101.

Of course, the commands K 0000000102 , K 0000000108 , and K 00000 00101 would also generate the identical instructions but RCTY, TBTY, and SPTY are more easily remembered.

This philosophy may also be extended to I/0 commands that use a specific $Q$ address modifier to state which unit is to be employed during the $I / 0$ operation.

RNTY 12345 (Read Numerically from the TYpewriter) would cause a Read Numerically (36) command to be generated and also a modifier of 01 in positions $Q_{8}$ and $Q_{9}$ with all other $Q$ digits 0 . Then, the processor would "slip" the P address of 12345 between the OP code and the Q portion of the instruction to obtain 361234500100 . RNPT 12345 (Read Numerically from Paper Tape) would generate 361234500300 in a similar fashion.

Notice that certain portions of instructions are predetermined by the nature of the instruction. An instruction such as RNPT 10000 followed by RNPT 12000 would cause two instructions to be generated which differ only in the P address:

$$
\begin{array}{ll}
3610000 & 00300 \\
36 & 12000 \\
00300
\end{array}
$$

Branching instructions also follow this logic. A symbolic instruction to generate a branch on an equal condition might be written as BI XXXXX 01200. This generates the machine instruction 46 XXXXX 01200. But since the $\mathrm{E} / \mathrm{Z}$ indicator (12) is as unique as BI , we can alternatively choose the unique mnemonic BE or BZ . Either of these would generate 46 XXXXX 01200. Thus, BNH (Branch Not High) would generate 47 XXXXX 01100 as would BNP (Branch Not Positive). Continuing in this fashion, we can generate a complete set of unique mnemonics which comprise our translator's dictionary of acceptable operation codes. These symbolic operations are listed in table 10.1 and form the basic material for a working symbolic processor.

Table 10.1

| Operation | Unique Mnemonic | Portion of Instruction Generated |
| :---: | :---: | :---: |
| Arithmetics |  |  |
| Add | A | 21 ----- |
| Add Immediate | AM | 11 ----- |
| Subtract | S | 22 ----- |
| Subtract Immediate | SM | 12 ----- |
| Multiply | M | 23 ----- |
| Multiply Immediate | MM | 13 ----- |
| Load Dividend* | LD | 28 ----- |
| Load Dividend Immediate* | LDM | 18 ----- |
| Divide* | D | 29 ----- |
| Divide Immediate* | DM | 19 ----- |
| Compare | C | 24 ----- |
| Compare Immediate | CM | 14 ----- |
| Floating Add ${ }^{\text {* }}$ | FADD | 01 ----- |
| Floating Subtract* | FSUB | 02 ----- |
| Floating Multiply ${ }^{\text {* }}$ | FMUL | 03 ----- |
| Floating Divide* | FDIV | 09 ----- |

Table 10.1 (continued)


Table 10.1 (continued)
$\left.\begin{array}{llll}\hline & & & \begin{array}{l}\text { Portion of } \\ \text { INSTRUCTION }\end{array} \\ \text { Operation } & \text { UniQue MNEMONIC } & & \\ \text { GENERATED }\end{array}\right]$

Miscellaneous

| Control | K | 34 | ----- |
| :---: | :---: | :---: | :---: |
| Return Carriage on Typewriter | RCTY | 34 | -01-2 |
| Tabulate Typewriter | TBTY | 34 | -01-8 |
| Space Typewriter | SPTY | 34 | -01-1 |
| Set Flag | SF | 32 |  |
| Clear Flag | CF | 33 |  |
| Halt | H | 48 |  |
| No Operation | NOP | 41 |  |

* Items marked by an asterisk have not yet been discussed.

With such a translator, a card-to-card duplication program might look like this:

Instruction
RNCD 10000
00512
WNCD 10000
00524
B
00500

A card-to-tape duplication program could be written as follows:

| Location | Instruction |  |
| :---: | :--- | :--- |
| 00500 | TDM | $100800000 \ddagger$ |
| 00512 | RNCD | 10000 |
| 00524 | WNPT | 10000 |
| 00536 | B | 00512 |

A card-to-tape or card-to-card duplication program under control of console switch 1 would be as follows:

| Location | Instruction |  |
| :---: | :--- | :--- |
| 00500 | BC1 | 00560 |
| 00512 | TDM | 10080 |
| 00524 | RNCD | $10000 \ddagger$ |
| 00536 | WNPT | 10000 |
| 00548 | B | 00524 |
| 00560 | RNCD | 10000 |
| 00572 | WNCD | 10000 |
| 00584 | B | 00560 |

Here is an alternate and shorter program for the same problem:

Location
00500
00512
00524
00536
00548
00560
00572

Instruction
TDM 10080 0000 $\ddagger$
RNCD 10000
BC1 00560
WNPT 10000
B 00512
WNCD 10000
B 00512

However, even this type of programming is somewhat cumbersome. There is still too much detail in that absolute addresses are necessary and we must constantly keep track of instruction locations. After all, it might be necessary to reference an instruction through a branching operation.

The concept of a dictionary of machine operations alone is necessary but not sufficient. This dictionary is machine oriented and does not change from problem to problem. We would like to introduce the concept of a second dictionary, whose word makeup would be dictated by the programmer. Of course, the processor needs information about the symbols that will lie in this new dictionary.

Consider the first program given above (card-to-card duplication):

| Location | Instruction |  |
| :---: | :--- | :--- |
| 00500 | RNCD | 10000 |
| 00512 | WNCD | 10000 |
| 00524 | B | 00500 |

If we give this same program to a symbolic processor and precede it with sentences of explanatory nature, it could appear as follows:

Information Sentence 1: This program begins at location 00500.
Information Sentence 2: The symbolic word "Input" is synonymous with core location 10000.
Information Sentence 3: There is no more information of explanatory nature. The source program follows.

```
RNCD INPUT
WNCD INPUT
B 00500
```

If we add another sentence of explanatory nature, we can symbolize the entire program:

Information Sentence 1: This program begins at location 00500.
Information Sentence 2: The symbolic word "Input" is synonymous with core location 10000.
Information Sentence 3: The symbolic word "Begin" is synonymous with core location 00500.

Information Sentence 4: There is no more information of explanatory nature. The source program follows.

| RNCD | INPUT |
| :--- | :--- |
| WNCD | INPUT |
| B | BEGIN |

Our information sentences cause the second dictionary to be built up. The first word in this new dictionary can be called the "origin counter" and it has its initial value given by the first information sentence. In our case it is 00500 . For each instruction proper, this origin counter is incremented by 12. In this fashion, reference to our origin counter always yields the location of the instruction presently being processed.

Directly below our first entry in the new dictionary, we now place the symbol "Input" and, contiguous to it, a 5-digit field, 10000. Any reference to the symbolic name "Input" would generate the associated absolute location. The third word in our dictionary, "Begin," has the address 00500 placed contiguous to it. Similarly, any reference to the symbol "Begin" causes a substitution of the address 00500.

Some thoughts that come to mind are the following: why was position 10000 chosen as our input area and why did our program begin at location 00500? Why were the names "Input" and "Begin" chosen rather than "Data" and "Start" perhaps? The only valid answers to these questions are (1) personal whim and (2) mnemonic content. The program might have been written as follows:

Information Sentence 1: This program begins at location 12346.
Information Sentence 2: The symbolic word "Zxpflq" is synonymous with core location 00825.

Information Sentence 3: The symbolic word "Pfwxyn" is synonymous with core location 12346.

Information Sentence 4: There is no more information of explanatory nature. The Source program follows:


The resultant object program would be:

| Location | Instruction |
| :---: | :--- |
| 12346 | 360082500500 |
| 12358 | 380082500400 |
| 12370 | 491234600000 |

The disadvantage of this program is the impossibly bad choice of symbolic names. The word "ZXPFLQ" conjures up very little connotation of an input area of core memory. Nonetheless, the program is perfectly translatable by the processor. Its dictionary is unique and there are no contradictions in the command structure of the source program.

However, we have not even begun to exercise the true abilities of our machine dictionary concept. Consider the following program:

Information Sentence 1: Begin this program at the first available location after the addition and multiplication tables.
Information Sentence 2: A symbol "Input" will be used. It is 80 positions long.
Information Sentence 3: A symbol "Begin" will be used. It is synonymous with the location chosen for the first instruction of the source program.
Information Sentence 4: There is no more information of explanatory nature. The source program follows.

| RNCD | INPUT |
| :--- | :--- |
| WNCD | INPUT |
| B | BEGIN |

The generated program would be as follows:

| Location | Instruction |
| :---: | :--- |
| 00480 | 360040000500 |
| 00492 | 380040000400 |
| 00504 | 490048000000 |

The first information sentence stated that our origin counter was to begin at 00400 . (The addition and multiplication tables occupy positions 00100-00399.) The next piece of information in the source program caused the word "Input" to be placed in the dictionary, associated the origin counter address with the symbol, and incremented the origin counter by the length of the defined symbol, 80 positions. The third sentence placed the symbol "Begin" in the dictionary and the origin counter address of 00480 was placed contiguous to it as the fourth information sentence was encountered.

Carrying this logic a little further, we can decide to build a rule of the following nature into the processor:
If an instruction bears a symbolic name, the origin counter, at that point, will be chosen as the synonymous core location to be associated with that name.

Thus, our source program looks like this:
Information Sentence 1: Begin this program at the first available location after the addition and multiplication tables.

Information Sentence 2: A symbol Input will be used. It is 80 positions long.

Information Sentence 3: There is no more information of explanatory nature. The source program follows.

| RNCD | INPUT; THE NAME OF THIS |
| :--- | :--- |
|  |  |
| WNCD | INPUT |
| B | BEGIN |

The resultant object program generated is as follows:

| Location | Instruction |  |
| :---: | :--- | :---: |
| 00480 | 3600400 |  |
| 00492 | 3800500 |  |
| 00504 | 490048000400 |  |
|  |  |  |

If it were necessary to write all of these cumbersome directions, it might not be worth the trouble. After all, the computer does not need such an aggregation of verbs and nouns to tell it what to do. It merely desires the facts in as concise a form as possible. Let us rewrite again:

ORIGIN:400
INPUT:SYMBOL:80
BEGIN:RNCD:INPUT
WNCD:INPUT
B :BEGIN
END OF PROGRAM
Now this is more like it. Just the facts without the frills have told the processor where to start, where to stop and also that the symbols "Input" and "Begin" have been defined.

Everything becomes grist for the processor's mill. But since we must be able to differentiate between concepts, let us call instructions to the processor declaratives. All else are machine instructions in symbolic form desirous of translation.

In our last example, only one instruction (RNCD:Input) has an identifying name (Begin). This "label" went into the dictionary and the instruction received no special treatment beyond that. Of course, the processor is quite fair; it treats all input in an equal fashion up to a point. At first glance, it had no idea that the statement "Origin: 400" was a declarative and not a symbolic instruction. It took a good deal of complex logic and detailed investigation by the processor to determine that this input statement belongs to the declarative category. The second statement (Input:Symbol:80) is also recognized to be declarative in nature. Certain clues, the presence of the word "Symbol" for instance, cause this statement to be treated in a different fashion than "Origin: 400."

A processor, then, is a program that has the ability to read information and classify it into two categories:

1. Directions to itself, of which there are a wide variety.
2. Symbolic instructions that are to be translated according to the general rules of the processor and the specific instructions of this translation.

The process of translation is termed assembling a program. The translator is called an Assembly System. The assembly system for the 1620 is called the Symbolic Programming System and bears the shortened title "SPS."

Once an individual has learned the rules of writing in SPS language, program construction, which is challenging to begin with, can be quite enjoyable. These rules make difficult taskmasters, however. The assembly system cannot be told approximately what to do. It must be given exact,
noncontradictory, properly ordered, carefully chosen statements. The next chapter gives the rules for the 1620 symbolic system. Although they are unique for this particular system, the concept of symbolic programming extends to almost all digital computers. Some systems, unique to other computers, bear rather amusing acronyms: SOAP (Symbolic Optimal Assembly Program), SAP (Symbolic Assembly System), and SOS (Share Operating System).

The construction of such a system often occupies many man-years. The 1620's SPS took approximately four man-years to complete.

## Chapter 11

## The Symbolic

## Programming System

In the previous chapter, a pseudo-symbolic system was introduced to give the student an initial glance at a processor that manipulates symbols. We now come to a comprehensive analysis of the actual system with its myriad rules.

All information relevant to coding and subsequent assembly is entered on an SPS coding sheet as seen in Figure 11.1. The information required to process a program falls into two main categories:

1. Instructions-Source statements in the symbolic language that specify the job to be done by the object program. These entries will be translated into the object program.
2. Declaratives-The actual equivalents of Information Sentences discussed in the previous chapter. There are three categories of declaratives:
(a) Area Definitions-These statements assign core storage for input, output, and working areas. Area definition statements are never executed in the object program.
(b) Constant Definitions-These statements allow one to define constants needed in the execution of the object program. The constants become part of the object program, but the statements themselves are not executed at the object level.
(c) Processor control operations-These statements allow programmer control over portions of the assembly. As in the case of area and constant definitions, these statements are never executed in the object program.

## USE OF THE CODING SHEET

The identifying information at the top of the coding sheet ("Program," "Programmed By," and "Date") is not part of the source program and
$\qquad$
Programmed by
Date $\qquad$


Fig. 11.1 Sample of a 1620 SPS Coding Sheet.
is not punched in the source tape or card deck. ${ }^{1}$ It is used to prevent mix-up of programs while the coding is in the source document.

## PAGE NUMBER

The 2-character page number will be punched as the first characters of each source statement. Although there are no "columns" in a paper tape, we will be able to identify position if we call the first punching location "column 1." The page number (00-99) is punched in columns 1 and 2 of the card and tape systems. Their function is to sequence the coding sheets and also to allow for sorting cards in the event that they are out of order. (Card dropping is a hazard of the profession.) The processor does not check for sequential or multiple page numbering. This is the programmer's responsibility.

## LINE NUMBER

The 3-character line number is punched contiguous to the page number in columns 3-5 of both card and tape systems. Its function is to sequence the statements on each coding sheet.

The first 20 lines are prenumbered $010-200$. The six unnumbered lines at the bottom of the page are provided for the entry of statements inadvertently omitted and/or for sheet extension. If a statement is omitted and added at a later time, its line number should fall between those statements where the correction is to be inserted. It will be noted that provision has been made for up to nine such insertions. If more are required, it is possible to give a multiplicity of statements the same line number. However, this partially defeats the purpose of having the line number. Insertions of the type discussed must be placed in their proper sequence when a source program is being assembled since assembly is a serial process and sequence of line numbers is not checked. Thus, a statement out of order will be assembled out of order.

## LABEL

The 6-character label is a symbolic name chosen by the programmer and is punched in columns 6-11 in both card and tape systems. It is not necessary to utilize all six positions of the label field. A label is usually associated with an area being defined or an instruction referred to elsewhere in the program. All labels are assigned addresses in storage during

[^1]the assembly. A reference to a label in the program is a reference to the address of the area or instruction which bears that label. Although any statement may be labeled, unnecessary labels delay the process of assembly. Consequently, only those items specifically referred to elsewhere in the program should be labeled. Instructions and declaratives that are unlabeled should contain blanks in columns 6-11.

## LABEL RULES

1. A label may contain from 1 to 6 alphanumeric characters at least one of which must be alphabetic or one of the special characters:
```
Equal sign \((=)\)
Period (.)
Solidus ( / )
Commercial at (@)
```

2. Unused portions of a label are left blank.
3. Blanks are not permitted within a label.
4. All labels begin in column 6.

The number of labels permitted in the symbol table is a function of the core available and the size of the labels employed. In a 20,000 -coreposition 1620, approximately 1706 -character labels are permitted.

It is wise to choose labels that have high mnemonic values. Labels that have obvious meanings provide easily remembered references for the programmer and also assist others who may assume responsibility for the program. The following demonstrates a few valid labels:

| DATA | A21456 | TEMP1 |
| :--- | :--- | :--- |
| INPUT | Z12345 | TEMP2 |
| OUTPUT | PPPPP | CON |
| X23BFG | GGGG | $12 A$ |
| GO | INAREA | A $=\mathrm{B}$ |
| START | DATAIN | X@C1 |
| BEGIN | SYMBOL | $9.23 / X$ |

## OPERATION

The 4-digit operation field contains the mnemonic representation of (1) machine language operation codes, (2) declaratives, and (3) macroinstructions (to be discussed in Chapter 13). Punching in the operation field is in columns $12-15$ of both card and tape systems.

A complete list of mnemonic machine language operation codes may be found in Table 10.1. Actual 1620 machine codes in their numeric form are also permitted but, in this case, checking by the processor is not performed to determine if the numeric OP code is valid.

## OPERANDS AND REMARKS FOR INSTRUCTIONS

If the input to the processor is an instruction rather than a declarative, the operands and remarks section may contain, at most, 4 items separated by commas. The entire statement must be terminated by an E/L character in the paper tape system. This restriction is not applicable in the card system, but the presence of the record mark ( $0-2-8$ ) as the last element of a statement will not affect the processing. Missing operands are noted by using commas in their place.

Three of the four permitted items are operands and the fourth item, if present, is a comment which has no effect on the assembly. Such remarks, if present, are printed during a listing of the assembled program. The purpose of these comments is to enable one to identify the effect of certain instructions. It is quite easy to forget why one put this or that instruction in the program in the first place. Such comments and remarks can be quite useful if one returns to a program after a prolonged period of inactivity. The first three items are referred to respectively as the P, Q, and Flag operands.

1. P Operand-This portion may be either a symbolic, absolute, or asterisk address ${ }^{2}$ and will assemble as the P portion of the object level instruction.
2. Q Operand-This portion may be either a symbolic, absolute, or asterisk address and will assemble as the Q portion of the object level instruction.
3. Flag Operand-This item is always numeric and is used to set flags in the assembled instruction.
Any instruction may have $0,1,2,3$, or 4 items in the "operands and remarks" portion of the coding sheet. These are punched in columns 16-75 in both the card and tape systems. In the card system, columns $76-80$ are not utilized and may contain identifying information if it so desired.

## OPERANDS AND REMARKS FOR DECLARATIVES

The number of items in a declarative field is variable depending upon the declarative chosen. Each declarative will be discussed separately. Punching of declarative operands and remarks occupies columns 16-75, as do punching of instruction operands and remarks.

## DISCUSSION OF OPERANDS

## P AND Q OPERANDS

The operands that will be assembled as the P and Q portion of an

[^2]instruction are of three types: actual (synonymously termed absolute), symbolic, and asterisk.

## ACTUAL

An actual address consists of five or fewer digits and is the actual 1620 core storage address of a piece of data or an instruction. High-order zeros of an actual address may be eliminated. See Figure 11.2 for an example of instructions where both P and Q addresses are absolute.


Fig. 11.2. Sample of Absolute Addressing.

## Figure 11.2-Commentary

Assume the location counter is at position 10000 when we encounter these source statements. If this is the case, the following five instructions will be generated:

| $(10000)$ | 21 | 12345 | 17562 |
| :--- | :--- | :--- | :--- |
| $(10012)$ | 23 | 00532 | 01217 |
| $(10024)$ | 26 | 15000 | 00099 |
| $(10036)$ | 48 | 00000 | 00000 |
| $(10048)$ | 15 | 19999 | 00005 |

The above program has no purpose other than demonstration of actual address assignment.

Note that the processor fills in high-order positions of $P$ and $Q$ addresses with zeros if less than 5 digits should be present. Some programmers enjoy the uniformity of always utilizing 5 -digit fields whether or not they are required.

## SYMBOLIC

The symbolic address is a name or label assigned by the programmer to a piece of data or an instruction. Such a symbolic address is valid if and only if it appears somewhere in the source program in the Label field. Either one or both of the $P$ and $Q$ operands may be symbolic. See Figure 11.3 for an example of symbolic addresses.


Fig. 11.3. Symbolic Addressing.

## Figure 11.3-Commentary

Assume the following core locations for all elements used in symbolic form:

| TEMP1 | (404) |
| :--- | :--- |
| TEMP2 | $(410)$ |
| DATA | $(420)$ |
| INPUT | $(455)$ |
| LOC | $(512)$ |

Also, assume that the location counter stands at 800 when these instructions are encountered by the processor. The following instructions are generated:

| $(00800)$ | 21 | 00404 | 00455 |
| :--- | :--- | :--- | :--- |
| $(00812)$ | 23 | 00410 | 00404 |
| $(00824)$ | 26 | 00420 | 00099 |
| $(00836)$ | 41 | 00000 | 00000 |
| $(00848)$ | 45 | 10000 | 00512 |

Note that an instruction may have mixed symbolic and actual P and/or Q operands. This is exhibited by the "TF DATA,99" and "BNR 10000,LOC" instructions. It is customary to differentiate the alphabetic "O" from the numeric zero. Note that the letter " $\phi$ " is slashed and the number zero is not.

Of course, this example assumes that at some point in the program all symbols employed were properly defined by appearing in a label field of an instruction or declarative.

## ASTERISK

The character, asterisk ( $\star$ ), when used as an operand in the P and/or Q portions of an instruction, makes reference to the present value of the location counter. (The location counter is the true correspondent to the origin counter discussed in the previous chapter.) This is equivalent to the address of the $0_{0}$ (high-order-left-hand) position of the instruction which contains the asterisk. See Figure 11.4 for an example of asterisk addresses. The asterisk rule is somewhat different in the case of a declarative. Be sure to note it.


Fig. 11.4. Asterisk Addressing.

## Figure 11.4-Commentary

Assume that location "Finish" is synonymous with core location 15000 and that the location counter stands at 900 when these instructions are encountered by the assembly system. The following instructions are therefore generated:

$$
\begin{array}{llll}
(00900) & 44 & 15000 & 00900 \\
(00912) & 49 & 00912 & 00000
\end{array}
$$

The latter instruction is a classic example of how not to use a computer. A never-ending branch has been developed with no way out.

## FLAG OPERANDS

A flag is placed in those positions of the assembled instruction specified by the flag operand. In the event that an instruction is of the Immediate type, a flag is automatically placed over the $Q_{7}$ digit of the assembled instruction. However, the presence of the flag operand takes precedence. Thus, a flag operand of 8 causes a flag to be set in $Q_{8}$ and not in $Q_{7}$.

If more than one flag is desired in an assembled instruction, the flag operand must indicate all positions to be flagged. Thus, if a flag is desired in $Q_{7}$ and $Q_{11}$, the flag operand reads " 711 ." The order of elements in the flag operand is quite critical here. If one wishes a flag at position $\mathrm{O}_{0}$ and $\mathrm{O}_{1}$, the flag operand is written as " 01 " and not as " 10 ." This latter configuration would cause a flag to be placed at position $Q_{10}$. If one desires every digit of an assembled instruction to be flagged, the flag operand would read "01234567891011."

There is one exception to the rule governing the use of an Immediate instruction without a flag operand: the instruction Transmit Digit Immediate will assemble with no flag placed on the assembled instruction unless specifically told otherwise through the use of the flag operand. See Figure 11.5 for examples of the flag operand in use.

Any instruction may have a flag operand but its use is most effective in the Immediate type.


Fig. 11.5. Samples of Instructions with Flag Operands.

## Figure 11.5-Commentary

Assume the following core locations for all elements used in symbolic form:

| DATA | $(12027)$ |
| :--- | :--- |
| INFO | $(17956)$ |
| COUNT | $(406)$ |
| THERE | $(2000)$ |

The location counter stands at 512 when these instructions are encountered by the processor. The following instructions are generated:

$$
\begin{array}{lll}
11 & 12027 & \overline{1} 2057 \\
11 & 12027 & \overline{1} 2057 \\
11 & 12027 & 120 \overline{5} 7 \\
12 & 17956 & 00 \overline{1} 00 \\
15 & 12027 & 00002 \\
15 & 12027 & 0000 \overline{2} \\
16 & 00406 & 0 \overline{0} 157 \\
49 & \overline{0} 2000 & 00000 \\
\overline{4} \overline{1} & \overline{0} \overline{0} \overline{0} \overline{0} \overline{0} & \overline{0} \overline{0} \overline{0} \overline{0} \overline{0} \\
48 & 00000 & 00000
\end{array}
$$

Note the three commas of the last instruction to denote the three missing operands before the remarks operand which is present. Also observe that the presence of the remark did not affect the assembly or generate any coding.

## ADDRESS ARITHMETIC

Any P and/or Q address, symbolic, asterisk, or actual, may be incremented ( + ), decremented ( - ), or multiplied ( $\star$ ) by a numeric constant or a symbol representing a numeric quantity. ${ }^{3}$ By utilizing a variety of address arithmetic, any P and/or Q address may assume any variation of the following form:

$$
\mathrm{A} \text { 초 } \mathrm{B} \text { 초 } \mathrm{C} \text { 초 } \mathrm{D} \text { 초 . . }
$$

where $\mathrm{A}, \mathrm{B}, \mathrm{C}$, and D are numeric, asterisk, or symbolic, and multiplication is of prime order.

Symbolic instructions of the form:

| RNCD | INPUT-79 |
| :--- | :--- |
| B | START +24 |
| TF | LOC $\star 16$, DATA $+5 \star$ L - CONST |
| AM | $\star+23,5,10$ |

are permissible.
Figure 11.6 contains extensive examples of address arithmetic.

| Symbols <br> Used In <br> Operands | Equivalent |
| :--- | :---: |
| ALPHA | 1000 |
| START | 4000 |
| L | 12 |
| ORIGIN | 600 |
| OUTPUT | 15000 |


| P or Q Operands | Equivalent <br> After <br> Assembly |
| :--- | :--- |
| START + 40, | 04040 |
| ALPHA -30, | 00970 |
| START + 2 *L, | 04024 |
| START * 3, | 12000 |
| ALPHA * + 40, | 05040 |
| $4 * 13+$ OUTPUT, | 15052 |
| START + 4 *L -1, | 04047 |
| ALPHA * L, | 12000 |
| SOO + 20 * 3 - 11, | 00549 |
| OUTPUT - L * ALPHA + ORIGIN | 03600 |

Fig. 11.6. Samples of Address Arithmetic.
${ }^{3}$ Note this alternate function of the asterisk symbol. In all, there are four separate and distinct uses for asterisk of which two have been discussed: (1) an instruction operand and (2) a symbol implying multiplication.

## DECLARATIVES-CARD AND TAPE SYSTEM

Declaratives, as defined previously, are instructions to the processor for control of a specific assembly. The variety of declaratives may be initially confusing but the student is not expected to learn them all simultaneously. As each declarative is introduced, a variety of examples will be given. Close study of these should give an excellent understanding of their function.

The use of the asterisk ( $\star$ ) in a declarative operand has a slightly different meaning than it has when used as an instruction operand (see page 106). It is with this third use of the asterisk symbol that the discussion of declaratives begins.

## ASTERISK RULE FOR DECLARATIVE OPERANDS

The character asterisk ( $\star$ ), when used as an operand of a declarative, makes reference to the low-order digit of the last field whose address was assigned by the processor. This last field may have been the result of a declarative statement or an instruction.

## DORG (DEFINE ORIGIN)

The code DORG is used to initiate address assignment in that it initializes the orgin counter to a specified address. It is the true equivalent of Information Sentence 1 of Chapter 10. The rules of the DORG follow.

1. The operation code DORG appears in columns 12-15 of the operation field.
2. The address at which assignment is to begin is specified as the first operand. This operand may be actual, symbolic, or asterisk. If symbolic, the symbol must have been previously encountered in the source program. ${ }^{4}$
3. A DORG may be used at any point in the source program.
4. The first instruction or declarative entry after a DORG will begin its location in core at the address specified by the DORG's operand. Subsequent entries will be assigned subsequent addresses.
5. If no DORG is encountered as the first statement of a source program, the processor begins the assembly at location 00402.
6. The lowest location that should be chosen for a DORG is 00402 .
7. The maximum number of operands that may be used with a DORG is two. The second operand, if present, is a comment and does not affect the processing.

See Figure 11.7 for examples of the DORG statement properly written.

[^3]

Fig. 11.7. Examples of the DORG Declarative.

## DEND (DEFINE END)

The code DEND is used to inform the processor that it has processed all of the source statements. The last statement of a source program must be DEND. The rules of the DEND follow.

1. The operation code DEND appears in columns $12-15$ of the operation field.
2. The address at which the object program is to begin execution may be stated as the first operand. The object program will then contain an automatic Branch to this instruction after loading and halting. This automatic Branch is obtained by depressing the Start key. The address specified as the first operand may be symbolic, actual, or asterisk. If symbolic, the symbol must have been previously encountered in the source program.
3. A DEND may not be labeled.
4. The maximum number of operands with a DEND is two. The second operand, if present, is a comment and does not affect the processing.

See Figure 11.8 for examples of the DEND statement properly written.

| ${ }_{3} \text { LINE }{ }_{5}$ | label | Operation | $\begin{aligned} & \text { OPERAnOS \& REMARKS } \\ & 20 \end{aligned}$ | 30 | 35 | 40 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1.0 |  | D,E,ND |  |  |  |  |
| 2.0 |  |  |  |  |  |  |
| 0.310 |  | D,E,N.D | B, E, G, I, ${ }_{\text {, }}$ |  |  |  |
| 0,410 |  |  |  |  |  |  |
| 510 |  | D,E,ND | S, T, A, R, T, +2, |  |  |  |
| $0,6,0$ |  |  |  |  |  |  |
| 210 |  | D,END | 4,0,2, B, E, G, I, N | G.R. | AT |  |
| 0.0 |  |  |  |  |  |  |

Fig. 11.8. Examples of the DEND Declarative.

## DS (DEFINE SYMBOL)

The code DS may be used to define a contiguous area of core storage that will contain numeric data. An alternate function is to generate synonymity between symbols or between symbols and addresses. The rules of the DS follow.

1. The operation code DS appears in columns 12-13 of the operation field.'
2. The label by which this field may be referenced appears in columns $6-11$. The label refers to the units (low-order) position of the field. ${ }^{5}$
3. The length of the field appears as the first operand. The length operand may be actual, symbolic, or asterisk. If symbolic, the symbol must have been previously encountered in the source program.
4. If a second operand is present, the processor assumes a synonymous relationship between the label and this second operand. This operand allows the programmer to assign the address of a symbol. The presence of the synonymity operand does not affect the sequence of of addresses assigned by the processor. The location counter remains unchanged regardless of the size of the first operand. The synonymity operand may be actual, symbolic, or asterisk. If symbolic, it must have been previously encountered in the source program.
5. The maximum number of operands in a DS is three. The third operand, if present, is a comment and does not affect the processing.
6. Omission of the label in a DS reserves storage which will not be referred to symbolically.
See Figure 11.9 for examples of the DS statement properly written.
To demonstrate the variety of uses for the DS statement, a sample program will be repeated with variations in the programming. Commentary will be presented with each example. Both the source program and object program are displayed. Only the first example will be shown


Fig. 11.9. Examples of the DS Declarative.
${ }^{5}$ A label does not refer to an entire field. It refers to a single core position.
on a coding sheet while all others demonstrate the actual 1620 typewriter output listing: source statements on the left, assembled statements on the right.
The details of assembling a program will be discussed at a later point. It is sufficient to say that the processor must read the source program twice.

The first pass of the source program builds up a dictionary of labels, assigns storage locations, and yields certain error messages. During the second pass, the source data is re-entered and the following takes place:

1. Operation codes are changed from symbolic to actual.
2. Operands are processed by dictionary look-up and address arithmetic is performed where necessary.
3. The assembled instructions (object program) are punched on cards or tape.

In addition, a variety of error messages may appear during either pass designating certain error conditions.

The object program for both card and tape systems contains loading instructions which appear at the beginning of the tape or card deck and the arithmetic tables which appear at the end.

Thus, a single tape or card deck, consisting of loader, object program, constants, arithmetic tables, and so forth, is provided by the processor. An optional listing of the source program versus the assembled program may also be obtained. It is this listing that is given for each demonstration program.

## Problem

Generate a program to reproduce a deck of punched, 80 -column cards. The program is to run until the card reader is empty, at which point the program will stop for lack of cards. The cards contain no alphabetic information and all 80 columns are punched with numeric data. There are no blank columns in the cards.


| 01010 | DORG 402 | 00402 |  |  |
| :--- | :--- | :--- | :--- | :--- |
| 01020 INPUT | DS | 80 | 00080 |  |
| $01030 B E G I N$ | RNCD | INPUT-79 | 00481 | 00080 |
| 01040 | WNCD | INPUT-79 | 00482 | 36 |
| 01050 | B | BEGIN | 00402 | 00500 |
| 01060 | DEND |  | 00506 | 38 |

Example 1B

## Example 1-Commentary

A total of 80 positions is needed for an input area. Consequently the symbol "Input" is designed to be 80 positions long. Since I/O commands reference the high-order position of data, the I/0 P-operand references not "Input" (the address of the low order position) but "Input-79" (the address of the high-order position. This disconcerting bit of arithmetic may be justified by asking yourself how many numbers lie between 0 and 5 , inclusive. The answer is, of course, 6. Similarly, there are 80 positions between Input and Input-79:

$$
\text { INPUT - [INPUT - 79] }+1 .
$$

The processor, having been told to begin its assembly at location 00402 by the DORG statement, generates an address of 00481 for the units position of the symbol "Input." The processor assigns addresses as it encounters information. Hence, the instruction labeled "Begin" starts at 00482. Synonymous with location 00482 is the label name "Begin." When this label is used as an operand, as in the case of " $B$ Begin," the corresponding core location is substituted.

The DEND statement completes processing of both passes. The listing shown above is the output of the second pass of the source program.

| 01010 | DORG 402 | 00402 |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| $01020 B E G I N$ | RNCD | INPUT-79 | 00402 | 36 | 00438 | 00500 |
| 01030 | WNCD | INPUT-79 | 00414 | 38 | 00438 | 00400 |
| 01040 | B | BEGIN | 00426 | 49 | 00402 | 00000 |
| 01050 INPUT | DS | 80 | 00517 | 00080 |  |  |
| 01060 | DEND |  | 00000 |  |  |  |

## Example 2

## Example 2-Commentary

This example differs only slightly from Example 1. In this case the definition of "Input" was made after the symbolic instructions. The object program thus produced will accomplish the same task but the addresses, of course, are entirely changed. This is because the location counter came across the statements in a different order.

| 01010 | DORG 10000 | 10000 |
| :---: | :---: | :---: |
| 01020GPXPL | RNCD BPFZQX-79 | 10000361003600500 |
| 01030 | WNCD BPFZOX-79 | 10012381003600400 |
| 01040 | B GPXPL | 10024491000000000 |
| O1050BPFZ0X | DS 80 | 1011500080 |
| 01060 | DEND | 00000 |

## Example 3

## Example 3-Commentary

In this case the DORG instruction specifies 10000.
This problem is given to demonstrate the fact that the choice of symbolic names does not affect the processing. It does make the logic more difficult to follow.

| $\begin{aligned} & 01010 \\ & 01020 \mathrm{GO} \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { DORG } 403 \\ & \text { PNCD DATA-79 } \end{aligned}$ | ```00403 00404 36 00440 00500``` |
| :---: | :---: | :---: |
| 01030 | WNCD DATA-79 | 00416380044000400 |
| 01040 | $B \quad \mathrm{GO}$ | 00428.490040400000 |
| $\begin{aligned} & 01050 \mathrm{DATA} \\ & 01060 \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { DS } 80 \\ & \text { DEND } \end{aligned}$ | $0051900080$ |

Example 4

## Example 4-Commentary

Notice that the DORG requested an initial address of 403. The processor will not allow instructions to begin at odd locations. Thus, the location counter was incremented by 1 before processing the instruction labeled "Go."

| 01010 | DORG 500 | 00500 |
| :---: | :---: | :---: |
| 01020 START | RNCD INPUT-79 | 00500360051200500 |
| 010301 NPUT | DS 80 | 0059100080 |
| 01040 | WNCD INPUT-79 | 00592380051200400 |
| 01050 | B START | 00604490050000000 |
| 01060 | DEND | 00000 |

## Example 5

## Example 5-Commentary

The processor has no way to determine that a major programming rule has been violated in this problem.

After assembly, an attempt to run this program will result in the reading of just one card. This is due to the fact that the 1620 will attempt execution of the instruction in location 512 after execution of the instruction in 500. Unfortunately, there is no instruction in location 512.

The problem was introduced by defining the symbol between two instructions which should be contiguous at the object level. This is not an error in the processor since this type of programming is often desirable. In this case, however, all we have is an unworkable program.

| $\begin{aligned} & 01010 \\ & 01020 \mathrm{BEGIN} \end{aligned}$ | DORG 402 RNCD 1 NPUT-79 | $\begin{aligned} & 00402 \\ & \text { ER } 5 \end{aligned}$ |
| :---: | :---: | :---: |
| 01030 | WNCD INPUT-79 | 00402360000000500 ER 5 |
|  |  | 00414380000000400 |
| 01040 | B BEGIN | 00426490040200000 |
| 01050 | DEND | 00000 |

## Example 6

## Example 6-Commentary

This program demonstrates what will occur should you forget to define a symbol after having used it as a P and/or Q operand. The ER 5 message states that an undefined symbol is present in the symbolic instruction to which it is attached. The resultant instruction has 00000 in that operand which contained the undefined symbol. A complete list of error conditions will be discussed at the conclusion of this chapter.

| 01.010 | DORG 402 | 00402 |
| :---: | :---: | :---: |
| 01020 | RNCD INPUT-79 | 00402360043800500 |
| 01030 | WNCD INPUT-79 | 00414380043800400 |
| 01040 | B *-24 | 00426490040200000 |
| 010501 NPUT | DS 80 | 0051700080 |
| 01060 | DEND | 00000 |

Example 7

## Example 7-Commentary

The first instruction of the program has no label. However, we must refer to it in order to be able to branch to it. Consequently, the asterisk form of address is employed. Each instruction is 12 digits long, which makes the $P$ operand of the Branch instruction " $\star-24$ " since we wish to reference the second instruction before the Branch.


## Example 8-Commentary

In this example, the Input declarative was changed. This necessitates a change in the $I / 0$ statement. However, since all of core is at our disposal after position 556, is the unlabeled "DS 79" necessary?

| 01010 |  | $520$ | $00520$ | 3600556 |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 01020 F IRST | RNCD | INPUT | $\frac{00520}{00532}$ | 3600556 | 00500 |
| 01030 | ${ }_{B}^{\text {WNCD }}$ | INPUT | 00532 | 3800556 4900520 | $\begin{aligned} & 00400 \\ & 00000 \end{aligned}$ |
| 010501 NPUT | DS | 1 | 00556 | 00001 |  |
| 01070 | DEND |  | 00000 |  |  |

Example 9

## Example 9-Commentary

The question posed in Example 8 is answered here: the definition of 79 core positions contiguous to "Input" is not necessary in this case.

Can the same technique be employed if "Input" is defined as a 1-digit symbol before the instruction labeled "First"?

| 01010 | DORG 402 | 00402 |
| :---: | :---: | :---: |
| OTVZUGO | RINCD TINPUT | 00402361500000500 |
| 01030 | WNCD INPUT | 00414381500000400 |
| 01040 | $B \quad$ GO | 00426490040200000 |
| 010501 NPUT. | DS , 15000 | 1500000000 |
| 01060 | DEND GO | 00402 |

Example 10

## Example 10-Commentary

Notice that "Input" has been made synonymous with position 15000 of core storage. In truth, there is no need for this concept in this particular program, but it is presented to demonstrate how a symbol can be located in any desired location.

Note also the presence of an operand with the declarative DEND.

| 01010 | DORG | 402 | 00402 |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 01020 | $004 N P U T$ | DS | 80 | 00481 | 00080 |  |
| $010300 U T P U T$ | DS | INPUT-79 | 00402 | 00000 |  |  |
| 01040 START | RNCD | INPUT-79 | 00482 | 36 | 00402 | 00500 |
| 01050 | WNCD OUTPUT | OSTART | 00494 | 38 | 00402 | 00400 |
| 01060 | B | STA | 00506 | 49 | 00482 | 00000 |
| 01070 | DEND START | 00482 |  |  |  |  |

## Example 11-Commentary

Here is an example of synonymity between symbols. We may refer to "Input-79" or "Output" and achieve the same assembled address. The definition of the symbol "Input" must appear before definition of "Output" because of rule 4 of DS statements. However, may the definition of "Output" appear anywhere after the definition of "Input"?

| 01010 010201 NPUT | DORG 402 DS 80 | 00402 0048100080 |
| :---: | :---: | :---: |
| 01030 GO | RNCD INPUT-79 | 00482360040200500 |
| 010400 UTPUT | DS , INPUT-79 | 0040200000 |
| 01050 | WNCD OUTPUT | 00494380040200400 |
| 01060 | B GO | 00506490048200000 |
| 01070 | DEND | 00000 |

Example 12

## Example 12-Commentary

Since "Output" reserves no storage, does not affect the location counter, and is used to define a synonymous name for core position "Input-79," it may be placed anywhere after the definition of the symbol "Input" without adverse effects. This answers the question posed in Example 11. See Example 5 for a violation of this concept.

Example 13 demonstrates the following problem:

## Problem

Generate a program to duplicate card-to-card or card-to-tape. If switch 1 is on, the second alternative is to be chosen. A record mark is available at location 400 if needed. All card data is numeric and all 80 columns of the card are punched.

| 01010 | DORG 402 | 00402 |
| :---: | :---: | :---: |
| 01020 | TD INPUT $+80,400$ | 00402250057800400 |
| 01030 | BC1 *+48 | 00414460046200100 |
| 01040 | RNCD INPUT | 00426360049800500 |
| 01050 | WNCD INPUT | 00438380049800400 |
| 01060 | B *-24 | 00450490042600000 |
| 01070 | RNCD INPUT | 00462360049800500 |
| 01080 | WNPT INPUT | 00474380049800200 |
| 01090 | B *-24 | 00486490046200000 |
| 011001 NPUT | DS 1 | 0049800001 |
| 01110 | DEND 402 | 00402 |

## Example 13-Commentary

Through the proper use of asterisk operands, we can limit the number of labels to as few as possible. But since the assembly system is available for the purpose of allowing symbol manipulation, this type of programming is not desirable for a program of any substantial size.

The first instruction of the program places a record mark at the necessary location if tape output is the case. If card output is desired, we have wasted an instruction but have not damaged the intent of the program.

Examples 14 and 15 demonstrate two varieties of the same program. The first is quite straightforward. The second is shorter but not as easily followed. This latter problem demonstrates the first example of a concept unique to digital computers: instruction modification.
Both examples are presented without comment for your study.
Switch 1 On: Card-to-card duplication
Switch 2 On: Card-to-tape duplication
Switch 3 On: Tape-to-tape duplication
Switch 4 On: Tape-to-card duplication
Allow for the possibility of operator negligence concerning switch settings. A record mark is available in location 400 if needed. Card records are 80 numeric characters. Tape records are 81 numeric characters, the last of which is an E/L character.

| 01010 | DORG | 402 | 00402 |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 01020GO | BC1 | C2C | 00402 | 4600570 | 00100 |
| 01030 | BC2 | C2T | 00414 | 4600522 | 00200 |
| 01040 | BC3 | T2T | 00426 | 4600486 | 00300 |
| 01050 | BNC4 | ERROR | 00438 | 4700606 | 00400 |
| 01060 T2C | RNPT | INPUT | 00450 | 3600618 | 00300 |
| 01070 | WNCD | INPUT | 00462 | 3800618 | 00400 |
| 01080 | B | T2C | 00474 | 4900450 | 00000 |
| 01090121 | RINPT | InPu | 00486 | 3600618 | 00300 |
| 01100 | WNPT | INPUT | 00498 | 3800618 | 00200 |
| 01110 | B | T2T | 00510 | 4900486 | 0000 |
| $01120 C 2 T$ | TD | I NPUT+80,400 | 00522 | 2500698 | 00400 |
| 01130 | RNCO | INPUT | 00534 | 3600618 | 00500 |
| 01140 | WNPT | INPUT | 00546 | 3800618 | 00200 |
| 01150 | B | C2T+12 | 00558 | 4900534 | 00000 |
| $01160 C 2 C$ | RNCD | INPUT | 00570 | 3600618 | 00500 |
| 01170 | WICD | TINPU | 00582 | 3800618 | 00400 |
| 01180 | B | C2C | 00594 | 4900570 | 00000 |
| OT190ERRUR | H |  | 00606 | 4800000 | 0000 |
| 012001 NPUT | DS | 1 | 00618 | 00001 |  |
| 02010 | DEND | 10 | 00402 |  |  |


| 01010 | DORG | 402 | 00402 |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 01020 INPUT | DS | 1 | 00402 | 00001 |  |
| 01030 | DS | 80 | 00482 | 00080 |  |
| 01040GO | BC1 | C2C | 00484 | 4600628 | 00100 |
| 01050 | BC2 | C2T | 00496 | 4600592 | 00200 |
| 01060 | BC3 | T2T | 00508 | 4600568 | 00300 |
| 01070 | BNC4 | ERROR, , ALWAYS PREPARE FOR | 00520 | 4700652 | 00400 |
| 01080GENUSE | RNPT. | INPUT, L THE UNEXPECTED. IT | 00532 | 3600402 | 00300 |
| 01090A | WNCD | INPUT, , IS POSSIBLE TO FOR- | 00544 | 3800402 | 00400 |
| 01100 | B | GENUSE, ${ }^{\text {a }}$ GET SWITCH SETTINGS. | 00556 | 4900532 | 00000 |
| 01120 T2T | TDM | A+9,2 | 00568 | 1500553 | 00002 |
| 01130 | B | GENUSE | 00580 | 4900532 | 00000 |
| 01140 C 2 T | TDM | GENUSE $+9,5$ | 00592 | 1500541 | 00005 |
| 01150 | TD | $1 \mathrm{NPUT}+80,400$ | 00604 | 2500482 | 00400 |
| 01160 | B | T2T | 00616 | 4900568 | 00000 |
| 01170 C 2 C | TDM | GENUSE +9.5 | 00628 | 1500541 | 00005 |
| 01180 | B | GENUSE | 00640 | 4900532 | 00000 |
| $01190 E R R O R$ | H |  | 00652 | 4800000 | 00000 |
| 01200 | DEND | GO | 00484 |  |  |

Example 15

Example 16 demonstrates a solution to the following problem. Can you write another?

## Problem



Data Representation on Paper Tape

A is of the form XXX. XX
$B$ is of the form . XX
C is of the form XX.X
D is of the form XXXX. XXX

All data is positive and flagged in the high order position of the field. Calculate $(A+B)(C+D)$ to one decimal place of accuracy. The answer is to be typed.

| 01005 | DORG 2178 | 02178 |
| :---: | :---: | :---: |
| 01010G0 | RNPT INPUTA-5 | 02178360231000300 |
| 01020 | RNPT INPUTB-2 | 02190360231600300 |
| 01030 | A INPUTA-1, INPUTB-1 | 02202210231402317 |
| 01040 | RNPT INPUTC-3 | 02214360231900300 |
| 01050 | RNPT INPUTD-7 | 02226360232300300 |
| 01060 | A INPUTD-3, INPUTC-1 | 02238210232702321 |
| 01065 | M INPUTD-1, INPUTA-1 | $\begin{array}{llll}02250 & 23 & 0232902314\end{array}$ |
| 01070 | TF INPUTD-1,95 | 02262230232900095 |
| 01080 | RCTY | 02274340000000102 |
| 01090 | WNTY INPUTD-8 | 02286380232200100 |
| 01100 | ${ }_{\mathrm{H}}$ | 02298480000000000 |
| 011101 NPUTA | DS 6 | 0231500006 |
| 011201 NPUTB | DS 3 | 0231800003 |
| 01130 INPUTC | DS 4 | 0232200004 |
| 011401 PPUTD | DS 8 | 0233000008 |
| 01150 | DEND GO | 02178 |

## Example 16-Commentary

All areas of input are one core position larger than is needed. This is to allow for the entry of the $\mathrm{E} / \mathrm{L}$ characters into core. Note the double usage made of the record mark which entered with the D data as an $\mathrm{E} / \mathrm{L}$ character.

Example 17 demonstrates a solution to the following problem. Can you write a second, a third, etc?

## Problem



A occupies columns $1-5$ of the card and is of the form XXX. XX B occupies columns $10-11$ of the card and is of the form . XX C occupies columns 15-17 of the card and is of the form XX.X D occupies columns 20-26 of the card and is of the form XXXX. XXX
All data is positive and flagged in the high-order position of the field. Calculate $(A+B)(C+D)$ to one decimal place of accuracy. The answer is to be typed.

| 01010 | DORG 402 | 00402 |
| :---: | :---: | :---: |
| 0102060 | RNCD INPUT | $0040236 \quad 00498 \quad 00500$ |
| 01030 | A A,B | 00414210050200508 |
| 01040 | A D-2.C | 00426210052100514 |
| 01060 | M A, D | 00438230050200523 |
| 01070 | ID 96,400 | 00450250009600400 |
| 01080 | RCTY | 00462340000000102 |
| 01090 | WNTY 88 | 00474380008800100 |
| 01100 | H | 00486480000000000 |
| O11101NPUT | DS 1 | 0049800001 |
| 01120A | DS , INPUT+4 | 0050200000 |
| O1130B | DS : INPUT+10 | 0050800000 |
| 01140 C | DS , INPUT+16 | 0051400000 |
| 011500 | DS INPUT +25 | 0052300000 |
| 01160 | DEND GO | 00402 |

Example 17

## Example 17-Commentary

There were no record marks left over from data input since card reading is not terminated in the same fashion as is tape. Hence, it was necessary to borrow the record mark at location 400.

## DC (DEFINE CONSTANT)

The code DC may be used to define a numeric constant that will be used in the computation procedure of the object program. The rules of the DC follow.

1. The operation code DC appears in columns 12-13 of the operation field.
2. The label by which this constant may be referenced appears in columns 6-11. The label refers to the units (low-order) position of the constant.
3. The length of the constant appears as the first operand. The length operand may be actual, symbolic, or asterisk. If symbolic, the symbol must have been previously encountered in the source program.
4. The second operand is the constant being defined and is always numeric.
5. Omission of the first and/or second operands is invalid.
6. If a third operand is present, the processor assumes a synonymous relationship between the label and this third operand. This operand allows the programmer to assign the address of a constant. The presence of the synonymity operand does not affect sequence of addresses assigned by the processor. The location counter remains unchanged regardless of the size of the first operand which, unlike the DS size operand, must always be present. The synonymity operand may be actual, symbolic, or asterisk. If symbolic, it must have been previously encountered in the source program.
7. The processor will place a flag over the left-hand (high-order) digit of the constant.
8. Negative constants are preceded by a minus sign (-) which is not counted as part of the length operand. The presence of the minus sign causes a flag to be placed in the units position of the constant.
9. A record mark may appear only in the units position of the constant field and is written as "@." This is interpreted by the processor as " $\ddagger$."
10. Negative constants containing a record mark (@) will have a flag placed over the digit preceding the record mark.
11. Constants may not exceed 50 characters.
12. Should the length operand be greater than the number of digits specified in the constant, the constant will be right justified with high-order zeros inserted.
13. A length operand less than the number of digits in the specified constant is invalid.
14. The maximum number of operands with a DC is four. The fourth operand, if present, is a comment and does not affect the processing.

See Figure 11.10 for examples of the DC statement properly written.


Fig. 11.10. Examples of the DC Declarative.

Examples 18, 19, and 20 are given to demonstrate proper use of the DC statement. These three examples are different solutions to the same problem.

## Problem

Given cards of the following form

with $A, B$ and $C$ integers such that

1. $0 \leq \mathrm{A} \leq 9998$ in columns $1-4$
2. $0 \leq B \leq 992$ in columns $5-7$
3. $0 \leq \mathrm{C} \leq 99984$ in columns $8-12$

For each input card, generate a single output card with integers $\mathrm{X}, \mathrm{Y}$, and Z such that

1. $\mathrm{X}=\mathrm{A}+1$ punched in columns $1-4$
2. $\mathrm{Y}=\mathrm{B}+7$ punched in columns $5-7$
3. $\mathrm{Z}=\mathrm{C}+15$ punched in columns $8-12$

With the remainder of the card zeros.
Repeat until all cards are exhausted.
All input data is flagged in the high-order position of the field.


## Example 18-Commentary

The constants needed for proper operation of the program are defined as Kon1, Kon2, and Kon3, respectively. Other than the introduction of the new declaratives, this program presents no new ideas.

| 01010 | DORG 402 | 00402 |
| :---: | :---: | :---: |
| 01020GO | RNCD INPUT | 00402360047400500 |
| 01030 | A INPUT+3,CON1 | 00414210047700555 |
| 01040 | A INPUT+6, CON2 | 00426210048000557 |
| 01050 | A INPUT+11, CON3 | 00438210048500559 |
| 01060 | WNCD INPUT | 00450380047400400 |
| 01070 | B. GO | 00462490040200000 |
| 010801 NPUT | DS 1 | 0047400001 |
| 01090 | DS 79 | 0055300079 |
| $01100 \mathrm{CON1}$ | DC 2.1 | 005550000201 |
| O1110CON2 | DC 2,7 | 005570000207 |
| 01120 CON3 | DC 2.15 | 0055900002 I5 |
| 01130 | DEND GO | 00402 |

Example 19

## Example 19-Commentary

This program is identical with the previous one with the single exception of size of constants defined. Are more than 2-digit constants really necessary?

| 01010 | DORG 402 | 00402 |
| :---: | :---: | :---: |
| 01020 GO | RNCD INPUT | 00402360047400500 |
| 01030 | AM INPUT+3,1,10 | 00414110047700001 |
| 01040 | AM INPUT+6.7,10 | 00426110048000007 |
| 01050 | AM INPUT+11,15,10 | 00438110048500075 |
| 01060 | WNCD INPUT | 00450380047400400 |
| 01070 | B GO | 00462490040200000 |
| 010801 NPUT | DS 1 | 0047400001 |
| 01090 | DEND GO | 00402 |

Example 20

## Example 20-Commentary

The problem is executed in this program by using the Immediate commands instead of defining constants. In any computer program, space is money!

Examples 21, 22, 23, 24, and 25 present five variations on the same problem. They are presented without comment for your study. ${ }^{6}$
${ }^{6}$ In Examples 24 and 25 what is the purpose of the declarative DORG $\star-3$ which is so liberally sprinkled throughout the program?

| $\begin{aligned} & 01010 \\ & 0102060 \\ & \hline \end{aligned}$ | DORG 402 RNCD | 00402 00402 0 |
| :---: | :---: | :---: |
| 01030 | SF INPUT | 00414320064200000 |
| 01040 | C INPUT+6.CON | 00426240064800727 |
| 01050 | BH TAPOUT | 00438460058201100 |
| 01060 | BNF CRDOUT, INPUT+6 | 00450440053400648 |
| 01.070 | TF OUTPUT-1, INPUT+6 | 00462260073400648 |
| 01080 | CF OUTPUT-7 | $00474 \quad 33 \quad 00728 \quad 00000$ |
| 01090 | RCTY | 00486340000000102 |
| 01100 | WNTY OUTPUT-7 | $00498 \quad 38 \quad 00728 \quad 00100$ |
| 01120 | BNLC GO | 00510470040200900 |
| 01130 | H | 00522480000000000 |
| O1140CRDOUT | CF INPUT | 00534330064200000 |
| 01145 | WNCD INPUT | $0054638 \quad 0064200400$ |
| 01150 | BNLC GO | 00558470040200900 |
| 01160 | H | $0057048 \quad 0000000000$ |
| O1170TAPOUT | TF OUTPUT-1, INPUT+6 | 00582260073400648 |
| 01180 | CF OUTPUT-7 | 00594330072800000 |
| 01190 | WNPT OUTPUT-7 | 00606380072800200 |
| 01200 | BNLC GO | 00618470040200900 |
| 02010 | H | 00630480000000000 |
| $020201 N P U T$ | DS 1 | 0064200001 |
| 02030 | DS 79 | 0072100079 |
| 02040CON | DC 6,500000 | 0072700006500000 |
| 020500UTPUT | DC 8,@ | 0073500008 -8000000才 |
| 02060 | DEND GO | 00402 |

Example 21



Example 23

| 01010 | DORG 402 | 00402 |
| :---: | :---: | :---: |
| 0102060 | RNCD INPUT | 00402360058600500 |
| 01030 | SF INPUT | 00414320058600000 |
| 01040 | TF OUTPUT, $X$ | 00426260050800592 |
| 01050 | CF HIGH | 00438330050200000 |
| 01.060 | BNF AHEAD, $X$ | 00450440051000592 |
| 010700ATA1 | RCTY | 00462340000000102 |
| 01080 | WNTY HIGH | 004743800502.00100 |
| 01090TEST | BNLC GO | 00486470040200900 |
| 011000ATA2 | H | 00498480000000000 |
| 01110 AHEAD | $\mathrm{C} \quad \mathrm{X}, \mathrm{CON}$ | 00510240059200469 |
| 01120 | BH TAPE | 00522460056601100 |
| 01130 | CF INPUT | 00534330058600000 |
| 01140 | WNCD INPUT | 00546380058600400 |
| 01150 | ${ }^{8}$ TEST | 00558490048600000 |
| 01160 | DORG *-3 | 00566 |
| 01170TAPE | WNPT HIGH | 00566380050200200 |
| 01180 | $B$ TEST | 00578490048600000 |
| 01190 | DORG *-3 | 00586 |
| 012000 UTPUT | DS , DATA2+10 | 0050800000 |
| 02010 | DC 1,@,OUTPUT+1 | 0050900001 |
| O2020HIGH | DS OUTPUT-6 | 0050200000 |
| 02030CON | DC 6,500000, DATA $1+7$ | 0046900006500000 |
| 020401 NPUT |  | 0058600001 |
| 02041 X 02050 | $\begin{aligned} & \text { DS } \\ & \text { DEND } \operatorname{GO} \mathrm{INPUT}+6 \end{aligned}$ | $0059200000$ |


| $\begin{aligned} & 01010 \\ & 010201 \text { NPUT } \end{aligned}$ | $\begin{array}{ll} \hline \text { DORG } & 402 \\ \text { DS } & 1 \\ \hline \end{array}$ | $\begin{array}{ll} 00402 \\ 00402 \quad 00001 \end{array}$ |
| :---: | :---: | :---: |
| 01030 | DS 79 | 0048100079 |
| 01040X | DS , INPUT+6 | 0040800000 |
| 01050GO | RNCD INPUT | 00482360040200500 |
| 01060 | SF INPUT | 00494320040200000 |
| 01070 | BNF AHEAD, X | 00506440059000408 |
| 01080 | TF OUTPUT, $X$ | 00518260058800408 |
| 01090 | CF HIGH | 00530330058200000 |
| O1100DATAI | RCTY | 00542340000000102 |
| 01120 | WNTY HIGH | 00554380058200100 |
| $01130 T E S T$ | BNLC GO | 00566470048200900 |
| 01140DATA2 | H | 00578480000000000 |
| 01150AHEAD | C $\quad \mathrm{X}, \mathrm{CON}$ | 00590240040800549 |
| 01160 | BH TAPE | 00602460064601100 |
| 01170 | CF INPUT | 00614330040200000 |
| 01180 | WNCD INPUT | 00626380040200400 |
| 01190 | B TEST | 00638490056600000 |
| 01200 | DORG *-3 | 00646 |
| 01210 TAPE | TF OUTPUT, $X$ | 00646260058800408 |
| 02010 | CF HIGH | 00658330058200000 |
| 02020 | WNPT HIGH | 00670380058200200 |
| 02030 | B TEST | 00682490056600000 |
| 02040 | DORG *-3 | 00690 |
| 020500 UTPUT | DS , DATA $2+10$ | 0058800000 |
| 02060 | DC 1, @, DATA2+11 | 0058900001 \# |
| 02070 HIGH | DS , OUTPUT-6 | 0058200000 |
| 02080 CON | DC 6,500000, ATA $1+7$ | 0054900006500000 |
| 02090 | DEND GO | 00482 |

Example 25

## Problem

Many cards are in the read hopper of the 1622. Each card is punched in columns 1-7 with a 7 -digit number, X , such that:

$$
-9999999 \leq X \leq 9999999
$$

No data is flagged in the high-order position. However, negative data does have a flag over the units position. Perform the following:

1. If $X>500,000$, punch the number on tape.
2. If $0 \leq X \leq 500,000$, punch the number on a card in columns $1-7$.
3. If $\mathrm{X}<0$, type the number.

The output number is to be exactly identical with the input number. Terminate the program after the last card has been processed.

The next examples, which demonstrate the use of the DC, are analogous to being told the answer and then asked to find the question. Four intricate programs are presented. What do they do?

The answers to the questions (in truth, the questions to the answers) are presented on pages 129 and 130. Arrive at your own conclusion as to their function before looking at the solutions. Do not let their small size fool you. There is a lot of labor being performed.

| 01010 | DORG | 402 | 00402 |  |
| :---: | :---: | :---: | :---: | :---: |
| 01020A | TDM | 19999, 2 | 00402 | 15 T9999 00000 |
| 01030 | DC | 1,@,* | 00413 | $00001{ }^{\ddagger}$ |
| 01040 | SM | A $+6,1$ | 00414 | 120040800001 |
| 01050 | CM | A +6, LABEL +1 | 00426 | 140040800451 |
| 01060 | BNE | A | 00438 | 470040201200 |
| $\begin{aligned} & 01070 \mathrm{LABEL} \\ & 01080 \end{aligned}$ | H DEND | A | $\begin{aligned} & 00450 \\ & 00402 \end{aligned}$ | $4800000 \quad 00000$ |

Example 26


Example 27

| 01010 | DORG | 402 | 00402 |  |
| :---: | :---: | :---: | :---: | :---: |
| $01020 \times 100$ | TD | TEMP, KON-9, 27 | 00402 | $2500483 \quad 00464$ |
| 01030 | AM | $\times 100+6,1,1011$ | 00414 | 110040800001 |
| 01040 | SM | X100+11, 1, 1011 | 00426 | 120041300001 |
| 01050 | CM | $\times 100+11, \mathrm{KON}+1$ | 00438 | 140041300474 |
| 01060 | BNE | $\times 100$ | 00450 | 470040201200 |
| 01070 | ${ }_{\mathrm{H}}$ |  | 00462 | 480000000000 |
| 01080K0N | DC | 10,1234567890,* | 00473 | 00010 T234567890 |
| 01090 TEMP | DS | 10 | 00483 | 00010 |
| 01100 | DEND | $\times 100$ | 00402 |  |

Example 28

| 01010 | DORG 402 | 00402 |
| :---: | :---: | :---: |
| -1020×100 | TD TEMP, KON-9,27 | $004022500549-0530$ |
| 01030 | AM $\times 100+6,1,1011$ | 00414110040800001 |
| 01040 | SM $\times 100+11,1,1011$ | $00426 \quad 1200413$-00001 |
| 01050 | CM $\times 100+11, \mathrm{KON}+1$ | 00438140041300540 |
| 01060 | BNE $\times 100$ | $00450-470040201200$ |
| 01070 | RCTY | 00462340000000102 |
| -01080 | WNTY TEMP-9 | $004743800540 \quad 00100$ |
| 01090 | TFM $\times 100+6$, TEMP | 00486160040800549 |
| -01100 | TFM $\times 100+11, \mathrm{KON}-9$ | $00498 \quad 16 \quad 00413 \quad 00530$ |
| 01110 | TF KON, TEMP | 00510260053900549 |
| -01120 | B $\times 100$ | 00522 49 0040200000 |
| 01130 | DORG *-3 | 00530 |
| 01140 KON | DC 10, -1234567890 | 0053900010 T234567890 |
| $01150 T$ EMP | DS 10 | 0054900010 |
| 01160 | DC 1,0 | $00550-00001 \pm$ |
| 00170 | DEND X100 | 00402 |

Example 26 causes a record mark character to be placed in core from positions 19999 to 452 inclusive. When this is accomplished, the program halts.

Example 27 causes the 10 -digit field $\overline{0} 00000000 \overline{0}$ to be placed at 19999, 19989, 19979, ..., 10019, 10009. When this is accomplished, the program halts.
Example 28 obtains a mirror image of the field $\overline{1} 234567890$. The number thus produced is $098765432 \overline{1}$ and is not a field due to the lack of the high-order field-defining flag. When this is accomplished, the program halts.

Example 29 is a nonterminating program. There is nothing in the instruction set to cause the program to stop. A mirror image is made of the original field $\overline{1} 23456789 \overline{0}$ to obtain $\overline{0} 98765432 \overline{1}$. With this new field as an argument, the process repeats itself indefinitely. See Figure 11.11 for a portion of the output.

As a final comment for all four examples, modification of certain instruction addresses was necessary. Such modification assumed that the P field data (an instruction's P or Q operand) was flagged to allow for the necessary addition or subtraction. Consequently, the flag operand was used in locations where it seemed unnecessary. For example, note the first instruction of Example 26: TDM 19999,„2.

> ठ98765432T
> T234567890
> ठ98765432T
> T234567890
> ठ98765432T
> T234567890
> ठ98765432T
> T234567890
> O98765432T
> T234567890
> ర98765432T
> T234567890
> ठ98765432T
> T234567890
> O98765432T

Fig. 11.11. Object Program Typewriter Output of Example 29.

## DSS (DEFINE SPECIAL SYMBOL)

The code DSS is identical with the declarative DS, except for the fact that the label refers to the high-order position of the field as opposed to the units position in the case of the DS.

Except for the above statement and the fact that DSS occupies columns 12-14 of the operation field, all rules of the DSS are identical with those of the DS.

## DSC (DEFINE SPECIAL CONSTANT)

The code DSC is identical with the declarative DC, with the following two exceptions:

1. The label refers to the high-order position of the constant.
2. The constant will be processed without a high-order field-defining flag.

Except for the above statements, and the fact that DSC occupies columns 12-14 of the operation field, all rules of the DSC are identical with those of the DC.

## DAS (DEFINE ALPHAMERIC SYMBOL)

The code DAS may be used to define a field that will contain alphameric information. These fields are generally used as I/O areas. The rules of the DAS follow.

1. The operation code DAS appears in columns $12-14$ of the operation field.
2. The length of the field appears as the first operand and this will be doubled by the processor. This accommodates the alphameric coding of data which is in double-digit representation internally. The length operand may be actual, symbolic, or asterisk. If symbolic, the symbol must have been previously encountered in the source program.
3. The label by which this field may be referenced appears in columns 6-11. This label refers to the high-order-plus-one position of the field. Thus, the high-order position of the field is Label-1. The low-order position of the field is Label $+2 \star \mathrm{~L}-2$, where L is the length operand.
4. The processor assigns an even address to the high-order digit of the field, and the label, referring to the adjacent position, thereby references an odd core location. This satisfies the I/O rule concerning alphabetic information.
5. If a second operand is present, the processor assumes a synonymous relationship between the label and this second operand. This operand allows the programmer to assign the address of a symbol. The label still refers to the high-order-plus-one position in this case but the core loceion is not necessarily odd. Thus, when assigning a synonymity operand for a DAS, one must be certain that the operand references an odd core location. The presence of the synonymity operand does not affect the sequence of addresses assigned by the processor. The location counter remains unchanged regardless of the size of the first operand. The synonymity operand may be actual, symbolic, or asterisk. If symbolic, it must have been previously encountered in the source program.
6. The maximum number of operands in a DAS is three. The third operand, if present, is a comment and does not affect the processing.
7. Omission of the label in a DAS reserves storage which will not be referred to symbolically.

See Figure 11.12 for examples of the DAS statement properly written.


Fig. 11.12. Examples of the DAS Declarative.

The card-to-card, card-to-tape, and so forth, duplication programs given as examples of the DS statement had two major faults which were not discussed at the time. First, blank card columns read numerically produce zeros internally. Thus, reading a blank card and punching the input information produces a card with 80 zeros. Second, if the input information contained mixed alphabetic-numeric characters, the reproduction was not necessarily valid.
Since the DAS is discussed after the DS, it was better to define the statement of the problem in such a fashion as to utilize the DS only (no blanks, numerics only, and so forth).

Now that the materials are handy to cope with the situation, all-purpose card-to-card duplication programs are presented for your study as well as proper use of the DAS. These programs are a slight extension of the reproduction programs that were demonstrated previously.

| 01010 | DORG 402 | 00402 |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 01020 GO | RACD INPUT | 00402 | 37 | 00439 | 00500 |
| 01030 | WACD IINPUT | 0041439 | 00439 | 00400 |  |
| 01040 | B | GO | 00426 | 49 | 00402 |
| 010501 NPUT | DAS | 80 | 00439 | $00080 \times 2$ |  |
| 01060 | DEND GO |  |  |  |  |

Example 30

| 01010 | DORG 402 | 00402 |
| :---: | :---: | :---: |
| 0102060 | RACD INPUT | $0040237 \quad 00435 \quad 00500$ |
| 01030 | WACD INPUT | 00414390043500400 |
| 01040 | $B \quad G 0$ | 00426 49 00402 00000 |
| 01050 | DORG *-3 | 00434 |
| 01060 LNPUT | DAS 1 | 00435 00001×2 |
| 01070 | DEND GO | 00402 |

Example 31

Example 32 demonstrates proper low-order addressing of an alphameric field.

## Problem

Construct a card-to-card duplicator program such that the input and output areas are distinct. (Transfer the input data to another area before writing.)

| 01010 | DORG | 402 | 00402 |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 01020GO | RACD | INPUT | 00402 | 3700473 | 00500 |
| 01030 | SF | INPUT-1 | 00414 | 3200472 | 00000 |
| 01040 | TF | OUTPUT $+2 * 80-2.1$ NPUT $+2 * 80-2$ | 00426 | 2600791 | 00631 |
| 01050 | CF | OUTPUT-1 | 00438 | 3300632 | 00000 |
| 01060 | WACD | OUTPUT | 00450 | 3900633 | 00400 |
| 01070 | B | GO | 00462 | 4900402 | 00000 |
| 01080 | DORG | *-2, WHY *-2 INSTEAD OF *-3 | 00471 |  |  |
| 010901 NPUT | DAS | 80 | 00473 | 00080×2 |  |
| 011000 UTPUT | DAS | 1 | 00633 | $00001 \times 2$ |  |
| 01110 | DEND | GO | 00402 |  |  |

Example 32

Example 33 is essentially the same problem demonstrated in Example 32 , with a single exception. This exception demonstrates the use of the last card indicator with counting.

## Problem

Reproduce N cards with distinct input and output areas. After all cards have been duplicated, type $N$. ( $1 \leq N \leq 9999$ )

| 01010 | DORG |  | 00402 |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 01020 START | TFM | COUNT, 8 | 00402 | 1600508 | 00000 |
| 01030 GO | RACD | INPUT | 00414 | 3700511 | 00500 |
| 01040 | TF | OUTPUT+158, 1 NPUT + 158 | 00426 | 2600829 | 00669 |
| 01050 | WACD | OUTPUT | 00438 | 3900671 | 00400 |
| 01060 | AM | countele 10 | 00450 | 1100508 | 00001 |
| 01070 | BNLC | GO | 00462 | 4700414 | 00900 |
| 01080 | RCTY |  | 00474 | 3400000 | 00102 |
| 01090 | WNTY | COUNT-3 | 00486 | 3800505 | 00100 |
| 01100 | H |  | 00498 | 4800000 | 00000 |
| 011201 NPUT | DAS | 80 | 00511 | 00080x2 |  |
| 011300 UTPUT | DAS | 1 | 00671 | $00001 \times 2$ |  |
| $01140 C O U N T$ | DS | , INPUT-3 | 00508 | 00000 |  |
| 01150 | DC | 1,@.لNPUT-2 | 00509 | 00001 |  |
| 01155 |  | 2,0,1NPUT | 00511 | 00002 | 80 |
| 01160 | DEND | START | 00402 |  |  |

Example 33

## Example 33-Commentary

On first observation it would seem that the TF instruction will fail. At no point have we set a flag on the high-order digit of our Input area. However, the saving grace is the last DC statement of the program. Why?

## DAC (DEFINE ALPHAMERIC CONSTANT)

The code DAC may be used to define a constant consisting of alphameric data. These constants are generally used for computer-operatorprogrammer communication or for column headings on the printed page of answers. The rules for the DAC follow.

1. The operation code DAC appears in columns 12-14 of the operation field.
2. The length of the constant appears as the first operand and this will be doubled by the processor. This accommodates the alphameric coding of data which is in double-digit representation internally. The length operand may be actual, symbolic, or asterisk. If symbolic, the symbol must have been previously encountered in the source program.
3. The label by which this constant may be referenced appears in columns 6-11. This label refers to the high-order-plus-one position of the constant. Thus, the high-order position of the field is Label-1. The low-order position of the field is Label $+2 \star \mathrm{~L}-2$, where $L$ is the length operand.
4. The second operand is the alphameric constant desired.
5. Omission of the first and/or second operands is invalid.
6. If a third operand is present, the processor assumes a synonymous relationship between the label and this third operand. This operand allows the programmer to assign the address of a constant. The label still refers to the high-order-plus-one position in this case but
the core location is not necessarily odd. Thus, when a synonymity operand for a DAC is assigned, one must be certain that the operand references an odd core location. The presence of the synonymity operand does not affect the sequence of address assigned by the processor. The location counter remains unchanged regardless of the size of the first operand which, unlike the DAS size operand, must always be present. The synonymity operand may be actual, symbolic, or asterisk. If symbolic, it must have been previously encountered in the source program.
7. The processor will place a flag over the left-hand (high-order) digit of the constant.
8. A record mark may appear only in the units position of the constant field and is written as "@." This is interpreted as " $0 \neq$."
9. Constants may not exceed 50 alphameric characters including blanks and record mark.
10. A length operand less than or greater than the number of characters in the specified constant is invalid.
11. The maximum number of operands with a DAC is four. The fourth operand, if present, is a comment and does not affect the processing.

See Figure 11.13 for examples of the DAC statement properly written.


Fig. 11.13. Examples of the DAC Declarative.

| $\begin{aligned} & 00100 \\ & 01020 \mathrm{CMNT} 1 \end{aligned}$ | DORG 402 <br> DAC 16.NOW IS THE TIME@ | $\begin{aligned} & 00402 \\ & 0040300016 \times 2 \text { NOW IS THE TIMEt } \end{aligned}$ |
| :---: | :---: | :---: |
| 01030 CMNT 2 | DAC 17,FOR ALL GOOD MEN@ | $0043500017 \times 2$ FOR ALL G00D MEN $\ddagger$ |
| 01040 CMNT3 | DAC 19, TO COME TO THE AlD@ | $0046900019 \times 2$ TO COME TO THE AID $\ddagger$ |
| 01050 CMNT 4 | DAC 15,0F THEIR PARTY@ | $0050700015 \times 2$ OF THEIR PARTY $\ddagger$ |
| -01060GO | WCIY | 00536340000000102 |
| 01070 01080 | WATY CMNT 1 | 00548390040300100 |
| 01090 | WATY CMNT2 | 00572390043500100 |
| -01100 | RCTY | $0058434 \quad 0000000102$ |
| 01110 | WATY CMNT3 | 00596390046900100 |
| 01120 | RCTY | 00608340000000102 |
| 01130 | WATY CMNT 4 | 00620390050700100 |
| 01140 | H | 00632480000000000 |
| 01150 | DEND GO | 00536 |

Example 34 demonstrates a program the use of which is self-evident. See Figure 11.14 for the output of this program at object time. What is the purpose of the @ symbol at the end of each DAC statement?


Fig. 11.14. Object Program Output of Example 34.

Example 35 demonstrates a more purposeful use of an operator message.

## Problem

An 80 -column card has two 2 -digit numbers punched in columns 1-4. All data is flagged in its high-order position. Type a single message that states their relationship to one another (larger, smaller, equal). If the first element (A) is less than, equal to, or greater than the second element (B), state so in just such a fashion.


Example 35

Example 36 is a variation of Example 33. That is, it reproduces and counts cards. The output of this problem is a sentence that reads "THERE ARE XXXX CARDS." The number of cards does not exceed 9999.

The original source document is shown here. Notice how letters which could be confused with numbers are printed. The letter " O " has

a slash through it " $\phi$ " to avoid confusion with the number zero " 0 ". The letter " $I$ " is printed in the Roman form to avoid confusion with the number one (1).

Errors introduced while punching from the source document can be the most aggravating.

Two more declaratives for both the card and tape systems are available to the programmer. However, their use is not as instantaneously meaningful as was the use of the previous declaratives. Nonetheless, they are valuable declaratives even though the beginning programmer may not realize their potential value. At the point of sophistication where the coder requires these declaratives, their function will become quite meaningful. These declaratives are: Define Symbolic Address and Define Symbolic Block, and are of the area and constant definition category.

## DSA (DEFINE SYMBOLIC ADDRESS)

It may be desirable, at some point in a program, to store a series of addresses as constants. The declarative that performs just such a function is DSA. The rules of the DSA follow.

1. The operation code DSA appears in columns $12-14$ of the operation field.
2. Each entry in the operands field will cause its equivalent machine address to be stored as a 5-digit constant flagged in the high-order
position. The constants are stored contiguous to one another. These operands may be actual, symbolic, or asterisk. If symbolic, it is not necessary for the symbol to have been previously encountered in the source program.
3. The label field of this statement must contain the symbol by which this table of constants may be referenced. The label refers to the units position of the first operand. Subsequent operands are referred to symbolically as Label +5 , Label +10 , etc.
4. Neither a remarks nor synonymity operand is permitted with the DSA.
5. The maximum number of operands permitted with a DSA is ten.


Fig. 11.15. Examples of the DSA Declarative.

See Figure 11.15 for examples of the DSA statement properly written. In Figure 11.15, the symbols are equivalent to the addresses shown in Figure 11.6.

In the above statement, the 20 -digit constant that is produced is:

$$
\overline{0} 1000 \overline{0} 0600 \overline{0} 1234 \overline{1} 4950
$$

If the first digit of the entire constant is located at 1200 , then the address of Table is 01204 and the location counter will have been increased by 20.

## DSB (DEFINE SYMBOLIC BLOCK)

The code DSB may be used to define an area of core storage for storage of numerical arrays. The rules of the DSB follow.

1. The operation code DSB appears in columns $12-14$ of the operation field.
2. The first operand indicates the size of each element in the array.
3. The second operand indicates the number of elements in the array.
4. The label employed refers to the units position of the first element in the array.
5. If a third operand is present, the processor assumes a synonymous relationship between the label and this third operand. This operand allows the programmer to assign the address of the first element in the array. The presence of the synonymity operand does not affect the sequence of addresses assigned by the processor. The location counter remains unchanged regardless of the size of the first or second operands.
6. Any DSB operand may be actual, symbolic, or asterisk. If symbolic, the symbol must have been previously encountered in the source program.
7. The maximum number of operands in a DSB is four. The fourth operand, if present, is a comment and does not affect the processing.
See Figure 11.16 for examples of the DSB statement properly written.


Fig. 11.16. Examples of the DSB Declarative.

## Figure 11.16-Commentary

The first DSB in Figure 11.16 reserves 150 positions of core. The ninth digit from the leftmost core position is synonymous with "Array."

The second example reserves 150 2-digit locations for a total of 300 positions. The first element in the array is called "Data."

Note: The use of the DSB may be circumvented by the use of two DS statements. See the following table.

| DSB Usage |  | DS Usage |  |
| :--- | :--- | :--- | :---: |
| ARRAY | DSB 10,15 | ARRAY |  |
|  |  | DS 10 |  |
| DATA | DSB 2,150 | DATA |  |
|  |  | DS 2 |  |
|  |  |  |  |
|  | DS 298 |  |  |

Three additional processor control operations are available for both the card and tape systems. As with DSB and DSA, a certain amount of programming sophistication is necessary before they can become useful.

These operations are: Transfer Control and Load, Transfer to Return Address, and Head.

## TCD (TRANSFER CONTROL AND LOAD)

This code may be employed during the assembly process so that, during the loading of the object program, the loading operation may be temporarily interrupted. During this interruption, it is possible to execute the portion of the program that has just been read into core. At the conclusion of such execution, a return to the loader can be accomplished through the use of a TRA (to be discussed). A further segment of the
object program can then be entered into memory, overlaying the portion just executed. In this fashion programs that are too large for existing core may be segmented by such a chaining technique.

As a TCD is encountered by the processor, the assembly system punches the arithmetic tables, a loader "interrupter," a Branch instruction, and another set of loading instructions. During the loading of this object program, the Branch instruction is preceded by the arithmetic tables and loader interrupter, but the new set of loading instructions does not enter core. These instructions will be called by the TRA command. The address of the Branch is specified by the operand of the TCD.

The rules of a TCD follow:

1. The code TCD appears in columns $12-14$ of the operation field.
2. The first (and only) operand states the address of an unconditional branch to be generated by the processor. The address may be asterisk, symbolic, or actual. If symbolic, it must have been previously encountered in the source program.
3. A TCD may not be labeled.

Example 37 shows the use of TCD.

## Problem

It is necessary to initialize an area of memory to 100 fields. Each field is 5 digits in length and is of the form: $\overline{0} 0000$. The last field is to fall with its units position at 19999. At the conclusion of this initialization procedure, this program may be destroyed by entering the remainder of the program over it.


## TRA（TRANSFER TO RETURN ADDRESS）

This code may be used to reinstate the loading procedure that was interrupted by the cards or tape records produced as a result of a TCD． Loading of the program will continue until another set of TCD produced records is encountered or until the records produced by the DEND interrupt the loading for final execution．

The rules of a TRA are：
1．The code TRA appears in columns $12-14$ of the operation field．
2．The TRA produces two instructions to reinstate the loader．These are：
RNCD（RNPT） 0
B 0
3．Labeling the TRA is equivalent to labeling the first of the two pro－ duced instructions as mentioned in（2）．
4．A TRA is without operands．
Example 38 shows the use of TRA．

## Problem

It is necessary to initialize an input area to 80 fields．Each field is of the following form：00．This 160－position area is to have a record mark following the highest addressed field：$\overline{0} 0 \overline{0} 0 \overline{0} 0 \ldots \overline{0} 0 \ddagger$
The record mark is to fall in position 15128.
At the conclusion of the initialization program，read in the main program and begin execution．

| ${ }_{3}$ LIME | ${ }^{\text {LabEL }}$ | Operarion | Opfranos a remarks |
| :---: | :---: | :---: | :---: |
|  |  | DQR．G | 4．0．2 |
| 2.0 | G． 1 | T．F．M． | $60+9,80,1,10$ |
| $\checkmark$ |  | T．D，M | 1，5，1，2，8， |
| 10 |  | D，C． | 1，四，茾， |
| $5 \cdot 0$ |  | T，F，M | $x+, 6,1,5,1,2,7$ |
| 1. | ${ }_{1}$ | T，FM， | ，0，，1， 0 |
| $0,7,0$ |  | S．M． | $6,0,+9,1,1,1,0$ |
| 0 |  | B， $\mathrm{Z}_{1}$ | QU，T |
| 0 |  | A，M， | $x+6,-2$ |
| 0 |  | B． |  |
| 1.1 |  | D，QR．G | ＊－3， |
| 1，2．0 | Q，U．T． | T，R，A |  |
| ． |  | T．C．D． | G． 1 |
| 1．4，0 |  | D，Q，R，G | 4，0，2 |
| 5.0 | X，E，C，U，，，E |  |  |
| ， 0 |  |  |  |
| 10 |  |  |  |
| 0.0 |  | D，E，N． |  |
| ， 10 |  |  | 山ぃいい」 |

Example 38

## HEAD

Head cards (or tape records) may be employed whenever a conflict in label names is apt to occur.

As an example, consider a program written in five sections by five programmers. These sections appear as

| Section 1 | Programmer A |
| :--- | :--- |
| Section 2 | Programmer B |
| Section 3 | Programmer C |
| Section 4 | Programmer D |
| Section 5 | Programmer E |

Unless careful attention is given to labeling before the programming begins, label conflicts can, and probably will, occur. That is, programmers B and D may use the label TEMP such that:


These labels cause a conflict in that (1) there is a multiply-defined label condition existing, and (2) the labels reference entirely different areas.

To complicate the problem further, assume that programmer E of section 5 has used the label TEMP and that this label is to refer to the same area used by programmer D in section 4 . On the surface, it appears that programmer B is in the minority and will have to change all references to label "TEMP" to, let us say, "TEMPX". However, it is conceivable that programmer A has used the label "TEMPX" and thus, the conflict compounds itself.

One obvious solution is to apportion certain labels to each programmer before the actual coding begins. However, this not only defeats the purpose of labeling, but is very restrictive and difficult to implement. The problem is resolvable, fortunately, by the proper use of Head cards.

If the sections were written as

| HEAD A <br> Section 1 |
| :--- |
| HEAD B <br> Section 2 |
| HEAD C |
| Section 3 |
| HEAD D |
| Section 4 |
| HEAD E |
| Section 5 |

all labels of 5 or fewer characters in each section would be said to be "headed" by the Head character which introduces that section.

In this fashion, the label "TEMP" of section 2 would be "TEMP" headed by B. This is not the same as the label "BTEMP." The "TEMP" of section 4 would be "TEMP" headed by D. This is not the same as the label "DTEMP." On the contrary, heading characters are considered to be on a different level from the label itself. Thus, all labels of section 1 are said to be headed by A, those of section 2 by B, of section 3 by C, of section 4 by D , and of section 5 by E . The term "all" in the previous statement refers only to labels of 5 or fewer characters. Six-character labels are immune from heading. This is a desirable feature which allows for cross referencing between sections of a program.

Suppose programmer E wished to branch to a location in section 1 and programmer A is aware of this. They need merely to agree on a standard 6-character label, which cannot be headed, and utilize it properly, namely:

HEAD A


HEAD E
$\left.\begin{array}{ll}\cdots & \\ \cdots & \text { A12345 } \\ \cdots & \end{array}\right\} \quad$ Section 5

In this way, the use of the 6 -character label, and its property of being immune from heading, allows for cross referencing between sections.

Although the discussion thus far has used Head characters A, B, C, D, and E , there is no implication that the Head character must be a particular one. In fact, any character A-Z, 0-9, or blank may be employed as a valid heading symbol.

The concept of cross referencing between sections may be extended to include labels of 5 or fewer characters. The symbol $\alpha \$$ preceding any such label implies that the heading character to be used is $\alpha$ where $\alpha$ is any allowable Head character.
Thus, if section 1 is headed by A and has a label "Start," sections 2, 3, 4, or 5 may branch to that location as follows:

## B A\$START

If section 3 is headed by C and has an area "LOC", and section 1 wishes to add the contents of X93 to the contents of LOC of section 3, this is written as:

## A C\$LOC,X93

Suppose that section 5 wishes to add the contents of VKX2 of section 1 headed by A to the contents of 2.8 Z of section 4 headed by D . This is done as:

$$
\text { A } \quad \mathrm{D} \$ 2.8 \mathrm{Z}, \mathrm{~A} \$ \mathrm{VKX} 2
$$

It is in this fashion that labels of fewer than six characters may be crossreferenced from section to section.

An unheaded section of a program is said to be headed by blank. In this fashion, reference to a label "KON" in an unheaded section, by a headed section, is done by referencing " $\$ \mathrm{KON}$ ".
If a programmer wishes to discontinue the heading process at any time, a Head statement with a blank character must be used. If two programmers write three sections of a program, programmer A writing sections 1 and 3 and programmer B writing section 2, the routine might look as follows:
$\dot{\bullet}$
HEAD x
$\dot{\square}$
HEAD
$\dot{\square}$
$\dot{\square}$

Of course, section 1 could have been preceded by a Head card with blank as the heading character, but this would be superfluous since all labels of section 1 are assumed to be headed by blank if no Head card is associated with the section.

If a symbol " A " in a section headed by X is to be identical with a symbol " A " in a section headed by Y , this can be accomplished through proper use of the Define Symbol declarative in one of the two sections. Thus, either

$$
\text { A DS , } \mathrm{Y} \$ \mathrm{~A}
$$

will equate the two symbols if it appears in the section headed by X or
A DS ,X\$A
will equate the two symbols if it appears in the section headed by Y .
The rules of the Head statement follow.

1. The processor control operation Head appears in columns 12-15.
2. Any character A-Z, $0-9$, or blank may be used as a valid heading character.
3. The heading character appears in column 16.
4. A Head statement may not be labeled.
5. Six-character labels are immune from heading.
6. Labels in an unheaded section of a program are said to be headed by blank.

## DECLARATIVES—CARD SYSTEM ONLY

## DNB (DEFINE NUMERIC BLANK)

This code may be used to define a contiguous area of numeric blanks (C-8-4). It is often desired to punch certain areas of a card with blanks. The rules of the DNB follow.

1. The code DNB appears in columns $12-14$ of the operation field.
2. The first operand states the desired number of blanks.
3. The second operand, if employed, is the synonymity element.
4. The label refers to the low-order position of the blank field.
5. The third operand, if present, is a comment and does not affect the processing.
6. The first and second operands may be actual, symbolic, or asterisk. If symbolic, the symbol must have been encountered previously in the source program.
7. The maximum number of contiguous blanks that may be defined by a single DNB is 50 .
8. In order to move a field of blanks by a TF command, any flagged digit should appear contiguous to the high-order position of the blank field.


Fig. 11.17. Examples of the DNB Declarative.
9. The card punch unit is the only output device that will interpret C-8-4 coding as a blank. This coding produces the @ sign on the typewriter and paper tape punch.

See Figure 11.17 for examples of the DNB properly written.

## DECLARATIVES-TAPE SYSTEM ONLY

## SEND (SPECIAL END)

The code SEND is used to halt the assembly process temporarily to allow for the mounting of another tape, console switch alteration, etc. If the SEND statement is encountered in the card version of SPS, it is ignored. No object coding is generated by a SEND. The rules of the SEND follow.

1. The operation code SEND appears in columns 12-15 of the operation field.
2. A SEND may not be labeled.
3. A SEND may not have operands.
4. Depression of the Start key resumes the assembly if a SEND statement has been encountered.

## GENERAL PROCESSOR INFORMATION

No statement in the source language may exceed 75 characters. In the SPS tape version, every source statement is terminated by an E/L character. A statement that bears an asterisk ( $\star$ ) in column 6 is interpreted as a comment and does not affect the processing. Extensive use of these comments which appear on the listing of the assembled statements and occupy no core assists in the debugging process.

As a review of the uses for the asterisk symbol, the four functions follow.

1. As an operand of an instruction.
2. As an operand of a declarative.
3. As a symbol implying multiplication.
4. As a symbol implying a comment statement.

## ERROR DETECTION

Error messages arise from improper or careless programming and/or punching errors. The following 14 errors are detected by the assembly system and are reported in the form "ERn" where $n$ is the error code.

1. ERI-A record mark is in the label or operation code field.
2. ER2-For address adjustment, a product greater than 10 digits has resulted from a multiplication.
3. ER3-An invalid operation code has been detected.
4. ER4-A dollar sign (\$), which is being used as a Head indicator, is incorrectly positioned in an operand.
5. ER5-(a) The symbolic address contains more than six characters.
(b) The actual address contains more than five characters.
(c) An undefined symbolic address or an invalid special character is used in an operand.
6. ER6-A DSA statement has more than 10 operands.
7. ER7-A DSB statement has the second operand missing.
8. ER8-(a) A DC, DSC, DAC, or DNB has a length operand greater than 50.
(b) A DC, DSC, or DAC has no constant specified.
(c) A DC or DSC has a specified length less than the number of digits in the constant.
(d) A DAC has a specified length not equal to the number of characters in the constant.
9. ER9-The table of labels is full.
10. ER10-A label has been defined more than once.
11. ER11-An assembled address is greater than 5 digits.
12. ER12-A Head statement contains an invalid special character as a heading character.
13. ER13-A Head statement contains more than one character.
14. ER14-An invalid special character is used in a label.

The procedure for handling errors will be discussed in Appendix VII, Console Operating Procedures.

## Chapter 12

## Floating Point Arithmetic

Scientific and engineering computations frequently involve lengthy and complex calculations in which it is necessary to perform arithmetic operations on numbers that may vary widely in magnitude. To obtain a meaningful answer, problems of this type usually require that as many significant digits as possible be retained during calculation and that the decimal point always be properly located. When such problems are applied to a computer, several factors must be taken into consideration, the most important of which is the decimal point location.

Generally speaking, a computer does not recognize the decimal point present in any quantity used during a calculation. Thus a product of 414154 will result regardless of whether the factors are $9.37 \times 44.2,93.7 \times$ 0.442 , or $937 . \times 4.42$, and so forth. It is the programmer's responsibility to be cognizant of the decimal point location before and after the calculation and to arrange the program accordingly. For example, in an addition operation, the decimal point of all numbers in the operation must be lined up to obtain the correct sum. Therefore, the programmer must guarantee this arrangement by shifting the quantities as they are added.

Example:


Program to calculate $\mathrm{A}+\mathrm{B}+\mathrm{C}$

| BNF | $\star+24, \mathrm{~B}$ |
| :--- | :--- |
| SF | $\mathrm{B}-3$ |
| A | A,B-3 |
| BNF | $\star+24, \mathrm{C}$ |
| SF | C-2 |
| A | A,C-2 |

If the program were
A A,B
A A,C
the result would not be accurate (except by chance) since the decimal points are not properly aligned.

All of the digits in all of the data are not used in the first (correct) solution to the problem, but under the statement of the problem, there is little choice in the matter.

Another course might be to define an 11-digit field of zeros, symbolically called "Zeros," and produce the following program:

| A | ZEROS-3,A |
| :--- | :--- |
| BNF | $\star+36$, ZEROS-3 |
| CF | ZEROS-3 |
| SF | ZEROS-1 |
| A | ZEROS-1,C |
| BNF | $\star+36$, ZEROS-1 |
| CF | ZEROS-1 |
| SF | ZEROS |
| A | ZEROS,B |

However, the only portion of the answer that has mathematical foundation is the portion "Zeros- 10 " through "Zeros-3" inclusive. The significant difference is that the first program ignored the possibility of carries whereas this program extends itself to propagate those carries into position "Zeros-3."

It is conceivable, though, that when numbers that vary greatly in magnitude are manipulated, the resulting quantity could exceed practical working limits.
The processing of numbers expressed in ordinary form (for example, $427.93456,0.0009762,5382 .,-623.147,3.1415927$, etc.) can be accomplished on a computer only with extensive analysis to determine the size and range of intermediate and final results. When programmed, this analysis and subsequent number scaling will frequently require a larger percentage of the total time needed to solve the problem than will the actual calculation. Furthermore, number scaling requires complete and accurate information regarding the bounds on the magnitude of all numbers that come into the computation (input, intermediate results, output). Since it is not always possible to predict the magnitude of all numbers in a given calculation, analysis and number scaling is sometimes impractical.

To alleviate this programming problem, a system must be employed in which information regarding the magnitude of all numbers accompanies the quantities in the calculation. That is, if all numbers are represented in some standard predetermined format which instructs the computer in an orderly and simple fashion as to the location of the decimal point, and if this representation is acceptable to a computer, then quantities that range from minute fractions having many decimal places to large whole numbers having many integer places may all be handled with ease.
The arithmetic system most commonly used, in which all numbers are expressed in a format having the above features, is called "floating point arithmetic." Specialized programs that handle floating point numbers are called "floating point subroutines." The notation used in floating point arithmetic is basically an adaptation of the scientific notation widely used today. In scientific work, very large or very small numbers are expressed as a number between .1 and $.99 . .$. , times a power of 10 . That is, the decimal point of all numbers is placed to the left of the high-order (leftmost) nonzero digit. Hence, all quantities may be thought of as a decimal fraction times a power of 10 (for example, 427.93456 as $0.42793456 \times 10^{3}$ and 0.0009762 as $0.9762 \times 10^{-3}$ ) where the fraction is called the "mantissa" and the power of 10 , used to indicate the number of places the decimal point was shifted, is called the "characteristic." In addition to the advantages of uniformity inherent in scientific notation, the use of floating point numbers during processing eliminates the necessity of analyzing operations to determine the position of the decimal point in intermediate and final results since the decimal point is always immediately to the left of the high-order digit in the mantissa.

In the 1620 floating point arithmetic system, each quantity is expressed as an $n$ digit number ( $4 \leq n \leq 47$ ) consisting of a 2-digit characteristic and an ( $n-2$ )-digit fractional mantissa. This fraction, in absolute value, may extend between $0.100 \ldots 00$ and $0.999 \ldots 99$. This is shown in Figure 12.1.


Fig. 12.1. Form of a Floating Point Number.
In Figure 12.1, $c$ represents the characteristic and $m$ the mantissa, as explained below. The original number is $m \times 10^{\text {c }}$.

The mantissa ( $m$ ), or fractional part of the number, consists of the leftmost ( $n-2$ ) digits of the floating point number. The decimal point is always tacitly assumed to lie immediately to the left of the high-order mantissa digit. The sign of the original number is always associated with the mantissa and is designated by the presence (for negative) or absence (positive) of a flag in the units position of the mantissa. A mantissa is called "normal" or "normalized" when its high-order digit is nonzero. In 1620 floating point, the mantissa must always be normalized. The floating point subroutines always leave normalized floating point numbers as the result of a floating point operation, with one exception. The exception to the "normalized mantissa rule" is a floating point zero which is always expressed as $0.000 \ldots 00$ with a characteristic of -99 .

The characteristic (c) represents the power of 10 used to specify the location of the decimal point in the original number. It stands for the number of places the decimal point was shifted in order to place it to the left of the high-order, nonzero digit. The direction of the shift is determined by the sign of the characteristic. Thus, if the sign of the characteristic is negative, the decimal point was shifted to the right the number of positions specified by the characteristic. If no sign is indicated-the absence of sign specifying a positive characteristic-the shift was to the left. Thus, the characteristic can assume a range of values from -99 to 99, inclusive,

$$
-99 \leq c \leq 99 .
$$

Upon combining the ranges and the mantissa and characteristic, we see that floating point numbers may lie within the range

$$
\pm 0.100 \ldots .00 \times 10^{-99} \text { to } \pm 0.999 \ldots 99 \times 10^{99} .
$$

In floating point form, both the characteristic and mantissa are always flagged over their respective high-order digits to indicate the end-of-
field condition. Table 12.1 demonstrates the conversion of numbers in ordinary form to 1620 variable-size floating point notation.

Table 12.1

| Number | Normalized | Mantissa Size | Floating Point <br> Form |
| :--- | :--- | :---: | :--- |
| 123.45678 | $0.12345678 \times 10^{3}$ | 8 digits | $\overline{1} 2345678 \overline{0} 3$ |
| 0.00765432 | $0.765432 \times 10^{-2}$ | 6 digits | $\overline{7} 65432 \overline{0} \overline{2}$ |
| 0.00765432 | $0765432 \times 10^{-2}$ | 10 digits | $\overline{7} 654320000 \overline{0} \overline{2}^{*}$ |
| -0.1234987623 | $-0.1234987623 \times 10^{0}$ | 13 digits | $\overline{1} 23498762300 \overline{0} \overline{0} 0^{*}$ |
| -0.1234987623 | $-0.1234987623 \times 10^{0}$ | 3 digits | $\overline{1} 2 \overline{3} \overline{0} 0^{* *}$ |
| -0.00001 | $-0.1 \times 10^{-4}$ | 2 digits | $\overline{1} \overline{0} \overline{0} \overline{4}^{*}$ |
| -0.00001 | $-0.1 \times 10^{-4}$ | 8 digits | $\overline{1} 000000 \overline{0} \overline{0} \overline{4}^{*}$ |
| -0.0 | $-0.0 \times 10^{0}$ | 4 digits | $\overline{0} 000 \overline{9} \overline{9}^{*}$ |
| 0.0 | $0.0 \times 10^{0}$ | 4 digits | $\overline{0} 000 \overline{9} \overline{9}^{*}$ |

* Low-order zeros added to increase mantissa size to desired length.
** Mantissa truncated to reduce size to desired length.


## GENERAL NOTES ON 1620 FLOATING POINT SUBROUTINES

In the 1620 floating point subroutines, an attempt to generate a characteristic of magnitude greater than 99 creates a condition called "characteristic overflow." An attempt to generate a characteristic less than -99 creates a condition called "characteristic underflow." Should either of these conditions be generated as a result of an arithmetic operation, the programmer will be provided with a choice of two options as follows:

## overflow

1. Program Halt
or
2. The floating point number
$\overline{9} 9 \ldots 99 \overline{9} 9$ is placed in the result field and the program continues.


Fig. 12.2. Overflow-Underflow Schematic.

## UNDERFLOW

1. Program Halt
or
2. The floating point number
$\overline{0} 0 \ldots 00 \overline{9} \overline{9}$ is placed in the result field and the program continues.

These options function independently of each other. Thus it is possible to halt on an underflow and place 9's in the result field on an overflow. The converse is also true. The detection of an overflow or underflow condition will cause the subroutine being executed to examine core position 00401 to determine the course of action. The programmer must make manual or programmed provisions for one of the four conditions in order to exercise his option.

## GENERAL NOTES ON THE USE OF FLOATING POINT ARITHMETIC

During any floating point calculation the size of the two operands must be identical. Thus, it is not possible to "floating add" a 17-digit floating point number and an 8 -digit floating point number.

Another form of floating point assumes a fixed word size of 10 digits consisting of a 2-digit characteristic and an 8-digit mantissa. The characteristic precedes the mantissa and a notation called "excess fifty" is employed. Excess fifty implies that the number 50 is added to the
characteristic developed. Thus, the characteristic may assume values between 00 and 99 only. In this fashion, the number $25.3\left(0.253 \times 10^{2}\right)$ becomes $\overline{5} 225300000$ in floating point form. Similarly, the number $-0.0000001\left(-0.1 \times 10^{-6}\right)$ becomes $\overline{4} 41000000 \overline{0}$. This notation has been widely used in a great variety of decimal computers but does not lend itself well to variable-word-size floating point.

## Problems

I: Convert the following numbers to floating point notation. The number in parentheses is the mantissa size desired.

1. 15.96(9)
2. $-50073 .(12)$
3. 10128.965(4)
4. $-8.9(15)$
5. $0.127(5)$
6. $-0.00001589(6)$
7. -0.0 (12)
8. $-0.001248(4)$
9. 183.72(10)
10. $0.00000001(7)$
II. Convert the following numbers to their fixed point representation. Use sufficient digits to fully express the number: 100000 is to be expressed as 0.1000 not as 0.1.
11. $\overline{5} 38 \overline{0} 7$
12. $\overline{9} 56121 \overline{7} \overline{0} 3$
13. $\overline{1} 72152 \overline{0} \overline{2}$
14. $\overline{8} 10219 \overline{3} \overline{1} \overline{2}$
15. $\overline{6} 1 \overline{0} 0$
16. $\overline{7} 522128 \overline{\mathrm{I}} 1$
17. $\overline{1} 111111 \overline{1} \overline{1}$
18. $\overline{2} 113419 \overline{0} \overline{1}$
19. $\overline{6} 116 \overline{0} 0$
20. $\overline{1} 51719121 \overline{8} \overline{1} \overline{0}$

## Chapter 13

## Macro-Instructions

Whenever the use of a subroutine is required by a main program, it must be suitably incorporated into that program. That is, the subroutine must be logically connected to the main program in such a way that the subroutine will be executed at the proper time and, at its completion, will return control to the main program to continue the execution of the problem.

One method by which this connection can be effected is to insert the subroutine directly into the larger program where needed. A subroutine incorporated in this fashion is called an "open subroutine" or "direct insert subroutine." In most cases, however, this method of connection is not entirely practical or desirable. For example, in a program that requires the evaluation of a square root at 15 different places, it would be superfluous to incorporate the same square root subroutine 15 times. The desirable solution is to store the subroutine once, out of the main line sequence of the program, and, when required, enter the subroutine by a branching operation. Provision must also be made to return control to the main program at the completion of the subroutine.

Subroutines connected in this fashion are called "closed" or "linked" subroutines. The instructions related to the entry and re-entry function constitute the linkage. In general, it is necessary for the linkage instructions to a closed subroutine to supply three items of information:

1. The address of the subroutine desired.
2. The return address after completion of the subroutine.
3. The address(es) of the $\operatorname{argument}(\mathrm{s})$ in question, or the actual argument(s) itself/themselves.

The instructions that provide this linkage may, of course, be written by the programmer. However, certain special macro-instructions may be employed by the programmer to cause automatic generation of these linkage instructions. A macro-instruction may be defined as a pseudoinstruction which, during assembly, generates more than one machine language instruction. For the 1620 Symbolic Programming System ${ }^{1}$ there are 17 macro-instructions available. Each of these "macros," when used in a source program, will generate the instructions necessary to provide proper linkage to one of the 17 subroutines. The subroutines are of two categories: arithmetic and functional. Table 13.1 gives a list of all available macro-instructions.
Thus, by placing in the source program, at the point at which a particular subroutine is desired, the macro-instruction related to this subroutine, the programmer will cause the SPS processor to generate, during assembly, the linkage to the desired subroutine. In addition, the processor will arrange for the subroutine to be placed in core storage. Thus, when required during the execution of the object program, the subroutine will be transferred to and executed. The data and addresses required by the subroutine, and supplied by the macro-instruction, are incorporated into the linkage instructions where they are either (1) transmitted directly to the subroutine or (2) simply made available for use.

In this way, the subroutine obtains the information it requires to perform its given task and also obtains the information required to generate a return address to the main program. Control is returned to the main program at the completion of the subroutine by branching to the return address.

In the discussion of many of the macro-instructions, a reference is made to Appendix IV, "Floating Point Hardware," for a description of their operations. This is not to imply that macro-instructions are genuine machine commands but rather that their operation simulates the analogous machine code. With the realization that subroutine linkages are generated by use of these macro-instructions, the programmer may consider them as if they were actual machine commands.

[^4]Table 13.1*

| Arithmetic | Functional |
| :--- | :--- |
| Floating Add (FA) | Floating Square Root (FSQR) |
| Floating Subtract (FS) | Floating Sine (FSIN)-Radian argument |
| Floating Multiply (FM) | Floating Cosine (FCOS)-Radian argument |
| Floating Divide (FD) | Floating Arctangent (FATN) |
| Fixed Divide (DIV) | Floating Exponential (FEX)-Base $e$ |
|  | Floating Exponential (FEXT)-Base 10 |
|  | Floating Logarithm (FLN)-Base $e$ |
|  | Floating Logarithm (FLOG)-Base 10 |
|  | Floating Transmit Field (TFLS) |
|  | Floating Branch and Transmit (BTFS) |

* Two additional macro-instructions are also available, but their use is greatest with the variable mantissa version of SPS. These macros are Floating Shift , Right (FSRS) and Floating Shift Left (FSLS). See Appendix IV "Floating Point Hardware," for a discussion of their function.


## LINKAGE

A design for a subroutine linking scheme is generally a compromise between the maximum amount of information that can be obtained from the linkage and the minimum core required by the linkage. The primary linking instructions used by all macro-instructions in the 1620 symbolic system are as follows:

where "Pick" is a subroutine used by all macros and "Link" is the location of a secondary linkage.

This secondary linkage generally takes the following form:

where "Sub" is the address of the desired subroutine and " K ," " C ," and " J " are constants supplied by the processor.

In this way the secondary linkage and the Pick subroutine act as intermediaries between the primary linkage and the actual subroutine desired. Pick is given the address of the address of the first argument by the primary linkage. Having this, Pick can then calculate the address of the address of the second argument, third, and so forth, and lastly the return address to the main program. The Pick routine is given the address of the main subroutine by the secondary linkage and the combination of these items allows Pick to operate as a successful "middle man."

All secondary linkages are located after the last instruction generated by the SPS source program, and the Pick subroutine follows the last of the secondary linkages. All subroutines follow Pick. Therefore, it is necessary to know the size of all these elements in order to be assured that the program will not overflow the available core storage. The schematic of the linkage system is presented in Figure 13.1.


Fig. 13.1. Schematic of Linkage System.

## ARITHMETIC MACRO-INSTRUCTIONS

## FLOATING POINT

In each of the macro-instructions related to the four floating point subroutines, two addresses, represented by A and B, must be specified.

These addresses, which may be symbolic or actual, must reference the low-order characteristic digit of the floating point data to be added, subtracted, and so forth.
During the execution of the floating point arithmetic subroutines, the Overflow, $\mathrm{H} / \mathrm{P}$, and $\mathrm{E} / \mathrm{Z}$ indicators will be used. The Overflow indicator is always reset at the beginning of each floating point arithmetic subroutine. Should its status prior to the execution of such a subroutine be desired, the indicator must be tested and its condition stored before the linkage instructions are executed.

After completion of the operation, the $\mathrm{H} / \mathrm{P}$ and $\mathrm{E} / \mathrm{Z}$ indicators will be set according to the mantissa of the result. All floating point subroutines (arithmetic and functional) require that the floating point quantities used contain flags over the high-order characteristic and mantissa digits. If any operation produces a zero result, the form assumed by the zero in floating point is $\overline{0} 0000000 \overline{9} \overline{9}$.

## FLOATING ADD

1. Macro-instruction:

2. Operation: The operation of the macro " FA " is identical with that of the hardware command "FADD" described in Appendix IV.

## FLOATING SUBTRACT

1. Macro-instruction:

2. Operation: The operation of the macro "FS" is identical with that of the hardware command "FSUB" described in Appendix IV.

## FLOATING MULTIPLY

1. Macro-instruction:

2. Operation: The operation of the macro " $F M$ " is identical with that of the hardware command "FMUL" described in Appendix IV.

## FLOATING DIVIDE

1. Macro-instruction:

2. Operation: The operation of the macro "FD" is identical with that of the hardware command "FDIV" described in Appendix IV.

## FIXED POINT

## FIXED DIVIDE

1. Macro-instruction:

2. Operation: The macro operand "LD" is identical in operation to the hardware command "Load Dividend" discussed in Appendix II in the section on "Automatic Division." This operand may be symbolic or actual.

The macro operand " $D$ " is identical in operation to the hardware command "Divide" discussed in Appendix II. This operand may be symbolic or actual.
The operands A and B specify the dividend and divisor respectively. A description of the macro "DIV" can be best obtained by referring to the sections explaining the hardware commands "Load Dividend" and "Divide" in Appendix II.

## FUNCTIONAL MACRO-INSTRUCTIONS

At the conclusion of any functional subroutine, the status of the $\mathrm{H} / \mathrm{P}$, $\mathrm{E} / \mathrm{Z}$, and Overflow indicators will not necessarily reflect the result of the operation. These indicators will be in constant use during the execution of the subroutine and therefore their status at the conclusion of any subroutine should not be construed to be their status prior to the execution of the subroutine.

Several pairs of subroutines have been combined into single subroutines due to their mathematical similarity (sine-cosine; $\log _{10}-\log _{e}$; $\left.e^{x}-10^{x}\right)$. This is done to reduce the number of program steps that are common to both and, simultaneously, reduce storage requirements. The subroutines are distinguished from one another by their entry point and their correct use is obtained through the use of the macro pertaining to the particular subroutine desired.

As in the case of arithmetic macro-instructions, two addresses, symbolic or actual, are specified. These addresses reference the units position of the characteristics of the floating point numbers.

## FLOATING SQUARE ROOT

1. Macro-instruction:

2. Operation: The floating point data referenced by B will have its square root extracted and the resultant floating point number will be stored with its low-order characteristic digit at the core position referenced by A. The floating point number referenced by B is not altered.

## FLOATING SINE AND COSINE

1. Macro-instruction:

2. Operation: The sine/cosine of the floating point data referenced by $B$ (which must be in radian measurement) will be computed and the resultant floating point number will be stored with its low-order characteristic digit at the core position referenced by A. The floating point number referenced by $B$ is not altered.

## FLOATING ARCTANGENT

1. Macro-instruction:

2. Operation: The arctangent of the floating point data referenced by B will be computed and the floating point result, in radians, will be stored with its low-order characteristic digit at the core position referenced by A . The floating point number referenced by B is not altered.

## FLOATING EXPONENTIAL

1. Macro-instruction:

2. Operation: The antilogarithm of the floating point data referenced by B will be computed and the floating point result will be stored with its low-order characteristic digit at the core position referenced by A. The floating point number referenced by B is not altered. If the argument is negative, the subroutine operates with the absolute value of the argument and then computes the reciprocal value by division.

## FLOATING LOGARITHM

1. Macro-instruction:

2. Operation: The logarithm of the floating point data referenced by B will be computed and the floating point result will be stored with its low-order characteristic digit at the core position referenced by A. The floating point number referenced by B is not altered.

## FLOATING TRANSMIT FIELD (TRANSMIT FLOATING FIELD)

1. Macro-instruction:

2. Operation: The operation of the macro "TFLS" is identical with that of the hardware command "TFL" described in Appendix IV.

## FLOATING BRANCH AND TRANSMIT

(BRANCH AND TRANSMIT FLOATING)

1. Macro-instruction:

2. Operation: The operation of the macro "BTFS" is identical with that of the hardware command "BTFL." This is described in Appendix IV.

## RESTRICTIONS ON FUNCTIONAL ROUTINES

1. FSQR-The argument must be positive. If the argument is less than zero, the subroutine executes a programmed halt. The operator may either (a) manually branch back to the main program or (b) depress the Start key and compute the square root of the absolute value of the argument.
2. FSIN/FCOS-The subroutine will execute a programmed halt if the characteristic of the floating point argument is greater than 08. For all arguments with exponent less than or equal to 03 , the maximum error produced will not exceed $10^{-8}$. For arguments whose characteristic is greater than 03, the accuracy decreases as the characteristic increases.
3. FATN-The Arctangent subroutine accepts any number in the floating point range.
4. FEX-An argument that exceeds 227.95592 results in exponent overflow. An argument less than -227.95592 causes exponent underflow. Should such a condition arise, the subroutine examines core position 00401 to determine the course of action.
5. FEXT-An argument that exceeds 98.900000 results in exponent overflow. An argument less than -98.900000 causes exponent underflow. The course of action is identical with that of exponent overflow/underflow for FEX.
6. FLN/FLOG-The subroutine will execute a programmed halt if the argument is less than or equal to zero. A return to the main program can then be effected by the operator.

## GENERAL MACRO-INSTRUCTION INFORMATION

In addition to creating linkage instructions to the subroutine desired, the use of a macro-instruction will cause the subroutine(s) required to be punched into the object program tape or card deck. The necessary subroutines will thus be loaded into core storage during the loading of the object program.
Incorporating the subroutines into the object program requires that all subroutines be available to the processor during assembly. Since their physical size precludes their being in core along with the processor, a separate tape or card deck containing all of the subroutines must be assembled in conjunction with the source program. The subroutine(s) required will be selected from the subroutine tape or deck, assigned core storage space, and punched into the object tape or deck.
Subroutines will be assigned to an area in core storage which immediately follows the Pick subroutine. Care must be exercised by the programmer to provide, between the last location assigned by the processor and 19999 (39999, 59999), sufficient space to accommodate the subroutines called for.
Each subroutine will be complete with the constants and working areas it requires for proper execution. These constants and working areas may be common to several subroutines and will be assembled into the object program only once. Sharing common storage and constants eliminates redundancy and minimizes storage requirements. It should be noted that four subroutines require the division operation. If a machine installation is without the automatic division feature, the division subroutine will be called in its place; core storage should be alloted for this. This decision is a function of which subroutine deck is utilized. The four subroutines are (1) Floating Divide, (2) Floating Arctangeni, (3) Floating Exponential, and (4) Floating Logarithm.

A macro-instruction may be labeled in the source program. During assembly, a reference to this label will be a reference to the first instruction generated by this macro. The A address therefore is

> LABEL+23
and the B address is

> LABEL+28
where "Label" is the symbolic name given to the macro.
A macro-instruction may not contain a flag operand or a remarks operand.

## SPECIFICATIONS OF THE PICK SUBROUTINE

The Pick subroutine is, common to all subroutines. During the execution of the object program, the Pick subroutine performs five major functions. These are:

1. The A and B operands are located in working areas.
2. A return address (to the main program) is calculated.
3. The subroutine is branched to.
4. The calculated result is stored in the proper location.
5. The return to the main program is effected.

In addition to the five functions described above, the Pick subroutine has the following three secondary functions:

1. All error messages are initiated by the Pick subroutine.
2. If the error condition is such that the processing may continue, the Pick subroutine returns to the subroutine in question.
3. Constants and working storage are provided by Pick.

The material in Table 13.2 gives the approximate core size for all subroutines that would be utilized on a 1620 without the automatic division feature. Following this, in Table 13.3, is the analogous chart for those subroutines that utilize the automatic division feature.

Table 13.2
Storage Requirements for Subroutines without Automatic Division

| Subroutine | Fixed Mantissa | Variable Mantissa |
| :--- | :---: | :---: |
| PICK | 872 | 1136 |
| DIV | 1047 | 1035 |
| FA, FS (Combined) | 543 |  |
| FM | 239 | $1207^{\circ}$ |
| FD | 523 | 659 |
| FSQR | 579 | 1098 |
| FCOS, FSIN | 843 | 1487 |
| FATN | 1077 | 1258 |
| FEXT, FEX | 784 | 1209 |
| FLOG, FLN | 886 | 279 |
| FSRS | 279 | 372 |
| FSLS | 372 | 31 |
| TFLS | 31 | 79 |
| BTFS | 79 |  |

* All four arithmetic floating point subroutines are combined in one set to save storage.

Table 13.3
Storage Requirements for Subroutines with Automatic Division

| Subroutine | Fixed Mantissa | Variable Mantissa |
| :--- | :---: | :---: |
| PICK | 872 | 1136 |
| DIV $^{*}$ | 187 | 199 |
| FA, FS (Combined) | 543 |  |
| FM | 239 | $1163^{\circ *}$ |
| FD | 335 | 659 |
| FSQR | 579 | 1054 |
| FCOS, FSIN | 843 | 1379 |
| FATN | 989 | 1118 |
| FEXT, FEX | 740 | 1145 |
| FLOG, FLN | 842 | 279 |
| FSRS | 235 | 372 |
| FSLS | 279 | 31 |
| TFLS | 372 | 79 |
| BTFS | 79 |  |

[^5]
## NOISE

In operations associated with floating point arithmetic, a process termed "normalization" often takes place. Normalization is a left shifting operation which eliminates high-order zeros in the mantissa of a floating point number produced by a calculation. Thus, a product of two numbers

$$
\begin{equation*}
(\overline{1} 10 \overline{0} 2) \times(\overline{1} 10 \overline{0} 2) \tag{1}
\end{equation*}
$$

produces the result
and not

Often, however, this left shift introduces zeros into the units position of a mantissa. Thus, a result before normalization might appear as
( $0081250 \overline{6}$ )
and after normalization as

A zero is chosen as the "fill" digit only because there is no knowledge of the digit that should be selected. When a digit other than zero is selected as the fill digit, the calculation is said to be performed in the "noisy" mode. The fill digit is termed the "noise" digit, or simply "noise."

In the normal execution of arithmetic, because the results are always truncated, ${ }^{1}$ small, unavoidable errors are introduced in the results of the arithmetic operations. These errors may accumulate to the point where the final results are greatly affected. The noisy mode is used to detect the sensitivity of a computation to the growth of truncation errors. In the noisy mode, the results are modified slightly to determine the effect of such slight perturbations.
The 1620 linkage system allows the programmer to specify any noise digit he wishes. This can be any digit zero through nine. However, if a programmer runs a problem twice, once in the zero fill mode, and once in the nine fill mode, and no significant difference in his results are noted, it is probable that his results are good. If, on the other hand, a significant difference is noted between the two runs, the programmer should suspect that the computation is very sensitive to truncation error. Much numerical experimentation of these points remains to be done.

A noise digit must always be specified in any program which uses macros. This is done by preceding the DEND statement by the statement.

> DAC 1,X
where " X " is the noise digit requested, 0 through 9 .
Failure to specify a noise digit in the exact manner stated may cause a failure in the assembly process and also in the running of the object program.

This noise digit will be transferred to location PICK-1 by the subroutine processor and may be altered during the running of the object program by referencing

$$
\text { NOISE }+20 \star K
$$

where "Noise" is the label of the statement

## DAC 1,X

and " $K$ " is the number of secondary linkages.
As an example, assume that the main body of the following sample program begins at location

$$
\text { ZEROFL + } 12
$$

and that five separate macro-instructions have been employed. If the programmer begins execution of the object program at location
${ }^{1}$ The terminology concerning error unfortunately is very vague. Truncation is generally understood to imply "cutting off" certain digits in order to carry a constant number of digits per data field. Thus, the product of two $n$-digit numbers produces a result of length $2 n$, but only the first $n$ digits are retained. It is not generally understood that a "round" may or may not take place before the truncation. The purpose of rounding is to improve the accuracy of the data field that is retained.

## START

he will utilize zero fill or nine fill depending upon the setting of console switch 1. If he chooses to begin his program at

## ZEROFL +12

the fill digit will be 5 .


## Chapter 14

## Introduction to Fortran

The past few years have seen vast technological advances made in computer design. Storage devices with access speeds measured in microseconds and even nanoseconds ${ }^{1}$ have been developed; solid-state circuitry has greatly increased circuit reliability; highspeed magnetic tape units and disk files have been developed. The three advances listed here by no means exhaust the list; they serve as but a small sample from a large population. With these technological advances in computer design in mind, one might pose the question, have any advances been made in programming systems? Certainly this is a reasonable question.

We have studied in detail the Symbolic Programming System. It was noted that the symbolic system relieves the programmer of the tedious and error-breeding task of keeping track of numerical addresses; easy to remember mnemonics are substituted for numbers. This results in reducing programming time and thus reflects a monetary saving to the computer user. A large portion of the cost of solving a problem on a computer is programming time. It is not uncommon for a programmer to spend months programming an application and then have the computer execute the program and produce the results in a few minutes.

The reader will recall that each symbolic instruction produces one machine language instruction, except macro-instructions which generate more than one machine language instruction. Although the symbolic system eases the programming task, it is still necessary for the programmer

[^6]to write down the same number of program steps (macros excepted) to solve a problem as in machine language. Let us now imagine a processor so powerful that it can generate many machine language instructions for each source statement it receives. In this way we could issue a source statement such as $A=B+C+D+E$ and have the processor generate all the machine language instructions necessary to satisfy the requirements of the source statement. Such processors do exist. Fortran, Cobol, and Algol are all programming systems incorporating these powerful processors.
Fortran is the name that was given to a programming system developed primarily for use in the scientific and engineering areas. The purpose of the Fortran system is to simplify programming by allowing the programmer to state in a relatively simple language, closely resembling that of ordinary algebra, the steps of a procedure to be carried out for the solution of a problem, and to obtain automatically from the computer, under direction of the processor, an efficient machine language program for this procedure. The term "efficient" is very significant. It would not benefit us greatly in overall job time if programming time were decreased only to have the generated machine language program take four or five times as long to run as a hand-written machine language or SPS program. The 1620 Fortran system generates a highly efficient machine language program.

The following definitions of terminology are used in this and subsequent chapters:

1. Fortran language-A set of statements, similar to the expressions used in ordinary algebra. These statements are used by a programmer to define a problem.
2. Source statement-One Fortran language statement.
3. Source Program-A program written in the Fortran language. It is made up of a series of source statements.
4. Fortran Compiler (or Translator)-A machine language program which analyzes the source statements and converts them to machine language instructions.
5. Object Program-The totality of machine language instructions produced by the Fortran processor by operating on the statements of the source program.

The name "Fortran" comes from "FORmula TRANslation" and was chosen because many of the statements which this system accepts look like algebraic formulas. The Fortran system consists of two parts: the Fortran language and the Fortran compiler or translator. The programmer writes his instructions to the computer in the Fortran language. The Fortran processor is an extensive set of machine language instructions that direct the 1620 to translate the Fortran language statements into a
machine language program. This process of translation is called "compilation." Use of the Fortran system consists of the following steps:

1. Read the Fortran processor program into the 1620.
2. Each Fortran statement is read in and analyzed by the processor program, and the machine language instructions to satisfy the requirements of the source statement are punched.
3. Read in the subroutines and punch those required by the object program. Subroutines are prewritten programs that perform standard routines such as calculating the sine and cosine of an angle, raising a number to a power, or taking the natural logarithm of a number.
4. Read in the object program and the data.

The above steps are represented by Figure 14.1.


Fig. 14.1. Steps in the Fortran System.

Virtually any numerical procedure may be expressed in the Fortran language. As an example of the power of the Fortran system let us write the Fortran statement to evaluate one of the roots of a quadratic equation given by the formula

$$
x=\frac{-B+\sqrt{B^{2}-4 A C}}{2 A}
$$

The Fortran statement expressing this formula is

$$
\mathrm{X} 1=\left(-\mathrm{B}+\operatorname{SQRT}\left(\mathrm{B} \star \star_{2}-4 . \star_{\mathrm{A}} \mathrm{~A}^{\mathrm{A}} \mathrm{C}\right)\right) /\left(2 . \star_{\mathrm{A}}\right)
$$

This statement would cause the processor to generate the machine language instructions to evaluate the function to the right of the equal sign. The variable to the left of the equal sign would then be set equal to this value.

The Fortran system is available not only for the 1620, but also for many other computers. The Fortran language is very similar for each system
and only minor changes to the source program need be made to run it on any computer. Each computer, however, has its own unique Fortran processor-this is to be expected since each computer has its own unique machine language codes.

These are a variety of Fortran systems for the 1620. The following chapter will discuss in detail one particular system, Basic Fortran. ${ }^{2}$ However, with a knowledge of Basic Fortran, the more advanced Fortran systems can be easily learned.
${ }^{2}$ This system is also known as "Fortran with Format."

## Chapter 15

## Basic 1620 Fortran

Fortran is an automatic coding system consisting of two major parts: the Fortran language and the Fortran compiler. The Fortran language is a set of statements, similar to the expressions used in ordinary algebra. These statements are used by the programmer to describe his problem. The Fortran compiler converts the Fortran language statements into machine language instructions which at a later time are executed by the computer to solve the problem.

Since Fortran is a programming language closely related to the language of ordinary algebra, it must provide a means for expressing certain elements basic to a mathematical language. These elements are: numeric constants, variable quantities, subscripted variables, operations, and expressions.
In the Fortran language, variables and constants may each be expressed in one of two modes: fixed point (restricted to integers) or floating point. Each floating point number is represented internally (in the core storage) in the floating point form (mantissa and characteristic) discussed in Chapter 12. However, basic Fortran does not permit a variable-length mantissa; the mantissa is of a fixed length-8 digits. Each fixed point number is represented internally by 4 decimal digits with a field-defining flag over the high-order digit. All quantities in the Fortran system are represented internally in either the fixed point mode or the floating point mode.

Obviously, the Fortran system must provide for two different types of arithmetic calculations: fixed point and floating point. Floating point
calculations are performed through the use of floating point subroutines. Floating point calculations are carried out on two decimal numbers to an accuracy of 8 places. Fixed point calculations are also performed by subroutines. However, in the fixed point mode, calculations are carried out on integers only. No decimal portions of numbers are used.

The following illustrates floating point and fixed point arithmetic calculations:

Floating Point

| Arithmetic Statement | Result |
| :--- | :--- |
| $A=6.2+3.171$ | $A=9.371$ |
| $B=9 . \div 4$. | $B=2.25$ |
| $C=1 .-3.2+1.6$ | $C=-0.6$ |
| $D=25 . \times 2.5$ | $D=62.5$ |
| $E=1 . \div 3$. | $E=0.33333333$ |
| $F=(2.5 \div 2) \times 6.21$. | $F=7.7625$ |

Fixed Point

| Arithmetic Statement | Result |
| :--- | :--- |
| $A=5 \times 2$ | $A=10$ |
| $B=5+3-1$ | $B=7$ |
| $C=8 \div 2$ | $C=4$ |
| $D=9 \div 2$ | $D=4^{*}$ |
| $E=(5 \div 2) \times(10 \div 3)$ | $E=6^{* *}$ |

** The true answer is 4.5; however, the 0.5 is truncated.
** Truncation causes this to be calculated as $2 \times 3$.

## CONSTANTS

Constants may appear as part of the source program or as input data. They may be written in one of two forms: fixed point or floating point. The type of arithmetic calculation to be performed on the constant determines in which form it should be written. If the constant is to be used in floating point calculations, it should be written in the floating point form; if it is to be involved in fixed point calculations only, it should be written in the fixed point form. If a constant is to be used in both fixed and floating point calculations, it must appear in both forms.

## FIXED POINT

Fixed point constants are characterized by being from 1 to 4 decimal digits in length. (Internally fixed point constants are always 4 digits in length, the high-order zeros being automatically supplied if required.) The range, then, of a fixed point constant is from 0 to $\pm 9999$. The decimal point is always assumed to be to the right of the right-most digit; e.g., 375 means 375.0 . However, the decimal point is always omitted in the representation of a fixed point constant. If a fixed point constant with
more than 4 digits is written, only the 4 low-order digits are processed.
Fixed point constants may be positive or negative. If positive, they are written with or without a preceding plus sign. If negative, a minus sign must precede the constant.

## General Form

One to four decimal digits without a decimal point. A preceding plus sign is optional. A minus sign is required if the constant is negative.

## Examples

398
9
$+6$
06
-2832
0

## FLOATING POINT

Floating point constants may be written in two forms: without exponents or with exponents.

## WITHOUT EXPONENTS

Floating point constants without exponents are represented by any number of decimal digits, with a decimal point at the beginning, at the end, or between any two digits.

## The decimal point must be written.

Floating point constants may be positive or negative. If positive, they are written with or without a preceding plus sign. If negative, a minus sign must precede the constant. Although any number of digits is permissible, only the 8 most significant digits are processed.

## General Form

Any number of decimal digits with a decimal point. A preceding plus sign is optional. A minus sign is required if the constant is negative.

## Examples

3.14176
+36000 .
$-82.5$
. 000065
-. 00312
0.

## WITH EXPONENTS

Floating point constants with exponents are represented by any number of decimal digits, with a decimal point at the beginning, at the end, or between any two digits. The decimal point must be written. This part of the number is called the mantissa. The mantissa (including decimal point) is followed by the letter "E," which is followed by a 1- or 2- digit exponent. The exponent is a fixed point constant that signifies the power of 10 by which the mantissa is to be multiplied. The exponent may be positive or negative. If positive, the exponent may be written with or without a preceding plus sign. If negative, a minus sign must precede the exponent.

## General Form

Any number of decimal digits with a decimal point, followed by the letter " $E$ " and a 1 - or 2 -digit exponent. Both the exponent and mantissa may be signed. A preceding plus sign is optional. A minus sign is required if the constant or exponent is negative.

## Examples

17.1E3 ( $17.1 \times 10^{3}$ )
$-16.0 \mathrm{E}+6\left(-16.0 \times 10^{6}\right)$
$+397.017 \mathrm{E} 2\left(397.017 \times 10^{2}\right)$
2.E32 ( $2 . \times 10^{32}$ )
$-126.1 \mathrm{E}+10\left(-126.1 \times 10^{10}\right)$
$-6.0 \mathrm{E}-3\left(-6.0 \times 10^{-3}\right)$
$-132.6 \mathrm{E}+12\left(-132.6 \times 10^{12}\right)$
$50.0 \mathrm{E} 13\left(50.0 \times 10^{13}\right)$
The following statements may prove helpful in writing or identifying fixed and/or floating point constants.

1. A fixed point constant never has a decimal point associated with it.
2. A floating point constant always has a decimal point associated with it.

## Problem

Identify the following as either a permissible floating point constant or a permissible fixed point constant or neither.

1. 0
2. $6.28 \mathrm{E}+2$
3. -916
4. 01234
5. 9,123
6. 3.14161713
7. -88.9610002
8. $-.00000000098765 \mathrm{E}-21$
9. 3 E 34
10. $-12 \mathrm{E}-12$
11. 97.E12.
12. $14.001 \mathrm{E}+99$
13. 21349
14. 23.67.
15. .86-8'
16. $+92.12 \mathrm{E}-15$

## VARIABLES

Variables, like constants, may be fixed point or floating point depending on whether they are being used to represent an integral value or a decimal value. Names (for example, A, B, DELTA, X1) are assigned by the programmer to variables, and the variable names appear as part of the source program.

In order to distinguish between a floating point variable and a fixed point variable certain rules must be adhered to in assigning names to the variables.

## FIXED POINT

Fixed Point variables are restricted to integral values and may take on only those values allowed fixed point constants. Fixed point variables are distinguished by the fact that the first character of the symbolic name chosen to represent the variable must be one of the following: $\mathrm{I}, \mathrm{J}, \mathrm{K}, \mathrm{L}, \mathrm{M}$, or N. These symbolic names may be from one to five alphabetic or numerical characters in length. Special characters are not allowed as part of a variable name.

## General Form

One to five alphabetic or numerical characters (no special characters) of which the first must be $\mathrm{I}, \mathrm{J}, \mathrm{K}, \mathrm{L}, \mathrm{M}$, or N .

## Examples

I
M2
JOBNO
L2345
N

## FLOATING POINT

Floating point variables may take on only those values allowed floating point constants. The symbolic name chosen to represent the floating point variable is from one to five alphabetic or numerical characters in length. The first character must be alphabetic and other than I, J, K, L, M, or N. Special characters are not allowed as part of a variable name.

## General Form

One to five alphabetic or numerical characters (no special characters) of which the first must be alphabetic but not I, J, K, L, M, or N.

## Examples

DELTA
A
A614
Z3A2

## Problem

Identify the following as either a permissible fixed point variable or a permissible floating point variable, or neither.

1. B
2. SAVING
3. RATE2
4. LOAD
5. L
6. $\mathrm{Al} / \mathrm{B}$
7. M1234
8. DELTA
9. 2 L 1
10. $\mathrm{A}+3$

## CHOOSING VARIABLE NAMES

As in the symbolic programming system, it is advisable when possible to assign names with a high mnemonic content to variables. For example, if one wished to compute electric current from the formula $I=E \div R$, he might choose the names CURR, VOLT, and OHMS to represent the variables $I, E$, and $R$ respectively. Of course, these names assume that the variables will take on floating point values. If fixed point arithmetic were being used, the names assigned might have been I, IVOLT, and IOHMS, respectively.

## OPERATIONS

There are six basic operations associated with the Fortran language. Each operation is represented by a specific symbol as follows:

| Operation | Symbol | Example |
| :--- | :---: | :--- |
| Addition | + | $\mathrm{A}+\mathrm{B}$ |
| Subtraction | - | $\mathrm{A}-\mathrm{B}$ |
| Multiplication | $\star$ | $\mathrm{A} \star \mathrm{B}$ |
| Division | $/$ | $\mathrm{A} / \mathrm{B}$ |
| Exponentiation | $\star \star$ | $\mathrm{A} \star \mathrm{B}\left(\mathrm{A}^{B}\right)$ |
| Equality | $=$ | $\mathrm{A}=\mathrm{B}$ |

The equality operation ( $=$ ) has a different meaning in the Fortran language than it does in an algebraic equation. This new meaning is discussed in the section on "Arithmetic Statements."

## EXPRESSIONS

An expression in Fortran is a sequence of one or more constants and/or variables joined by any of the operation symbols (except the equality
symbol) to indicate a quantity or series of calculations to be performed. The following are some simple Fortran expressions:

$$
\begin{gathered}
\mathrm{A}+\mathrm{B}-\mathrm{C} \\
\mathrm{X} \star \star 2 \\
\mathrm{IDELT} / \mathrm{J} 2
\end{gathered}
$$

Expressions are used in forming certain statements in the Fortran language. They must be formed according to a set of rules, which will be discussed later.

Parentheses are used in expressions to specify the order of operations just as they are used in ordinary algebra. In the expression $(A+2.) \star B$ the addition would be performed first and the sum would be multiplied by B. In the expression $A \star \star(2 .+Y)$ the floating point addition would be performed first and the variable $A$ would then be raised to the ( $2 .+\mathrm{Y}$ ) power. If the parentheses had been omitted so that the expression was $A \star \star 2 .+Y$, it would have been calculated as ( $A \star \star 2$.) +Y .

If parentheses are not used to specify the order of operations, the hierarchy of operations is as follows:

1. Exponentiation
2. Multiplication and Division
3. Addition and Subtraction


Thus the Fortran expression $A+B \star C \star \star D$ would be interpreted to mean $A+\left(B \times C^{D}\right)$ and $A+(B \star C) \star \star \mathrm{D}$ would be interpreted to mean $A+(B \times C)^{D}$.

There are three exceptions to Fortran expression compatibility with the ordinary rules of mathematical notation. These are as follows:

1. In ordinary notation $A B$ means $A$ times $B$. However, in Fortran $A B$ never means $A$ times $B$, rather it is interpreted as a floating point variable with the symbolic name "AB." The multiplication symbol cannot be omitted in Fortran. The violation of this rule is one of the most common errors in Fortran programming.
2. In ordinary notation, expressions such as $A / B \cdot C$ and $A / B / C$ are considered to be ambiguous. In Fortran, however, such statements are acceptable and are interpreted as follows:

| $\mathrm{A} / \mathrm{B} \star \mathrm{C}$ | means | $(\mathrm{A} / \mathrm{B}) \star \mathrm{C}$ |
| :---: | :---: | :---: |
| $\mathrm{A} \star \mathrm{B} / \mathrm{C}$ | means | $(\mathrm{A} \star \mathrm{B}) / \mathrm{C}$ |
| $\mathrm{A} / \mathrm{B} / \mathrm{C}$ | means | $(\mathrm{A} / \mathrm{B}) / \mathrm{C}$ |

When expressions contain a string of operation symbols of equal rank in the hierarchy table, the order of operations is taken from left to right. As a further example:
$W \star A B \star C D / X \star E / D$ means $((((W \star A B) \star C D) / X) \star E) / D$ and

$$
A+B-C+D-E \text { means }(((A+B)-C)+D)-E
$$

3. In ordinary notation the expression ${ }_{A^{B}} C$ is meaningful. However, the corresponding Fortran expression $\mathrm{A} \star \star \mathrm{B} \star \star \mathrm{C}$ is not allowed in the Fortran language. It should be written as $A \star \star(B \star \star C)$ if ${ }_{A^{B}}{ }^{C}$ is meant or as ( $\mathrm{A} \star \star \mathrm{B}$ ) $\star \star \mathrm{C}$ if $\left({ }_{A^{B}}\right)^{C}$ is meant.

## Rules for Forming Expressions

1. All the variables and constants in an expression must be in the same mode. They must either be all floating point numbers or all fixed point numbers. Thus the following expressions are not allowable because they contain mixed-mode variables and/or constants.

$$
\begin{aligned}
& \mathrm{A}+21 \star \mathrm{C} \\
& \mathrm{I} \star \mathrm{~J}+2 . \\
& \mathrm{A}+\mathrm{B}-\mathrm{JDELT}
\end{aligned}
$$

The following expressions are allowable:

$$
\begin{aligned}
& \mathrm{A}+21 . \star \mathrm{C} \\
& \mathrm{I} \star \mathrm{~J}+2 \\
& \mathrm{IA}+\mathrm{IB}-\mathrm{JDELT}
\end{aligned}
$$

Exceptions. An exception to this rule is as follows: a floating point number may have a fixed point exponent. Thus the following Fortran expressions are valid:

$$
\begin{aligned}
& \mathrm{A} \star \star 2 \\
& \mathrm{~A}+\mathrm{B} \star \star(\mathrm{I}+2)
\end{aligned}
$$

Exponentiation in Expressions. The following are valid forms which exponentiation may take in an expression:

$$
\begin{aligned}
& A \star \star B \\
& A \star \star I
\end{aligned}
$$

where A and B are any floating point expressions and I is any fixed point expression. Exponentiation of the form $I \star \star A$ and $I \star \star J$ is not permitted. The following are examples of valid and invalid expressions.

## Expression

A $\star \star(\mathrm{I}+2$. $)$
RAD**2
3.1417*RAD**2.

DIST $\star \star$ I
$\mathrm{A} \star \star$ ( $\mathrm{B}+3$.)
I $\star \star(\mathrm{J}+3)$
MON $\star \star 2$.
3.1417*HEIGT $\star$ ALENG $\star$ R $\star \star 3$

## Validity

Invalid (mixed mode within parentheses)
Valid
Valid
Valid
Valid
Invalid
Invalid
Valid
2. An operation symbol (excepting the equality symbol to be discussed shortly) must not precede a plus or a minus sign used to signify that a variable or constant is positive or negative. Use parentheses to enclose the sign and the variable or constant.

Invalid Expressions<br>$A \star-B$<br>A/+BDELT

Valid Expressions
$A \star$ ( -B )
A/ ( + BDELT )

Table 15.1 shows an algebraic statement and a correct and incorrect Fortran expression for it.

Table 15.1

| Algebraic <br> Statement | Incorrect Fortran <br> Expression | Correct Fortran <br> Expression |
| :--- | :--- | :--- |
| $A(-B)$ | $\mathrm{A} \star-\mathrm{B}$ | $\mathrm{A} \star(-\mathrm{B})$ |
| $X Y$ | XY | $\mathrm{X} \star \mathrm{Y}$ |
| $A^{I+2}$ | $\mathrm{~A} \star \mathrm{I}+2$ | $\mathrm{~A} \star \star(\mathrm{I}+2)$ |
| $A^{E+2} \mathrm{~B}$ | $\mathrm{~A} \star \star(\mathrm{E}+2) \star \mathrm{B}$ | $\mathrm{A} \star \star(\mathrm{E}+2.) \star \mathrm{B}$ |
| $A B / C D$ | $\mathrm{~A} \star \mathrm{~B} / \mathrm{C} \star \mathrm{D}$ | $(\mathrm{A} \star \mathrm{B}) /(\mathrm{C} \star \mathrm{D})$ |
|  |  | or $\mathrm{A} \star \mathrm{B} /(\mathrm{C} \star \mathrm{D})$ |
|  |  | or $\mathrm{A} / \mathrm{C} \star \mathrm{B} / \mathrm{D}$ |

## Problem

Write Fortran expressions for the following algebraic statements.

1. $A-(B+C)$
2. $A(B+C)$
3. $\frac{A}{B}+N$
4. $A X^{2}+B X+C$
5. $\frac{X+37+C}{19 D}$
6. $\frac{\left(I^{9}+10\right)^{3}}{7-(2 N)}$
7. $A^{x+2}$
8. $\frac{10^{30} \mathrm{X}}{-C B}$
9. $\left(B^{2}-4 A C\right)^{1 / 2}$
10. Assuming the following Fortran statement to be valid, determine if it will produce the correct result

$$
(\mathrm{B} \star \star 2-4 . \star \mathrm{A} \star \mathrm{C}) \star \star(1 / 2)
$$

## FORTRAN STATEMENTS

There are five types of Fortran statements that are permitted in a source program. They are as follows:

1. Arithmetic statements
2. Control statements
3. Input-output statements
4. Specification statements
5. Comments

Arithmetic statements specify how variables should be calculated. Control statements enable the programmer to specify when the normally sequential execution of machine operations should be altered. Inputoutput statements provide for the entry of data and the output of results. Specification statements provide information to the processor as did SPS declaratives. Comment statements are not compiled. They are used for indentification purposes by the programmer.

## ARITHMETIC STATEMENTS

An arithmetic statement in the Fortran language looks like a simple statement of equality in ordinary algebra (for example, $\mathrm{A}=\mathrm{B}$, $A=C+2 . \star B$ ). The left side (to the left of the equality symbol) of an arithmetic statement may be either a floating point variable or a fixed point variable. Constants and expressions involving an operation symbol are not allowed to the left of an equality symbol. The right side of all arithmetic statements are expressions.

The equality symbol takes on a unique meaning in the Fortran language. It literally means "to evaluate the expression on the right side and assign the result to the variable whose symbolic name is on the left side." Thus the statement $\mathrm{X}=\mathrm{X}+1$. has a valid meaning in the Fortran language whereas in ordinary algebra the statement is meaningless.

## General Form

$\mathrm{a}=\mathrm{b}$
where $a$ is a variable (fixed or floating) and $b$ is an expression (fixed or floating). By the above definition, statements of the form $A=I$ and $J=B$ are permissible where $I$ and $B$ are any entirely fixed or floating expressions (for example, $\mathrm{A}=\mathrm{I}+\mathrm{J} 2 ; \mathrm{J}=\mathrm{B}+\mathrm{C}-16$.).

## Examples

$\mathrm{A}=\mathrm{B}+2$.
$\mathrm{AD}=\mathrm{C} \star \star 2$
$\mathrm{PI}=3.14$
DELT $=\mathbf{I} \star \mathrm{J}$
$\mathrm{I}=\mathrm{A}+1$.
$\mathrm{X}=(-\mathrm{B}+(\mathrm{B} \star \star 2-4 . \star \mathrm{A} \star \mathrm{C}) \star \star .5) /(2 . \star \mathrm{A})$
$\mathrm{L}=\mathrm{B}$
$\mathrm{C}=\mathrm{K}$

If the expression to the right is in fixed point form and the variable on the left is in floating point form, the calculation is performed in fixed point arithmetic, put in floating point form, and stored in the location specified by the symbol on the left and vice versa.
Consider the quadratic equation $3 X^{2}+1.7 X-31.92=0$. The algebraic representation for one of the two roots is

$$
X=\frac{-B+\sqrt{B^{2}-4 A C}}{2 A}
$$

A Fortran program that describes this calculation is as follows:

$$
\begin{aligned}
& \mathrm{A}=3 . \\
& \mathrm{B}=1.7 \\
& \mathrm{C}=-31.92 \\
& \mathrm{ROOT}=(-\mathrm{B}+(\mathrm{B} \star \star 2-4 . \star \mathrm{A} \star \mathrm{C}) \star \star .5) /(2 . \star \mathrm{A})
\end{aligned}
$$

The first statement means: "Assign the value 3. to the variable A." The next two statements have a similar meaning. The fourth statement means: "Evaluate the expression on the right side and assign the result to the variable ROOT."

Of course, the program also could have been written as follows:

$$
\text { ROOT }=(-1.7+(1.7 \star \star 2-4 . \star 3 . \star(-31.92)) \star \star .5) /(2 . \star 3 .)
$$

## STATEMENT NUMBERS

Fortran programs are sequential in nature. That is, the computer executes instructions in the object program in the order that they were compiled from the source statements. For example, if the fourth statement in the program above were to be moved up and made the first statement, the computer would evaluate ROOT before obtaining the desired values of $A, B$, and C. ROOT would therefore be evaluated using some arbitrary unknown values for these variables.

As in machine language and the symbolic programming system, it is not always desirable to execute program instructions sequentially. Some means, then, must be provided to assign a unique label or number to a statement so that it may be referenced when required. The Fortran language provides for this by allowing the programmer to assign statement numbers to those statements which will be referenced by another statement at some time in the program.

A statement number is in the form of any unsigned fixed point constant. Leading zeros are not required. It is advisable to number only those Fortran statements that will be referenced. Actually almost any Fortran statement may be assigned a statement number, but unnecessary and ex-
cessive numbering wastes core storage and delays the compilation process.
Statement numbers need not be sequentially assigned and the programmer may choose any fixed point number he wishes. However, no two statements may be assigned the same statement number. If it were desired to reference all the statements in the program to solve for one root of the quadratic equation, the program could be written as follows:

$$
\begin{array}{rl}
96 & \mathrm{~A}=3 . \\
2 & \mathrm{~B}=1.7 \\
1321 & \mathrm{C}=-31.92 \\
10 & \mathrm{ROOT}=(-\mathrm{B}+(\mathrm{B} \star \star 2-4 . \star \mathrm{A} \star \mathrm{C}) \star \star .5) /(2 . \star \mathrm{A})
\end{array}
$$

The Fortran programs illustrated thus far have been necessarily trivial since no methods of deviating from sequential instruction execution have been presented. Also, no input-output commands have been presented. The following two sections are devoted to (1) control statements which allow for deviation from sequential instruction execution and (2) inputoutput statements.

## CONTROL STATEMENTS

Normally, Fortran statements are executed in the same sequence in which they occur in the source program. Control statements provide the means of deviating from this sequential instruction execution. As in SPS, two types of control statements are provided. One type provides for unconditional branching whereas the other type provides for branching only if some specific condition is met. Statement numbers provide the means for cross referencing Fortran statements.

## Unconditional Go To Statement

General Form
GO TO n
where $n$ is a statement number.

## Examples

GO TO 6
GO TO 199
The unconditional Go To statement is used to specify, at some point in a program, that the next statement to be executed is not the one following as it normally would be. Instead, the statement bearing statement number $n$ is executed next.

This statement is similar to the unconditional Branch instruction in SPS.

## Example

Fortran Source Program:
SUM $=0$.
$\mathrm{X}=1$.
$12 \mathrm{SUM}=\mathrm{SUM}+\mathrm{X}$
$\mathrm{X}=\mathrm{X}+1$.
GO TO 12
The above program will evaluate the sum of the numbers from 1 to infinity:

$$
\left(\sum_{i=1}^{\infty} i\right)
$$

The first two statements are called initialization statements. The statement $\operatorname{SUM}=0$. will assign the value zero to the variable SUM. This is done because the variable SUM will be used to develop a total; if the value of SUM is not zero to start with, an incorrect total will be developed. The statement $\mathrm{X}=1$. assigns an initial value of 1 to the variable X . The statement $12 \mathrm{SUM}=\mathrm{SUM}+\mathrm{X}$ develops the sum of the numbers. The next statement causes the value of X to be increased by 1 . The statement GO TO 12 causes statement 12 to be executed next. Thus a loop is developed and the last three statements of the program will be continually executed with the value of X being increased by 1 each time.

Actually, the above program will halt when the value in SUM exceeds the highest allowable floating point value ( $\overline{9} 9999999 \overline{9} 9$ ). When this occurs, an overflow condition will be indicated.

## Computed Go To Statement

## General Form

GO TO ( $\mathrm{n}_{1}, \mathrm{n}_{2}, \ldots, \mathrm{n}_{\mathrm{m}}$ ), i
where $n_{1}, n_{2}, \ldots, n_{m}$ are statement numbers and $i$ is an unsigned fixed point variable ( $1 \leq i \leq m$ )*

## Examples

GO TO ( $6,7,13,2,5$ ), I
GO TO (199, 2), MKVD
The computed Go To statement is used to transfer control to one of several Fortran statements depending on the value of some fixed point variable. If, at the time of execution, the value of the fixed point variable $i$ is $j$, then control is transferred to the statement with statement number $n_{j}$.

[^7]
## Example

JDEL = 3
GO TO (196, 2, 47, 63, 1), JDEL

## Commentary

The statement numbered 47 will be executed next

## Example

Fortran Source Program:

$$
\operatorname{SUM}=0 .
$$

$$
\text { TOTAL }=0 .
$$

$$
\mathrm{ADD}=0 .
$$

$$
\mathrm{I}=0
$$

$$
\mathrm{X}=1
$$

1 SUM $=$ SUM $+X \star \star 3$
$\mathrm{X}=\mathrm{X}+1$.
$\mathrm{I}=\mathrm{I}+1$
GO TO (1, 1, 1, 1, 1, 1, 1, 1. 9), I
$9 \mathrm{X}=2$.
$\mathrm{I}=0$
3 TOTAL $=$ TOTAL $+X \star \star 2$.
$\mathrm{X}=\mathrm{X}+2$.
$\mathrm{I}=\mathrm{I}+1$
GO TO (3, 3, 3, 3, 3, 3, 3, 3, 4), I
$4 \mathrm{X}=3$.
$\mathrm{I}=0$
5 ADD = ADD + X $\star \star 3$. $\mathrm{X}=\mathrm{X}+3$.
$\mathrm{I}=\mathrm{I}+1$ GO TO (5, 5, 5, 5, 5, 5, 5, 5, 6), I
6 Complete program by writing out results

## Commentary

$\mathrm{SUM}=\sum_{i=1}^{9} i^{3}$
TOTAL $=\sum_{i=1}^{9}(2 i)^{2}$
$\mathrm{ADD}=\sum_{i=1}^{9}(3 i)^{3}$
The statement with statement number 6 in the above program is not a legal Fortran statement but is merely inserted to express a completion condition since Input-output and Stop commands have not yet been discussed.

## Example <br> Fortran Source Program: <br> SUM $=0$.

```
    \(\mathrm{ID}=1\)
    \(\mathrm{X}=1\).
\(15 \mathrm{SUM}=\mathrm{SUM}+(\mathrm{X} \star \star 5.2+2 . \star \mathrm{X}+6) /\).3 .
    GO TO ( \(8,8,8,8,2\) ),ID
\(2 \quad \mathrm{X}=\mathrm{X}+2\).
    GO TO 15
\(8 \quad \mathrm{X}=\mathrm{X}+1\).
    \(\mathrm{ID}=\mathrm{ID}+1\)
    GO TO 15
```


## Commentary

$\mathrm{SUM}=\sum_{i=1}^{\tilde{\pi}}\left(i^{\pi .2}+2 i+6\right) \div 3+\sum_{j=3}^{\infty}\left((2 j+1)^{5.2}+2(2 j+1)+6\right) \div 3$
The above program is presented solely to demonstrate the computed Go To statement. It is not a realistic program since no provisions have been made for ending the program.

## Example

The following is an example of a never-ending multiple switching network.

$$
10 \quad \mathrm{~N}=1
$$

    8 GO TO (1, 12, 31, 14, 10), N
    \(1 \mathrm{~N}=2\)
    GO TO 8
    $12 \mathrm{~N}=3$
GO TO 8
$31 \mathrm{~N}=4$
GO TO 8
$14 \mathrm{~N}=5$
GO TO 8

## If Statement

## General Form

IF (a) $\mathrm{n}_{1}, \mathrm{n}_{2}, \mathrm{n}_{3}$
where $a$ is any expression (fixed or floating) and $n_{1}, n_{2}$, and $n_{3}$ are statement numbers.

Examples
IF (A) 1, 2, 3
IF (I-2) 17, 9, 8
IF (A/B $\star$ C) $8,9,8$
The expression $a$ is evaluated. If the value of the expression is less than zero (negative), statement number $n_{1}$ is executed next. If the value of the expression is zero, statement number $n_{2}$ is executed next. If the value of the expression is greater than zero, statement number $n_{3}$ is executed next.

Suppose the variable XCORD has just been calculated in a Fortran program. If the value of XCORD is negative, an error routine at statement number 8 should be executed next. If the value of XCORD is zero, a special routine at statement number 2 should be executed next, and if the value of XCORD exceeds zero, statement number 102 is to be executed. The Fortran statements to accomplish this are as follows:

$$
\begin{aligned}
& \mathrm{XCORD}=\mathrm{B} \star \star 2-4 . \star \mathrm{A} \star \mathrm{C} \\
& \mathrm{IF}(\mathrm{XCORD}) 8,2,102
\end{aligned}
$$

The single Fortran statement shown below will accomplish the same branching conditions.

$$
\operatorname{IF}(B \star \star 2-4 . \star A \star C) 8,2,102
$$

The If statement is an excellent tool for use in programs where looping (repeating the same operations with different data) is desired. Example number 1 illustrates the use of the If statement in controlling the number of times a loop is to be executed.

## Example 1

The following is a Fortran program to sum the numbers from 1 to 1000 .

```
    SUM \(=0.0\)
    \(\mathrm{A}=1.0\)
3 SUM = A + SUM
    \(\mathrm{A}=\mathrm{A}+1\).
    \(\operatorname{IF}(\mathrm{A}-1000\).) 3, 3, 6
```

6 Complete program by writing out results

## Example 2

The following program will find the positive root of the following equation correct to two decimal places, $X^{2}+0.9 X-6.3=0$. The positive root lies between 1 and 10 .

```
    \(\mathrm{I}=1\)
    \(\mathrm{X}=0\).
    \(1 \mathrm{X}=\mathrm{X}+1\).
15 ROOT = X \(\star \star 2+.9 \star \mathrm{X}\)
    GO TO ( \(3,4,18\) ), I
    3 IF (ROOT -6.3) 1, 7, 6
\(6 \mathrm{I}=2\)
4 IF (ROOT -6.3) 10, 7, 12
\(12 \mathrm{X}=\mathrm{X}-.1\)
    GO TO 15
10 I = 3
18 IF (ROOT -6.3) 21, 7, 7
\(21 \mathrm{X}=\mathrm{X}+.01\)
GO TO 15
7 End of program
```


## IF SENSE SWITCH ${ }^{1}$

## General Form

IF (SENSE SWITCH i) $\mathrm{n}_{1}, \mathrm{n}_{2}$
where $n_{1}$ and $n_{2}$ are statement numbers and $i$ is $1,2,3$, or 4 .

## Examples

IF (SENSE SWITCH 2) 10,3
IF (SENSE SWITCH 4) 1, 119
The Sense switch corresponding to $i$ is interrogated. If it is in the "on" position, the next statement to be executed is statement number $n_{1}$. If the program switch is "off," the next statement to be executed is statement number $n_{2}$. The four program switches are located on the 1620 console. The only method of setting or altering the settings of the switches is to position the switch manually to the "on" or "off" position.

## INPUT-OUTPUT STATEMENTS

The Fortran language includes seven I/O statements to allow for the transfer of data between core storage and the input-output devices. The Input-output statements must specify three things: (1) What exactly is to be done. This may be to read a card, read paper tape, punch a card, and so forth. (2) How the data fields are arranged on the input medium or are to be arranged on the output medium. The arrangement of data is called "Format." (3) Which data fields are to be transmitted. The data is specified by the variable name chosen by the programmer.

The Fortran I/O statements specify items 1 and 3 in the above list. The Format (item 2) is specified by special Format statements which are referenced by the I/O statements. The I/O statements will be described first, then the Format statements will be discussed.

All I/O statements contain three things: (1) The instruction name that specifies what is to be done. (2) A statement number that references a Format statement which describes the arrangement of the data, and (3) A "list" that describes which data fields are to be transmitted.

## SPECIFYING LISTS OF QUANTITIES

A list consists of one or more variable names separated by commas. The list specifies what quantities are to be transmitted between core storage and the I/O device. It may contain any number of variables (fixed and/or floating). The only limiting factor is the permissible

[^8]length of the Fortran statement, which in 1620 Fortran may not exceed 72 characters.

Examples of lists are as follows:
DELTA, J, ONE
A
SIGMA, COUNT, IDENT, X, Y
I, DELTA, 99 (This list is invalid because it contains a constant)

## INPUT STATEMENTS

## Read Statement

General Form
READ n, List
where $n$ is the statement number of a Format statement, and "list" is as described above.

## Examples

READ 2, A, DELTA, I
READ 106, A, B, C, D, E, F
READ 37, POUND, OHMS
The Read statement causes quantities to be read from a card in accordance with the specified Format statement. The variables in the list take on the respective values read from the card.

As an example, assume that a card is punched as follows:

| Card Columns | Contents |
| :---: | :---: |
| $6-7$ | 13 |
| $22-25$ | -10 |
| $26-32$ | +399124 |
| $50-51$ | 01 |
| 78 | 9 |

In a source program the Read statement
READ 2, I, DELTA, QUAN, NUMBR, IDEN
would cause the card to be read and the variable I to be assigned a value of 13 , DELTA a value of -10 , QUAN a value of +399124 , NUMBR a value of 1 , and IDEN a value of 9 . Computations may then take place and control may pass back to the same Read statement. This would cause another card to be read and the quantities on this card assigned to the variables. Of course, the above description assumes a correct Format statement. It is the Format statement
that supplies the information as to the card columns where the data is to be found.

## Accept Tape Statement

## General Form

ACCEPT TAPE n, list
where $n$ is the statement number of a Format statement and list is as previously described.

## Examples

ACCEPT TAPE 16, A, B, C,
ACCEPT TAPE 99, I, DELTA, A, MM
The Accept Tape statement causes quantities to be read from paper tape in accordance with the specified Format statement. The variables in the list take on the respective values read from the tape.

## Accept Statement

General Form
ACCEPT n, list
where $n$ is the statement number of a Format statement and list is as previously described.

## Examples

ACCEPT 12, A
ACCEPT 1, JDEL, RADI, ARC
The Accept statement causes the carriage on the typewriter to return, and the computer awaits manual entry of data from the keyboard. Data is entered in accordance with the specified Format statement. The variables in the list take on the respective values entered from the typewriter.

## OUTPUT STATEMENTS

## Punch Statement

## General Form

PUNCH n, list
where $n$ is the statement number of a Format statement and list is as previously described.

## Examples

PUNCH 999, ARC, SLOPE, I
PUNCH 4, COUNT, MAG
The Punch statement causes the values of the variables in the list, as determined by the program, to be punched in a card or cards in accordance with the specified Format statement.

## Punch Tape Statement

General Form
PUNCH TAPE n, list
where $n$ is the statement number of a Format statement and list is as previously described.

## Examples

PUNCH TAPE 1234, A, I
PUNCH TAPE 16, SUM, VALUE, C
The Punch Tape statement causes the values of the variables in the list, as determined by the program, to be punched in paper tape in accordance with the specified Format statement.

## Print Statement

General Form
PRINT n, list
where $n$ is the statement number of a Format statement and list is as previously described.

## Examples

PRINT 1, DELTA, X, Y
PRINT 42, ZDEL, X1, Y2
The Print statement causes the values of the variables in the list, as determined by the program, to be printed on the typewriter in accordance with the specified Format statement.

## Type Statement

## General Form

TYPE n, list
where $n$ is the statement number of a Format statement and list is as previously described.

## Examples

TYPE 6, X1, X, Y2
TYPE 888, CON1, DELTA, MIX
The Type statement causes the values of the variables in the list, as determined by the program, to be printed on the typewriter in accordance with the specified Format statement. The Type statement and the Print statement serve the same purpose and can be used interchangeably.

## FORMAT STATEMENTS

In order for quantities to be transmitted correctly from the input medium to the computer, or from the computer to the output medium, it is necessary that the computer be told in what form the data exists. Special subroutines are used to convert data to and from the floating point (characteristic and mantissa) and fixed point (4-digit) forms internally used by Fortran. The subroutines must be supplied information as to what forms the data fields are in and into which form they are to be converted. The Format statement specifies this.

## General Form

n FORMAT (specification)
where $n$ is a statement number referenced by an I/O statement, and where specification is as described below. The specification must be enclosed in parentheses.

## Example

$$
2 \text { FORMAT(F6.2,E6.1,5XI2,F6.2) }
$$

$$
3 \text { FORMAT }(2 \mathrm{HX}=\mathrm{F} 6.2)
$$

## SPECIFICATIONS

The specification specifies what forms the data fields are in and to what form they are to be converted. There are three types of conversion for numeric data, as illustrated below. The conversions are used for both input and output.

| Internal | Conversion | External <br> Data Form <br> Floating Point |
| :--- | :---: | :--- |
| Code | $E$ | Data Form |
| Floating Point | $F$ | Floating Point <br> (with exponent) |
| Integer | $I$ | Floating Point <br> (without exponent) |
|  |  | Integer |

Let us consider the three types of numeric conversion for input data. If the input quantity on the input medium is in the floating-decimal-
with-exponent form (for example, 3146.E-2, 9875.167E+13), the Etype conversion is specified. If the input quantity is in the floating-decimal-without-exponent form (for example, 4.678, 2., 1001.1), the Ftype conversion is specified; and if the input quantity is in integer form, the $I$-type conversion is specified.
The conversion codes are used in a similar fashion for output. If the output quantity is to be in the floating-decimal-with-exponent form, the $E$-type conversion is specified. If the output quantity is to be in the floating-decimal-without-exponent form, F-type conversion is specified, and if the output quantity is to be in integer form the $I$-type conversion is specified.

The following chart illustrates how numbers might appear as printed output for the conversion specified. Although printing is being used as an example, the same examples could apply for card or tape output. This holds true for all examples given.
E-Type Conversion. Numbers printed by E-type notation are printed in the floating-decimal-with-exponent notation. Typical output might be:

| Number | Printed Output |
| :--- | :---: |
| 167.12 | .16712 Eb 03 |
| -.0001842 | $-.1842 \mathrm{E}-03$ |
| 91.2 | .912 Eb 02 |
| 100039 | .10039 Eb 05 |

F-Type Conversion. Numbers printed by F-type conversion are printed in the "normal" decimal notation without exponent. Typical output might be:

| 69.21 | -13627.399 |
| :---: | :---: |
| 1841.3 | 1986. |
| -2.1 | 1.01 |

I-Type Conversion. Numbers printed by I-type conversion are printed as integers. Typical output might be:

| 1421 | 2 |
| ---: | ---: |
| -17 | 88 |
| 368 | 167 |

If the numbers in the above examples were input quantities the same type conversions would be used for the input Format statements.

The conversion codes alone do not give sufficient information to allow for the proper conversion of input or output data. Certain additional information must be supplied to the conversion subroutines. For input data the subroutine must be given the number of columns (card, tape, or typewriter) reserved for the input variables. For instance,
in one problem the first input variable may be punched in card columns $1-10$, whereas in another problem the first input variable may be punched in card columns 1-6 and the second variable may be punched in columns 8 -15. For output data the subroutine must be given the number of columns (card, tape, or typewriter) the programmer wishes to reserve for the various output variables.

To supply this information the conversion codes when used in the specification portion of the Format statement are used in the following forms:

$$
\begin{aligned}
& I w \\
& E w . d \\
& F w . d
\end{aligned}
$$

where $I, E$, or $F$ represent the types of conversion, and $w$ represents the field width including sign (if any) and decimal point (if any) for the converted data, and $d$ represents the number of places to the right of the decimal point. Since $d$ specifies the number of places to the right of the decimal, the actual decimal point need not be punched or typed on input data. The correct number of decimal places will be assigned from the Format statement. The decimal point between the $w$ and $d$ in the $E$ and $F$ specifications is required punctuation.

I Specifications Iw. When used as an output specification, $w$ places are reserved for the number. If the number of significant digits in the quantity is less than the width specification, the number is right-justified in the output field, and the left-most spaces are filled in with blanks. If the quantity to be converted contains more than $w$ digits, the high-order portion of the number is lost. If the quantity is negative, the space preceding the left-most digit will contain a minus sign. Included in the count $w$ must be a space for the sign.

The following examples show how each of the quantities on the left is printed according to the indicated specifications.

| Internal | Specification | Printed |
| :--- | :---: | :---: |
| 613 | I 4 | b 613 |
| 12 | I 3 | b 12 |
| 9 | I 3 | bb |
| 0 | I 3 | bb |
| -812 | I 4 | -812 |
| -1 | I 2 | -1 |
| 8666 | I 3 | $\mathrm{~b} 66^{*}$ |
| -10 | I 2 | $-0^{*}$ |
| 6 | I 2 | b 6 |

[^9]When used as an input specification, $w$ columns are examined by the subroutine for the input quantity. The number must be right-justified within the input field.
If the input data is positive, it is not necessary to punch the plus sign. If this item is not present, it is not included in the count $w$. If a positive or negative sign is present, it is included in the count $w$.
The following examples show the required specification for the input quantities on the left.

| Input Data | Specification |
| :--- | :---: |
| b81 | I3 |
| 1421 | I 4 |
| -1421 | I 5 |
| -1421 | $\mathrm{I} 4^{*}$ |
| 10 | I 2 |
| 2 | I 1 |
| bb 42 | $\mathrm{I} 4^{*}$ |
| 081 | I 3 |
| +67 | I 3 |

* Inaccurate due to insufficient specification.
** Notice that the number is right-justified within the input field.
$F$ Specifications $F w . d$. When used as an output specification, $w$ places are reserved for the number. If the number of decimal places in a number to be converted exceeds $d$, the low-order positions are truncated. If the number of places reserved for the decimal portion of the number exceeds the number of decimal digits, low-order zeros are supplied. If the number of places reserved for the integer portion of the quantity is insufficient, the F specification is ignored and the number is placed on the output medium in the E14.8 specification (see E conversion). If the number of places reserved for the integer portion exceeds the number of integer digits, high-order blanks are supplied. Included in the count $w$ must be a space for the decimal point and sign.

The following examples show how each of the quantities on the left is printed according to the indicated specifications.

| Internal | Specification | Printed |
| :--- | :---: | :--- |
| 32.1 | F8.4 | b32.1000 |
| -.9 | F5.2 | b -.90 |
| -8. | F5.1 | b- -8.0 |
| 18.67 | F6.2 | b18.67 |
| 9.17 | F5.2 | b9.17 |
| -397.221 | F5.3 | -397.221 |
| -86.221 | F7.3 | -86.221 |
| 12.1 | F4.1 | $.12100000 \mathrm{E}+02$ |
| 41.6745 | F5.2 | $.41674500 \mathrm{E}+02$ |

When used as an input specification, $w$ specifies the number of places reserved for the input quantity including sign (if any) and decimal point (if any). Because the number of decimal places are specified in the $d$ part of the specification the actual decimal point need not be punched or typed. The input quantity must be right-justified within the input field.

The following examples show the required specification for the input data on the left.
Input Data
123.146
-123.146
b123.146
+123.146
-96.1
811.987532
3987
b123146
1
00
b15
3100

Specification
F7.3
F7.3*
F8.3
F8.3
F5.1
F11.6
F4.2 (39.87)
F7.3 (123.196)
F1.0 (1.0)
F2.1 (0.0)
F3.1 (1.5)
F4.0 (3100.)

* Inaccurate due to insufficient specification.

E Specifications Ew.d. When used as an output specification, the field width $w$ includes four spaces for the exponent, one for the decimal point, and one space that must be allowed for sign. The exponent is the power of 10 to which the number must be raised to obtain its true value. The exponent is written with an " E " followed by a minus sign if the exponent is negative, or a plus sign is the exponent is positive, and two spaces for the exponent. If the number of digits in the quantity exceeds the number of places reserved, the low-order positions of the number are truncated. If the number of digits in the number is less than the number of places reserved, low-order zeros are supplied. If the specification is not large enough, the program automatically converts to the E14.8 form.

The following examples show how each of the quantities on the left is printed according to the indicated specifications.

| Internal | Specification | Printed |
| :--- | :---: | :--- |
| -67.3211 | E13.7 | $-.6732110 \mathrm{E}+02$ |
| 982. | E10.3 | $\mathrm{b} 9.820 \mathrm{E}+02$ |
| -6.12 | E10.3 | $-6.120 \mathrm{E}-00$ |
| .00000132 | E10.3 | $\mathrm{b} 1.320 \mathrm{E}-06$ |
| -642.0068 | E11.4 | $-6.4200 \mathrm{E}+02$ |
| 12345678. | E10.0 | $\mathrm{b} 1234 . \mathrm{E}+04^{*}$ |

* Last digits of accuracy are lost due to insufficient specification.

When used as an input specification $w$ specifies the field width including sign (if any), decimal point (if any) and exponent. The $d$ portion of the specification signifies how many decimal places there are. Because of this the actual decimal point need not be punched or typed.

The following examples show the required specification for the input data on the left.

$$
\begin{gathered}
\text { Input Data } \\
200.674 \mathrm{E}+13 \\
-2.98 \mathrm{E}-16 \\
+100.648 \mathrm{E}-16 \\
98 . \mathrm{E}+15 \\
101 \mathrm{E}+14
\end{gathered}
$$

Specification
E11.3
E9.2
E12.3
E7.0
E7.1 $\quad\left(10.1 \times 10^{14}\right)$

## AdDITIONAL RULES FOR SPECIFYING FORMAT

The following rules permit variation in specifying Format:

1. If a decimal point is punched or typed in an input data field and its position is different from that indicated in the Format statement, it takes priority over the decimal as indicated in the Format statement. The following examples illustrate this:

|  |  | Value Assigned to |
| :---: | :---: | :---: |
| Input Data | Specification | Input Variable |
| 36.91 | F5.1 | 36.91 |
| 900.1 | F5.3 | 900.1 |
| -1.6121 | F7.1 | -1.6121 |
| 1.81 | F4.2 | 1.81 |
| $16.1 \mathrm{E}+17$ | E 8.2 | $16.1 \times 10^{17}$ |

2. Field width greater than required may be specified in order to provide for spacing. Thus, if a number is to be converted by I-type conversion and the number is not expected to exceed five spaces including sign, a specification of I10 will reserve five leading blanks. Similarly with an input specification; assume that a floating point quantity is punched in columns 5-13 of a card and the first four columns are blank. The first four columns can be included in the $w$ portion of the Format specification. Thus if the card was punched as follows:
bbbb35645.983
the following Format statement would apply
6 FORMAT (F13.3)
A Format statement of the form
6 FORMAT (F9.3)
would cause only the first nine columns to be examined and the number 35.645 would be assigned the input variable.
3. Successive specifications may be written in a single Format statement by separating them with commas. Thus (I2, E10.2) might be used to convert two separate quantities, the first an integer and the second a floating point quantity. The only limiting factor to the number of successive specifications in a Format statement is the permissible length of the Fortran statement which is 72 characters. The following are all valid Format statements:
```
    1 FORMAT (F6.4, F6.3, I2, E10.1)
    2 FORMAT (I1, I2, E18.6)
138 FORMAT (F10.2, F10.2, F10.2, F10.2, F10.2, F10.2)
```

Let us examine the Format statement numbered 1 above and consider it as being used with the Read statement below

## READ 1, X, Y, INDEX, POLY

Assuming a card input (the same applies for tape or typewriter input) the first six card columns would be analyzed according to the specification F6.4, the quantity would be converted to the internal floating point form and assigned to the variable X . The quantity in columns 7 through 12, inclusive, would be converted according to specification F6.3 and assigned to the variable Y. The quantity in card columns 13 and 14 would be converted according to specification I2 and assigned to the variable INDEX. Finally, the quantity in columns 15 through 24 would be converted according to specification E10.1 and assigned to the variable POLY.
Notice that in the example given the quantities had to be punched in successive card columns. Assume that such was not the case but that the card was designed in the following manner.

| Card Columns | Contents |
| :---: | :--- |
| $1-5$ | blanks |
| $6-11$ | X |
| $12-14$ | blanks |
| $15-20$ | Y |
| $21-24$ | blanks |
| $25-26$ | INDEX |
| $27-29$ | blanks |
| $30-39$ | POLY |

The following Format statement could be used.
1 FORMAT (F11.4, F9.3, 16, E13.1)
Actually all that has been done is to make each field longer by including leading blanks. Each quantity meets the requirement of being right-justified within the field.

If instead of blanks, the unused card columns had contained unused data the above solution could not be applied, since by lengthening the fields in the Format statement, the unused data would be included and would change the values of the desired variables. To cope with this situation a special conversion code is used to allow for the skipping of columns. This is the X-type conversion and will be discussed in the next section.
4. The specifications in a Format statement must have correspondence in mode with the items in the Input-output statement; integer quantities require integer conversion, and floating point quantities require floating point conversion. Thus, the following statements are compatible:

```
        PRINT 2, A, B, I
2 FORMAT (F6.4, E10.2, I10)
```

The following statements are not compatible:

> READ 1, A, DELT, I
> 1 FORMAT (F10.3, E14.2, F8.2)

The third variable in the I/O list is a fixed point variable whereas the third specification in the Format statement is for a floating point variable.
5. Successive items in the I/O list are transmitted by successive corresponding specifications in the Format statement until all items in the list are transmitted. If there are more items in the I/O list than there are specifications, control transfers to the preceding left parenthesis of the Format statement. Thus parenthesis may be included within a specification for the above purpose.
For example, suppose the following statements are written into a program:

> PRINT 10, A, B, C, D, E, F, G
> 10 FORMAT (F10.3, E12.4, F12.2),
then the following table shows the variable transmitted in the column on the left, and the specification by which it is converted in the column on the right.

| Variable Transmitted | Specification |
| :---: | :---: |
| A | F10.3 |
| B | E12.4 |
| C | F12.2 |
| D | F10.3 |
| E | E12.4 |
| F | F12.2 |
| G | F10.3 |

Suppose that in the above example the Format statement had been 10 FORMAT (F10.3, (E12.4,F12.2)).
Then the table would look as follows:

Variable Transmitted
A
B
C
D
E F G

## Specification

F10.3
E12.4
F12.2
E12.4
F12.2
E12.4
F12.2
6. A comma is used to separate successive numeric specifications and to avoid ambiguity. The comma is not necessary when the numeric specifications are separated from one another by a special character such as ( and /. The example given above

$$
10 \text { FORMAT(F10.3,(E12.4,F12.2)) }
$$

could have been written as

$$
10 \text { FORMAT(F10.3(E12.4,F12.2)) }
$$

7. It is permissible to omit the E on input data in the floating point constant with exponent form if a plus or minus sign precedes the exponent. Thus, the following forms are valid:

$$
\begin{gathered}
16.8+03\left(16.8 \times 10^{3}\right) \\
18.1-02\left(18.1 \times 10^{-2}\right)
\end{gathered}
$$

The omission of the E is permissible only on input data. It may not be omitted in a Fortran statement. Thus, the state $\mathrm{A}=\mathrm{B} \star 16.8+03$ is not valid; $\mathrm{A}=\mathrm{B} \star 16.8 \mathrm{E}+03$ is valid.

X-Type Conversion for Blank Fields. Blank characters may be provided for output records or characters of an input record may be skipped by means of the $X$-type specification.

The general form is $w X$ where $w$ is the number of blanks to be provided or the number of characters to be skipped. The $w$ must be less than or equal to $49(w \leq 49)$. When $X$-type conversion is used in a specification, it need not be followed by a comma.

When the $w X$ specification is used with an input record, $w$ characters are skipped over no matter what they are. For example, if a card has numbers punched in columns $1-10,13-15$, and $20-30$, the following Fortran statements may be used.

> READ 8, A, B, CDEL
> 8 FORMAT (F10.3, 2XI3, 4XE11.2)

When the $w X$ specification is used with an output record the number of characters specified by $w$ are left blank. As an example, suppose that four fixed point integers with five blanks between each one are to be punched. The following Fortran statements may be used.

PUNCH 7, ID1, ID2, ID3, ID4<br>7 FORMAT (I8, 5XI3, 5XI5, 5XI8)

H-Type Conversion for Alphameric Fields. Alphameric fields may be read in or used as output by using the $H$-type conversion. The specification $w H$ followed by $w$ alphameric characters may be used in a Format statement to provide for alphameric fields. The $w$ must be less than or equal to $49(w \leq 49)$. When $H$-type conversion is used in a specification, it need not be followed by a comma.

The effect of the $w H$ specification depends on whether it is being used with an input or an output statement. If it is used with an input statement, $w$ characters are extracted from the input medium and replace the $w$ characters included with the specification. If it is used with an output statement the $w$ characters following the specification (or the $w$ characters that replaced them as a result of input operations) are written as part of the output record. If blanks are desired they are included in the count $w$. If no list is associated with the $\mathrm{I} / \mathrm{O}$ statement, the comma after the Format statement number is not mandatory punctuation.

## Example

## PRINT 11

11 FORMAT (21HMATRIXbMULTIPLICATION)
These statements would cause the following output to be printed:

## MATRIX MULTIPLICATION

## Example

```
    READ 1
1 FORMAT (28Hbbbbbbbbbbbbbbbbbbbbbbbbbbbb)
    PRINT 1
```

Assume the first card contained the following information in columns 1-28:

## CONVEYORbCALCULATIONbNO.b367

This information would be printed on the typewriter or punched in an output card if the Print statement were replaced by a Punch statement.

## Example

Suppose that in the above example instead of being punched in columns 1-28, the information was punched in columns 5-33. To read the card and print the information as before the following Fortran statements could be used.

```
    READ 1
1 FORMAT (4X28Hbbbbbbbbbbbbbbbbbbbbbbbbbbbb)
    PRINT 1
```


## Example

```
READ 1
1 FORMAT (7HRESULT=) PRINT 1
```

Assume that the first card contained the following information in columns 1-7

$$
1-7
$$

$$
362.111
$$

The Print statement would cause the following to type out:
362.111

Specification for Multirecord Format. The solidus (/) is used when more than one printed line, punched card, or tape record is to be specified in one Format statement. The / may cause any of the following, depending on the I/O statement it is used with: Another card may be read, another card may be punched, another line may be printed, or another tape record may be read or punched. Using the /, several oneline Formats may be specified in one Format statement. A comma need not follow a / when it is used in a Format specification.

## Example

READ 3, A, B, I
3 FORMAT (F8.2/E12.4/I2)
Three cards would be read. The value of A would be taken from the first card, B from the second card and I from the third card.

## Example

PRINT 6, A, B, C, D, I
6 FORMAT (F6.2, E12.4/F8.2, F8.2, 5XI5)
This would cause two lines to be printed. A and B would be printed on the first line according to specifications F6.2 and E12.4, respectively. The second line would have C, D, and I according to specification F8.2, F8.2, I5, respectively.

## Example

PRINT 193, X, Y, Z, W
193 FORMAT ( $2 \mathrm{HX}=\mathrm{F} 6.2,5 \mathrm{X} 2 \mathrm{HY}=\mathrm{F} 6.2,5 \mathrm{X} 2 \mathrm{HZ}=\mathrm{F} 6.2 / 5 \mathrm{X} 2 \mathrm{HW}=\mathrm{F} 6.2$ )
The following printed lines might result.
$\mathrm{X}=121.11 \mathrm{bbbbb}=132.10 \mathrm{bbbbbZ}=\mathrm{b} 67.12$
$\mathrm{bbbbW}=982.11$

## Example

READ 6, A, B

6 FORMAT (F6.2//F10.4)
The value of $A$ will be read from the first card and the value of $B$ will be read from the third card. The second card will be read and ignored.

## Example

READ 10, X, DELTA, I
10 FORMAT (5X3Hbbb6XF10.3, E14.4, 6XI4)
The values of X, DELTA, and I would be taken from one card in the following card columns:
Variable
X
DELTA
I

## Card Columns

15-24
I
25-38
45-48
The characters from columns 6-8 would replace the three blanks in the $H$ specification.

The following chart may prove helpful in analyzing the control of a Format statement. The chart is read as follows: The left-hand column indicates certain characters encountered in a Format statement. The three right-hand columns indicate what functions take place when the character in the left-hand column is sensed. The column labeled "Reset for New Record" means to read or punch another card or tape record or print another line depending on the I/O statement.

| Conversion <br> Types | Interrogate I/O <br> List for Last <br> Variable | Go Back to Last <br> Leff Parenthesis <br> IF More Variables <br> IN List | Reset For <br> New Record |
| :---: | :---: | :---: | :---: |
| Yes | Yes | Yes |  |
| $/$ | No | No | Yes |
| Numeric | Nos | No | No |
| $H$ and $X$ | No | No |  |

Note that both the right parenthesis and the solidus reset for a new record, so that in the following example the variables A and B would be printed on one line and the variables C and D on a second line.

PRINT 10, A, B, C, D
10 FORMAT (F6.2, F6.2)
In the following example each variable will be read from a different card according to the specification E14.4

READ 63, A, DELTA, X, Y, Z
63 FORMAT (E14.4)

## Pause Statement

General Form
PAUSE

## Example

PAUSE
When a Pause statement is executed, the computer will halt in the manual mode. Depressing the Start key on the console causes program execution to continue. The operator may take advantage of the halt to exercise manual control from the console.

## Stop Statement

General Form
STOP

## Example

STOP
When a Stop statement is executed, the computer halts in the manual mode. The carriage on the typewriter returns and the word "stop" types. Program execution cannot be continued by depressing the Start key on the console. Depressing the Start key will repeat the sequence given above.

## PROCESSOR CONTROL OPERATION

## End Statement

General Form
END

## Example

END
The End statement must be the last statement in a Fortran source program. It is a signal to the compiler that the final statement of the source program has been received.

We now have all the tools at our command to write complete Fortran programs. Two examples follow.

## Example

Suppose that we have a large number of quadratic equations of the form $A X^{2}+B X+C=0$ to solve. For each equation the values of $A, B$, and $C$ are punched in a card as follows:

| Card Columns | Variable Name | Form |
| :---: | :---: | :---: |
| $1-5$ | A | XXX.XX |
| $10-14$ | B | XXX. XX |
| $20-24$ | C | XXX. XX |

It is desired to print both roots of each equation along with the values of $A, B$, and $C$. If the discriminant is negative, a message to this effect is to be printed. Provisions should also be made to allow for typewriter entry of the data. A program to accomplish the above is:

```
10 IF (SENSE SWITCH 1) 1, 2
    1 READ 21, A, B, C
21 FORMAT (F5.2, 4XF5.2, 5XF5.2)
    GO TO 6
    2 ACCEPT 21, A, B, C
    D DISCR = B\star\star 2 - 4. \starA A 
        IF (DISCR) 7, 9, 9
    9 DENOM = 2.\starA
        DISCR = DISCR\star\star. }
        ROOT1 = (-B + DISCR)}/\mathrm{ DENOM
        ROOT2 = (-B - DISCR)/DENOM
        PRINT 22, A, B, C, ROOT1,ROOT2
22 FORMAT (F6.2, 5XF6.2, 5XF6.2, 5XF7.2, 5XF7.2)
        GO TO 10
    7 PRINT 23, A, B, C
23 FORMAT (F6.2, 5XF6.2, 5XF6.2, 5X13HCOMPLEXbROOTS)
    GO TO 10
    END
```


## Commentary

1. Format statements may be located anywhere in the program. They do not have to immediately precede or follow the associated I/O statement.
2. More than one I/O statement may reference the same Format statement.
3. By calculating $\mathrm{DENOM}=2 . \star \mathrm{A}$, it was necessary to perform this calculation just once.

## Example

It is desired to prepare a table of the factorials of the numbers from 1 to 15 . The following Fortran program will prepare this table.
$\mathrm{PN}=15$.
$8 \quad \mathrm{SFACT}=1$.
$\mathrm{A}=\mathrm{PN}$
2 SFACT $=$ SFACT $\star A$
$\mathrm{A}=\mathrm{A}-1$.
IF (A - 1.) 4, 4, 2
4 PRINT 271, PN, SFACT
271 FORMAT (F4.0, 10XE14.0)
$\mathrm{PN}=\mathrm{PN}-1$.
IF (PN) 3, 10, 8
10 PRINT 17
17 FORMAT (16HPROGRAMbCOMPLETE)
3 STOP
END

## SUBSCRIPTS AND SUBSCRIPTED VARIABLES

In many mathematical problems we find ourselves working with arrays or matrices. In mathematical notation the elements of the array are subscripted for ease of notation. Thus $A_{j k}$ might refer to the element in the $j$ th row and $k$ th column. Fortran provides for the subscription of variables. This facilitates the programming of many complex problems. ${ }^{2}$

Any variable (fixed or floating) can be made to represent any element in a one or two dimensional array by appending to it a single or double subscript. The variable is then a subscripted variable. The subscripts are fixed point quantities whose values determine which element of the array is being referred to.

## SUBSCRIPTS

A subscript may be an expression in any one of the following forms:

1. An unsigned fixed point constant (for example, 3, 199, 81)
2. A fixed point variable (for example, I, JDEL, MON)
3. A fixed point variable $\pm$ a fixed point constant (for example, $I+2$, JDEL - 180)

No subscript may itself be subscripted.
2 All previous commentary referencing variables may be considered as accurate if the words "subscripted variables" are substituted.

## SUBSCRIPTED VARIABLES

A subscripted variable is a fixed or floating point variable followed by parentheses enclosing one or two subscripts. If two subscripts are used, they are separated by a comma.

For each variable that is subscripted, the size of the array, that is, the maximum values which the subscripts can attain, must be stated in a Dimension statement (see below) preceding the first appearance of the variable.

## Example

A (I)
$\mathrm{B}(\mathrm{M}+4)$
K (2)
AB(I, J)
Z(IDEN $+7, \mathrm{~J}+3$ )

## Problem

Identify the following as being a subscripted variable in a correct form or incorrect form.

1. $\mathrm{A}(112)$
2. $\mathrm{A}(11,7)$
3. FLOW (MAX)
4. TORQUE (MIN)
5. $\operatorname{INC}(\mathrm{I}+2, \mathrm{~J}+3)$
6. TORQ (I, J, K)
7. TORQ $(\mathrm{I}+3)$
8. $\mathrm{X}(-3456)$
9. $Y(J \star 2)$
10. $\mathrm{Xl}(+2)$
11. DELT (FACT)
12. ABS $(2-\mathrm{J})$

## Dimension Statement

## General Form

DIMENSION v, v, v...
where each $v$ is a fixed or floating point variable subscripted with one or two unsigned fixed point constants. Any number of $v$ 's may be given in a Dimension statement.

## Example

DIMENSION A(10), B(20, 25), XY(100)
DIMENSION A(3), I(10, 3), B(17)
The Dimension statement is used to specify to the Fortran compiler how much storage is required for one and two dimensional arrays used in the source program. Every subscripted variable appearing in the source program must appear in a Dimension statement. If no subscripted vari-
ables appear in the source program, the Dimension statement is not necessary. One Dimension statement may be used to dimension any number of arrays. The only limiting factor is the permissible length of the Fortran statements. The programmer may find it convenient to place all Dimension statements at the beginning of his Fortran program to meet the requirement that a subscripted variable be listed in a Dimension statement before it is encountered in the program.

## Example

DIMENSION A(5), B(2, 15), I(6, 6)
The Fortran compiler will reserve space for five values of A, 30 values of B, and 36 values of I.

Note: Subscripts of variables in a Dimension statement must be unsigned fixed point constants, not variables. Dimensioning for less than one element in a one-dimensional array or two elements in a two-dimensional array is not allowed.

To facilitate the programming of subscripted variables, the Fortran language includes two additional statements-Do and Continue.

## Do Statement

## General Form

DO $\mathrm{ni}=\mathrm{m}_{1}, \mathrm{~m}_{2}, \mathrm{~m}_{3}$
where $n$ is a statement number, $i$ is a nonsubscripted fixed point variable, and $m_{1}, m_{2}, m_{3}$ are each either an unsigned fixed point constant or a nonsubscripted fixed points variable. If $m_{3}$ is not stated, it is taken to be 1 . Also $0<m_{1} \leq m_{2}$.

## Examples

DO $30 \mathrm{I}=1,10$
DO $21 \mathrm{JOB}=2,18,2$
The Do statement is a command to "Repeatedly execute the statements immediately following the Do statement, up to and including the statement numbered $n$, first with $i$ equal to $m_{1}$, then with $i$ incremented by $m_{3}$ for each succeeding pass until the value of $i$ equals or reaches the highest quantity in the sequence without exceeding $m_{2}$, and then to execute the statement following statement $n$."

A Do statement in which $m_{3}$ is not specified will assume $m_{3}$ to be 1 . Thus, the first time the range of the Do is executed, $i$ will be equal to $m_{1}$, subsequently $i=m_{1}+1, i=m_{1}+2, \ldots$, finally $i=m_{2}$.

The range of a Do statement is defined as "the set of statements which will be executed repeatedly; it is the sequence of consecutive statements
immediately following the Do, up to and including the statement numbered $n$. After the last execution of the range, the Do statement is said to be satisfied. The index of a Do statement is the fixed point variable $i$, which is controlled by the Do in such a way that its value begins at $m_{1}$ and is increased each time by $m_{3}$ until it is about to exceed $m_{2}$. Throughout the range it is available for computation, either as an ordinary fixed point variable or as the variable of a subscript.

As an example of a Do statement, consider the following program in which control has reached statement 10 :

$$
\begin{array}{ll}
10 & \mathrm{DO} 11 \mathrm{I}=1,10 \\
11 & \mathrm{~A}(\mathrm{I})=\mathrm{B}(\mathrm{I})+\mathrm{C}(\mathrm{I}) \\
12 & \ldots \ldots \ldots \ldots \ldots \ldots
\end{array}
$$

The range of the Do is statement 11, and the index is I. The Do sets $\mathrm{I}=1$ and control passes into the range. $\mathrm{B}(1)+\mathrm{C}(1)$ is computed and stored in $\mathrm{A}(1)$. Now, since statement 11 is the last statement in the range of the Do and the Do is unsatisfied, $I$ is increased by 1 to 2 and control returns to the beginning of the range, statement $11 . \mathrm{B}(2)+\mathrm{C}(2)$ is computed and stored in $\mathrm{A}(2)$. This continues until statement 11 has been executed with $I=10$. Since the Do statement is satisfied, control passes to statement 12.

## Do's within do's

One or more Do statements may be included within the range of another Do statement. This is called nesting. There are, however, certain rules which must be observed.

1. If the range of a Do statement includes another Do statement, all statements in the range of the second statement must also be in the range of the first Do. The following diagram illustrates this rule:


A set of DOs satisfying this rule is called a nest of DOs.
2. No transfer of control by If or Go To statements is permitted into the range of any Do statement from outside its range, since such transfers would not permit the Do loop to be properly indexed. The following diagram illustrates this rule:

Permitted


Violations of Rule 2

3. The range of a Do cannot end with a transfer statement; that is, the statement numbered $n$ cannot be a Go To or If type of statement.
4. The first statement in the range of a Do cannot be one of the following type of statements: Dimension, Format, or Continue.
5. The execution of a nest of Do's proceeds from the innermost Do to the outmost Do in that order.

## PRESERVATION OF INDEX VALUES

When control leaves the range of a Do statement by the Do becoming satisfied $\left(i \equiv m_{2}\right)$ and control passes to the next statement after the range, the exit is said to be a "normal" exit. When a "normal" exit occurs, the main value of the index ( $i$ ) is lost and it may not be used unless it is redefined.

If an exit occurs by a transfer out of the range, the current value of the index remains available for any subsequent use. If the exit occurs by a transfer which is in the ranges of several Do statements, the current values of all the indices controlled by them are preserved for any subsequent use.

## RESTRICTION

Almost every type of calculation is permitted in the range of a Do statement. Only one type of statement is not permitted, namely, any statement which redefines the value of the index or of any of the indexing
parameters. In other words, the indexing of a Do loop must be completely set before the range is entered.

## Continue Statement

General Form
CONTINUE

## Example

CONTINUE
Continue is a dummy statement which does not generate any instructions in the object program. Its major use is as the last statement in the range of a Do to fill the requirement that the last statement in the range of a Do cannot be a transfer statement. As an example of a program that requires a Continue, consider the table search program:

$$
\begin{array}{rl}
10 & \text { DO } 121 \mathrm{I}=1,100 \\
11 & \mathrm{IF}(\mathrm{~A}-\mathrm{B}(\mathrm{I})) \\
121 & \text { 121, } 23,121 \\
20 & \text { CONTINUE } \\
2 & \ldots \ldots \ldots . .
\end{array}
$$

The Program will examine the 100 -entry B table until it finds an entry that equals A, whereupon it will exit to statement 23 with the successful value of I available for fixed point use. If no entry in the table equals A, a normal exit to statement 20 will occur.

The following are examples of Fortran programs utilizing Do statements and subscripted variables.

## Example

On page 189 a program was illustrated to sum the numbers from 1 to 1000, using an If statement to control the number of times through the loop. The following program will develop the same sum using a Do statement to control the loop.

$$
\begin{aligned}
& \text { SUM }=0.0 \\
& \text { A }=1.0 \\
& \text { DO } 3=1,1000 \\
& \text { SUM }=\text { SUM }+\mathrm{A} \\
& 3 \mathrm{~A}=\mathrm{A}+1 . \\
& \text { PUNCH 10, SUM } \\
& 10 \\
& \text { FORMAT (F10.0) } \\
& \text { STOP } \\
& \text { END }
\end{aligned}
$$

Example (presented without commentary for your study)

```
X = -1.0
DO 5I = 1, 21
Y=X\star\star*3+3.0\starX\star\star 2 - 4.0\star X + 2.1
PRINT 2, X, Y
2 FORMAT (F4.1, 5XF8.3)
5 X = X + .1
STOP
END
```


## Example

Assume that 1000 numbers are punched one per card. The following program will read in the numbers, sum the positive numbers, print the negative numbers, and do nothing with zeros.

DIMENSION A(1000)
DO $1 \mathrm{I}=1,1000$
1 READ 15, A(I)
SUM $=0.0$
DO $4 \mathrm{I}=1,1000$
IF (A(I)) 3, 4, 2
$2 \mathrm{SUM}=\mathrm{SUM}+\mathrm{A}(\mathrm{I})$
GO TO 4
3 PRINT 15, A(I)
4 CONTINUE
PUNCH 16, SUM
15 FORMAT (F8.3)
16 FORMAT (F10.3)
STOP
END

## Commentary

Notice the dimensioning of the subscripted variable. Note that all the A's are read into core storage first and then operated upon. Actually this is a waste of storage space since the values of the variables are not needed once they have been operated on. Rewrite the above example without using subscripted variables.

## Example

Given $X_{i}, Y_{i}, Z_{j}$ for $i=1,2, \ldots, 10 \quad j=1,2, \ldots, 30$
Compute PROD $=\left(\sum_{i=1}^{10} C_{i}\right)\left(\sum_{j=1}^{30} Z_{i}\right)$
Where:
$C_{i}=X_{i}{ }^{2}+Y_{i}+2 X_{i}$ if $X_{i}>Y_{i}$
$C_{i}=X_{i}+Y_{i}{ }^{2}+2 Y_{i}$ if $X_{i}<Y_{i}$
$C_{i}=0 \quad$ if $X_{i}=Y_{i}$

The 30 values of $Z$ are punched five per card. There are ten cards with the corresponding values of $X$ and $Y$ on the same card. Thus $X_{1}$ and $Y_{1}$ are on the first card and $X_{10}$ and $Y_{10}$ are on the 10th card. The six $Z$ cards follow. The following Fortran program is a solution:

```
    DIMENSION Z(5)
    SUMC = 0.
    DO 12 I = 1, 10
    READ 3, X, Y
3 FORMAT (F8.3, F8.3)
    IF (X - Y) 9, 12, 11
9 SUMC = SUMC + X + Y\star\star 2 + 2.\starY
GO TO 12
11 SUMC = SUMC + X\star\star 2 + 2.\star X + Y
12 CONTINUE
SUMZ = 0.
DO 15 I = 1,6
READ 4, Z(1), Z(2), Z(3), Z(4), Z(5)
DO 15 J=1,5
15 SUMZ = SUMZ + Z(J)
4 ~ F O R M A T ~ ( E 1 4 . 4 , ~ E 1 4 . 4 , ~ E 1 4 . 4 , ~ E 1 4 . 4 , ~ E 1 4 . 4 ) ~
PROD = SUMZ\starSUMC
PRINT 10, SUMC, SUMZ, PROD
10 FORMAT (E14.4, E14.4, E14.4)
STOP
END
```


## FUNCTIONS

Frequently in programs it becomes necessary to calculate the sine or cosine of an angle or to take the natural logarithm of a number. Fortran has incorporated in it the necessary subroutines to calculate some of the more commonly required functions. It is possible in Fortran to do the following: calculate the sine of an angle, the cosine of an angle, the square root of a number, the natural logarithm of a number, the arctangent of a number, and to raise $e$ to a power.

## General Form

The name of the function being used must be written as represented below with the function name followed by the argument enclosed in parenthesis. The argument must be a floating point variable or constant. The argument may be an expression and, if desired, may contain another function. Should the argument be a floating point variable it may be subscripted. A function may be the argument of a function.

Allowable Function Names ${ }^{3}$
$\mathrm{SIN}(\mathrm{X})$ meaning sine of $x$ ( $x$ in radians)
$\operatorname{COS}(\mathrm{X})$ meaning cosine of $x$ ( $x$ in radians)
LOG (X) meaning $\log _{e} x$
EXP (X) meaning $\mathrm{e}^{x}$
SQRT(X) meaning the square root of $x$
ATAN (X) meaning the $\tan ^{-1} x$

## Examples

COS (B)
$\operatorname{SQRT}(A \star B-C)$
$\operatorname{LOGF}(\operatorname{SIN}(A))$
$\operatorname{ATAN}(\mathrm{A}(\mathrm{I}, \mathrm{J}))$
$\operatorname{SIN}(B(I)+2$.
For each of the functions shown, there exists a subroutine within the Fortran system that computes the function of the argument enclosed in parenthesis. These subroutines will be compiled into the object program automatically when called for by a statement containing a function.

Functions may be used in any arithmetic expression.

## Examples

$\mathrm{A}=\operatorname{COS}(\mathrm{DELTA})+6 . \star \mathrm{X}$
$\operatorname{IF}(\operatorname{LOG}($ FIN $)+\operatorname{SQRT}(\mathrm{A}+\mathrm{B})) 1,2,2$
$\mathrm{XCOOR}=(\operatorname{SIN}(\mathrm{R})+\operatorname{COS}(\mathrm{S})) / 2$.
$B A=\operatorname{EXP}(T(I+2))+X \star \star 2$.

## COMMENT STATEMENT

Any statement whose first three characters are the letter "C" followed by two blanks is interpreted as a comment and does not affect the processing. Such comments are particularly helpful if one returns to a program after a prolonged period of inactivity.

## Example <br> CbbTHIS PROGRAM CALCULATES ....

## ADVANCED PROGRAMMING EXAMPLES

## Example

In this example, a program is required to determine the current in an alternating-current circuit consisting of a resistance, an inductance, and a capacitance, having been given a number of sets of values of resistance, inductance, and frequency. The current is to be determined for a number of equally spaced values of the capacitance (which lie between specified limits which are input data) for voltages of $1.0,1.5,2.0,2.5$, and 3.0 volts.
${ }^{3}$ An allowable alternate name for any of the functions listed above is the permissible form of the name with a terminal " $F$ " added. Thus, SINF, COSF, LOGF, EXPF, SQRTF and ATANF are permissable.

The equation for determining the current flowing through such a circuit is

$$
i=\frac{E}{\sqrt{R^{2}+\left[2 \pi F L-\frac{1}{2 \pi F C}\right]^{2}}}
$$

where $\quad i=$ current, amperes
$E=$ voltage, volts
$R=$ resistance, ohms
$L=$ inductance, henrys
$C=$ capacitance, farads
$\mathrm{F}=$ frequency, cycles per second
$\pi=3.1416$
The Fortran program could be written as follows:
1 FORMAT (F8.2, F10.2, F8.2)
2 FORMAT (F6.2, F8.2)
3 FORMAT (F8.2)
10 READ 1, OHM, FREQ, HENRY
11 READ 2, FRD1, FRDMX
12 VOLT $=1.0$
15 FARAD = FRD1
14 PUNCH 3, VOLT
16 AMP $=$ VOLT/SQRTF (OHM $\star \star 2+$ (6.2832 ${ }^{2}$ FREQ ${ }^{2}$ HENRY $-1 . /(6.2832 \star$ FREQ $\star$ FARAD $)) \star \star 2)$
17 PUNCH 2, FARAD, AMP
18 IF (FARAD - FRDMX) 19, 21, 21
19 FARAD = FARAD +.00000001
20 GO TO 16
21 IF (VOLT - 3.0) 22, 10, 10
22 VOLT $=$ VOLT +0.5
23 GO TO 15
24 END

## Commentary

Statement 10 causes the values of the resistance, the frequency, and the inductance to be read from the first card, and statement 11 causes the initial and final values of the capacitance to be read from the next card. The initial value of the voltage is introduced and punched (statements 12 and 14). Statement 15 causes the initial value of the capacitance to replace the current value of the capacitance (denoted as FARAD). The actual calculation, together with the current value of the capacitance, is then punched (statement 17).

The current value of the capacitance is compared with the final value to determine whether or not all values have been investigated (statement 18). If not, the expression is negative and the program proceeds to statement 19, which causes the value of the capacitance to be increased by the given increment. This is followed by a transfer (statement 20) to statement 16 which causes the calculation to be repeated for the new value of the capacitance. If
the expression in statement 18 is zero or positive, all values of the capacitance have been investigated and the program transfers to statement 21.

At this point the value of the voltage is compared with the upper bound to determine whether or not all specified values of the voltage have been used. If not, the expression in statement 21 is negative and the program proceeds to statement 22 which causes the value of the voltage to be increased. Following this, a transfer (statement 23) is made to statement 15 , causing the new value of the voltage to be punched; and the entire process of investigating all values of the capacitance is begun again. If all values of the voltage have been used (the expression in statement 21 is zero or positive), the calculations for the current set of values of resistance, frequency, and inductance are finished. The program is returned to statement 10 so that the two cards defining the next case may be read and the program repeated. This process is repeated until all of the cases have been considered, that is, all of the cards have been read.

## Example

The following is an example of a Fortran program to do matrix multiplication for matrices of a maximum size of 15 by 15 . Assume that the elements are punched one per card by rows.

Given a matrix $A$ with dimensions $N \times L$, and the matrix $B$ with dimensions $L \times M$ the resultant product matrix $C$ will be of size $N \times M$.

To compute any element $C_{i j}$, select the $i$ row of $A$ and the $j$ column of $B$, and sum the products of their corresponding elements. The general formula for this computation is

$$
C_{i j}=\sum_{k=1}^{l} A_{i k} B_{k j}
$$

DIMENSION A $(15,15), \mathrm{B}(15,15), \mathrm{C}(15,15)$
10 FORMAT (I2, I2, I2)
11 FORMAT (F8.2)
12 FORMAT (I4, I4, F8.2)
READ 10, L, N, M
DO $1 \mathrm{I}=1, \mathrm{~N}$
DO $1 \mathrm{~J}=1$, L
1 READ 11, A(I, J)
DO $2 \mathrm{I}=1$, L
DO $2 \mathrm{~J}=1$, M
2 READ 11, B(I, J)
DO $4 \mathrm{I}=1, \mathrm{~N}$
DO $4 \mathrm{~J}=1, \mathrm{M}$
$\mathrm{C}(\mathrm{I}, \mathrm{J})=0.0$
DO $20 \mathrm{~K}=1$, L
$20 \mathrm{C}(\mathrm{I}, \mathrm{J})=\mathrm{C}(\mathrm{I}, \mathrm{J})+\mathrm{A}(\mathrm{I}, \mathrm{K}) \star \mathrm{B}(\mathrm{K}, \mathrm{J})$
4 PRINT 12, I, J, C(I, J)
STOP
END

## Example

The following Fortran program will sort up to 300 floating point numbers into ascending sequence. The exchange method of sorting is used. The numbers are punched one per card in columns 1-8. A header card is read in first; in columns $1-3$ of this card is the number of numbers to be sorted. In the exchange method of sorting the first two numbers are compared. If the first number is greater than the second they are interchanged. If the second number is greater than the first the procedure continues with no interchange. The second and third numbers are then compared and if the second number is greater, they are interchanged. This process continues until finally the last number and the preceding one are compared. At this time the largest number will be at the end of the list of numbers in its proper place. The process is then repeated starting with the first number. At the completion of this second pass the next largest number will be in its proper place. Thus if $N$ is the number of numbers a maximum of $N-1$ passes are required to put them in ascending sequence.

If the following items are noted the time required for the complete sort may be reduced.

1. The numbers are in sequence when no interchange has occurred in a complete pass.
2. During a pass all the numbers beyond the last interchange are in sequence. Thus if 100 numbers are being sorted and on the first past the last interchange is made between the 79th and 80th numbers in the list, on the next pass and numbers beyond the 78th and 79th need not be compared since they will be in the proper sequence.

Cbb FORTRAN SORT PROGRAM-EXCHANGE METHOD DIMENSION A(300)
1 FORMAT (I3)
7 FORMAT (F8.2)
11 FORMAT (F8.2, F8.2)
36 SUM $=0.0$
SUM1 $=0.0$
IND $=0$
READ 1, KOUNT
DO $2 \mathrm{I}=1$, KOUNT
READ 7, A(I)
$2 \mathrm{SUM}=\mathrm{SUM}+\mathrm{A}(\mathrm{I})$
Cbb THIS IS A CHECK TOTAL TO BE COMPARED WITH Cbb A TOTAL TAKEN AT THE END OF THE PROGRAM INDEX $=$ KOUNT -1
3 DO $5 \mathrm{I}=1$, INDEX
IF $(\mathrm{A}(\mathrm{I}+1)-\mathrm{A}(\mathrm{I})) 6,5,5$

```
    6 SAVE = A (I + 1)
    A(I + 1) = A(I)
    A(I) = SAVE
    IHOLD = I
    IND = 1
    5 \text { CONTINUE}
    IF (IND) 9, 8, }
    9 INDEX = IHOLD
    IND = 0
    GO TO 3
8 DO 4I = 1, KOUNT
    SUM1 = SUM1 + A(I)
Cbb THIS IS THE SECOND CHECK TOTAL DEVELOPED
    4 PRINT 7, A(I)
        PRINT 11, SUM, SUM1
        GO TO }3
        END
```


## GENERAL INFORMATION

1. Statements may be punched anywhere in card or tape.
2. Source statements may not exceed 72 characters including blanks and statement numbers.
3. An E/L must be the last character of every Fortran statement in the tape system and is included in the 72 character count.
4. The card system does not require the record mark as a terminating character of the statement, but the presence of such a character does not affect the processing.
5. The programmer may utilize the last 8 columns of the card for any identifying information he wishes. This will not affect the processing.
6. Object time input records may not exceed 72 characters. Object time output records may not exceed 72 characters except for typewriter records which may not exceed 87 characters.

## Chapter 16

## Problems

## SECTION 1. BASIC MACHINE LANGUAGE PROBLEMS

All problems in this section may be attempted with a knowledge of machine language coding only. Unless otherwise stated, input data is assumed to be flagged at the high-order position and, if negative, at the low-order position. A 20,000 -core-position machine with card and paper tape I/O devices is assumed. Other than these features no other equipment is available. A record mark is assumed to be in position 00400 if needed. Programs may begin at any even location above 00400. Any assumptions needed for proper solution of the problems are valid.
1.1 Five positive unflagged 4-digit integers are punched in paper tape. They are separated by $\mathrm{E} / \mathrm{L}$ characters and an $\mathrm{E} / \mathrm{L}$ character follows the fifth and last item. Construct a program to generate and print the product of the five numbers.
1.2 Assume that the data in the previous problem is punched in columns 1-4 of five separate cards. Construct a program to type the product of the five numbers. Data is unflagged.
1.3 Five positive unflagged 4 -digit integers are punched in one record on paper tape. Following the last item there is an $\mathrm{E} / \mathrm{L}$ character. There are no blanks separating the data. It may be considered as a 20 -digit number Generate and type the product of the five numbers.
1.4 A single card is punched with five unflagged 4-digit numbers as follows:

| XXXX | Columns 1-4 |
| :--- | :--- |
| XXXX | Columns |
| XXXX | Columns 15-18 |
| XXXX | Columns |
| 26-29 |  |
| XXXX | Columns |

Generate and type the product of the five numbers.
1.5 N cards are punched with the following information:

| A(XXX.XX) | Columns 1-5 |
| :--- | :--- |
| B (.XXXX) | Columns 6-9 |
| C(X.XX) | Columns 10-12 |
| D(XX.) | Columns 13-14 |

Decimal points are not punched in the cards. Thus a number of the form A may be 35.6 and will be punched as 03560 . The range of the numbers is as follows:

$$
\begin{aligned}
-999.99 & \leq A \leq 999.99 \\
-.9999 & \leq B \leq .9999 \\
-9.99 & \leq C \leq 9.99 \\
-99 . & \leq D \leq 99 .
\end{aligned}
$$

For each input card type a single line of output information which consists of $A, B, C, D$ and SUM, where
$\operatorname{SUM}=\mathrm{A}+\mathrm{B}+\mathrm{C}+\mathrm{D}$.
Calculate SUM to two decimal places and round the result to one decimal. Terminate the program after processing the last card.
1.6 $N$ cards are in the read hopper of the 1622. Write a program to type $N$ ( $N \leq 500$ ). High-order zeros are not to be typed. Thus if 23 cards are in the read hopper, the result appears as 23 , not as 023.
1.7 $N$ records are on paper tape. Each record is 5 characters long (4 digits and one $\mathrm{E} / \mathrm{L}$ character), except for the last, which is 6 characters long ( 4 digits, one record mark, and one $\mathrm{E} / \mathrm{L}$ character). Write a program to type $N(N \leq 8500)$. High-order zeros are not to be typed as part of the result.
1.8 Five 10-digit numbers are on paper tape, separated by E/L characters. An E/L character follows the fifth and last element. Write a program to sort the data in increasing order and punch it into paper tape. The output tape is to consist of the sorted data separated by $\mathrm{E} / \mathrm{L}$ characters and an $\mathrm{E} / \mathrm{L}$ character is to follow the fifth and last element. No two elements are equal and the data are not necessarily all of the same sign.
1.9 N cards each contain a single 2-digit number $X_{i}$ (XX.) punched in columns $14-15$. Generate coding to calculate and print the following:

$$
N \text { and } \sum_{i=1}^{N} X_{i}
$$

where $N \leq 9999$ and $\Sigma X_{i} \leq 99999$.
1.10 This problem is identical with the previous one, with the following two exceptions:

1. The first card has a 4 -digit number $P(P \leq 9999)$ punched in columns $2-5$.
2. There are $P+1$ cards.

## SECTION 2. MACROLESS SYMBOLIC CODING

All problems in this section may be attempted with a knowledge of SPS coding. Macro-instructions are not employed. For all problems, assume a 20,000 -core-position 1620 with card and paper tape I/O. You may assume any alternate attachments, at the instructor's discretion. Any assumptions for the proper solution of these problems are valid. Unless otherwise stated, all data is assumed to be flagged on the input medium.
2.1 $A, B$, and $C$ are on paper tape separated by $\mathrm{E} / \mathrm{L}$ characters, and an $\mathrm{E} / \mathrm{L}$ character lies after the third and last element.

$$
\begin{aligned}
& \mathrm{A}(\mathrm{XXX.}) \leq 300 \\
& \mathrm{~B}(\mathrm{XXX.}) \leq 400 \\
& \mathrm{C}(\mathrm{XXX} .) \leq 200
\end{aligned}
$$

Generate the coding for $G=A+B-C$
$(-500 \leq \mathrm{G} \leq 900)$
If $G>O$, print $G$ and halt.
If $G=O$, print $A, B, C, G$, and halt.
If $G<O$, print $G, A, B, C$, and halt.
Do not print high-order zeros for any data.
2.2 Six cards are in the read hopper of the 1622.

Card 1: N(X.)-Column 1
Card 2: A(XXX.)-Columns 1-3
Card 3: B (XXX.) -Columns 1-3
Card 4: C(XXXX.) -Columns 1-4
Card 5: D (XX.) -Columns 1-2
Card 6: E(XXX.)—Columns 1-3
If $N=1$, calculate and print $Y$ where

$$
Y=A+B+C+D+E(Y \leq 9999)
$$

If $N=2$, calculate and print $Y$ where

$$
Y=A \cdot B \cdot C \cdot D \cdot E(\mathrm{Y} \leq 99999999)
$$

If $N=3$, calculate and print $Y$ where

$$
Y=C-A-B-D-E(Y \leq 9999)
$$

If $N>3$, print $N$ and the following error message:

## INCORRECT CODE IN FIRST CARD

2.3 On tape, in a single record, are $A_{i}(i=1,100) . A_{i} \leqslant 999$ for all $i$. An $\mathrm{E} / \mathrm{L}$ character follows $A_{100}$. Each $A_{i}$ is three characters. Calculate and print:

$$
\sum_{i=1}^{100} A_{i}
$$

2.4 On 510 cards, $A_{i}, B_{i}(i=1,510)$.

Each $A_{i}, B_{i}$ occupies a single card.
$A_{i}$ : Columns 1-3 ( $A_{i} \leq 800$ )
$B_{i}:$ Columns 5-8 ( $\left.B_{i} \leq 9000\right)$
Generate 510 cards such that:
$A_{i}$ : Columns 5-7
$B_{i}$ : Columns 1-4
$C_{i}$ : Columns 75-78 ( $C \leq 5000$ )*
where $C_{i}=A_{i}+B_{i}$
2.5 This problem is identical with the previous one with the following three exceptions:

1. There are $N(\leq 5000)$ cards.
2. $i=1, N$
3. After producing the $N$-th card, punch an $(N+1)$ st card with $N$ in columns 77-80.
2.6 There are two records on paper tape.

The first consists of $A_{i}(i=1,75)$.
The second consists of $B_{j}(j=1,38)$.

$$
\begin{aligned}
& A_{i}(\text { XX. }) \leq 99 \\
& B_{j}(\text { XXX. }) \leq 999
\end{aligned}
$$

Calculate and print:

$$
\sum_{i=1}^{38} A_{i} B_{j} \quad(\leq 99999999)
$$

An $\mathrm{E} / \mathrm{L}$ character separates the two records and an $\mathrm{E} / \mathrm{L}$ character termi-

[^10]nates the second record. The first record is 151 characters in length. The second record is 115 characters in length.
2.7 On tape there are six records.

```
Record 1: M (2 digits)
Record 2: \(N\) (2 digits)
Record 3: \(P\) ( 2 digits)
Record 4: \(A_{i}\left(i=1, M\right.\). Each \(\left.A_{i} \leq 999.\right)\)
Record 5: \(B_{j}\left(j=1, N\right.\). Each \(B_{j} \leq 99\).)
Record 6: \(C_{k}\left(k=1, P\right.\). Each \(\left.C_{k} \leq 99.\right)\)
```

Calculate and print:

$$
\begin{aligned}
& P \\
& N \\
& M \\
& \sum_{i=1} A_{i} B_{j} C_{k}\left(\leq 10^{10}\right) \\
& j=1 \\
& k=1
\end{aligned}
$$

The count of the number of digits in each record given above does not include the $\mathrm{E} / \mathrm{L}$ character. Therefore, Record 1 is 3 characters long, and so forth.
2.8 Analyze and comment on the following program. Give a timing estimate at the object level.

2.9 One hundred cards are in the read hopper of the 1622. Each card has a 4 -digit number punched in columns $1-4$. There is a record mark in column 80 of each card. Reproduce this deck in ascending, sorted order. No data is necessarily unique.
2.10 Write a program to generate and print the following:

| 0000 | 1100 |
| :--- | :--- |
| 0001 | 1101 |
| 0011 | 1111 |
| 0010 | 1110 |
| 0110 | 1010 |
| 0111 | 1011 |
| 0101 | 1001 |
| 0100 | 1000 |

The above binary-type coding is to be generated through the use of iterative coding, not through the use of 16 DC statements.
2.11 Generate and print the following:

0123456789
1234567890
2345678901
3456789012
4567890123
5678901234
6789012345
7890123456
8901234567
9012345678
Similarly, do not use 10 DC statements, but rather iterative coding.

## SECTION 3. FULL SYMBOLIC CODING WITH MACRO-INSTRUCTIONS

All problems in this section may be attempted with a knowledge of full symbolic coding. For all problems, assume a 20,000 -core-position 1620 with card and paper tape I/O. You may assume any alternate attachments, at the instructor's discretion. Any assumptions for the proper solution of these problems are valid. Unless otherwise stated, all data is assumed to be flagged on the input medium. All problems done in floating point assume a l0-digit floating point word. With adequate modifications of the statement of the problem, any floating point word size may be assumed.
3.1 $N$ cards are in the read hopper of the 1622. Each card contains three floating point numbers punched as follows:

$$
\begin{array}{lr}
A: & 1-10 \\
B: & 11-20 \\
C: & 21-30
\end{array}
$$

For each input card punch a single output card with the following information:

A: $\quad 1-10$
B: $11-20$
C: 21-30
$X_{1}$ : 31-40
$X_{2}: 41-50$
Blank: 51-80
where $X_{1}$ and $X_{2}$ are the solutions to the quadratic system:

$$
A X^{2}+B X+C=0
$$

If the discriminant of the quadratic is negative, punch the following information to avoid complex roots:

A: $1-10$
B: $11-20$
C: $\quad 21-30$
Discriminant: $31-40\left(B^{2}-4 A C\right)$
Blanks: 41-80
3.2 Given a matrix $A_{m n}$ punched in cards by rows, where each element of the matrix is a floating point word and each card contains a maximum of 8 words. This matrix has 9 rows and 7 columns. Calculate a matrix $B_{m n}$ where:

1. $b_{1 j}=a_{1 j} \quad(j=1,7)$
2. $b_{9 j}=a_{9 j} \quad(j=1,7)$
3. $b_{i 1}=a_{i 1} \quad(i=2,9)$
4. $\quad b_{i 7}=a_{i 7} \quad(i=2,9)$
5. $b_{i j}=1 / 4 a_{i-1, j}+1 / 4 a_{i}+1,{ }_{j}+1 / 4 a_{i, j-1}+1 / 4 a_{i, j+1}$
for $i=2,8$
$j=2,6$
The $B_{m n}$ matrix is developed by superimposing itself on the $A_{m n}$ matrix. At the conclusion of the program, the $A_{m n}$ matrix has been overlain completely. Punch the resultant matrix on cards packed 8 words per card, except for the last card which is blank in the last 10 columns.
3.3 This problem is identical with the previous one, with the following exceptions:
6. Preceding the matrix is a single card with the following information:
(a) Columns 1-2: $m(\overline{\mathrm{X}} \mathbf{X}) \leq 40$
(b) Columns 3-4: $n(\overline{\mathrm{X} X}) \leq 40$
7. $m$ and $n$ are not necessarily equal.

Calculate the matrix $B_{m n}$ where:

1. $b_{1 j}=a_{1 j} \quad(j=1, n)$
2. $\quad b_{m j}=a_{m j} \quad(j=1, n)$
3. $b_{i 1}=a_{i 1} \quad(i=2, m)$
4. $\mathrm{b}_{\text {in }}=a_{\text {in }} \quad(i=2, m)$
5. $b_{i j}=1 / 4 a_{i-1, j}+1 / 4 a_{i+1, j}+1 / 4 a_{i, j-1}+1 / 4 a_{i, j+1}$

$$
\text { for } i=2, m-1
$$

$$
j=2, n-1
$$

3.4 Calculate and print the following tabulation with alphabetic headings. All calculation and all output is in floating point form.

$$
\mathrm{X}(\text { RADIANS }) \quad \operatorname{SIN}(\mathrm{X}) \quad \operatorname{COS}(\mathrm{X})
$$

where:

$$
\begin{aligned}
& 0 \leq X \leq 2 \Pi \\
& \Delta X=.0001 \text { radians }
\end{aligned}
$$

3.5 A 2-digit record ( $\overline{\mathrm{X} X} \leq 40$ ) is terminated by an $E / L$ character on paper tape. A second record consists of the upper half of a square symmetrical matrix: (by rows)

$$
\quad a_{11} a_{12} \ldots a_{1 j} a_{22} a_{23} \ldots a_{2 j} a_{33} \ldots a_{3 j} \ldots a_{j j}
$$

where $a_{i j}=a_{j i}$.
The second record consists of $\frac{j(j+1)}{2}$
elements, each one of which is a floating point number. The first record is $j$. The second record is terminated by an $\mathrm{E} / \mathrm{L}$ character.
Generate and punch the complete square symmetrical matrix from the information given about the upper half. Data are to be punched in paper tape in a single record. The complete matrix is to be punched as follows:

$$
a_{11} a_{12} \ldots a_{1 j} a_{21} a_{22} a_{23} \ldots a_{2 j} \ldots a_{j 1} a_{j 2} \ldots a_{j j}
$$

Thus, if $j=3$, the input information is:

$$
\begin{array}{rlll}
a_{11} a_{12} a_{13} a_{22} a_{23} a_{33} & \begin{array}{lll}
a_{11} & a_{12} & a_{13} \\
& a_{22} & a_{23} \\
& & \\
& & a_{33}
\end{array}
\end{array}
$$

and the output information is:

$$
a_{11} a_{12} a_{13} a_{21} a_{22} a_{23} a_{31} a_{32} a_{33}
$$

$$
a_{11}^{a_{12}} a_{13}
$$

3.6 Assume a machine without divide hardware for the following problem. Tabulate a list of $X$ and $1 / X$ for $1 \leq X \leq 1000$ with $\Delta X=1$. Calculate all reciprocals to three decimals. Use fixed point arithmetic.

| $X$ | $1 / X$ |
| :---: | :---: |
| 1 | 1000 |
| 2 | 500 |
| 3 | 333 |
| 4 | 250 |
| $\cdot$ | $\cdot$ |
| $\cdot$ | $\cdot$ |
| $\cdot$ | $\cdot$ |
| 1000 | 001 |

3.7 Evaluate and print $X$ and $F(X)$ for the following polynomial:

$$
\begin{aligned}
& F(X)=2.7 X^{7}+3.2 X^{6}-2.1 X^{5}+X^{4}+3 X^{3}-2 X^{2}+X+17 \\
& 0 \leq X \leq 10 \quad \triangle X=.1
\end{aligned}
$$

Hint: Nest the polynomial as follows:

$$
((\ldots((2.7 X+3.2) X-2.1) X+\ldots) X+17
$$

All calculation and output is to be done in floating point form, with the following tabulation:

$$
X \quad F(X)
$$

3.8 Write a program to generate $\sqrt{a}$ using the Newtonian method of successive approximation:

$$
x_{n+1}=1 / 2\left(x_{n}+a / x_{n}\right)
$$

where $x_{n+1}$ is the $(n+1)$ st approximation to $\sqrt{a}$.
Calculate and print all $a$ and $\sqrt{a}$ for $1 \leq a \leq 1000$ with $\Delta a=1.0$. Do not use the square root macro. Do all arithmetic in floating point.
3.9 Construct a generalized float routine with input from paper tape and each number is separated from the next by an E/L character. Punch the floated data on tape in the same form (separated by $\mathrm{E} / \mathrm{L}$ characters). Data may be signed or unsigned with a maximum of 8 decimal digits. A decimal point is always present. Thus a maximum record is 11 characters, including $\mathrm{E} / \mathrm{L}$ character. A minimum record is 3 characters, including $\mathrm{E} / \mathrm{L}$ character. The desired output record for each input record is the input number expressed in floating point form. Input data is not flagged, namely.

3.10 Construct a generalized fix routine with input from paper tape in a fashion identical with the output of the previous problem. Positive data are to be printed unsigned, and negative data are to be printed with sign. The range of the characteristic of the floating point number will
not exceed $\overline{0} 7$ or be less than $\overline{0} \overline{7}$. Print the number with decimal point and 8 digits, namely:

| $\overline{1} 2340000 \overline{0} 3$ | yields | 123.40000 |
| :--- | :--- | ---: |
| $\overline{1} 000000 \overline{0} \overline{0} \overline{2}$ | yields | -.00100000 |
| $75983200 \overline{0} 2$ | yields | 75.983200 |
| $\overline{9} 9999999 \overline{0} 7$ | yields | 9999999.9 |
| $\overline{1} 2345678 \overline{0} \overline{7}$ | yields | .00000001 |

## SECTION 4. FORTRAN PROBLEMS

All problems in this section may be attempted with a knowledge of basic 1620 Fortran.
4.1 Any centesimal year not divisible by 400 is not a leap year. Type a list of all leap years from the year 1599 to the present year. If the present year is a leap year, include it in the list.
4.2 Calculate and print the following tabulations with alphabetic headings.

$$
\mathrm{X}(\text { RADIANS }) \quad \operatorname{SIN}(\mathrm{X}) \quad \operatorname{COS}(\mathrm{X})
$$

for $0 \leq X \leq 2$ and $\Delta X=.001$ radians.
4.3 Assume typewriter input for all necessary parameters. Design a Fortran program to evaluate

$$
\int^{B} \operatorname{Ln}(x) d x
$$

A
by Simpson's rule. ${ }^{1}$
$A+n h=B$
$\int \quad f(x) d x=h / 3\left(f\left(x_{0}\right)+4 f\left(x_{1}\right)+2 f\left(x_{2}\right)+4 f\left(x_{3}\right)+2 f\left(x_{4}\right)+\ldots\right.$
A

$$
\left.+2 f\left(x_{n-2}\right)+4 f\left(x_{n-1}\right)+f\left(x_{n}\right)\right)
$$

where

1. $x_{i}+h=x_{i}+1$
2. $A=x_{0}$
3. $B=A+n h=x_{n}$
${ }^{1}$ For a complete discussion of numerical integration see:
(a) Milne, W. E., Numerical Calculus. Princeton, N. J.: Princeton University Press, 1949. pp. 100-200.
(b) Hildebrand, F. B., Introduction to Numerical Analysis. New York: McGrawHill Publishing Company, Inc., 1956. pp. 64-84.
(c) Scarborough, J. B., Numerical Mathematical Analysis. Baltimore, Md.: The Johns Hopkins Press, 1958. pp. 131-167.
4.4 Design a Fortran program to perform the numerical integration of the preceding problem employing Weddle's rule. ${ }^{2}$
$A+n h=B$
$\int_{A}^{A+n h=B} f(x) d x=3 h / 10 \quad\left(\sum_{i=0}^{n} k f\left(x_{i}\right)\right)$
where $k=1,5,1,6,1,5,2,5,1,6,1,5,2, \ldots, 1$
4.5 Design a Fortran program to perform the same numerical integration as the previous two problems, employing Gauss' Quadrature formula. ${ }^{3}$ B
$\int_{A} f(x) d x=(B-A)\left(R_{1} \phi\left(u_{1}\right)+R_{2} \phi\left(u_{2}\right)+\ldots+R_{n} \phi\left(u_{n}\right)\right) .{ }^{*}$
using the transformations

$$
\begin{aligned}
& x=(B-A) u+\frac{a+b}{2} \\
& y-f(x)=f\left((B-A) u+\frac{a+b}{2}=\phi(u)\right.
\end{aligned}
$$

4.6 Write a Fortran program to generate $\sqrt{a}$ using the Newtonian method of successive approximation:

$$
x_{n+1}=1 / 2\left(x_{n}+a / x_{n}\right)
$$

where $x_{n+1}$ is the $(n+1)$ st approximation to $\sqrt{\text { a. }}$ Calculate and print all $a$ and $\sqrt{a}$ for $1 \leq a \leq 1000$ with $\Delta a=1.0$. Do not use the Fortran subroutine SQRT or SQRTF.
4.7 Examine the following Fortran program for error. It is designed to yield two routs of a quadratic if the discriminant is positive and not zero. If the discriminant is zero, it types one value for the double root. If the discriminant is negative an unconditional halt is obtained.

```
6 READ 1, A, B, C
1 FORMAT (F8.2)
5 FORMAT (F8.4)
    \(\mathrm{X}=\mathrm{B} \star \star 2-4 . \star \mathrm{A} \star \mathrm{C}\)
    IF (X) 2, 3, 4
2 STOP
```

[^11]```
\(3 \mathrm{X}=-\mathrm{B} / 2\). ® \(_{\mathrm{A}}\)
    PRINT 5, X
    GO TO 6
4 ROOT \(1=(-\mathrm{B}+\operatorname{SQRT}(\mathrm{X})) / 2 . \star \mathrm{A}\)
ROOT \(2=(-\mathrm{B}-\operatorname{SQRT}(\mathrm{X})) / 2 . \star \mathrm{A}\)
PRINT 5, ROOT 1, ROOT 2
GO TO 6
```

4.8 There are $I+J+K+1$ cards in the read hopper of the 1620 .

The $I$ cards have $a_{i}(I \leq 10)$
The $J$ cards have $b_{j}(J \leqslant 15)$
The $K$ cards have $c_{l_{i}}(K \leq 17)$
The first card in the sequence has $I, J, K$ punched in colunms 1-2, 3-4, $5-6$ respectively. All $a_{i}, b_{j}, c_{k}$ are of the form $\pm$ XXX.XXX and are punched, one per card, in columns $1-8$ of the $I+J+K$ cards. Calculate and print:

$$
\begin{gathered}
K \\
J \\
I \\
\sum_{\substack{i=1 \\
j \\
k=1}} a_{i} b_{j} c_{k}
\end{gathered}
$$

4.9 Generate a Fortran program to construct a matrix $a_{i j}$ where $a_{i j}=$ $1 /(i+j+1)$. Parameters $i$ and $j$ may be entered into the system in any fashion.

$$
1 \leq i \leq 30 ; 1 \leq j \leq 30
$$

4.10 Calculate one root of the following polynomial using a technique of examination of sign changes of $f(x)$.

$$
x^{4}-5 x^{3}+5 x^{2}+5 x-6=0
$$

All roots lie between -3 and 1 inclusive.

## Appendix I

## Additional Instructions

The three instructions discussed in this chapter are not considered as part of the standard 1620 hardware and therefore are not included among the 1620 basic instructions.

The Move Flag, Transfer Numerical Strip, and Transfer Numerical Fill instructions are extremely useful where it is necessary to read and write all data in the alphameric mode.

Instruction: Move Flag
Operation Code: 71
Symbolic Name: MF

## Description:

The flag bit at the core storage position specified by the Q address is transmitted to the core storage position specified by the P address. If the core position specified by the Q address contains a flag, a flag is placed at the core position specified by the P address and the flag at the Q address is cleared. If no flag is present at the Q address, the flag at the core position specified by the P address is cleared. The digits at the P and Q addresses are not altered.

Execution Time in Microseconds: 240 (constant)

## Example: 711900000409



Core location 19000 before Move Flag
$\overline{2}$
Core location 19000 after Move Flag

Example: 711500016000


Core location 15000
before Move Flag
$3 \longrightarrow$
Core location 15000 after Move Flag

Example: 711387614998


Core location 13876 before Move Flag

8
Core location 13876 after Move Flag

Example: 711381016950
$\overline{5}$
Core location 13810
before Move Flag
$\overline{5}$
Core location 13810 after Move Flag

Example: 711299813000
004169
Core location 13003
before Move Flag
0 04169
Core location 13003 after Move Flag
$\bar{\sigma}$
Core location 00409 before Move Flag
0
Core location 00409 after Move Flag


Core location 16000 before Move Flag
$7 \longrightarrow$
Core location 16000 after Move Flag


Core location 14998 before Move Flag

5
Core location 14998 after Move Flag
$\overline{4}$
Core location 16950 before Move Flag


The preceding example shows how a Move Flag instruction is used to lengthen a field.

The Transfer Numerical Strip and Transfer Numerical Fill instructions facilitate programming where all input and output is in the doubledigit alphameric code. They greatly simplify the conversion of the double-digit representation of numerical data to single-digit coding required for use in arithmetic operations, and the reconversion to doubledigit coding for alphameric output.

During the discussion of these two instructions the terms " P field" and "alphameric field" will be used. Though technically the term "field" is incorrect because, as will be discussed, no field-defining flag is necessary, the terms will be used to avoid a repetitive verbose description of the areas referenced. The terms "P field" and "alphameric field" used interchangeably will refer to the core position specified by the $P$ address and all contiguous lower numbered core positions which contain data used by the instruction.

The symbol $D_{P}^{\prime}$ will be used to represent the number of digits in the "P field" as described above.

Instruction: Transfer Numerical Strip
Operation Code: 72
Symbolic Name: TNS

## Description:

This instruction converts double-digit alphameric data into single-digit numerical data with sign. The units position of the alphameric field is specified by the $P$ address of the instruction and must always be an oddnumbered core location. The units position of the numerical field is specified by the Q address. The digits in the odd-numbered core storage locations of the alphameric field ( P field) are transmitted without change to the adjacent positions of the numerical field.

Transmission of data proceeds from the position addressed, through successively lower numbered core storage locations, until a flag is sensed in the numerical field in other than the units position. The flag must be placed in the numerical field prior to the Transfer Numerical Strip instruction to define the high-order position. It remains unchanged by the instruction. Except for the field-defining flag, all previous contents of the numerical field are erased by the new contents. The erasure includes the units position sign flag that designates a previous negative value. The alphameric field remains unchanged.

The zone digits in the even-numbered core storage locations of the alphameric field are ignored except for a 5 , 2 , or a 1 in the units zone position. A 5 in a units zone position of an alphamerically coded numeri-
cal field indicates a negative number read from an input card, a paper tape, or a typewriter. A 2 in a units zone position occurs when an X alone, representing a negative zero, is read from input card or paper tape. A 1 occurs when a negative zero ( $\mathrm{X}, 0$ ) is read from paper tape. A 5 , a 2 , or a 1 in the units zone position is converted by the Transfer Numerical Strip instruction to a flag which is placed over the units digit of the numerical field. Any number other than a 5, 2, or 1 results in no flag over the units digit.

Flags in the even-numbered zone positions of the alphameric field are ignored. However, flags present in the odd-numbered core locations of the alphameric field are transmitted with the digit to the corresponding positions of the numerical field. Because such flags, when transmitted, may effect the length or sign of the numerical field, all flags in the oddnumbered core positions of the alphameric field should be cleared by instructions at the beginning of the program. Such extraneous flags may be the result of the previous use of the core storage locations or the fact that the Read Alphamerically instruction does not destroy any flags which are in core.

Note carefully that the TNS instruction transmits data from the Paddress location to the Q-address location. This is directly opposite to the general philosophy of all other 1620 instructions.
Execution Time in Microseconds: $160+40 \mathrm{D}_{\mathrm{r}}^{\prime}$
Example: 721623517464
$71 \overline{7} 27354$
Core location 16235
before and after Transmit Numerical Strip
$\overline{1} 23 \overline{4}$
Core location 17464 after Transmit Numerical Strip

Execution Time: 480 microseconds
Example: 720981309000
$7873 \overline{7} 97 \overline{5} 7176 \longleftrightarrow$
Core location 09813
before and after Transmit Numerical Strip
$\overline{2} 130 \overline{0}$
Core location 09000 before
Transmit Numerical Strip
$\overline{3} 9516$
Core location 09000 after
Transmit Numerical Strip
Execution Time: 560 microseconds

Instruction: Transfer Numerical Fill
Operation Code: 73

## Symbolic Name: TNF

## Description:

This instruction moves and expands single-digit numerical data with a sign into double-digit alphameric data. The units position of the alphameric field is specified by the P address of the instruction and must always be an odd-numbered core location. The units position of the numerical field is specified by the Q address.

The digits in the field whose units position is specified by the $Q$ address are transmitted without change to the corresponding odd-numbered positions of the field specified by the P address. The contents, including flags of the odd-numbered core positions of the P field, are replaced by the Q field data. The even-numbered positions of the P field are filled with 7's, giving the double-digit representation of the single-digit numerical Q field data.

Transmission of data proceeds from the units position of the $Q$ field data through successively lower numbered core locations, until terminated by the sensing of the flag defining the high-order position of the Q field data. The flag terminating data transmission is not transmitted to the P field. The Q field data is not altered by this instruction.

If the numerical field specified by the Q address is negative, a 5 is placed in the even-numbered units zone position of the alphameric ( P ) field. During a Write Alphamerically instruction, a negative zero, represented by a zone digit five and a numerical digit zero, is converted to X coding in paper tape, to $\mathrm{X}, 0$ coding in an output card, and to a minus $\operatorname{sign}(-)$ on the typewriter. All other negative units positions having a zone digit 5 type and punch as the letters J through R ( $\overline{1}$ through $\overline{9}$ )
Execution Time in Microseconds: $160+40 \mathrm{D}_{\mathrm{P}}$

Example: 731625717394


Execution Time: 480 microseconds
$\overline{7} 891$
Core location 17394
before and after
Transfer Numerical Fill

Example: 730642119003
$00 \overline{0} 0 \overline{0} 00000 \overline{0} \overline{0} 00 \overline{0} \quad \overline{7} 842162$
Core location 06421 before Core location 19003 Transfer Numerical Fill
before and after Transfer Numerical Fill
77787472717672
Core location 06421 after
Transfer Numerical Fill
Execution Time: 720 microseconds

## Problems

For all Problems the following core content is assumed:
Core Location
Low-Order Digit Contents
13123
07000
05555
06000
777871727374

15321
0̄0̄0̄0

15321
For each problem show the contents of the $P$ field and $Q$ field after the instruction(s) have been executed.

The core content listed above is to be assumed for every problem and the results of any one problem are independent of all others.

1. 721312307000
2. 731312307000
3. 710699806999

710699706998
721312307000
4. 720555506000
5. 720555515321
6. 731312305555

## Appendix II

## Direct Divide

Although the division subroutine is adequate, some computer installations cannot afford to relinquish the core storage required by the subroutine. Also, when many divisions are required, it may be desirable to increase the processing speed of division. The Divide feature increases the processing speed of division by two to four times that of the subroutine, and saves storage since only one instruction need be given to divide. The Divide feature also simplifies programming since it provides the programmer with four additional commands to facilitate the positioning of the dividend and divisor in core storage.

The Divide feature imposes no limitations upon the size of the dividend, divisor, or quotient. The quotient and remainder are developed in the fixed product area (00080-00099). When a quotient length plus remainder length exceeds 20 digits, core storage positions below 00080 ( 00079,00078 , etc.) must be cleared to zeros by programming prior to the execution of the Divide instruction. This is similar to the multiply operation when a product greater than 20 digits is required. As an example, suppose that 30 positions are required for the quotient and remainder. Core positions 00070-00079 must be set to zeros by programming before the Divide instruction is given.

The four instructions provided with the Divide feature are: Load Dividend, Load Dividend Immediate, Divide, and Divide Immediate. When the timing of these instructions is discussed, the following abbreviation will be used: $Q_{T}=$ number of digits in the quotient.

The dividend must be placed in the fixed product area before a Divide command is given. The Load Dividend and Load Dividend Immediate instructions may be used to satisfy this requirement.

Instruction: Load Dividend
Operation Code: 28
Symbolic Name: LD
Description:
The Load Dividend instruction automatically resets the fixed product area (00080-00099) to zeros. The data (the dividend) that is located at the Q address is transmitted serially to the core location specified by the P address and to successively lower core positions. The flag in the high-order position of the Q field data terminates the transmission.

The P address of the Load Dividend instruction is 00099 minus the number of zero positions desired to the right of the dividend. For example, if it were desired to add 3 places to the dividend 2634 , the dividend would be transmitted to core location 00096 . The algebraic sign of the dividend is automatically placed in 00099 regardless of where the low-order dividend digit is placed by the P address.

Execution Time in Microseconds: $400+40 \mathrm{D}_{q}$
Example: 280009600748
$0982 \overline{0} 00 \overline{0} 0001114 \overline{2} 9 \overline{8} 76$
Core location 00099
before Load Dividend
$000000000000 \overline{3} 478200 \overline{0}+$
Core location 00099 after Load Dividend

Execution Time: 600 microseconds
Example: 280009900909
97000000001623000000
Core location 00099
before Load Dividend
$000000000000000 \overline{0} 29754 \longrightarrow$
Core location 00099
after Load Dividend
Execution Time: 640 microseconds

Note:
If a Load Dividend instruction is not used to position the dividend in the fixed product area, it is the programmer's responsibility to clear the remainder of the fixed product area to zeros. This is also applicable to the Load Dividend Immediate instruction.
Instruction: Load Dividend Immediate
Operation Code: 18
Symbolic Name: LDM
Description:
The Load Dividend Immediate instruction automatically resets the fixed product area (00080-00099) to zeros. The data (the dividend) whose units position is the $Q_{11}$ digit of the instruction is transmitted serially to the location specified by the P address and to successively lower core positions. The flag in the high-order position of the dividend terminates the transmission of data. The P address is determined in the same manner as in the Load Dividend instruction.

The algebraic sign of the dividend is automatically placed in 00099 regardless of where the low-order dividend digit is placed by the P address.

Execution Time in Microseconds: $400+40 \mathrm{D}_{q}$
Example: $1800098 \overline{0} 985 \overline{0}$
00000111129874621004
Core location 00099 before -
Load Dividend Immediate
$000000000000000 \overline{9} 950 \overline{0}$
Core location 00099 after
Load Dividend Immediate
Execution Time: 600 microseconds

Instruction: Divide
Operation Code: 29
Symbolic Name: D
Description:
The dividend whose high-order position is specified by the P address is divided by the field whose units position is specified by the Q address. Division is accomplished by successive subtractions of the divisor from the dividend. The P address of the Divide instruction positions
the divisor for the first subtraction from the high-order position(s) of the dividend, as in manual division.

Each successful subtraction causes the quotient digit to be increased by 1. Quotient digits are developed in the units position of a special register. An overdraw initiates a correction (the divisor is added once) and the next subtraction occurs one place to the right. The first (highorder) quotient digit is stored at the address specified by the $P$ address of the Divide instruction minus the length of the divisor. A flag is generated and stored with the first quotient digit. Division is terminated after a quotient digit is developed, by subtractions, with the units position of the divisor at 00099.

The quotient and remainder replace the dividend in the product area. The address of the quotient is 00099 minus the length of the divisor. The algebraic sign of the quotient (determined by the signs of the dividend and divisor) is automatically placed in the low-order position of the quotient. The address of the remainder is 00099 and a flag is automatically placed in the high-order position. The remainder has the sign of the dividend and the same number of digits as the divisor.

The High/Positive indicator is turned on or off, depending on whether the quotient is positive or negative. The Equal/Zero indicator is turned on if the quotient is zero. The quotient must be at least two digits in length. Improper positioning of the divisor with respect to the dividend can cause an overflow condition which is discussed in detail on page 245.

Execution Time in Microseconds: $160+520 D_{q} Q_{T}+740 Q_{T}$ assuming an average value of 4.5 for each quotient digit

## Example:

Figure AII. 1 shows the manner in which the 1620 solves the problem $4906 \div 23=213$ with a remainder of 7 .

## Instruction: Divide Immediate

Operation Code: 19
Symbolic Name: DM

## Description:

The dividend whose high-order position is specified by the P address is divided by the field whose units position is the $Q_{11}$ digit of the Divide Immediate instruction.

Division is accomplished as described in the Divide instruction.
Execution Time in Microseconds: $160+520 D_{q} Q_{T}+740 Q_{T}$, assuming an average value of 4.5 for each quotient digit.


Fig. All.1. Example of Divide Command.

## Example:

Figure AII. 2 shows the 1620 solution of the divide problem $-212 \div 24=-8.83$ with a remainder of 8 .


Fig. All.2. Example of Divide Immediate Command.

## INCORRECT DIVISOR POSITIONING

The following error conditions are caused by an incorrect $P$ address in the Divide instruction:

1. Overflow. As illustrated in Figure AII.3, an incorrectly positioned divisor can cause more than nine successful subtractions and an incorrect quotient. The Overflow indicator is turned on, but processing does not stop unless the Overflow switch is set to "stop."


Fig. All.3. Incorrect Divisor Positioning.
2. Loss of one or more dividend high-order digits. The high-order digit of the dividend is assumed by the 1620 to be one position to the left
of the high-order digit of the divisor. Figure AII. 4 shows how the high-order digits of the dividend are lost if the divisor is positioned too far to the right. Processing continues with no indication of an incorrect quotient.

| Instruction | Description | 00650 |  | \|웅 |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 290009800650 | Divide (Incorrect P Address) | T 19 | $\overline{2}$ | - | 2 | 3 |  |
|  |  |  |  | - | 0 |  |  |
|  |  |  |  | + <br>  <br> + | $\bigcirc$ | 5 |  |
|  |  |  |  |  | 0 | 4 |  |
|  |  |  |  |  | 0 | 2 |  |
|  |  |  |  |  | 0 | 0 | 2 |
|  |  |  |  |  | + | 8 | 3 |
|  |  |  | $\overline{2}$ | $1{ }^{1}$ | 0 | O | 2 |

Fig. All.4. Incorrect Divisor Positioning.

## SUMMARY OF AUTOMATIC DIVISION RULES

1. Load Dividend (28-LD or 18-LDM)
(a) P address $=00099$ minus the number of zeros desired to the right of the units position of the dividend.
(b) Q address $=$ units position of the dividend.
2. Divide (29—D or 19—DM)
(a) P address $=00100$ minus the length of the quotient. The quotient length must be at least two digits.
(b) Q address $=$ units position of the divisor.
3. Quotient address $=00099$ minus the length of the divisor.
4. Remainder address $=00099$
5. Sign of quotient-determined by the algebraic signs of the dividend and divisor.
6. Sign of remainder-same as that of the dividend.

## Problems

For all Problems the following core content is assumed:

| Core Location <br> (Low-Order Digit) | Contents |
| :---: | :--- |
| 13124 | $\overline{6} 3780$ |
| 14000 | $\overline{0} 04$ |
| 00900 | $\overline{1} 3684221$ |

For each problem give the contents of the fixed product area (00080-00099) including flags after the Divide or Divide Immediate instruction has been executed.

The core content listed above is to be assumed for every problem and the results of any one problem are independent of all others.

1. 280009613124

290009214000
2. 251312413120

280009813124
290009414000
3. $1800098 \overline{1} 234 \overline{5}$
$1900094000 \overline{0} 5$
4. 151399900002

280009513123
$1900092000 \overline{3} 2$
5. 280009500900
$1900087000 \overline{0} 3$
6. 220090013124

280009800900
290009114000

## Appendix III

## Indirect Addressing

Indirect Addressing saves program steps and computer time by providing a direct method of address modification. Its primary use is in programs where multiple instructions have the same P or Q addresses and this address is to be modified in each of the instructions by the program. With the utilization of the Indirect Addressing special feature, it is not necessary to modify directly each instruction separately, instead one 5 -digit address can be modified-this, in effect, serves to modify each of the multiple instructions.
Normally, an instruction address ( P and/or Q ) is the location of data to be used during the execution of the instruction. This is known as "direct addressing," since the address refers directly to the location of the data. However, if an instruction address ( P and/or Q ) is an Indirect address, it does not refer directly to data. Rather it is the location of a second address; this second address is the location of the data to be used by the instruction. In effect, this second address is a substitute for the Indirect address at instruction execution time.

For example, suppose that in the Add instruction 2115000 17000, the Q address 17000 is an Indirect address. Locations 16996-17000 contain the 5 -digit field 18000 . When the instruction is under execution the data at location 18000 is added to the field at 15000 . If the Q address had been a Direct address, the data at location 17000 would have been added to the field at 15000 .

A flag in position $P_{6}$ and/or $Q_{11}$ indicates that the $P$ and/or $Q$ ad-
dresses of an instruction are Indirect. Thus the P address of an instruction is Indirect if there is a flag in the $P_{6}$ position of the instruction. The $Q$ address of an instruction is Indirect if there is a flag in the $Q_{11}$ position of the instruction. Any P and/or Q address can be Indirect if it is the address of an instruction, digit, field, or record. Any 1620 instruction can have Indirect addresses except Branch Back, Control, Halt, and No Operation. Table AIII. 1 shows which instructions can contain both P and/or Q, or P only, Indirect addresses.

## Table AIII. 1

Indirect Address Operation Codes

|  | Mnemonic | Code | P and/or Q | P ONLY |
| :--- | :--- | :--- | :--- | :--- |
| Arithmetic Instructions |  |  |  |  |
| Add | A | 21 | X |  |
| Add Immediate | AM | 11 |  | X |
| Subtract | S | 22 | X |  |
| Subtract Immediate | SM | 12 |  | X |
| Multiply | M | 23 | X |  |
| Multiply Immediate | MM | 13 |  | X |
| Compare | C | 24 | X |  |
| Compare Immediate | CM | 14 |  | X |
| Internal Data Transmission |  |  |  |  |
| Instructions |  |  |  |  |
| Transmit Digit | TD | 25 | X |  |
| Transmit Digit Immediate | TDM | 15 |  | X |
| Transmit Field | TF | 26 | X |  |
| Transmit Field Immediate | TFM | 16 |  | X |
| Transmit Record | TR | 31 | X |  |
| Branch Instructions |  |  |  |  |
| Branch | B | 49 |  | X |
| Branch No Flag | BNF | 44 | X |  |
| Branch No Record Mark | BNR | 45 | X |  |
| Branch On Digit | BD | 43 | X |  |
| Branch Indicator | BI | 46 |  | X |
| Branch No Indicator | BNI | 47 |  | X |
| Branch and Transmit | BT | 27 | X |  |
| Branch and Transmit Immediate | BTM | 17 |  | X |
| Branch Back | BB | 42 |  |  |
| Input-Output Instructions |  |  |  |  |
| Read Numerically | RN | 36 |  | X |
| Write Numerically | WN | 38 |  | X |
| Dump Numerically | DN | 35 |  | X |
| Read Alphanumerically | RA | 37 |  | X |
| Write Alphanumerically | WA | 39 |  | X |
| Control | K | 34 |  |  |
|  |  |  |  |  |

(continued)

|  | Mnemonic | Code | P and/or Q | P Only |
| :--- | :--- | :--- | :--- | :--- |
| Miscellaneous Instructions |  |  |  |  |
| Set Flag | SF | 32 |  | X |
| Clear Flag | CF | 33 |  | X |
| Halt | H | 48 |  |  |
| No Operation | NOP | 41 |  |  |
| Additional Instructions |  |  |  |  |
| Move Flag | MF | 71 | X |  |
| Transmit Numeric Strip | TNS | 72 | X |  |
| Transmit Numeric Fill | TNF | 73 | X |  |
| Load Dividend | LD | 28 | X |  |
| Load Dividend Immediate | LDM | 18 |  | X |
| Divide | D | 29 | X |  |
| Divide Immediate | DM | 19 |  | X |

If the P address of an immediate instruction is Indirect, the Q data cannot be more than 6 digits in length because the flag in the units position of the P operand would also serve to define the high order digit in the immediate field.

The data field specified by the Indirect address is always interpreted as being 5 digits in length regardless of the presence or absence of flags within the field. Thus, no high-order flag is necessary to define the high-order position of the field at the Indirect address. Should the field specified by the Indirect address contain a flag in its units position, it also is treated as an Indirect address. This chaining effect continues until a flag is not present in the units position of the field specified by an Indirect address; this field is then treated as a Direct address.

An instruction with the P and/or Q addresses Indirect is in no way altered in core storage as the result of Indirect addressing. Only internal registers are changed.

Execution Time: Each address that is interpreted as an Indirect address requires four additional memory cycles. An instruction with one Indirect address requires an additional 80 microseconds processing time. An instruction with two Indirect addresses requires an additional 160 microseconds and so forth.

Example: $211500 \overline{0} 16091$


Core location 15000 before and after Add
$\overline{0} 0213$
Core location 10032
before Add
Execution Time: 640 microseconds

Example: $110090 \overline{0} 31416$
13168
Core location 00900 before and after Add Immediate

I247
Core location 16091 before and after Add
$\overline{0} 1460$
Core location 10032 after Add
$\overline{0} 0198421 \longleftarrow$
Core location 13168 before Add Immediate $\overline{0} 0229837 \longrightarrow$
Core location 13168 after Add Immediate

Execution Time: 880 microseconds

## Example:

| $00910 \longleftarrow$ | 16225  <br> Core location $1350 \overline{0} \longleftarrow$ <br> 13500 17005 | Core location <br> 09225 | Core location <br> 18005 |
| :--- | :--- | :--- | :--- |
|  |  | 15000 |  |

Instructions In Core Storage
211500017005
211500017005
$211500 \overline{0} 17005$
$211500 \overline{0} 1700 \overline{5}$
$210922 \overline{5} 1500 \overline{0}$

## Effective Instructions

211500017005
211500016225
211800517005
211800516225
210091018005

Example: $491300 \overline{0} 00000$
$04 \overline{6} \overline{8} 6$
Core location 13000 before and after Branch
The program will branch to 04686 for the next instruction.

## Example:

A program to list all core storage locations which contain a record mark
refers to each location in the Branch No Record Mark instruction and also in the Write Numerically instruction when the addresses are typed. Both need to be modified. Following are two programs to do this-one utilizing Indirect addressing and the other without Indirect Addressing.

| Without | Indirect | Addressing |  |
| :---: | :---: | :---: | :---: |
| 00600 | 16 | 00623 | $\overline{0} 0000$ |
| 00612 | 45 | 00660 | $\overline{0} 0000$ |
| 00624 | 26 | 00702 | 00623 |
| 00636 | 34 | 00000 | 00102 |
| 00648 | 38 | 00698 | 00100 |
| 00660 | 11 | 00623 | $000 \overline{0} 1$ |
| 00672 | 14 | 00623 | $\overline{2} 0000$ |
| 00684 | 47 | 00612 | 01200 |
| 00696 | 48 | $\overline{0} 0000$ | $\ddagger$ |


| With Indirect Addressing |  |  |  |
| :--- | :--- | :--- | :--- |
| 00600 | 16 | 00690 | $\overline{0} 0000$ |
| 00612 | 45 | 00648 | $0069 \overline{0}$ |
| 00624 | 34 | 00000 | 00102 |
| 00636 | 38 | 00686 | 00100 |
| 00648 | 11 | 00690 | $000 \overline{0} 1$ |
| 00660 | 14 | 00690 | $\overline{2} 0000$ |
| 00672 | 47 | 00612 | 01200 |
| 00684 | 48 | $\overline{0} 0000$ | $\ddagger$ |

## Example:

Each element $A_{l}$ in a table of 8 -digit numbers with addresses from 13016 to 13808 (units positions) is to be replaced by $A_{i} / 5$ if the element exceeds 5,000,000.

## Solution:

| 01600 | 16 | 01623 | $\overline{1} 3016$ | Initialize |
| :--- | :--- | :--- | :--- | :--- |
| 01612 | 24 | 01726 | 13016 | Compare field to $5,000,000$ |
| 01624 | 46 | 01672 | 01300 | Branch if $5,000,000 \equiv \mathrm{~A}_{1}$ |
| 01636 | 28 | 00099 | $0162 \overline{3}$ | Position dividend $\overline{\mathrm{X}} \mathrm{XXXXXXX}$ |
| 01648 | 19 | 00092 | $000 \overline{0} 5$ | Divide |
| 01660 | 26 | $0162 \overline{3}$ | 00097 | Move quotient $\overline{\mathrm{X}} \mathrm{XXXXXXX}$ |
| 01672 | 11 | 01623 | $000 \overline{0} 8$ | Change address |
| 01684 | 14 | 01623 | $\overline{1} 3816$ | Test if done |
| 01696 | 47 | 01612 | 01200 | Branch if not done |
| 01708 | 48 | 00000 | 00000 | Terminate program |
| 01720 | $\overline{5} 000000$ |  |  |  |

## Appendix IV

## Floating Point Hardware

It is possible to obtain a special device that performs floating point calculations. ${ }^{1}$ The advantage of this feature is that, like the division hardware, the core storage required for macro-generated subroutines may be used by the main program. In addition, the linkage instructions are eliminated and, in their place, a single machine language instruction is employed. Lastly, the hardware commands are substantially faster.

The arithmetic that one enjoys through the use of the floating point hardware is, for all practical purposes, completely variable in mantissa size. The actual maximum limit to the length of the mantissa is 99 digits. The characteristic (synonymously termed exponent) is only and always 2 digits, with or without sign and/or field-terminating flag. The minimum mantissa length is 2 digits.

The length of the floating point number is generally specified by the mantissa length. Thus the maximum floating point number is said to be 99 digits instead of 101.

One restriction is imposed upon floating point hardware arithmetic: arithmetic is permissible only on floating point numbers of equal mantissa lengths. This restriction is easily complied with since the hardware contains mantissa shortening and lengthening commands as part of its standard instruction repertoire. It is permissible to perform a series of calculations on floating point numbers with identical mantissa lengths, alter the mantissa lengths, perform subsequent calculations, alter the mantissa lengths, and so forth. Thus, the restriction as stated above is imposed only on any single calculation.
${ }^{1}$ This chapter presupposes a knowledge of the material contained in Chapter 12.

With the exception of two commands, all floating point hardware instructions address the units characteristic position of the specified floating point numbers. These will be referred to as A and B for the P and $Q$ operands respectively. There are eight commands in the floating point hardware repertoire:

Floating Add
Floating Subtract
Floating Multiply
Floating Divide
Floating Transmit Field
Floating Branch and Transmit
Floating Shift Right
Floating Shift Left
Instruction: Floating Add
Operation Code: 01
Symbolic Name: FADD

## Description:

The floating point number specified by B is added to the floating point number specified by A. The floating point sum replaces A. The floating point number specified by B remains unchanged.
Execution Time in Microseconds: $400+100 \mathrm{~L}$ (average)
Recomplementation Time in Microseconds: 80L
where $L$ is the mantissa length. See Chapter 5 for a discussion of recomplementation.

Example: 011000015000
10000̄2
Core location 10000 before Floating Add
Ī3000̄2
Core location 10000 after Floating Add

Example: 011700019000
5000000̄1̄0
Core location 17000 before Floating Add
$\overline{3} 000 \overline{0} 1$
Core location 15000 before and after Floating Add

2500000̄̄̄1
Core location 19000 before and after Floating Add

Core location 17000 after Floating Add

Example: 010200003000
$\overline{1} 1 \overline{0} 1$
Core location 02000 before Floating Add
$\overline{1} 1012$
Core location 02000 after Floating Add


Core location 03000 before and after Floating Add

Instruction: Floating Subtract
Operation Code: 02
Symbolic Name: FSUB

## Description:

The floating point number specified by B is subtracted from the floating point number specified by $A$. The floating point difference replaces $A$. The floating point number specified by $B$ remains unchanged. The execution time is identical with that of FADD.

Example: 021000015000


## Instruction: Floating Multiply

Operation Code: 03
Symbolic Name: FMUL

## Description:

The floating point number specified by A is multiplied by the floating point number specified by B. The resultant floating point product, with length identical to that of A and B, appears at A and not at 00099.

The fixed product area is employed to generate a product whose length is $2 L$, and the $L$ most significant digits are chosen by the hardware as the mantissa of the floating point product. Thus, should the mantissas of the multiplier and multiplicand be greater than 10 digits, it is the programmer's responsibility to clear a sufficient area below core location 00080.

As an example, the multiplication of two 14 -digit floating point numbers would require core locations $00072-00079$ to be cleared to zeros before the FMUL command.

Execution Time in Microseconds: $1120+80 L+168 L^{2}$ (average)
Example: 031000015000


Floating Multiply

Example: 031700019000


Core location 17000 before Floating Multiply
$\overline{8} 8887 \overline{0} \overline{3}$
Core location 17000 after Floating Multiply
$\overline{1} 15002 \longleftarrow$
Core location 15000 before and after Floating Multiply

## $\overline{8} 8888$ Ī2

Core location 19000 before and after Floating Multiply

Instruction: Floating Divide
Operation Code: 09
Symbolic Name: FDIV

## Description:

The floating point number specified by A is divided by the floating point number specified by B. The resultant floating point quotient, with length identical to that of A and B appears at A and not at 00099 . The fixed product area is employed to generate a quotient and remainder, each of length $L$. Thus, should the mantissas of the divisor and dividend be greater than 10 digits, it is the programmer's responsibility to clear a sufficient area below core location 00080.
Attempt at division by zero causes the overflow check indicator (14) to be turned on. The mantissa of A is not altered but the characteristic of $A\left(C_{A}\right)$ is changed to $C_{A}-C_{B}$.

Execution Time in Microseconds: $880+940 L+520 L^{2}$ (average)

Example: 091000015000

$\overline{1} 800 \overline{6}$
Core location 10000 after Floating Divide

Instruction: Floating Transmit Field (Transmit Floating Field)
Operation Code: 06
Symbolic Name: TFL
Description:
The characteristic and mantissa of the floating point number specified by B are transmitted so that the units characteristic position occupies the core location specified by $A$ and the units mantissa position occupies the core location specified by A-2.

Execution Time in Microseconds: $240+40 L$
Example: 061000015000


Core location 10000 before Core location 15000 before
Transmit Floating and after Floating Transmit
$\overline{1} 23456 \overline{1} 3 \overline{4} \overline{1} \overline{2}$ $\qquad$
Core location 10000 after
Transmit Floating
Instruction: Floating Branch and Transmit (Branch and Transmit Floating)
Operation Code: 07
Symbolic Name: BTFL
Description:
The description of this operation is identical with that of Branch and Transmit with the exception that the argument, specified by the $B$ address, is assumed to be in floating point form. This argument is transmitted to the location specified by P less 1 . The mantissa of the argument therefore appears at location P-3. Exit from a subroutine entered through the use of BTFL is, of course, by a Branch Back (BB) command.

Execution Time in Microseconds: $280+40 L$

Instruction: Floating Shift Right
Operation Code: 08
Symbolic Name: FSR
Description:
The field whose units position is specified by the Q address is shifted right so that this units position occupies the location specified by the $P$ address. Thus, the effect of this instruction is to shrink the mantissa of a floating point number. Vacated high-order positions are set to zeros. An existing flag bit at the units position of the original mantissa is retained for algebraic sign. The high-order mantissa flag is transmitted with the mantissa field.

Execution Time in Microseconds: $200+40 \mathrm{~L}$

Example: 081000009995
$\overline{1} 23456789 \overline{0} 7$
Core location 10002 before
Floating Shift Right
$00000 \overline{1} 234 \overline{0} 7$
Core location 10002 after Floating Shift Right

Example: 080052100520
$\overline{1} 2 \overline{3} \overline{0} 1 \longrightarrow$
Core location 00523 before Floating Shift Right
$0 \overline{1} \overline{2} 1$
Core location 00523 after Floating Shift Right

Example: FSR P-2, P-4
$\overline{9} 876 \overline{5} \overline{4} \overline{3}$
Symbolic core location P before Floating Shift Right
$00 \overline{9} 8 \overline{7} \overline{4} \overline{3} \longleftarrow$ after Floating Shift Right

## Instruction: Floating Shift Left

Operation Code: 05
Symbolic Name: FSL

## Description:

The field whose units position is specified by the Q address is shifted left. This shift is terminated when the high-order digit of the field in question is at the core location specified by P. Thus, the effect of this instruction is to expand the mantissa of a floating point number.

At the conclusion of the shift, the old field-defining high-order flag bit is removed and a zero fill operation begins at the new mantissa units position plus 1. This zero fill operation is terminated by a flagged digit.

Thus, if the mantissa is expanded to a length greater than $2 L$, any extraneous flags in core between the old high-order mantissa position and the new low-order mantissa position must be removed. An existing flag bit at the Q address is retained for algebraic sign.

Execution Time in Microseconds: $200+40 L+40 L^{\prime}$
where $L^{\prime}$ is the amount of increase in the field size introduced by the shift.

Example: 050999810000
. . $\overline{7} \overline{8} \overline{0} 5$
Core location 10002 before
Floating Shift Left
. . $\overline{7} 8 \overline{0} \overline{0} 5$
Core location 10002 after
Floating Shift Left

Example: FSL P-5, P-2
. . $126 \overline{4} 5 \overline{1} 5$
Symbolic core location P
before Floating Shift Left
$\ldots 1 \overline{4} 500 \overline{1} 5 \longrightarrow$
$\begin{aligned} & \text { Symbolic core location P } \\ & \text { after Floating Shift Left }\end{aligned}$

Example: FSL P-10, P-2
. $234567 \overline{1} 230 \overline{0} 1$
$\begin{aligned} & \text { Symbolic core location P } \\ & \text { before Floating Shift Left }\end{aligned}$
. $\overline{1} 2300 \overline{7} 1230 \overline{0} 1 \longleftarrow$
Symbolic core location P after Floating Shift Left
Comment: Failure to.clear the flag at location P-5 caused the zero fill operation to terminate when the flagged 7 was encountered. This is therefore an incorrect mantissa 'expansion.

Example: CF P-5
FSL P-10, P-2
. . $234567 \overline{1} 230 \overline{0} 1$
Symbolic core location P
before Clear Flag
. . $1230000000 \overline{1}$
Symbolic core location P
after Floating Shift Left

## GENERAL INFORMATION ON FLOATING POINT HARDWARE

When a floating point computation results in a zero mantissa, a special floating point zero is created of the form $\overline{0} 0 \ldots 00 \overline{9} \overline{9}$. Zeros entered as floating point data should be in the special floating point zero form.

The H/P, E/Z, and H/P-E/Z indicators reflect the status of arithmetic operations performed by floating point hardware. Thus, a floating point computation which produces a positive mantissa will cause the $\mathrm{H} / \mathrm{P}$ indicator to be turned on and the $\mathrm{E} / \mathrm{Z}$ indicator to be turned off. The $\mathrm{E} / \mathrm{Z}$ indicator is turned on and the $\mathrm{H} / \mathrm{P}$ off if a floating point computation produces a zero mantissa.

The exponent check indicator (15) is turned on by exponent overflow or underflow. This condition arises when an exponent greater than 99 or less than -99 is generated. When the former condition occurs, the mantissa is set to all 9's. The sign is determined by the algebra of the operation. The H/P indicator will be set accordingly.

Should the latter condition occur, the mantissa is set to plus zero. The $\mathrm{E} / \mathrm{Z}$ indicator is also turned on. In case of exponent overflow, the exponent is automatically set to 99 . In case of exponent underflow, the exponent is automatically set to -99 .

An exponent underflow is not indicated if a zero mantissa is developed
through a normal fashion (addition of two numbers that have the same absolute value but unlike signs; multiplication of a number by zero, and so forth).

Program operation, in the event of an exponent overflow or underflow is determined by the console overflow check switch. The symbolic commands for testing the exponent overflow indicator are

1. BXV (Branch on Exponent Overflow)
2. BNXV (Branch No Exponent Overflow)

All floating point hardware commands may be indirectly addressed at P and/or Q.

## Appendix $\mathbf{V}$

## Input-Output Devices

The 1620 Data Processing System can process either punched cards or paper tape or both. The 1622 Card Read-Punch is the input-output device for punched card processing, whereas the 1621 Paper Tape Reader and the 1624 Paper Tape Punch are the input-output devices for paper tape processing. The console typewriter is also an input-output device allowing for typewritten output documents and the manual entry of information into the system.
This chapter will discuss the functions of the keys, lights, and switches necessary for the manual and automatic control of each input-output device.

## 1621 PAPER TAPE READER

The Paper Tape Reader reads an 8-channel paper tape at the rate of 150 characters per second. A photoelectronic device senses the characters; they are then automatically converted to the 6 -bit numeric code and placed in the core storage positions specified by the Read instruction.
If a parity error is detected in the input area, or if an invalid character is detected on the input tape, the Read Check indicator light on the console of the 1620 is turned on. Reading of tape continues until an $\mathrm{E} / \mathrm{L}$ character is sensed. If the I/O Check switch on the console is set to the "Stop" position, the computer then stops. If the switch is set to
the "Program" position, processing continues. Sensing of the E/L character from the paper tape causes a record mark to be placed in storage as the right-most character of the input record.

The front panel of the Paper Tape Reader (Fig. AV.1) consists of the following components:


Fig. AV.1. Tape Reader.

1. The Read Head. The paper tape must be properly positioned over the read head in order to be sensed by the photoelectronic reader.
2. Photoelectronic Reader. This device senses the characters in the paper tape.
3. Tape Guides. Two tape guides help position the paper tape over the read head.
4. Tape Rollers. Two rollers guide the tape as it is being read.
5. Stationary Buffer Rollers and Buffer Arm Rollers. One stationary buffer roller and one buffer arm are located on each side of the read head to apply a steady tension to the tape.
6. Take-up Reel. This reel takes up the paper tape after it has been read.
7. Supply Reel. This reel guides the paper tape as it approaches the read head.
8. Idler Roller. The roller positions the tape on the supply reel.
9. Tape Guide Stand. This stand guides the tape from the center roll feed.

## OPERATING KEYS, SWITCHES, AND LIGHTS

10. Reel Power Key. Depression of this key operates the supply and take-up reels to position the paper tape for reading. The buffer arms are lowered to apply tension.
11. Power Switch. This switch when turned to the "On" position supplies all necessary power to the tape reader.
12. Reel-Strip Switch. This switch controls the manner in which tape is read. When short strips of tape are to be read, they may be loaded directly over the read head. The switch should then be set to the "Strip" position. The "Reel" position is used when the paper tape is loaded in the conventional manner, as will be discussed.
13. Non-Process Run-Out Key. Depression of this key causes paper tape to feed. No information is transferred into storage. The tape continues feeding until the end of the tape is sensed by the read head.
14. Power-On Light. This light is turned on when the Power switch is on.

## LOADING THE PAPER TAPE READER

Paper tape can be loaded in three different forms: center roll feed, strip feed, and reel feed.

## CENTER ROLL FEED

Paper tape is wound inside out making the starting end of the paper tape roll the inner end. The center roll feed device is attached to the front of the Paper Tape Reader and eliminates the necessity for rewinding the paper tape rolls.

The roll of tape is placed surrounding the circular guide in the middle of the center roll feed with the inside end going in a counterclockwise direction. The inner edge of the paper tape is passed into the center guide and partially around the center spindle exiting from the space on the right of the center guide. The tape then goes over the supply reel, around the read head, and onto the take-up reel. The exact procedure for loading tape is as follows:

1. Position the Reel-Strip switch to "Reel."
2. Position the tape roll on the center roll feed device as described above and unwind approximately 5 feet of tape to work with.
3. Raise the reel buffer arms until they latch.
4. Open the tape guides and form an inverted $U(\Omega)$ with the center section of the first 5 feet of tape. Wrap the paper tape around the read head meshing the tape feed holes with the pins on both sides of the read head. The tape should be mounted so that there is a minimum of free play.
5. Close the tape guides.
6. Pass the leading section of the tape under the guide roller and between the stationary buffer rollers and the latched buffer arm rollers. Then fix the front end of the tape on the take-up reel.
7. Thread the paper tape from the right side of the read head, under the guide roller, between the stationary buffer rollers and the latched buffer arm rollers, over the supply reel, and through the tape guide stand. Figure AV. 2 shows the positioning of the tape at this point.


Fig. AV.2. Threading Tape from Center Roll Feed.
8. Lower the idler roller onto the supply reel.
9. Gently lower the buffer arms.
10. Depress the Reel Power key. The buffer arms should swing down-
ward to a neutral position applying tension to the paper tape. Figure AV. 3 shows a tape fully loaded.


Fig. AV.3. Center Roll Feed-Loaded.

## STRIP FEED

Small strips of paper tape may be loaded directly onto the read head. The procedure is as follows:

1. Position the Reel-Strip switch to "Strip."
2. Position the paper tape over the read head as described in step 4 of the center roll feed procedure.
3. Close the tape guides.

## REEL FEED

A reel of paper tape may be mounted by removing the rubber drive hub from the supply reel and mounting the reel of tape in its place. Figure AV. 4 shows a loaded paper tape reel.


Fig. AV.4. Reel Feed.

## TAPE HANDLING TIPS

1. To avoid mounting a tape backwards on the paper tape reader, check to see that an E/L character is not the first character on the tape. If the first character is an $E / L$ character, the tape is backwards.
2. Check the tape on the read head to make sure that the tape is mounted correctly. Loosely positioned tape will cause a Reader No Feed condition.
3. Lower the buffer arm rollers gently; do not let them snap down.
4. A dirty read head may cause a read check. Wipe it off with a clean handkerchief.
5. Be sure that there is sufficient tape on the tape punch to punch all results.
6. Have approximately 5 feet of leader on tape being punched.
7. The feed holes are closer to the bottom of the tape than to the top. In this way it is possible to tell if the tape is upside down.
8. Label all tapes.

## 1624 PAPER TAPE PUNCH

The Paper Tape Punch punches data received from core storage at the rate of 15 characters per second. Each character is automatically translated from the 6-bit numeric code to the coding used on paper tape. When a Write Numerically or a Write Alphamerically command on the paper tape punch is given, the record mark in core storage which stops data transmission is punched as an $\mathrm{E} / \mathrm{L}$ character in the paper tape. If an invalid character is transmitted from core storage, it is punched but the tape feed does not advance. The computer stops in the automatic mode and the Punch No Feed and Write Check lights on the console are turned on.

Incorrect punching of a valid character causes the computer to stop in the automatic mode. The tape feed does not advance and the Punch No Feed light on the console is turned on. Program processing can continue if the following procedure is employed:

1. Position the 1624 Tape Feed switch on. This is a two-position switch. When turned to the "On" position, it causes the tape to feed and the tape feed code (a punch in channels 1-7) is punched. The tape reader passes tape punched with the tape feed code but no characters are transmitted into storage. When the switch is turned on, the feed code (all punches) is punched over the incorrectly punched character and the Punch No Feed light on the console is turned off. The computer is returned to manual mode.
2. Depress the Start key. The correct character is punched and the computer continues processing.
If the 1624 runs out of paper tape, the computer stops in the automatic mode and the Punch No Feed light on the console turns on. The above procedure is used to resume operation after a new roll of tape is loaded.

## LOADING THE PAPER TAPE PUNCH

Place the roll of unpunched tape on the turntable and thread as shown in Figure AV.5. The tape retainer ( F ) must be rotated to the left by pushing back on its extended left edge. This also moves the tape lever (D) forward. The tape is then threaded as follows:

1. Through tape guide (A).
2. Inside tape guide (B).
3. In front of tape tension guide (C).
4. In back of tape lever (D).
5. Between the punching mechanism and the punch guide block (E) which can be seen in front of the tape.
6. Between the guides on the tape retainer (F).

With the end of the tape held to the left, the tape retainer ( F ) is returned to normal position, which causes the pins on the feed roll to punch


Fig. AV.5. Paper Tape Punch.
through the blank tape. The tape lever simultaneously returns to its normal position with the top guide above the tape.

The Tape Feed switch (G) is used to repetitively punch the tape feed code to provide a lead section of paper tape. Approximately 60 inches of lead are needed for threading paper tape on the Paper Tape Reader. The lead section is threaded into the take-up reel so that the top edge of the tape is at the outside of the reel.

## 1622 CARD READ-PUNCH

The 1622 Card Read-Punch (Fig. AV.6) provides punched card input and output for the 1620 Data Processing System. The reader and punch units are both housed in the 1622, but they function independently and are entirely separate units. Each unit has its own card feed, control switches and lights, checking circuits, stackers, and buffer. The reader can read cards at the rate of 250 per minute; the card punch can punch cards at the rate of 125 per minute.


Fig. AV.6. 1622 Card Read-Punch.

Each unit has its own buffer storage so that reading, punching, and processing can occur simultaneously. When a card is read, the information is transmitted to the buffer and then into core storage. Thus, information from a card is read into the buffer before it is called for by the stored program. When a read command is given, the information from the buffer is transmitted into core storage and the next card is read into the buffer. Data is transmitted from buffer to core storage in 3.4 milliseconds. A read cycle takes 240 milliseconds ( 250 cards a minute). Since only 3.4 milliseconds are required to transmit information from buffer to core storage, the remaining 236.6 milliseconds are available for processing.

After cards are read or punched, they fall into radial stackers located on the front of the unit. Properly read cards are stacked in the right-most stacker. If a read error is detected, the card causing the error is selected into the second stacker from the right. The same principle applies to the punch side. Properly punched cards fall into the left-most stacker and improperly punched cards are selected into the second stacker from the left. The middle stacker is not used.

Figure AV. 7 is a schematic diagram of the keys, lights, and card feeds on the 1622 Card Read-Punch unit.


Fig. AV.7. Keys, Lights, and Card Feeds of 1622 Card Read-Punch.

## CARD READER

The Card Reader is the unit on the right side of the 1622. Cards to be read are placed in the read hopper 9 -edge first, face down. Depression of the reader Start key or Load key causes the first card to be read and checked, and the information to be transferred to the buffer. Thereafter, all card feeding is under stored program control.

Each card is read at two different stations; a check station and a read station. The card is first read at the check station and the information is stored. When this card is read at the read station, the information is compared with the information stored at the check station. If an unequal comparison or a parity error is detected, the reader stops, the Reader Check light is turned on, and the Ready status of the card reader is terminated.

A read command transfers data from the input buffer to core storage. The transferred data is parity checked. If a parity error is detected in core storage the Read Check light on the console is turned on. The Read Check indicator (06) is also turned on. If the I/O check switch on the console is set to the "Stop" position, processing terminates. If the switch is set to the "Program" position, processing continues.

After data has been correctly transferred to core storage, a card feed cycle follows immediately to reload the input buffer with the information previously read and checked at the read station. At the same time new data is read at the read station, and the following card data is read at the check station and stored for comparison on the next card feed cycle when it will be read at the read station. Figure AV. 8 illustrates the data flow in a read operation.

## OPERATING KEYS, SWITCHES, AND LIGHTS

1. Power Switch (Reader Off-Reader On Switch). This switch is used to supply power to the reader. The 1620 Power switch must be on to make the 1622 Power switch active.
2. Load Key. This key causes data from the first card to be checked, read into buffer storage, and automatically transferred in numerical mode to core storage positions $00000-00079$. Upon completion of this data transfer, another card feed cycle occurs which loads buffer storage with data from the second card. The 1620 then executes the instruction at core position 00000. Thus the instructions from the first card, now in core storage 00000-00079, can be used to continue


Fig. AV.8. Data Flow in a Read Operation.
loading the program or begin processing. The 1620 must be reset and in manual mode or a $48(\mathrm{H})$ must appear in the OP register to make the Load key active.
3. Reader Start Key. Depression of this key causes one card to be read and the information checked and read into buffer storage. The information in the buffer is transmitted to core storage only when a Read Numerically or Read Alphamerically instruction is executed. When the feed hopper runs out of cards, a Reader No Feed condition initiates. To read in and process the cards remaining in the feed, the Reader Start key is depressed. The Reader Start key is also used to restore a Ready status after the reader has been stopped with the Reader Stop key, an empty hopper, a full stacker, or an error condition.
4. Reader Stop Key. This key is used to stop the read feed at the end of the card cycle in progress and/or to remove the reader from a Ready status. The computer continues processing; the next read card command causes a Reader No Feed stop.
5. Non-Process Run-Out Key. This key is used to run cards out of the read feed after a Reader Check error, or after the Stop key has been used to stop the reader. The cards are run-out into the read error select stacker without a buffer storage to core storage transfer. The Reader Check light and check circuits are turned off. Cards must be removed from the hopper to make the Non-Process Run-Out key active.
6. Power Ready Light. This light is turned on to indicate that power has been supplied to the reader by setting the Power switch to the "Reader On" position.
7. Reader Ready Light. This light is turned on to indicate that the first card has been loaded into buffer storage with the Reader Start key or Load key, without a reader check error. It remains on until one of the following conditions occur: depression of the Stop key, an empty hopper, a full stacker, a reader check error, a transport jam, or a misfeed.
8. Reader Check Light. This light is turned on by an unequal comparison between the read and check stations or by incorrect parity detected in buffer storage. The reader is stopped, Ready status is terminated, and the buffer storage data just read cannot be transferred to core storage on the next Read command.

## CARD PUNCH

The Card Punch is the unit on the left side of the 1622. Cards are placed in the punch hopper 12-edge first, face down. A write command causes data to be transferred from core storage to output buffer storage.

The data is parity checked in the 1620 core storage. If a parity error is detected, the Write Check light on the console and the Write Check indicator (07) are turned on. If the I/O Check switch on the console is set to "Stop," processing terminates before the data is punched. If it is set to the "Program" position, processing continues.

If no parity error is detected, the data is stored for comparison, its parity is checked and the data punched into the card. If a 1622 parity error is detected, the data is punched and, if the Select Stop switch is set to "Stop," the punch stops, Ready status is terminated and the Punch Check light is turned on. The error card is selected into the error select stacker. When the Select Stop switch is set to the "N-Stop" position, processing continues, the punch remains in a Ready status, and the error card is selected into the error select stacker. If no parity error is detected the card that was punched is read at a check station and compared with the data stored. An unequal comparison has the same
effect as a 1622 parity error. An equal comparison causes processing to continue. Figure AV. 9 illustrates the data flow in a punch operation.


Fig. AV.9. Data Flow in a Punch Operation.

## OPERATING KEYS, SWITCHES, AND LIGHTS

1. Power Switch (Punch off-Punch on Switch). This switch is used to supply power to the punch. The 1620 Power switch must be on to make the 1622 Power switch active.
2. Punch Start Key. This key is used to feed cards to the punch station initially or after an error and non-process run-out condition, and to re-establish the Ready status after a Punch Stop key depression, an empty hopper, a full stacker, a transport jam, or a misfeed.
3. Punch Stop Key. This key is used to stop the punch feed at the end of the card cycle in progress and/or to remove the punch from a Ready status.
4. Check Reset Key. This key is used to reset error circuits and turn off the Punch Check light. A Punch Start key or Non-Process Run-

Out key depression follows, as described in the "Error Restart Procedures" section.
5. Select Stop-Select N-Stop Switch. This switch is used to control the punch Ready status when error cards are selected into the punch error select stacker. With the switch set to "Stop," the punch feed stops with the error card in the select stacker. With the switch set to " N -Stop," the error cards are selected into the punch error select stacker and processing continues.
6. Non-Process Run-Out Key. This key is used to run cards out of the punch feed after a punch check error or after the Stop key has been used to stop the punch. The cards are run out into the left-most stacker. This key must be used to run out and check the last punched card of a job. Cards must be removed from the punch hopper to make the Non-Process Run-Out key operative. If a punch error has occurred the Check Reset key must be depressed before the NonProcess Run-Out key is operative.
7. Power Ready Light. This light is turned on to indicate that power has been supplied to the punch by setting the Power switch to the "Punch On" position.
8. Punch Ready Light. This light is used to indicate that the 1622 is waiting for and will respond to a write command from the 1620 . The ready light is turned off by a Stop key depression, an empty hopper, a full stacker, a punch check error, a transport jam, or a misfeed.
9. Punch Check Light. This light is turned on when an unequal comparison occurs between the data punched and the data read (one card feed cycle later at the punch check station), or when a 1622 parity error is detected.

## OPERATOR LIGHTS COMMON TO BOTH READ AND PUNCH UNITS

1. Chip Light. This light turns on when the chip box is full.
2. Stacker Light. This light is turned on when any stacker is full. Both feeds are stopped and removed from the Ready status. When the full stacker is either entirely or partially emptied, operation automatically resumes.
3. Transport Light. The Transport light is turned on when a card in either the read or punch feed does not feed properly. When this occurs, both feeds are stopped and removed from a Ready status. Both Start keys must be depressed to resume operation after the condition is corrected.
4. Fuse Light. This light turns on to indicate a blown fuse.
5. Thermal Light. This light is turned on if the internal temperature of the 1622 becomes excessive. After several minutes delay, the 1620 console Reset key may be depressed to turn off the Thermal light.

If depression of the Reset key turns off the Thermal light, the 1620 Power switch must be turned off and then on again. Operation may be resumed after the Power Ready light is turned on.

## ERROR RESTART PROCEDURES-CARD INPUT AND OUTPUT

## READER CHECK ERROR

Cause: An unequal comparison between the data at the read and check stations of the Card Reader or an input buffer storage parity error. The reader stops with the error card in the select stacker (last card). The data from the error card has not been transferred to core storage.

Indicators: 1622 Reader Check light on; 1622 Ready Light off.
Restart Procedure:

1. Remove the remaining cards from the read hopper.
2. Depress the Non-Process Run-Out key.
3. There will be three cards in the select stacker: the error card and the following two cards which were at the check and read stations respectively. Remove these three cards from the stacker.
4. Place these three cards in front of the cards removed from the read hopper and replace the deck in the hopper.
5. Depress the Start key. The card that caused the error is read into the buffer storage again and if an equal comparison is obtained, the interlocked read instruction is executed and processing continues. ${ }^{1}$

## 1620 Read check error

Cause: A parity error detected on information just transmitted into core storage from the input buffer. The reader stops with the error card in the nonselect stacker (the last card).

Indicators: 1620 Read Check light on. 1622 Reader Ready light on. Read Check indicator (06) on.

Restart Procedure:

1. Remove the cards from the read hopper.
2. Depress the Non-Process Run-Out key. The two cards in the read feed at the time of the error will be run out into the select stacker.
3. Remove the last card from the nonselect stacker and the two cards from the select stacker.
4. Place these three cards in front of the cards removed from the read hopper. The error card from the nonselect stacker is to be read in first.

[^12]5. Use manual restart procedures to return the stored program to the instruction that transfers the error card data from the input buffer storage to core storage.

## PUNCH CHECK ERROR

Cause: An unequal comparison between the data punched and the data read (one card feed cycle later, at the punch check station), or a 1622 parity error while punching data from the output buffer storage. If the Select Stop N-Stop switch is set to "Stop," the punch stops with the error card in the select stacker. Another card has been punched.

Indicators: 1622 Punch Check light on. 1622 Punch Ready light off.

## RESTART PROCEDURE

1. Depress the Check Reset key.
2. For manual correction of error card.
(a) Remove the remaining cards from the punch hopper.
(b) Depress the punch Non-Process Run-Out key. Three cards will be run out into the nonselect stacker. The first card out will be the first card punched after the error card was punched. The last two cards are blank cards.
(c) Remove the error card from the punch error select stacker. Correct the error card (if possible) and place it in front of the last three cards in the nonselect stacker. Remove the last two cards from the nonselect stacker. These will be blank cards run out when the Non-Process Run-Out key was depressed.
(d) Place blank cards in the punch hopper.
(t) Depress the Start key. The interlocked write command for the second card following the error card can now be executed.

## 1620 WRITE CHECK ERROR

Cause: A parity error. The error has not been punched into a card.
Indicators: 1620 Write Check light on. Write Check indicator (07) on.
A type-out of the core storage positions that were transferred to the output buffer indicates whether the trouble is in core storage or the punch.

## CONSOLE TYPEWRITER

The typewriter (Fig. AV. 10) is used as both an input and an output device. The keyboard is similar to that of a standard typewriter except for the positioning of the digits $0-9$ and the inclusion of the special characters required by the system. Except when data is being entered, the typewriter keyboard is locked preventing its use as an off-line device.


Fig. AV.10. 1620 Console Typewriter.

The typewriter is equipped with a shift key. When this key is depressed, only numeric data may be entered. A Read Numerically instruction specifying the typewriter, automatically causes the keyboard to be locked in the shift position. A typing line contains a maximum of 88 positions. Margins and tab stops may be set manually.

A Write command specifying the typewriter as the output device causes data to be transmitted from core storage to the typewriter which types it. Transmission of data is terminated by the sensing of a record mark in core storage; the record mark is not typed. As data is transmitted from core storage to the typewriter, it is parity checked. If a character with incorrect parity is detected, the Write Check indicator (07) is turned on, and a character ${ }^{2}$ is printed with a horizontal bar across its center; for example, $€, \boxplus, \ell, \Theta$. The output operation is completed, and processing is continued or terminated depending upon the position of the console I/O Check switch. If an invalid character with correct parity is sensed, a special symbol character () is printed.

A Read command specifying the typewriter allows for the manual insertion of data. The input data is parity checked before it enters core storage. If a character with incorrect parity is detected the Read Check indicator (06) is turned on. After completion of the input operation, processing continues or terminates depending upon the setting of the I/O Check switch.

[^13]Depression of the Insert key on the console unlocks the keyboard and locks it in the shift position, permitting numeric data to be entered into core storage, starting at location 00000. Each depression of a typewriter key enters the character into core storage one location higher than the previous character. Each character is parity checked. After the 100th character is entered, the computer automatically enters the manual mode locking the keyboard. Depression of the Start key causes the instruction at core location 00000 to be executed. If less than 100 characters are entered, the Release key on the console is depressed to give an end-of-record indication. The keyboard locks and the computer enters the manual mode.

## appendix VI

## The 1620 Console

The console (Fig. AVI.1) is an integral part of the 1620 Data Processing System. It consists of control keys and lights, switches, an indicator panel, and a typewriter. ${ }^{1}$ The main function of the console is to serve as a communication link between the operator and the computer.

This communication takes various forms. Lights on the indicator panel provide a visual indication of the status or contents of the various registers and indicators within the 1620. The control keys allow for manual or automatic operation of the system. They allow the operator complete flexibility in running under stored program control and then interrupting the program to perform desired operations from the console. Control may then be returned to the stored program.

The console typewriter provides the operator with the means of inserting data or instructions directly into core storage. It also allows the operator to examine portions of the memory by having the contents of the desired core locations typed out on the typewriter.

This chapter will describe in detail the console components and the part they play in the overall picture of program writing, debugging, and, finally, running the corrected program. The following chapter will describe the console procedures to follow when assembling SPS or Fortran and performing other operations from the console.

[^14]


Fig. AVI.2. Console Panel.

## CONSOLE PANEL

The console panel (Fig. AVI.2) consists of a display selector and six sections of indicator lights. They are as follows:


Fig. AVI.3. Instruction and Execute Cycle Lights.

## SECTION NUMBER 1 (Fig. AVI.3)

## INSTRUCTION AND EXECUTE CYCLE INDICATOR LIGHTS

This set of indicator lights is used primarily for diagnostic testing by customer engineers.


Fig. AVI.4. Control Gate Indicators.

## SECTION NUMBER 2 (Fig. AVI.4)

## CONTROL GATE INDICATOR LIGHTS

This set of indicator lights is used primarily for diagnostic testing by customer engineers. However, during manual single instruction ex-
ecution of a program, certain of these lights display information that may be useful for debugging purposes.

1. $\mathrm{H} / \mathrm{P}$ (High-Positive) Indicator Light. This light shows the status of the internal $\mathrm{H} / \mathrm{P}$ indicator as determined by the last arithmetic or compare operation. The light will be on if and only if the $\mathrm{H} / \mathrm{P}$ indicator is on.
2. $\mathrm{E} / \mathrm{Z}$ (Equal-Zero) Indicator Light. This light shows the status of the internal $\mathrm{E} / \mathrm{Z}$ indicator as determined by the last arithmetic or compare operation. The light will be on if and only if the $\mathrm{E} / \mathrm{Z}$ indicator is on.
3. RECOMP (Recomplement) Light. This light indicates that the result of an add or subtract operation will be recomplemented upon completion of the computation.
4. REC MARK (Record Mark) Light. This light shows that a record mark was sensed in core storage.
5. BRCH (Branch) Light. This light is turned on if a branch is to be taken in a conditional Branch instruction. If the light is not on, the next instruction in sequence will be executed. This is true for the BI instruction set. For the BNI instruction set, the above sequence is reversed.

## SECTION NUMBER 3

## INPUT-OUTPUT INDICATOR LIGHTS

The input-output indicator lights are used primarily for diagnostic testing by customer engineers.

## SECTION NUMBER 4 (Fig. AVI.5)

## OPERATION REGISTER

These two rows of five lights each display the bit configuration of the 2 -digit operation code of the instruction last executed. The flag bits are not displayed. The row of lights labeled " T ," displays the $\mathrm{O}_{0}$ digit; the row labeled " $U$," displays the $\mathrm{O}_{1}$ digit.

## MULTIPLIER

This 5-light register displays each multiplier digit as it is used during a multiply operation. As in the operation register, flag bits are not displayed. This register is useful for displaying the multiplier digits when executing a Multiply instruction with the SCE (single cycle execution) key.


Fig. AVI.5. Register Display Indicators.

## SENSE AND BRANCH

Two rows of five lights each display the $\mathrm{Q}_{8}$ and $\mathrm{Q}_{9}$ positions of each Branch Indicator, Branch No Indicator, all Input-Output instructions, and the Control instruction. The row of lights labeled "T" displays the $\mathrm{Q}_{8}$ position; the row of lights labeled " U " displays the $\mathrm{Q}_{9}$ position.

SECTION NUMBER 5 (Fig. AVI.5)
MEMORY BUFFER REGISTER (MBR)
Two rows of six lights each display the contents of the two core locations effected by a core storage address. If the core storage address is odd, its digit is displayed in the row of lights labeled "O" (odd); the
digit in the next lower core location is displayed in the row of lights labeled "E" (even). Should the core storage address be even, its digit is displayed by the lights in the row labeled "E"; the digit in the next higher core location is displayed in the row of lights labeled "O". This register is especially useful in the alphabetic mode, since the complete 2-digit representation of an alphamerical character is displayed at one time.

## MEMORY DATA REGISTER (MDR)

One row of six lights displays the bit configuration of the digit in the core storage position addressed. This same digit will also be displayed in the Memory Buffer Register in either the E or O row depending on whether the addressed digit is located at an even or odd core location.

## DIGIT REGISTER

These two rows of six lights each are used primarily for diagnostic testing by customer engineers.

SECTION NUMBER 6 (Fig. AVI.5)

MEMORY ADDRESS REGISTER
Five rows of five indicator lights display the bit configuration of the 5 -digit address in any one of the eight MAR registers. The specific register to be displayed is selected by the Memory Address Register Display Selector switch; a depression of the Display MAR key then causes the address to be displayed in the lights.

## MEMORY ADDRESS REGISTER DISPLAY SELECTOR

This is an 8-position rotary switch that permits the selection of any one of the eight MAR registers for display in the Memory Address Register lights. The position of this switch may be changed at any time without altering the display; it is the depression of the Display MAR key that causes the Memory Address Register lights to display the contents of the selected register. The display selector switch should not be repositioned simultaneously with the depression of the Display MAR key. The following registers may be chosen by this selector:

IR-1. Contains the address of the next instruction.
OR-1. Contains the Q address of the instruction in OP register.
OR-2. Contains the P address of the instruction in OP register.

IR-2. Contains the address saved by a Branch and Transmit or Branch and Transmit Immediate instruction.
PR-1. Contains the address saved by a depression of the Save key. OR-3, PR-2, PR-3. Used in the multiply operation.


Fig. AVI.6. Indicator Displays and Switches.

## CONSOLE SWITCHES AND INDICATOR LIGHTS (Fig. AVI.6)

## PARITY CHECK SWITCH

This is a 2-position switch that is manually set to either the "Stop" or "Program" position. When the switch is in the "Stop" position and a parity error occurs, the computer immediately terminates processing. If the switch is set to the "Program" position, processing continues.

## PARITY CHECK INDICATOR LIGHTS

1. MBR-E CHK (Memory Buffer Register-Even) Light. This light reflects the status of the Memory Buffer Register-Even Check indicator (16). The indicator is turned on when a parity error is detected in
the even address digit in the MBR register. Processing continues or terminates depending upon the setting of the Parity Check switch. The indicator and light are turned off if the indicator is interrogated by a Branch Indicator or Branch No Indicator instruction.
2. MBR-O CHK (Memory Buffer Register-Odd) Light: This light reflects the status of the Memory Buffer Register-Odd Check indicator (17). The indicator is turned on when a parity error is detected in the odd address digit in the MBR register. Processing continues or terminates depending upon the setting of the Parity Check switch. The indicator and light are turned off if the indicator is interrogated by a Branch Indicator or Branch No Indicator instruction.
3. MARS CHK (Memory Address Register Storage) Light. This light is turned on when a digit in the MAR has a parity error. It is also turned on when the MAR receives a nonexistent address or a nonexistent OP code in some later versions of the 1620 . When this light is turned on the computer immediately stops processing regardless of the setting of the Parity Check switch.

## I/ O CHECK SWITCH

This is a 2-position switch that is manually set to either a "Stop" or "Program" position. When this switch is set to the "Stop" position and a parity error is detected in an input or output operation, the computer terminates processing after the I/O operation is completed. When the switch is set to the "Program" position and an error is detected, processing does not stop but continues.

## I/O CHECK LIGHTS

1. RD CHK (Read Check) Light. This light reflects the status of the Read Check indicator (06). The Read Check indicator is turned on when an input character with a parity error is detected prior to conversion of the input data to the BCD coding. Processing continues or terminates depending upon the setting of the I/O Check switch.
2. WR CHK (Write Check) Light. This light reflects the status of the Write Check indicator (07). The Write Check indicator is turned on when an output character with a parity error is detected after the conversion of the output data from BCD coding to the output code. Processing continues or terminates depending upon the setting of the I/O Check switch. However, if a parity error occurs while paper tape is being punched, the computer will terminate processing immediately, regardless of the setting of the I/O Check switch.

## OVERFLOW CHECK SWITCH

This is a 2-position switch set manually to either a "Stop" or "Program" position. When this switch is set to a "Stop" position and an overflow
occurs as the result of an arithmetic operation, the computer terminates processing at the end of the instruction being executed and the manual mode is initiated. Depression of the Start key causes the computer to continue processing.

When the Overflow Check switch is set to the "Program" position, and an overflow condition is detected, processing continues.

## OVERFLOW LIGHTS

1. ARITH CHK (Arithmetic Check) Light. This indicator light reflects the status of the internal overflow indicator. When the indicator is on, the light is on. The Overflow indicator (14) is turned on whenever an overflow condition is detected. It is turned off in only two ways: (1) depression of the Reset key or (2) interrogation of the indicator with a Branch Indicator or Branch No Indicator instruction.
2. EXP CHK (Exponent Check) Light. This indicator light reflects the status of the internal exponent overflow indicator. When the indicator is on, the light is on. The Exponent Overflow indicator (15) is turned on whenever an attempt is made to generate an exponent greater than 99 or less than -99. It is turned off in a fashion identical with that of indicator 14 .

## PROGRAM SWITCHES

There are four program switches numbered 1 through 4, which may be set to either an "On" or "Off" position by the operator. It is these switches that are interrogated by the Branch Indicator and Branch No Indicator instructions with a modifier of $01,02,03$, or 04 . (See page 69). These switches belong exclusively to the operator as the only way to set or alter their position is to move them physically to an "On" or "Off" position. Their position may be altered at any time during program execution.

## CONSOLE KEYS AND SIGNAL LIGHTS (Fig. AVI.7)

## POWER SWITCH

This is a 2-position (on and off) switch that is used to apply electrical power to the computer when it is turned to the "On" position.

## POWER ON LIGHT

This light is turned on when the power switch is on.

## POWER READY LIGHT

The Power Ready light comes on after the Power switch has been turned on and when the internal machine temperature and voltages


Fig. AVI. 7 Control Keys and Signal Lights.
reach proper operating values. There is a delay from the time the Power switch is turned on until operating conditions are obtained. The time delay varies with room temperature and the time elapsed since power was last turned off. When the computer is turned on the first thing in the morning, the delay may be from 5 to 15 minutes.

RESET KEY
Depression of the Reset key restores all machine status indicators and signal lights to their initial or reset condition and initiates the manual mode. This key is inactive when the computer is in the automatic mode.

## THERMAL LIGHT

This light is turned on if the internal temperature of the computer becomes too high. Power is turned off and the Power Ready light is turned off. Depression of the Reset key turns off the Thermal light after the internal temperature has returned to normal. To apply power to the 1620 , the Power switch must be turned off and then on again.

## PUNCH NO FEED LIGHT

This light is turned on by the following conditions: (1) When a Write command is executed and there are no cards in the punch hopper or there is no tape on the paper tape punch. (2) When a Write command is executed and the card punch is not in a Ready status. (3) When a parity check occurs while paper tape is being punched. All the above conditions stop the computer in the automatic mode with both the Automatic and Punch No Feed lights turned on. When a parity error occurs, the I/O Write Check light is also turned on. Depression of the Reset key, while in the manual mode, turns off the Punch No Feed and I/O Write Check light. Manual correction and restart procedures can begin after depression of the Release and Reset keys.

## READER NO FEED LIGHT

This light is turned on when the computer attempts to execute a read from the paper tape reader or card reader and the reader is not in a Ready status. Improperly mounted paper tape, failure to depress the Reel Power key, no tape mounted in the reader, no cards in the read hopper, failure to depress the Reader Start key, and an end-of-file condition, all will cause the Reader No Feed light to go on. ${ }^{2}$

## DISPLAY MAR KEY

Depression of the Display MAR key causes the register to which the MAR Display Selector switch is set to be displayed in the Memory Address Register lights. This key is operative only when the Manual light is on and the Automatic light is off. The MAR display selector should not be turned simultaneously with the depression of the Display MAR key.

## SAVE KEY

Depression of the Save key causes the address of the next sequential instruction to be saved in a special register. A subsequent Branch Back instruction will cause the computer to go to the core location saved for the next instruction. However, a multiply operation will cause the saved address to be lost. The Save key function takes priority over a Branch and Transmit or Branch and Transmit Immediate instruction when a Branch Back instruction is executed. If preceding the execution of a

[^15]Branch Back instruction, the Save key had been depressed and a Branch and Transmit or Branch and Transmit Immediate had been executed, the Branch Back instruction would branch to the address saved by the Save key depression.

## SAVE LIGHT

The Save light is turned on by the depression of the Save key.

## INSERT KEY

The Insert key is operative only when the computer is in the manual mode (when the Manual light is on). Depression of the Insert key activates the typewriter in the numeric shift so that direct entry of instructions can be made. The first digit typed goes into core location 00000 ; the succeeding digits typed go into successively higher core locations. Up to 100 digits ( $8-12$ digit instructions) may be typed in, after the 100th digit is entered an automatic release occurs and the manual mode is entered.

## INSERT LIGHT

The Insert light is turned on by the depression of the Insert key.

## RELEASE KEY

Depression of the Release key will terminate any input-output operation. The manual mode is initiated and the manual light turned on. When instructions are entered from the typewriter in the insert mode, depression of the Release key after the entry of the last digit causes the insert mode to be terminated and the manual mode is initiated. The Release key is operative only when the computer is in the automatic mode.

## START KEY

The Start key is used to start program processing. Depression of the Start key puts the computer in the automatic mode. It is operative only when the computer is in the manual mode. Depression of the Insert, Release, and Start keys in that order causes the computer to go to core location 00000 for the first instruction to be executed. Therefore, if any instructions were entered while the computer was in the insert mode they would be executed since the first instruction entered went into core location 00000 .

## AUTOMATIC LIGHT

The Automatic light is on when the computer is in the automatic mode. This occurs when the stored program is being executed or when information is being entered into core storage from the typewriter.

## MANUAL LIGHT

The Manual light is on when the computer is in the manual mode. The computer is in the manual mode when all operation has been terminated. Operator intervention may take place at this time. The manual mode is initiated in the following ways: the execution of a Halt instruction, depression of the Release key, or the depression of the Stop key. The manual mode is terminated in the following ways: depression of the Start key, depression of the Insert key, or depression of the Display MAR key. The Save light and/or a no feed light can be on when the Manual light is on.

Both the Manual and Automatic lights are on when an instruction is single cycled with the SCE key.

STOP/SIE (SINGLE INSTRUCTION EXECUTE) KEY
Depression of the Stop SIE key during program execution causes the computer to stop in the manual mode at the end of the instruction being executed when the key was depressed. This key also serves as a single instruction execute key, since successive depressions of this key cause one instruction to be executed for each depression.

## INSTANT STOP/SCE (SINGLE CYCLE EXECUTE) KEY

Depression of the Instant Stop SCE key causes the computer to stop at the end of the 20 -microsecond machine cycle in progress at the time the key is depressed. Successive depressions of this key cause single machine cycles to take place. Both the Manual and Automatic lights are on.

## CHECK STOP LIGHT

This light is turned on when the 1620 stops because of a parity check. One or more of the Parity or I/O Check indicators will also be on, indicating what condition caused the stop. The Check Stop light will be turned off when the check indicator(s) is/are reset (by depressing the Reset key), or when the Parity or I/O switch is set to the "Program" position.

## EMERGENCY OFF SWITCH (Fig. AVI.8)

This switch is for emergency use only. If this switch is turned off, all power in the computer is turned off. The blowers that cool the electronic circuits are stopped.
The 1620 Console


Fig. AVI.8. Emergency Off Switch.

## appendix VII

## Console Operating Procedures

This chapter describes console procedures. They are designed to aid the console operator when he is performing certain functions from the console. The procedures may be modified as required to meet individual requirements.

Instruct the Computer from the Typewriter.

Operator Action

1. Depress Instant Stop key
2. Depress Reset key
3. Depress Insert key
4. Type instructions
5. Depress Release key
6. Depress Start key

Explanation
Processing is halted.
Indicators are reset and the manual mode is initiated.
The typewriter is conditioned to enter numeric data into core storage beginning at core location 00000.
Instructions are entered into core storage at location 00000 and successively higher core locations. The operator may enter a maximum of 100 digits of information. After the 100th digit is entered, an automatic release initiates and the computer enters the manual mode.
The typewriter is released and the computer enters the manual mode.
The computer begins executing instructions sequentially starting with the instruction at location 00000 .

## Clear Core Storage to Zeros

## Operator Action

1. Depress Instant Stop key
2. Set the Parity Check switch and the I/O Check switch to the "program" position.
3. Depress Reset key
4. Depress Insert key
5. Type one of the following:

260000800009
160001000000
310000300002
6. Depress Release key
7. Depress Start key
8. Depress Instant Stop key

## Explanation

Processing is halted.
Instruction execution is to continue even if a parity error is detected.

Indicators are reset and the manual mode is initiated.
The typewriter is conditioned to enter numeric data into core storage beginning at location 00000 .
Enter any one of these three instructions to clear core to zeros.

The typewriter is released.
The instruction entered in step 5 is executed. Approximately 0.8 seconds are required to clear 20,000 core positions.
The operation is stopped at the end of the machine cycle in progress.

## Explanation

Enter instructions to read numerically from the typewriter into the first position of program storage XXXXX and branch to the first program instruction.

The Read Numerically instruction entered in step 4 is executed.
The characters are entered into location XXXXX and successively higher core storage positions.
Terminates the Read instruction.
The Branch instruction, entered in step 4 is executed and program execution begins.

## Print Core Storage Data on Typewriter

## Operator Action

1. Depress Insert key
2. Type one of the following:

39 XXXXX 00100
48

38 XXXXX 00100
48
35 XXXXX 00100
48
3. Depress Release key
4. Depress Start key

Explanation

Write alphamerically beginning at location XXXXX (must be odd) and continuing until a record mark is sensed.
Write numerically beginning at location XXXXX and continuing until a record mark is sensed.
Dump numerically beginning at location XXXXX and continuing until the content of core location 19999 is typed or the Release key is depressed.

The instruction entered in step 2 is executed.

Program Alteration and/or Data Entry

Operator Action

1. Depress Stop key
2. Depress Save key
3. Depress Insert key
4. Type:

36 XXXXX 00100
5. Depress Release key
6. Depress Start key
7. Type instructions and/or data
8. Depress Release key
9. Depress Start key

## Explanation

Processing is halted and the manual mode is initiated.
The address of the next instruction in sequence is saved in PR-1.

Enter instruction to read numerically from the typewriter beginning at the first position of data entry (XXXXX), and branch to the address saved in PR-1 by the depression of the Save key in step 2.

The Read instruction entered in step 4 is executed.

The next sequential instruction which is the Branch Back instruction entered in step 4 is executed and a branch to the instruction at the address saved in step 2 is effected.

Single Instruction Execution of a Program


#### Abstract

Operator Action 1. Depress Stop/SIE key 2. Depress Stop/SIE key 3. Depress Instant Stop/SCE key. 4. Depress Stop/SIE key

Explanation Processing is halted and the manual mode is initiated. Each depression causes the execution of one instruction. The OP code of the instruction just executed is displayed in the OP register lights. One machine cycle is executed. The OP code and the address of the instruction that is about to be executed are displayed in the OP register and MAR lights respectively. The instruction displayed in step 3 is executed. Steps 3 and 4 can be alternated to display succeeding instructions.


## PROCEDURE TO TURN OFF THERMAL LIGHT

If the Thermal light comes on when the Power switch is turned on, depress the Reset key. Then turn the Power switch off and back on again. If the Thermal light remains on there is a possibility that the Emergency Off switch has been pulled. Notify the supervisor of your machine installation.

## PROCEDURE FOR ASSEMBLING SPS PROGRAMS

 ON A 1620 TAPE SYSTEM
## ASSEMBLING AN SPS SOURCE PROGRAM

The symbolic assembly system consists of six tapes: the SPS processor tape, two SPS subroutine tapes for computers with the automatic division special feature (one tape for variable-mantissa-size floating point subroutines and the other for fixed-mantissa-size floating point subroutines), and two subroutine tapes for computers without the automatic division feature (one tape for variable-mantissa-size floating point subroutines and the other for fixed-mantissa-size floating point subroutines). The fifth subroutine tape is for a computer with floating-point hardware.

The assembly system is a 2-pass system-the source statements must be read in twice. The first pass builds up the table of labels; no punching occurs in Pass I. The second pass actually assembles the source statement. The sequence of operations in obtaining an object program is as follows:

## Pass I

1. Clear the core memory to zeros.
2. Set the Overflow Check switch to "Program" and the I/O and Parity Check switches to "Stop."
3. Set the console program switches. The function of the program switches during pass I are as follows:

Switch 1 On-The input is from the paper tape reader.
Off-The input is from the typewriter.
Switch 2 On-If an error is detected by the processor, the entire statement may be re-entered from the typewriter.
Off-If an error is detected, it is noted but ignored and the processing continues (to be explained in section on errors, pages 303 and 304).
Switch 3 Not used by tape SPS.
Switch 4 On-Normally off, but used for correcting statements keyed in improperly at the typewriter. When the programmer detects such an entry he should
(a) throw switch 4 on,
(b) depress Release and Start keys,
(c) throw switch off,
(d) re-enter complete statement.
4. Load the tape punch with approximately 5 feet of leader.
5. Mount the processor tape in the Paper Tape Reader. The following procedure is used to read the processor tape:
(a) depress Reset key,
(b) depress Insert key,
(c) type 360000000300 ,
(d) depress Release key,
(e) depress Start key.
6. The processor tape will be read, and the computer will halt in the manual mode.
7. Mount the source tape (only applicable if source statements are on paper tape).
8. Depress Start key. Pass I processing will begin.
9. Two methods of source program input may be used under control of program switch 1.
(a) If the source statements are entered from the typewriter (switch 1 off), the processor will transfer control to the console typewriter to await the first statement. Type one source statement followed by a record mark. Depress the Release and Start keys. The statement will be processed and the typewriter carriage will return to await entry of the next statement. As each statement is processed, it is punched on the tape punch so that at the end of Pass I an exact copy of the source statements entered from the typewriter have been punched on tape. This tape is then used as input to Pass II.
(b) If the source statements are being entered from paper tape (switch 1 on), each statement is read and processed individually.
10. Sensing of the DEND statement signals the processor that the entry of source statements is completed. The computer will halt in the manual mode and the following message will be typed:

## END OF PASS I

## Pass II

11. Set the program switches for Pass II. The functions of the program switches for Pass II are as follows:

Switch 1 On-A complete listing is typed out; that is, entire input statement together with the machine language instructions.
Off-No listing is typed out.
Switch 2 On-Same as Pass I.
Off-Same as Pass I.
Switch 3 On-Same as Pass I.
Off-Same as Pass I.
Switch 4 On-No object program is punched except loader and arithmetic tables.
Off—Object program is punched.
Note: The purpose of Switch 4 is to allow the assembly process to take place for the purpose of error detection only.
12. If a complete listing is to be typed, set typewriter margins and tab stop. Recommended settings are as follows:
Margins: extreme right and left
Tab Stops: tab stop at 55.
13. Mount the source tape (the original or that which was produced from the typed-in statements) on the paper tape reader.
14. If source statements were entered from the typewriter in Pass I, the paper tape punch will require reloading. This should be done leaving about 5 feet of leader.
15. Depress the Start key on the console. Pass II processing will begin. Each source statement will be read in and processed. The machine language statements will be punched. Error messages are typed out when certain errors are detected. The setting of program switch 2 determines the course of action to be taken. See pages 303 and 304 .
16. When all the source statements have been processed, the computer will halt in the manual mode and one of the following messages will be typed:

## END OF PASS II

## LOAD SUBROUTINES

17. If "END OF PASS II" is typed omit the next two steps.
18. Mount the appropriate subroutine tape on the paper tape reader.
19. Depress the Start key on the console. If the subroutine tape with the variable-mantissa-size floating point subroutines is used, the following message will be typed:

## ENTER MANTISSA LENGTH

The operator must then type in the mantissa size with a flag over the high-order digit ( $\overline{\mathrm{X}} \mathrm{X}$ ). Depress Release and Start keys. The subroutines will be read in and those requested through the use of macro-instructions will be selected and punched. The following message will be typed:

## END OF PASS II

20. A table of all the labels and their associated addresses will then be typed. If it is desired to suppress the typing of this table, turn switch 4 onbut turn it on only after the message "END OF PASS II" begins to type.
21. Depress the Tape Feed switch on the paper tape punch and let about 2 feet of tape be punched with the tape feed code. Remove the tape from the punch. This is the complete object program tape.

## ERROR DETECTION IN SOURCE PROGRAM

Error messages will be typed out when certain errors are detected in the form of the input statements. The messages are of the form "ERn" where $n$ identifies the error. When an error is detected during the first or second pass, the error message will refer to the last defined label plus the number of statements from this labeled statement to the statement in error. If, however, during the second pass, a full typewriter listing is requested, error reporting is of the following nature: the source statement is typed followed by the error message. At that point, the setting of Switch 2 determines the subsequent course of action.

The following errors are detected by the system:
ER1 A record mark is in the label or operation code field.
ER2 For address adjustment, a product greater than 10 digits has resulted from a multiplication.
ER3 An invalid operation code has been detected.
ER4 A dollar sign (\$), which is being used as a Head indicator, is incorrectly positioned in an operand.
ER5 (a) The symbolic address contains more than six characters.
(b) The actual address contains more than five characters.
(c) An undefined symbolic address or an invalid special character is used in an operand.
ER6 A DSA statement has more than 10 operands.
ER7 A DSB statement has the second operand missing.
ER8 (a) A DC, DSC, DAC, or DNB has a length operand greater than 50.
(b) A DC, DSC, or DAC has no constant specified.
(c) A DC or DSC has a specified length less than the number of digits in the constant.
(d) A DAC has a specified length different than the number of characters in the constant.
ER9 The table of labels is full.
ER10 A label has been defined more than once.
ER11 An assembled address is greater than five digits.
ER12 A Head statement contains an invalid special character as a heading character.
ER13 A Head statement contains more than one character.
ER14 An invalid special character is used in a label.

## PROCEDURES FOR HANDLING ERRORS

## Program Switch 2 On

The entire statement should be entered correctly from the typewriter. The statement must be terminated by a record mark. The carriage automatically returns to accept the corrected statement. It should be noted that, when the source statements are entered at the tape reader, errors detected during the first pass will again be detected, and will again require correction, during the second pass. When the input is from the typewriter, however, first pass error correction will be incorporated in the symbolic tape being prepared.

## Program Switch 2 Off

Errors are handled as follows:
ER1 The label is treated as blank and a NOP instruction, 410000000000, is assembled and the next statement is read in.
ER2 The operand is assembled as 00000 and the processing continues.
ER3 The label is treated as blank and a NOP instruction, 410000000000, is assembled and the next statement is read in.
ER4 The operand is assembled as 00000 and the processing continues.
ER5 The operand is assembled as 00000 and the processing continues.
ER6 Only the first 10 operands are assembled and the remaining are ignored.
ER7 The statement is assembled as a DS with a length of 50 .
ER8 (a) If the declarative is a DC, it will be treated as a DS with a length operand of 50 .
(b) If the declarative is a DSC, it will be treated as a DSS with a length operand of 50 .
(c) If the declarative is a DAC, it will be treated as a DAS with a length operand of 50 .
(d) If the declarative is a DNB , its length operand is chosen to be 50.

ER9 The label is treated as a blank label.
ER10 The label is treated as a blank label.

ER11 The operand is assembled as 00000 and the processing continues.
ER12 The Head character is assumed to be a blank.
ER13 The first nonblank character is assumed to be the Head character.
ER14 The label is treated as a blank label.

## RUNNING THE OBJECT PROGRAM

The object tape contains a load routine, all the constants and instructions, the required subroutines, and the arithmetic tables. The object program is run in the following manner:

1. Mount the object tape on the tape reader.
2. Clear core memory to zeros.
3. (a) Load the tape punch if the output is to be punched.
(b) Set margins and tab stops if the output is to be typed.
4. Set Overflow Check switch to "Program" and the parity and I/O Check switches to "Stop". ${ }^{1}$
5. Depress Reset key.
6. Depress Insert key.
7. Type 360000000300.
8. Depress Release key.
9. Depress Start key.
10. After the object tape is read in, the computer will halt in the manual mode.
11. If data is being entered from tape, mount the data tape on the tape reader.
12. Depress the Start key. If the DEND statement contained an operand, the computer will perform a branch to the address specified in the operand. If no operand was present in the DEND statement, the operator must manually branch to the first instruction he wishes executed in his object program.

## ERROR MESSAGES AT OBJECT TIME

In the 1620 floating point subroutines, the presence of certain special conditions will cause an error message of the following form to be typed out:
$\underbrace{\mathrm{XXXXXOOXX}}_{\mathrm{R}}$
R is the address of the next instruction in sequence in the main program and $S$ is a code which identifies the special condition.

Except in the ease of characteristic overflow or underflow where the subsequent course of action depends on the digit at 401, a subroutine

[^16]will always halt immediately after typing the error message. The code in the error message tells the operator why the subroutine has stopped. He may then use the return address and insert a Branch instruction at location zero that will return control to the main program, or in some cases he may continue execution of the subroutine by pressing the Start key on the console.

The following are the special conditions that can arise in the floating point subroutines and the error code associated with each one:

01 FA, FS Characteristic overflow.
02 FA, FS Characteristic underflow.
03 FM Characteristic overflow.
04 FM Characteristic underflow.
05 FD Characteristic overflow.
06 FD Characteristic underflow.
07 FD Attempt to divide by a floating point number with a zero mantissa. May not continue execution of the subroutine.
08 FSQR Attempt to take the square root of a negative number. May press the Start key to continue execution of the subroutine, finding the square root of the absolute value of the number, or may branch back to the main program.
09 FSIN, Input argument has a characteristic greater than L (mantissa FCOS length). May not continue execution of the subroutine as all significance would be lost in the result.
10 FSIN, Input argument has a characteristic greater than or equal to $\overline{0} 3$ FCOS and less than or equal to $L$ (mantissa length). May continue execution of the subroutine with some loss of significance in the result.
11 FEX Characteristic overflow. Course of action depends on digit at FEXT location 401.
12 FEX Characteristic underflow. Course of action depends on digit at FEXT location 401.
13 FLN Input argument has zero mantissa. May not continue execution FLOG of the subroutine.
14 FLN Input argument is negative. May continue to execute the subFLOG routine, computing with the absolute value of the number.

## PROCEDURE FOR COMPILING FORTRAN PROGRAMS <br> ON A 1620 PAPER TAPE SYSTEM

## COMPILING A FORTRAN PROGRAM

Four tapes are provided for the 1620 Fortran system: the Fortran compiler tape, the Fortran subroutine tape for computers with the automatic division special feature, a subroutine tape for computers without the automatic division feature, and a subroutine tape for computers
with the floating point hardware special feature. The sequence of operations in obtaining an object program is as follows:

1. Load the tape punch with about 5 feet of leader.
2. Clear core memory to zeros.
3. Set the Overflow Check switch to "Program" and the I/O and Parity Check switches to "Stop".
4. Mount the compiler tape in the paper tape reader. The following procedure is used to read in the compiler tape:
(a) Depress Reset key
(b) Depress Insert key
(c) Type 360000000300
(d) Depress Release key
(e) Depress Start key.
5. The compiler tape will be read in and punching will occur. The load routines are punched. When the loading of the compiler tape is completed, the computer will halt in the manual mode, and the following message will be typed:

## ENTER SOURCE PROGRAM, PUSH START

6. If the source program is to be entered from the paper tape reader, mount the source tape.
7. Set the console program switches. The functions of the program switches at compile time are as follows:

Switch 1 On-Causes the source statements and the object time address of the first compiled instruction to be listed at the console as they are processed. Statements will be listed with the object time address of the first instruction compiled from the source statement.
Off-Source statements are not listed.
Switch 2 On-Causes trace instructions to be compiled. (The trace feature is discussed on page 309.)
Off-Trace instructions are not compiled.
Switch 3 On-Input to the compiler (that is, the source statements) is being entered via the console typewriter.
Off-Source program entered from the paper tape reader.
Switch 4 This switch is used in conjunction with switch 3 if and only if switch 3 is in the "on" position. It provides the operator with the ability to restart the typing of a statement if an error has been made. Switch 4 is normally Off. When a typing error is made in a source statement and is to be corrected, Switch 4 is placed on, the Release and Start keys are depressed, and then Switch 4 is turned Off. The operator can now retype the statement.
8. Depress the Start key. Compilation will begin.
9. Two methods of source program input may be used under control of program switch 3.
(a) If the source statements are entered from the typewriter (switch 3 on), the compiler will transfer control to the console typewriter to await the first statement. Type one source statement followed by a record mark. Depress the Release and Start keys. The statement will be compiled and the machine language instructions punched. The typewriter carriage will return after each statement has been processed to await the entry of the next statement. This routine is repeated until an End statement is sensed.
(b) If the source statements are being entered from paper tape (switch 3 on) each statement is entered individually. It will be compiled and the machine language instructions punched.
10. Sensing of the End statement signals the compiler that the entry of source statements is completed. The computer halts in the manual mode and the following message will be typed:

## PROG SW1 ON FOR SYMBOL TABLE, PUSH START

11. If it is desired to get a listing of the symbol table put program switch 1 on. If the listing is not desired, turn program switch 1 off.
12. Depress the Start key on the console. If program switch 1 is on, a listing of the symbol table is typed.
13. The computer will halt in the manual mode and the following message will be typed:

## SW1 OFF TO IGNORE SUBROUTINES, PUSH START

14. The operator is given a choice. He may process the subroutines at this time, or he may wait until he runs the object program to process the subroutines.
15. If it is desired to process the subroutines at this time, turn program switch 1 on. If program switch 1 is turned off depress the Start key on the console. The message in step 18 is typed and the procedure in step 19 should be followed.
16. Mount the appropriate subroutine tape on the paper tape reader.
17. Depress the Start key on the console. The subroutine tape will be read in and the required subroutines will be selected and punched.
18. After the required subroutines have been punched, the computer will halt in the manual mode and the following message will be typed:

## PROCESSING COMPLETE

19. Depress the Tape Feed switch on the paper tape punch and let about two feet of tape punch with the tape feed code. Remove the tape from the tape punch. This tape is the object program tape.

## ERRORS IN THE SOURCE PROGRAM

During compilation, a number of tests are made for source program errors. If an error is found in a source statement an error message in the
form "ERROR NO. n " is typed, where $n$ is the error code, and processing continues. The errors detected are as follows:

## Error No. Condition

1 Incorrectly formed statement.
2 Subscripted variable for which no Dimension statement has previously appeared in the program, or a dimensioned variable is used without subscripts, or a variable used in a Dimension statement has already appeared in the source program.
3 Floating point number not in allowable range of values, or fixed point number contains more than 4 digits.
4 Symbol table full.
$5 \quad$ Mixed mode expression.
$6 \quad$ Variable name in an expression contains more than 5 characters.
7 Switch number has been omitted in an If (Sense Switch) statement or the first character following the right parenthesis in an If statement or If (Sense Switch) statement is not a digit.
8 A comma follows the statement number in a Do statement. (for example, DO $1, \mathrm{I}=1,10$ )
9 A Dimension statement ends with a comma, or more than two dimensions have been specified in a Dimension statement (for example, DIMENSION A ( $10,10,10$ ) )
10 A Format statement does not have a statement number.
11 Incorrect representation in a Format statement.
(a) Used special characters ( $=,+,-$, and so forth) in a numerical field specification.
(b) Alphabetical characters other than E, F, or I in a numerical field specification.
(c) A decimal point is omitted in E- or F-type numerical field specifications.
(d) Number of positions to the right of the decimal has not been given in an E- or F-type numerical field specification.
(e) A record mark appears in the numerical field specification or an alphameric field specification.
(f) The first character following the word "Format" is not a left parenthesis.
The total record width specified in a Format statement is greater than 87 characters.
13 A Format statement number has been omitted in an I/0 statement.

Another error message is typed if the compiled instructions and required data storage not including relocatable subroutines will, at object time, exceed the storage capacity of the 1620 . This message is typed at the point in the compilation of the source program where overlap occurs.

Compilation will continue, and the message will be typed after each statement thereafter.

If the inclusion of any of the relocatable subroutines causes an overlap the following message is typed as the subroutines are loading

## OVERLAP XXXXX POSITIONS

The XXXXX is the number of core storage positions of overlap between the end of the object program and the data storage area.

FORTRAN TRACE FEATURE
The Fortran processor will, under console switch control (console switch 2 on), compile certain instructions into the object program that will enable the operator to trace the flow of the program and check its correctness. When the object program is executed, console switch 4 performs the following functions:

Switch 4 On-Causes compiled trace instructions to be executed. Off-Trace instructions are not executed.
The trace output provided is the evaluated left-hand side of each executed arithmetic statement, typed at the left margin. Normal output, resulting from Punch, Print, and Type statements, is not inhibited. The output format of the trace data is E14.8 in the case of floating point results or $\mathrm{I}(\mathrm{w}-\mathrm{i})$ where w is the specified width.
Note that console switch 4 serves a dual function during execution of the object program, that is, provision of trace data and correction of input data incorrectly entered at the console keyboard. Thus when running in the trace mode, the operator should turn off CS4 before typing input data. Following the entry of the last item on the list, he should (after depressing Release) depress SIE three times, turn the switch on, and depress the Start key.

## RUNNING THE OBJECT PROGRAM

The object tape contains a load routine, all the constants and instructions, the arithmetic tables, and the required subroutines if they were processed at compile time. The object program is run in the following manner:

1. (a) Clear core memory to zeros.
(b) Set the Overflow Check switch to "Program" and the I/O and Parity Check switches to "Stop".
(c) Mount the object tape.
(d) Depress Reset key.
(e) Depress Insert key.
(f) Type in 360000000300.
(g) Depress Release key.
(h) Depress Start key. The object tape will read in.

Note: Once a source program has been debugged and compiled, it is necessary to load the object tape only to run the program at some future date. The process of compilation does not have to be repeated.
2. After the object tape has been read in, one of two of the following messages will be typed and the computer will halt in the manual mode.

## LOAD DATA or <br> ENTER SUBROUTINES, PUSH START

3. The message "LOAD DATA" will type if the subroutines were processed at compile time. If this message types, omit the next three steps.
4. If the message "ENTER SUBROUTINES, PUSH START" types, mount the appropriate subroutine tape on the paper tape reader.
5. Depress the Start key on the console. The subroutine tape will be read in, and the required subroutines selected and stored for use by the object program.
6. After the required subroutines have been selected and stored, the computer halts in the manual mode and the following message is typed:

## LOAD DATA

7. If data is being entered from tape, mount the data tape on the paper tape reader.
8. Set margins and tab stops on the typewriter as desired. This will apply only if the output is to be typed. If the output is to be punched, load the tape punch with approximately 5 feet of leader.
9. Set the program switches.

Program switches 1, 2, and 3 are completely at the operator's disposal at object time. If the source program contained If (Sense Switch) statements, the switches are set accordingly.
Program switch 4 has a dual function at object time.
Switch 4 On-If trace instructions were compiled (program switch 2 on at compile time), they will be executed.
Off-Compiled trace instructions are not executed.
When data is entered from the typewriter (through use of the accept statement) this switch provides the ability to correct a typing error. Switch 4 is normally off. ${ }^{2}$ If an error is made, set switch 4 on, depress the Release and Start keys, and turn switch 4 off. The data may now be retyped.
10. Depress Start key. Program execution will begin.

## TYPEWRITER ENTRY OF DATA

When data is to be entered from the typewriter, the typewriter carriage returns and control is transferred to the typewriter. Enter the data

2 If switch 4 is on to execute trace instructions, it must be turned off prior to data entry from the typewriter. After the data has been correctly entered and the Release key has been depressed, depress the Stop/SIE key three times. Switch 4 may then be turned on again and the Start key depressed.
according to the format specification. Depress the Release and Start keys on the console. Processing will continue.

## ERROR MESSAGES AT OBJECT TIME

A number of error checks have been built into the Fortran subroutines. The basic philosophy that has been followed with respect to an error situation is to have an error message typed out, to set the result of the operation equal to the most reasonable value under the circumstances, and to have the program continue. Listed below are the error checks that exist in the subroutines, the error codes that are typed out, and the value to which FAC is set before the program continues. In the list, it will be noted that the terms overflow and underflow occur several times. Overflow means that the characteristic of the result has exceeded 99. Underflow means that the characteristic of the result is less than -99 .

| Error Check | Error Code | Contents <br> of FAC |
| :---: | :---: | :---: |
| Overflow in FAD or FSB. | E1 | $\overline{9} 9999999 \overline{9} 9$ |
| Underflow in FAD or FSB. | E2 | $\overline{0} 0000000 \overline{9} \overline{9}$ |
| Overflow in FMP. | E3 | $\overline{9} 9999999 \overline{9} 9$ |
| Underflow in FMP. | E4 | $\overline{0} 0000000 \overline{9} \overline{9}$ |
| Overflow in FDV or FDVR. | E5 | $\overline{9} 9999999 \overline{9} 9$ |
| Underflow in FDV or FDVR. | E6 | $\overline{0} 0000000 \overline{9} \overline{9}$ |
| Zero divisor in FDV or FDVR. | E7 | $\overline{9} 9999999 \overline{9} 9$ |
| Zero divisor in FXD or FXDR. | E8 | $\overline{9} 999$ |
| Argument in FIX $\leq-10000^{*}$ | E9 | $\overline{9} 99 \overline{9}$ |
| Argument in FIX $\supseteq 10000^{*}$ | E9 | $\overline{9} 999$ |
| Loss of all significance in FSIN or |  |  |
| FCOS. | F1 | $\overline{9} 999999999$ |
| Zero argument in FLN. | F2 | $\overline{9} 999999 \overline{9} \overline{9} 9$ |
| Negative argument in FLN. | F3 | Ln \|x| |
| Overflow in FEXP or FEXN. | F4 | $\overline{9} 9999999 \overline{9} 9$ |
| Underflow in FEXP or FEXN. | F5 | $\overline{0} 0000000 \overline{9} \overline{9}$ |
| Negative argument in FAXB. | F6 | $\|\mathrm{A}\|^{\mathrm{B}}$ |
| Negative argument in FSQR. | F6 | $\sqrt{\|x\|}$ |
| Input data in incorrect form or is outside the allowable range. | F7 |  |
| Output data outside allowable range or in a form not acceptable to the applicable format specification. | F8 |  |

Input or output tape or typewriter record is longer than 87 characters, or there is an element in an input or output list for which there is no specification in the corresponding Format statement.

## PROCEDURE FOR ASSEMBLING SPS PROGRAMS ON A 1620 CARD SYSTEM

ASSEMBLING AN SPS SOURCE PROGRAM
The symbolic assembly system consists of six card decks: the SPS processor deck, two SPS subroutine decks for computers with the automatic division special feature (one deck for variable-mantissa-size floating point subroutines and the other for fixed-mantissa-size floating point subroutines), and two subroutine decks for computers without the automatic division feature (one deck for variable-mantissa-size floating point subroutines and the other for fixed-mantissa-size floating point subroutines). The fifth subroutine deck is for a computer with floating point hardware.

The assembly system is a 2 -pass system-the source statements must be read in twice. The first pass builds up the table of labels; no punching occurs in Pass I. The second pass actually assembles the source statements. The sequence of operations in obtaining an object program is as follows:

## Pass I

1. Clear the core memory to zeros.
2. Set the Overflow Check switch to "Program" and the I/O and Parity Check switches to "Stop."
3. Set the console program switches. The function of the program switches during Pass I are as follows:
Switch 1 On-The input is from the card reader.
Off-The input is from the typewriter.
Switch 2 On-If an error is detected by the processor, the entire statement may be re-entered from the typewriter.
Off-If an error is detected, it is noted but ignored and the processing continues (to be explained in section on errors, page 316.)
Switch $3 \quad$ Must be off in Pass I.
Switch 4 On-Normally off, but used for correcting statements keyed in improperly at the typewriter. When the programmer detects such an entry he should:
(a) throw switch on,
(b) depress Release and Start,
(c) throw switch off,
(d) re-enter the complete statement.
4. Depress Reset key.
5. Place the processor deck in the read hopper.
6. Depress the Load key. The processor deck will be read in and the computer will halt in the manual mode (a 48 will appear in the operation register lights).
7. If the source program is on cards, place the source deck in the read hopper and depress the Reader Start key.
8. If the source program is to be entered from the typewriter, place blank cards in the punch hopper and depress the Punch Start key.
9. Depress the Start key on the console. Pass I processing will begin.
10. Two methods of source program input may be used under control of program switch 1.
(a) If the source statements are entered from the typewriter (switch 1 off), the processor will transfer control to the console typewriter to await the entry of the first statement. Type one source statement followed by a record mark. Depress the Release and Start keys. The statement will be processed and the typewriter carriage will return to await entry of the next statement. As each statement is processed it is punched on a card so that at the end of Pass I, an exact copy of the source statements entered from the typewriter have been punched on cards. These cards are then used as the input to Pass II.
(b) If the source statements are be entered from cards (switch 1 on), each statement is read in and processed individually.
11. Sensing of the DEND statement signals the processor that the entry of source statements is completed. The computer will halt in the manual mode and the following message will be typed:

## END OF PASS I

Pass II
12. Set the program switches for Pass II. The functions of the program switches for Pass II are as follows:

Switch 1 On-A complete listing is typed out; that is, entire input statement together with the machine language instructions.
Off-No typed listing.
Switch 2 On-Same as Pass I. Off-Same as Pass I.
Switch 3 On-A compressed deck is produced.
Off—A listing deck is produced. This is a deck which may be listed on peripheral printing equipment.
Switch 4 On-No object program is punched except loader and arithmetic tables. If switch 4 is on, switch 3 must be on.
Off-Object program is punched.
Note: The purpose of switch 4 is to allow the assembly process to take place for the purpose of error detection only.
13. If a complete listing is to be typed, set typewriter margins and tab stop. Recommended settings are as follows:

Margins: extreme right and left
Tab stops: tab stop at 55 .
14. Place the source deck (the original or that which was produced from the typed-in statements) in the read hopper and depress the Reader Start key.
15. Place blank cards in the punch hopper and depress the Punch Start key.
16. Depress the Start key on the console. Pass II processing will begin. Each source statement will be read in and processed. The machine language statements will be punched. Error messages are typed out when certain errors are detected. The setting of program switch 2 determines the course of action to be taken. See page 316.
17. When all the source statements have been processed the computer will halt in the manual mode and one of the following messages will be typed:

> END OF PASS II or LOAD SUBROUTINES
18. If "END OF PASS II" is typed omit the next two steps.
19. Place the appropriate subroutine deck in the read hopper and depress the Reader Start key.
20. Depress the Start key on the console. If the subroutine deck with the variable mantissa size floating point subroutines is used, the following message is typed:

## ENTER MANTISSA LENGTH

The operator must then type in the mantissa size with a flag over the high-order digit ( $\overline{\mathrm{X} X}$ ). Depress Release and Start keys. The subroutines will be read in and those requested through the use of macro-instructions will be selected and punched. The following message will be typed:

> END OF PASS II
21. A table of all the labels and their associated addresses will then type out. If it is desired to suppress the typing of this table, turn switch 4 on, but turn it on only after the message "END OF PASS II" begins typing.
22. With the Non-Process Run-Out key run the cards out of the punch feed. The object deck is in the punch stacker. Remove the last two cards which will be blanks.

## ERROR DETECTION IN SOURCE PROGRAM

Error messages will be typed out when certain errors are detected in the form of the input statements. The messages are of the form "ERn" where $n$ identifies the error.

When an error is detected during the first or second pass, the error message will refer to the last defined label plus the number of statements
from this labeled statement to the statement in error. If however, during the second pass, a full typewriter listing is requested, error reporting is of the following nature: the source statement is typed followed by the error message. At that point, the setting of Switch 2 determines the subsequent course of action.
The following errors are detected by the system:
ER1 A record mark is in the label or operation code field.
ER2 For address adjustment, a product greater than 10 digits has resulted from a multiplication.
ER3 An invalid operation code has been detected.
ER4 A dollar sign (\$), which is being used as a Head indicator, is incorrectly positioned in an operand.
ER5 (a) The symbolic address contains more than six characters.
(b) The actual address contains more than five characters.
(c) An undefined symbolic address or an invalid special character is used in the operand.
ER6 A DSA statement has more than 10 operands.
ER7 A DSB statement has the second operand missing.
ER8 (a) A DC, DSC, DAC, or DNB has a length operand greater than 50.
(b) A DC, DSC, or DAC has no constant specified.
(c) A DC or DSC has a specified length less than the number of digits in the constant.
(d) A DAC has a specified length different than the number of characters in the constant.
ER9 The table of labels is full.
ER10 A label has been defined more than once.
ER11 An assembled address is greater than five digits.
ER12 A Head statement contains an invalid special character as a heading character.
ER13 A Head statement contains more than one character.
ER14 An invalid special character is used in a label.

## PROCEDURES FOR HANDLING ERRORS

## Program Switch 2 On

The entire statement should be entered correctly from the typewriter. The statement must be terminated by a record mark. The carriage automatically returns to accept the corrected statement. It should be noted that when the source statements are entered at the card reader, errors detected during the first pass will be again detected, and will again require correction, during the second pass. When the input is from the typewriter, however, first pass error correction will be incorporated in the symbolic deck being prepared.

## Program Switch 2 Off

Errors are handled as follows:
ER1 The label is treated as blank and a NOP instruction, 410000000000, is assembled and the next statement is read in.
ER2 The operand is assembled as 00000 and the processing continues.
ER3 The label is treated as blank and a NOP instruction, 410000000000, is assembled and the next statement is read in.
ER4 The operand is assembled as 00000 and the processing continues.
ER5 The operand is assembled as 00000 and the processing continues.
ER6 Only the first 10 operands are assembled and the remaining ones are ignored.
ER7 The statement is assembled as a DS with a length of 50.
ER8 (a) If the declarative is a DC, it will be treated as a DS with a length operand of 50 .
(b) If the declarative is a DSC, it will be treated as a DSS with a length operand of 50 .
(c) If the declarative is a DAC, it will be treated as a DAS with a length operand of 50 .
(d) If the declarative is a DNB , its length operand is chosen to be 50.

ER9 The label is treated as a blank label.
ER10 The label is treated as a blank label.
ER11 The operand is assembled as 00000 and the processing continues.
ER12 The Head character is assumed to be a blank.
ER13 The first nonblank character is assumed to be the Head character.
ER14 The label is treated as a blank label.

## RUNNING THE OBJECT PROGRAM

The object deck contains a load routine, all the constants and instructions, the required subroutines, and the arithmetic tables. The object program is run in the following manner:

1. Clear core memory to zeros.
2. Place the object deck in the read hopper.
3. (a) If the output is to be punched, place blank cards in the punch hopper and depress the Punch Start key.
(b) If the output is to be typed, set the margins and tab stops.
4. Set the Overflow Check switch to "Program" and the Parity and I/O Check switches to "Stop". ${ }^{3}$
5. Depress the Load key. The object deck is read in and the computer will halt in the manual mode.
6. If data is being entered from cards, place the data cards in the read hopper and depress the Reader Start key.
${ }^{3}$ These are only suggested settings. The programmer may position them at his discretion. However, the subroutines utilize the Overflow indicator by branching on its condition; therefore, if macro-instructions are used, the overflow Check switch must be set to the "Program" position.
7. Depress the Start key on the console. If the DEND statement contained an operand, the computer will execute a branch to the address specified in the operand. If no operand was present in the DEND statement, the operator must manually branch to the first instruction he wishes executed in his object program.

## ERROR MESSAGES AT OBJECT TIME

In the 1620 floating point subroutines, the presence of certain special conditions will cause an error message of the following form to be typed out:

$R$ is the address of the next instruction in sequence in the main program and $S$ is a code that identifies the special condition.

Except in the case of characteristic overflow or underflow where the subsequent course of action depends on the digit at 401, a subroutine will always halt immediately after typing the error message. The code in the error message tells the operator why the subroutine has stopped. He may then use the return address and insert a branch instruction at location zero that will return control to the main program, or in some cases he may continue execution of the subroutine by pressing the Start key on the console.

The following are the special conditions that can arise in the floating point subroutines and the error code associated with each one:
01 FA, FS Characteristic overflow.

02 FA, FS Characteristic underflow.
03 FM Characteristic overflow.
04 FM Characteristic underflow.
05 FD Characteristic overflow.
06 FD Characteristic underflow.
07 FD Attempt to divide by a floating point number with a zero mantissa. May not continue execution of the subroutine.
08 FSQR Attempt to take the square root of a negative number. May press the Start key to continue execution of the subroutine, finding the square root of the absolute value of the number, or may branch back to the main program.
09 FSIN, Input argument has a characteristic greater than L (mantissa FCOS length). May not continue execution of the subroutine as all significance would be lost in the result.
10 FSIN, Input argument has a characteristic greater than or equal to FCOS $\overline{0} 3$ and less than or equal to $L$ (mantissa length). May continue execution of the subroutine with some loss of significance in the result.
11 FEX Characteristic overflow. Course of action depends on digit at FEXT location 401.

12 FEX Characteristic underflow. Course of action depends on digit at FEXT location 401.
13 FLN Input argument has zero mantissa. May not continue execution FLOG of the subroutine.
14 FLN Input argument is negative. May continue to execute the subFLOG routine, computing with the absolute value of the number.

## PROCEDURES FOR COMPILING FORTRAN PROGRAMS ON A 1620 CARD SYSTEM

## COMPILING A FORTRAN PROGRAM

Four card decks are provided for the 1620 Fortran system: the Fortran compiler deck, the Fortran subroutine deck for computers with the automatic division special feature, a subroutine deck for computers without the automatic division feature, and a subroutine deck for computers with the floating point hardware special feature. The sequence of operations in obtaining an object program is as follows:

1. Clear core memory to zeros.
2. Depress Reset key.
3. Set the Overflow Check switch to "Program" and the I/O and Parity Check switches to "Stop."
4. Place blank cards in the punch hopper and depress the Punch Start key.
5. Place the Fortran compiler deck in the read hopper.
6. Depress the Load key. The compiler deck will be read in and the load routine will be punched.
7. When the compiler deck has been read in, the following message will be typed, and the computer will halt in the manual mode.

## ENTER SOURCE PROGRAM, PUSH START

8. Set the console program switches. The functions of the program switches at compile time are as follows

Switch 1 On-Causes the source statements and the object time address of the first compiled instruction to be listed at the console as they are processed. Statements will be listed with the object time address of the first instruction compiled from the source statement.
Off-Source statements are not listed.
Switch 2 On-Causes Trace instructions to be compiled. The Trace feature is discussed on page 322.
Off-Trace instructions are not compiled.
Switch 3 On-Input to the compiler (that is the source statements) is being entered via the console typewriter.
Off-Source program entered from card reader.

Switch 4-This switch is used in conjunction with switch 3 if and only if switch 3 is in the "On" position. It provides the operator with the ability to restart the typing of a statement if an error has been made. Switch 4 is normally off. When a typing error is made in a source statement and is to be corrected, switch 3 is placed on, the Release and Start keys depressed, and then switch 4 turned off. The operator can now retype the statement.
9. If the source program is to be entered from cards, place the source deck in the read hopper. Depress the Reader Start key.
10. Depress the Start key on the console.
11. Two methods of source program input may be used under control of program switch 3.
(a) If the source statements are entered from the typewriter (switch 3 on), the compiler will transfer control to the console typewriter to await the first statement. Type one source statement followed by a record mark. Depress the Release and Start keys. The statement will be compiled and the machine language instructions punched. The typewriter carriage will return after each statement has been processed to await the entry of the next statement. This routine is repeated until an End statement is sensed.
(b) If the source statements are being entered from cards, each statement will be entered separately. It will be compiled and the machine language instructions punched.
12. Sensing of the End statement signals the compiler that the entry of source statements is completed. The computer halts in the manual mode and the following message will be typed:

## PROG SW1 ON FOR SYMBOL TABLE, PUSH START

13. If it is desired to get a listing of the symbol table, put program switch 1 On. If the listing is not desired, turn program switch 1 off.
14. Depress the Start key on the console. If program switch 1 is on, a listing of the symbol table is typed.
15. The computer will halt in the manual mode and the following message will be typed:

## SW1 OFF TO IGNORE SUBROUTINES, PUSH START

16. The operator is given a choice. He may process the subroutines at this time, or he may wait until he runs the object program to process the subroutines.
17. If it is desired to process the subroutines at this time, turn program switch 1 on. If program switch 1 is turned off depress the Start key on the console. The message in step 20 is typed and the procedure in step 21 should be followed.
18. Place the appropriate subroutine deck in the read hopper. Depress the Reader Start key.
19. Depress the Start key on the console. The subroutine deck will be read in and the required subroutines will be selected and punched.
20. After the required subroutines have been punched the computer will halt in the manual mode and the following message will be typed:

## PROCESSING COMPLETE

21. With the Non-Process Run-Out key run the cards out of the punch feed. The object deck is in the punch stacker. Remove the last two cards as they will be blanks.

## ERRORS IN THE SOURCE PROGRAM

During compilation a number of tests are made for source program errors. If an error is found in a source statement, an error message in the form "ERROR NO. n " is typed, where $n$ is the error code, and processing continues. The errors detected are as follows:

## Error No. Condition

1 Incorrectly formed statement.
2 Subscripted variable for which no Dimension statement has previously appeared in the program, or a dimensioned variable is used without subscripts, or a variable used in a Dimension statement has already appeared in the source program.
3 Floating point number not in allowable range of values, or fixed point number contains more than 4 digits.
4 Symbol table full.
5 Mixed mode expression.
$6 \quad$ Variable name in an expression contains more than 5 characters.
7 Switch number has been omitted in an If (Sense Switch) statement or the first character following the right parenthesis in an If statement or If (Sense Switch) statement is not a digit.
8 A comma follows the statement number in a Do statement (for example, DO 1, I = 1, 10).
9 A Dimension statement ends with a comma, or more than 2 dimensions have been specified in a Dimension statement (for example DIMENSION A $(10,10,10)$ ).
10 A Format statement does not have a statement number.
11 Incorrect representation in a Format statement.
(a) Used special characters $(=,+,-$, and so forth) in a numerical field specification.
(b) Alphabetic characters other than E, F, or I in a numerical field specification.
(c) A decimal point is omitted in E- or F-type numerical field specifications.
(d) Number of positions to the right of the decimal has not been given in an E- or F-type numerical field specification.
(e) A record mark appears in the numerical field specification or an alphameric field specification.
(f) The first character following the word Format is not a left parenthesis.
12 The total record width specified in a Format statement is greater than 87 characters.
13 A Format statement number has been omitted in an I/O statement.

Another error message is typed if the compiled instructions and required data storage not including relocatable subroutines will, at object time, exceed the storage capacity of the 1620 . This message is typed at the point in the compilation of the source program where overlap occurs.

Compilation will continue, and the message will be typed after each statement thereafter.

If the inclusion of any of the relocatable subroutines causes an overlap the following message is typed as the subroutines are loading:

## OVERLAP XXXXX POSITIONS

The XXXXX is the number of core storage positions of overlap between the end of the object program and the data storage area.

## SEQUENCE CHECKING THE FORTRAN COMPILER AND SUBROUTINE DECKS

## FORTRAN COMPILER

The cards comprising the Fortran compiler deck are punched with sequence numbers in columns 76 through 80 and the deck must be loaded in sequence. If the first card read is not card number 1 , the machine will stop with an operation code of 00 displayed in the Operation Register lights. If cards 2 through 24 are not read in the proper sequence, the message "CARDNN," where NN is the number of the missing card, will be typed on the console typewriter and the computer will halt. The cards must be removed from the reader and placed in proper order. Core storage must be cleared to zeros before the deck is read in again starting with card 1.

Beginning with card number 25, if any card is out of sequence, the console typewriter carriage will be returned, and the following message will be typed,

## CARD $\overline{0}$ NNNN OUT OF SEQUENCE

and the computer will halt. When this occurs, the card numbered ONNNN has been read in out of sequence. Remove the cards from the reader and put the proper card in place of the one out of sequence.

Put that part of the deck that has not yet been loaded into the read hopper, starting with the card replacing card number 0NNNN. Depress the Reader Start key, and continue reading by depressing the Start key on the 1620 console.

## FORTRAN SUBROUTINES

The cards in the subroutine deck have a sequence number punched in columns 76 through 80 , and they must be loaded in sequential order, If cards numbered from 1 through 8 are not read in proper sequence, the computer will halt with an invalid operation code displayed in the Operation Register lights. If this occurs, remove the cards from the reader, place them in proper sequence, and replace the deck in the read hopper. Depress the Reset key and then the Load key.
Any other card out of sequence will cause the message.

## CARD OUT OF SEQUENCE

to be typed on the console typewriter, and the computer will halt. The card which has been read out of sequence is the second card from the back in the read stacker. All preceding cards have been loaded properly. Remove from the reader the cards that have not been loaded, put them into the correct sequence, and replace the deck in the read hopper. To continue reading the subroutine deck, depress Reader Start and Start keys.
Note: Once a source program has been debugged and compiled it is necessary to load the object deck only to run the program at some future date. The process of compilation does not have to be repeated.

## FORTRAN TRACE FEATURE

The Fortran processor will, under console switch control (console switch 2 on), compile certain instructions into the object program that will enable the operator to trace the flow of the program and check its correctness. When the object program is executed, console switch 4 performs the following functions:

> Switch 4 On-Causes compiled trace instructions to be executed. Off—Trace instructions are not executed.

The trace output provided is the evaluated left-hand side of each executed arithmetic statement, typed at the left margin. Normal output, resulting from Punch, Print, and Type statements is not inhibited. The
output format of the trace data is E14.8 for floating point data or $\mathrm{I}(\mathrm{w}-1)$ where $w$ is the specified width.

Note that console switch 4 serves a dual function during execution of the object program, that is, provision of trace data and correction of input data incorrectly entered at the console keyboard. Thus when running in the trace mode, the operator should turn off CS4 before typing input data. Following the entry of the last datum on the list, he should (after depressing the Record Mark and Release keys) depress SIE two or three times, turn the switch on, and depress the Start key.

## RUNNING THE OBJECT PROGRAM

The object deck contains a load routine, all the constants and instructions, the arithmetic tables, and the required subroutines if they were processed at compile time. The object program is run in the following manner:

1. (a) After the message in step 20 (see page 320) of the compiling procedure has been typed, remove the object deck from the punch stacker. (Remember to Non-Process Run-Out the last card) and place the deck in the read hopper. Depress the Reader Start key and the Start key on the console. The object deck will read in.
(b) If the object program is being run at some future time after compilation the following procedure is used.
(1) Clear core memory to zeros.
(2) Depress the Reset key.
(3) Set the Overflow Check switch to "Program" and the I/O and Parity Check switches to "Stop".
(4) Place the object deck in the read hopper.
(5) Push the Load key. The object deck will read in.
2. After the object deck has been read in, one of the following messages will be typed and the computer will halt in the manual mode.

## LOAD DATA <br> or ENTER SUBROUTINES, PUSH START

3. The message "LOAD DATA" will type if the subroutines were processed at compile time. If this message types omit the next three steps.
4. If the message "ENTER SUBROUTINES, PUSH START" types, place the appropriate subroutine deck in the read hopper and depress the Reader Start key.
5. Depress the Start key on the console. The subroutine deck will be read in, and the required subroutines selected and stored for use by the object program.
6. After the required subroutines have been selected and stored the computer halts in the manual mode and the following message is typed:
7. If data is being entered from cards, place the data cards in the read hopper.
8. Set margins and tab stops on the typewriter as desired. This will apply only if output is to be typed. If the output is to be punched, place blank cards in the punch hopper, and push the Punch Start key.
9. Set the program switches. Program switches 1, 2, and 3 are completely at the operators disposal at object time. If the source program contained If (Sense Switch) statements, the switches are set accordingly. Program switch 4 has a dual function at object time.

Program Switch 4 On-If trace instructions were compiled (program switch 2 on at compile time), they will be executed.

Off-Compiled trace instructions are not executed. When entering data from the typewriter (through use of the Accept statement) this switch provides the ability to correct a typing error. Switch 4 is normally off. ${ }^{4}$ If an error is made, set switch 4 on, depress the Release and Start keys, and turn switch 4 off. The data may now be retyped.
10. Depress Start key. Program execution will begin.

## TYPEWRITER ENTRY OF DATA

When data is to be entered from the typewriter, the typewriter carriage returns and control is transferred to the typewriter. Enter the data according to the formal specification. Depress the Release and Start keys on the console. Processing will continue.

## ERROR MESSAGES AT OBJECT TIME

A number of error checks have been built into the Fortran subroutines. The basic philosophy that has been followed with respect to an error situation is to have an error message typed out, to set the result of the operation equal to the most reasonable value under the circumstances, and to have the program continue. Listed below are the error checks that exist in the subroutines, the error codes that are typed out, and the value to which FAC is set before the program continues. In the list it will be noted that the terms Overflow and Underflow occur several times. Overflow means that the characteristic of the result has exceeded 99. Underflow means that the characteristic of the result is less than -99 .
${ }^{4}$ If switch 4 is on to execute trace instructions, it must be turned off prior to data entry from the typewriter. After the data has been correctly entered and the Release key has been depressed, depress the Stop/SIE key three times. Switch 4 may then be turned on again and the Start key depressed.

| Error Сheck | Error <br> Code | Contents of FAC |
| :---: | :---: | :---: |
| Overflow in FAD or FSB. | E1 | ¢̄9999999999 |
| Underflow in FAD or FSB. | E2 | $\overline{0} 00000009 \overline{9}$ |
| Overflow in FMP. | E3 | 99999999999 |
| Underflow in FMP. | E4 | $\overline{0} 00000009 \overline{9}$ |
| Overflow in FDV or FDVR. | E5 | 9999999999 |
| Underflow in FDV or FDVR. | E6 | $\overline{0} 0000000 \overline{9} \overline{9}$ |
| Zero divisor in FDV or FDVR. | E7 | $\overline{9} 999999999$ |
| Zero divsor in FXD or FXDR. | E8 | $\overline{9} 999$ |
| Argument in FIX $\leq-10000^{*}$ | E9 | $\overline{9} 99 \overline{9}$ |
| Argument in FIX $\supseteq 10000^{*}$ | E9 | $\overline{9} 999$ |
| Loss of all significance in FSIN or FCOS. | F1 | $\overline{9} 9999999 \overline{9} 9$ |
| Zero argument in FLN. | F2 | $\overline{9} 999999 \overline{9} 99$ |
| Negative argument in FLN | F3 | Ln \|x| |
| Overflow in FEXP or FEXN. | F4 | $\overline{9} 99999999 \overline{9}$ |
| Underflow in FEXP or FEXN. | F5 | $\overline{0} 0000000 \overline{9} \overline{9}$ |
| Negative argument in FAXB. | F6 | $\|\mathrm{A}\|^{\text {B }}$ |
| Negative argument in FSQR. | F6 | $\sqrt{\|x\|}$ |
| Input data in incorrect form or is outside the allowable range. | F7 |  |
| Output data outside allowable range or in a form not acceptable to the applicable format specification. | F8 |  |
| Input or output card record is longer than 72 characters, or typewriter record is greater than 87 characters, or there is an element in an input or output list for which there is no specification in the corresponding Format statement. | F9 |  |

[^17]
## appendix VIII

## The Internal Organization of Basic 1620 Fortran

The purpose of this material is to give the student a basic knowledge of the construction of the Fortran compiler.

The heart of the Fortran system lies in the proper organization of three major tables. These are:

1. The Symbol Table
2. The Table of Encountered Operations
3. The Table of Addresses of Encountered Symbols.

## THE SYMBOL TABLE

The symbol table occupies core locations 19999 to 17490 at compile time. During an initialization phase a special 10 -digit field is placed in the symbol table area from its beginning to location 17499. This symbol consists of 8 zeros and 2 record marks ( $\overline{0} 0000000 \pm$ ). A single 10 -character field, consisting of 9 zeros and a single record mark, is then located at 17489 . This special symbol ( $\overline{0} 00000000 \ddagger$ ) signifies the end of the symbol table.

A symbol table look-up operation occurs each time a variable, constant, or statement number is encountered. If the symbol is in the table, its object time address is determined and stored. If the symbol is not discovered to be in the table, it is placed there and its object time address is also determined and stored.

In order to determine if a symbol is in the symbol table, a brute force comparison is made with every occupant of the symbol table until (1) a successful comparison is made (the symbol was placed in the table at some previous time), (2) the symbol $00000000 \ddagger \ddagger$ is encountered (this is the end of the symbol table at present and also the first available location for storing the symbol at hand) or (3) the symbol $\overline{0} 00000000$ \# is encountered (the symbol table is full). In this fashion, mere mention of a symbol defines it.

The first 12 symbols in the symbol table are special function names of relocatable subroutines supplied with the system. A listing of these follows.

| Location | Name | Numeric Form |
| :---: | :---: | :---: |
| 19999-19990 | SIN | $\overline{6} 249550000$ |
| 19989-19980 | SINF | $\underline{6} 249554600$ |
| 19979-19970 | COS | $\underline{4} 356620000$ |
| 19969-19960 | COSF | $\overline{4} 356624600$ |
| 19959-19950 | ATAN | $\overline{4} 163415500$ |
| 19949-19940 | ATANF | $\overline{4} 163415546$ |
| 19939-19930 | EXP | $\underline{4} 567570000$ |
| 19929-19920 | EXPF | $\overline{4} 567574600$ |
| 19919-19910 | LOG | 5356470000 |
| 19909-19900 | LOGF | 5356474600 |
| 19899-19890 | SQRT | $\underline{6} 258596300$ |
| 19889-19880 | SQRTF | $\underline{6} 258596346$ |
| 19879-19870 | . | 00000000貄 |
| - | - | . |
| - | - |  |
| 17499-17490 | - | $\underline{0} 0000000 \pm \ddagger$ |
| 17489-17480 | - | $\overline{0} 00000000$ |

In the event that a subroutine is added to the subroutine tape or card deck, its name will appear in the symbol table after the entry of SQRTF. Should the spelling of a function name be changed, the numeric form of the symbol table entry will be altered accordingly.

The address of the special function area's last entry (19889 in our case) is retained, and any subsequent successful table look-up operation, whose object time address is greater than or equal to the retained address, is assumed to be a subroutine name as opposed to a genuine symbol.

## THE TABLE OF ENCOUNTERED OPERATIONS

As operation symbols are encountered during the scan of a statementi, they are stored in this table. Compilation can begin before a statement has been completely scanned and depends upon the difference of rank within a hierarchy between the operation at hand and the one previously discovered.

## THE TABLE OF ADDRESSES OF ENCOUNTERED SYMBOLS

The object time address of all symbols in any statement are discovered by use of the symbol table look-up operation and are stored in this table (TAES). Each entry is a 5 -digit address plus certain information about the symbol at hand (fixed, floating, and so forth).

Distinction should be made concerning the compile time address of a symbol and the object time address of a symbol since they are not necessarily the same.

## THE FLOATING ACCUMULATOR

A special 10 -digit location has been reserved for computational purposes. This area, known as the floating accumulator (FAC), occupies positions $51-60$ of core at object time. All object time floating point arithmetic and most fixed point arithmetic is done using the floating accumulator as an intermediary device.

## DETERMINATION OF CATEGORY

The presence or absence of an equal sign determines whether or not any source statement is an arithmetic statement. The only exception to this rule is the Do statement. However, a Do contains an equal sign, a comma, and no left parenthesis. In this way it is identified as such.

## Events which Precede Determination of Category:

1. Place a record mark after the first nonblank character in a scan from right to left. ${ }^{1}$
2. Test for comment statement.
3. Left-justify statement by forcing out all leading blanks.
4. Process statement number if existent.
5. Force out all blanks in the statement unless a Format statement.
6. Scan for an equal sign.

## CATEGORIES

Category 1 will refer to all arithmetic statements. Category 2 will refer to all statements of a nonarithmetic nature.

Certain subroutines are assumed to be at fixed object time locations. These subroutines are referenced and utilized by statements of both categories. Below is a list of all nonrelocatable subroutines by name, symbolic name, and, where necessary, function. Symbolic names marked by an asterisk will call for the relocatable EXP and LOG (base $e$ ) sub-

[^18]routines. The size of this nonrelocatable package causes object time programs to begin at location 08300.

| Name | Symbolic Name | Function |
| :---: | :---: | :---: |
| Floating Subtract | FSB | $\mathrm{FAC}-\mathrm{B} \longrightarrow \mathrm{FAC}$ |
| Floating Add | FAD | $\mathrm{FAC}+\mathrm{B} \longrightarrow \mathrm{FAC}$ |
| Floating Multiply | FMP | FAC B $\longrightarrow \mathrm{FAC}$ |
| Floating Divide Reverse | e FDVR | $1 /(\mathrm{FAC} / \mathrm{B}) \longrightarrow \mathrm{FAC}$ |
| Floating Divide | FDV | $\mathrm{FAC} / \mathrm{B} \longrightarrow \mathrm{FAC}$ |
| Floating $\mathrm{A}^{-\mathrm{B}}$ | FAXBN* | $1 / \mathrm{e}^{(\mathrm{B} \star \text { LOG (A) }) \longrightarrow \mathrm{FAC}}$ |
| Floating $\mathrm{A}^{\text {B }}$ | FAXB* | $\mathrm{e}^{(\mathrm{B} \star \mathrm{LOG}(\mathrm{A})} \mathrm{l} \longrightarrow \mathrm{FAC}$ |
| Floating $\mathrm{A}^{-1}$ | FAXIN | $1 /(\mathrm{A}$ 有ぇ $\mathrm{A} \star \ldots \star) \longrightarrow \mathrm{FAC}$ |
| Floating $\mathrm{A}^{\text {I }}$ | FAXI | $A \star A \star A \star \ldots \star A \longrightarrow$ FAC |
| Fixed Subtract | FXS | $\mathrm{FAC}-\mathrm{J} \longrightarrow \mathrm{FAC}$ |
| Fixed Add | FXA | $\mathrm{FAC}+\mathrm{J} \longrightarrow \mathrm{FAC}$ |
| Fixed Multiply | FXM | $\mathrm{FAC} \star \mathrm{J} \longrightarrow \mathrm{FAC}$ |
| Fixed Divide Reverse | FXDR | $1 /(\mathrm{FAC} / \mathrm{J}) \longrightarrow \mathrm{F}^{\prime}$ - |
| Fixed Divide | FXD | $\mathrm{FAC} / \mathrm{J} \longrightarrow \mathrm{FAC}$ |
| Change Sign | RSGN | $\longrightarrow \mathrm{FAC} \longrightarrow \mathrm{FAC}$ |
| Bring to Accumulator | TOFAC | $\mathrm{B} \longrightarrow \mathrm{FAC}$ |
| Take from Accumulator | - FRMFAC | $\mathrm{FAC} \longrightarrow \mathrm{B}$ |
| Fix a Floating Number | FIX | $\mathrm{B} \longrightarrow \mathrm{J}$ |
| Float a Fixed Number | FLOAT | $\mathrm{J} \longrightarrow \mathrm{B}$ |
| Read Card | RACD |  |
| Read Tape | RAPT |  |
| Read Typewriter | RATY |  |
| Write Card | WACD |  |
| Write Tape | WAPT |  |
| Write Typewriter | WATY |  |
| Input/Output | I/O |  |

## Category 1 Statements

The logic of scanning arithmetic statements is similar to a method employed by the Polish Logician J. Lukasiewicz. This method, sometimes termed "Polish Notation" consists of separating an algebraic statement into two stacks. One of these consists of operations and the other consists of operands. Thus, the statement $\mathrm{A}-\mathrm{B}$ is written as $\mathrm{AB}-$. The statement $\mathrm{A}+\mathrm{B} \star \mathrm{C}$ may be written as $\mathrm{AB}+\mathrm{C} \star$ or $\mathrm{ABC}+\star$.

The Fortran scan builds up two tables, the combination of which simulates this notation.

These tables, described previously as the Table of Addresses of Encountered Symbols (TAES) and the Table of Encountered Operands (TEO), rely upon an order of rank in a hierarchy in arithmetic operations. Both tables may be likened to an accordion: initially closed, expanding, contracting, expanding, contracting, and finally closed. As the statement is scanned, these tables expand. But certain conditions can cause them
to expel information and contract before further expansion. The expelled information becomes the compiled instructions.

Compilation of arithmetic statements relies upon the following rank in the hierarchy of operations:


The $\ddagger$ and F are not part of the programmer's repertoire of Fortran instructions and are internally generated. The record mark is generated to end a statement in the card system and appears there automatically in the tape system. The F is entered as an operation whenever an instruction requests a relocatable subroutine linkage (Sine, Cosine, and so forth).

The left parenthesis has no hierarchal value and may be considered neutral. The function of a left parenthesis is to act as a mate for the right parenthesis.

During the scan, each operation that is encountered causes investigation of the operation previously encountered. If the present operation is of lower or equal hierarchal rank to the previous operation, compilation begins immediately.

Thus, the statement

$$
\mathrm{Y}=\mathrm{A}+\mathrm{B} \star \mathrm{C}
$$

requires complete dissection before compilation is forced (by the record mark) since the operations are encountered in the following order:

$$
\begin{array}{ll}
1 . & = \\
2 . & + \\
3 . & \star
\end{array}
$$

The statement

$$
Y=A \star B+C
$$

will begin compilation when the + is encountered because the operation previous to + is $\star$ which is of greater hierarchal rank. Note also that the statement

$$
\mathrm{Y}=\mathrm{A} \star \mathrm{~B}+\mathrm{I}
$$

which is illegal (mixed mode), will not be noted as such until after the compilation of $A \star B$.

Also during the scan, the symbols have their object time addresses determined by the symbol table look-up scheme. These addresses are stored in TAES. Likewise, each operation is either (1) put in TEO, (2) forces compilations and is then put in TEO, or (3) forces compilation and is neutralized as in the case of the right parenthesis. Often, an operation may force compilation many times before being allowed entrance into TEO, as we shall soon see. The $\ddagger$, having lowest hierarchal value, acts as a universal forcer and causes everything to be expelled from the tables into compiled form. Thus, the entry of the $\ddagger$ into TEO signals the end of compilation for a statement.

Example: $\mathrm{X}=\mathrm{A}+\mathrm{B}$

| TAES | TEO |
| :--- | :---: |
| X | $=$ |
| A | + |
| B |  |

The scan routine had set up the above two tables just before the record mark was encountered. The presence of the record mark, having hierarchal rank lower than + , causes compilation.

The last element in TEO is + which requires two operands and these are chosen to be the last two entries in TAES.

The + generates two model statements which would suffice for the addition of any two floating point numbers. These statements, with addresses yet to be supplied are as follows:

$$
\begin{array}{ll}
\text { BTM } & \text { TOFAC, } \\
\text { BTM } & \text { FAD, }, \\
\hline
\end{array}
$$

These missing addresses are supplied by TAES. This generates a complete model for the addition of the floating point numbers A and B .

$$
\begin{array}{ll}
\text { BTM } & \text { TOFAC, A } \\
\text { BTM } & \text { FAD, B }
\end{array}
$$

The FAD routine assumes that one argument is in FAC and that the address of the other has been given to it.
These two instructions, being complete, are expelled from the system and our tables are reduced to the following:

| $\frac{\mathrm{TAES}}{\mathrm{X}}$ | $\quad \mathrm{TEO}$ |
| :--- | :--- |
| $\mathrm{TEMP1}$ |  |

The TEMP1 entry in TAES denotes two very critical items both of which seem utterly unnecessary at first glance.

1. TEMP1 is the location of a temporary storage location should it be needed during further portions of the compilation.
2. Since this temporary location is not in use (a code digit is missing in a specific location), there must be a previous result in FAC.

A temporary location in use will be denoted by underlining it in TAES. In general, an operation that causes compilation does four things:

1. Certain model statements are generated.
2. The missing operands of these model statements are filled in using addresses (always the last two) of TAES.
3. The operation and associated operands are removed from TEO and TAES permanently.
4. A notation is made in TAES which signifies that something has just been compiled and the result, at object time, will have been left in FAC.
Thus, the compiler, upon further compilation, does not know what has been done. It is only informed that something was done and the result has been left in FAC.

In the example, sufficient coding has been generated to handle $A+B$, but coding must be generated to transfer this result to $\mathbf{X}$.

The record mark continues to force compilation of the program. The next element found in TEO is $=$, and the model statements generated are

$$
\begin{array}{ll}
\text { BTM } & \text { TOFAC, } \\
\text { BTM } & \text { FRMFAC, }
\end{array}
$$

The required addresses are found in TAES and this yields
$\begin{array}{ll}\text { BTM } & \text { TOFAC, TEMP1 } \\ \text { BTM } & \text { FRMFAC, X }\end{array}$
However, since coding information in TAES tells the compiler that TEMP1 is not in use, the first statement is determined to be unnecessary and is eliminated. This yields a complete compilation of $\mathrm{X}=\mathrm{A}+\mathrm{B}$.

| BTM | TOFAC, A |
| :--- | :--- |
| BTM | FAD, B |
| BTM | FRMFAC, X |

In the same fashion,
$\mathrm{X}=\mathrm{A}-\mathrm{B}$ yields:
BTM TOFAC, A
BTM FSB, B
BTM FRMFAC, X
$\mathrm{X}=\mathrm{A} \star \mathrm{B}$ yields:
BTM TOFAC, A
BTM FMP, B
BTM FRMFAC, X

```
X=A\star\starB yields:
    BTM TOFAC, A
    BTM FAXB, B
    BTM FRMFAC, X
```

$\mathrm{X}=\mathrm{A}$ yields:
BTM TOFAC, A
BTM FRMFAC, X
$\mathrm{X}=-\mathrm{A}$ yields:
BTM TOFAC, A
BTM RSGN
BTM FRMFAC, X
$\mathrm{I}=\mathrm{J}-\mathrm{K}$ yields:
BTM TOFAC, J
BTM FXS, K
BTM FRMFAC, I
$\mathrm{I}=\mathrm{A}-\mathrm{B}$ yields:
BTM TOFAC, A
BTM FSB, B
BTM FIX
BTM FRMFAC, I

Since numbers go into the symbol table just as genuine symbols do, the statement

$$
\begin{array}{rll}
\mathrm{X}=2 . \star .0056 & \text { yields: } & \\
\text { BTM } & \text { TOFAC, } 2 . \\
\text { BTM } & \text { FMP, . } 0056 \\
\text { BTM } & \text { FRMFAC, X }
\end{array}
$$

where the symbols 2 . and .0056 represent the locations in the symbol table. At those locations, the numbers are stored as
$\overline{2} 0000000 \overline{0} 1$
and
$\overline{5} 6000000 \overline{0} \overline{2}$

Example: $\mathrm{X}=\mathrm{A}+\mathrm{B} \star \mathrm{C} / \mathrm{D}$
Up to the point where the $\star$ is encountered, the tables have been developed to the following point:

| TAES | TEO |
| :--- | :---: |
| X | $=$ |
| A | + |
| B |  |

When the $\star$ is encountered, compilation is not forced because of the hierarchal relationship between $\star$ and + . Thus, the tables become as follows:

| TAES | TEO |
| :--- | ---: |
|  | $=$ |
| A | + |
| B | $\star$ |
| C |  |

As the / is encountered, compilation is forced since / and $\star$ are of equal rank within the hierarchy. The compiled instructions are then as follows:
$\begin{array}{ll}\text { BTM } & \text { TOFAC, B } \\ \text { BTM } & \text { FMP, C }\end{array}$
Our tables are reduced to:

| TAES | TEO |
| :--- | :---: |
| X | $=$ |
| A | + |
| TEMP1 |  |

The / is now added to TEO and D is placed in TAES.

| TAES | TEO |
| :--- | ---: |
| X | $=$ |
| A | + |
| TEMP1 |  |
| D |  |

The record mark (not shown) generates the remainder of the coding: BTM TOFAC, TEMP1 BTM FDV, D
The first instruction is seen to be unnecessary by the same logic as before. This yields:
BTM FDV, D

This leaves the tables as follows:

| TAES | TEO |
| :--- | :---: |
| X | $=$ |
| A | + |
| TEMP1 |  |

The following is now compiled:
BTM TOFAC, A
BTM FAD, TEMP1
Now, TEMP1, not being in use, causes a composite of these instructions to be generated:
BTM FAD, A

Our tables are further reduced.

| $\frac{\text { TAES }}{\mathrm{X}}$ | TEO |
| :--- | ---: |
| TEMP1 | $=$ |

The last instructions to be generated are
BTM TOFAC, TEMP1
BTM FRMFAC, X
Only the second instruction is chosen and the compilation is complete.

| BTM | TOFAC, B |
| :--- | :--- |
| BTM | FMP, C |
| BTM | FDV, D |
| BTM | FAD, A |
| BTM | FRMFAC, X |

These Fortran generated instructions are equivalent to the following algebraic statement:

$$
X=A+\frac{(B)(C)}{D}
$$

The Fortran processor must make the assumption that at some point in the object program, the symbols $A, B, C$, and $D$ will be properly defined before the Fortran generated coding for the statement $X=A+B \star C / D$ is encountered.

For all further examples, whenever two instructions are generated and only one is chosen, we will show only the chosen one.
Example: $\mathrm{X}=\mathrm{A} \star \mathrm{B}+\mathrm{C} \star \star \mathrm{D} / \mathrm{E}$
The construction of the tables up to the point where the + is encountered is as follows:

| TAES | TEO |
| :--- | ---: |
|  | $\star$ |
| A | $\star$ |
| B |  |

The + generates compilation of

| BTM | TOFAC, A |
| :--- | :--- |
| BTM | FMP, B |

$\frac{\text { TAES }}{\mathrm{X}} \quad \frac{\text { TEO }}{=}$

The + is now entered into TEO and C is placed in TAES.

| TAES | TEO |
| :--- | ---: |
| X | $=$ |
| $\mathrm{TEMP1}$ | + |
| C |  |

The $\star \star$ is now encountered and placed in TEO as D is placed in TAES.

| TAES | TEO |
| :--- | ---: |
| X | $=$ |
| TEMP1 | + |
| C | $\star \star$ |
| D |  |

If two addresses are placed in TAES after any temporary location, it is automatically called into use. Since there is only one FAC, the reader will readily see that this is a necessary and sufficient condition for this action. This generates the following:

BTM FRMFAC, TEMP1
This changes the tables to the following:

| $\frac{\text { TAES }}{}$ | TEO |
| :--- | ---: |
|  |  |
| TEMP1 | + |
| C |  |
| D |  |
|  |  |
|  |  |

The / is encountered which generates the $\star \star$ coding.

| BTM | TOFAC, C |
| :--- | ---: |
| BTM |  |
| FAXB, D |  |
| $\frac{\text { TAES }}{\mathrm{X}}$ |  |
| TEMP1 $\underline{=}$ <br> $\frac{\text { TEMP2 }}{}$ +$\quad$. |  |

Now / may enter TEO and E may enter TAES.

| TAES | TEO |
| :--- | ---: |
|  | $=$ |
| TEMP1 | + |
| TEMP2 | 1 |

The record mark generates the remainder of the coding. BTM FDV, E


The complete coding thus generated is:

| BTM | TOFAC, A |
| :--- | :--- |
| BTM | FMP, B |
| BTM | FRMFAC, TEMP1 |
| BTM | TOFAC, C |
| BTM | FAXB, D |
| BTM | FDV, E |
| BTM | FAD, TEMP1 |
| BTM | FRMFAC, X |

The algebraic equivalent to this statement is

$$
X=\frac{C^{D}}{E}+(A)(B)
$$

Example: The following statement is presented algebraically so that the Fortran statement can be made more meaningful.

$$
\begin{gathered}
X=\frac{A+B}{(C)(D)}-E(F+G) \\
X=((\mathrm{A}+\mathrm{B}) /(\mathrm{C} \star \mathrm{D}))-(\mathrm{E} \star(\mathrm{~F}+\mathrm{G}))^{*}
\end{gathered}
$$

The scan proceeds until the tables appear as follows:

| TAES | TEO |
| :--- | ---: |
| X | $=$ |
| A | $($ |
| B | + |

The right parenthesis forces coding and cancels one left parenthesis.

$$
\begin{array}{ll}
\text { BTM } & \text { TOFAC, A } \\
\text { BTM } & \text { FAD, B }
\end{array}
$$

This reduces the tables.

| $\frac{\text { TAES }}{\mathrm{X}}$ | $\frac{\text { TEO }}{=}$ |
| :--- | ---: |
| $\mathrm{TEMP1}$ |  |

Further scanning increases the tables.


[^19]The second operand in TAES after TEMP1 forces coding. BTM FRMFAC, TEMP1

| TAES | TEO |
| :--- | ---: |
| X | $=$ |
| $\mathrm{TEMP1}$ |  |
| C |  |
| D |  |
|  | $\star$ |

The encountered right parenthesis forces coding and cancels one left parenthesis.

$$
\begin{array}{ll}
\text { BTM } & \text { TOFAC, C } \\
\text { BTM } & \text { FMP, D }
\end{array}
$$

The tables are reduced.

| TAES | TEO |
| :--- | ---: |
| X | $=$ |
| TEMP1 | 1 |

A second right parenthesis is encountered and continues to force coding. BTM FDVR, TEMP1

The tables are reduced.
$\frac{\text { TAES }}{\mathrm{X}} \quad \frac{\mathrm{TEO}}{=}$

TEMP2
Further scanning increases the tables.

| TAES | TEO |
| :--- | ---: |
|  | $=$ |
| TEMP2 | - |
| E | a <br> F |
|  | $($ |

The second operand in TAES after TEMP2 forces coding. BTM FRMFAC, TEMP2

| TAES | TEO |
| :---: | :---: |
| X | = |
| TEMP2 | - |
| E | ( |
| F | * |

Further scanning increases the tables.

| TAES | TEO |
| :---: | :---: |
| X | = |
| TEMP2 | - |
| E | ( |
| F | * |
| G | ( |

The encountered right parenthesis forces coding.

$$
\begin{array}{ll}
\text { BTM } & \text { TOFAC, F } \\
\text { BTM } & \text { FAD, G }
\end{array}
$$

The tables are reduced.

| TAES | TEO |
| :--- | ---: |
|  | $=$ |
| X | - |
| TEMP 2 | $($ |
| E | $\star$ |

A second right parenthesis continues to force coding. BTM FMP, E

The tables are reduced.

| TAES | TEO |
| :--- | ---: |
| X | $=$ |
| TEMP2 | - |
| TEMP3 |  |

The record mark forces the remainder of the coding.

| BTM | FSB, TEMP2 |
| :--- | :--- |
| BTM | RSGN |
| BTM | FRMFAC, X |

Thus, the entire compilation yields:
BTM TOFAC, A
BTM FAD, B
BTM FRMFAC, TEMP1
BTM TOFAC, C
BTM FMP, D
BTM FDVR, TEMPI
BTM FRMFAC, TEMP2
BTM TOFAC, F
BTM FAD, G
BTM FMP, E
BTM FSB, TEMP2
BTM RSGN
BTM FRMFAC, X

## INCLUSION OF RELOCATABLE SUBROUTINES

Whenever a subroutine name is encountered, the address placed in TAES is the address, less 9 , where the function name sans terminal F is stored. Even should the programmer use the terminal $F$ form of the subroutine name, the address is still as described above. Thus, SQRT or SQRTF generates an address of 19890 in TAES. ATAN or ATANF generates an address of 19950 in TAES, and so forth.

In addition, the operation F is stored in TEO. The programmer has no control over the $F$ operation since it is internally generated.

During compilation, a linkage is made to the address contained in TAES. At object time, a second link, located in that portion of the symbol table which originally contained the function name, will carry us to the subroutine's actual location in core storage.

This location must be determined in the following fashion: at the end of compilation, the last location used by the object program is known through the location counter's value. Thus, if a Fortran program ends at location 12000, and relocatable subroutines have been called for, they are added, one at a time, beginning at location 12002.

Since a subroutine's length is part of the information contained in the subroutine, the last location occupied by a specific subroutine of the relocatable type can be determined. Similarly, the first location needed for the next relocatable subroutine is determined.

These first locations are used as the second, unconditional linkage point in the symbol table.

The address of the argument is stored, by use of a BTM command, where the function name with terminal $F$ was stored at compile time.

Example: X $=$ SQRT(B)

| TAES | TEO |
| :--- | ---: |
|  | $=$ |
| 19890 | F |
| B | ( |

The right parenthesis cancels the left parenthesis and the record mark generates all coding.

$$
\begin{array}{ll}
\text { BTM } & \text { 19890, B } \\
\text { BTM } & \text { FRMFAC, X }
\end{array}
$$

Example: $\mathrm{X}=\mathrm{A} \star \operatorname{SIN}(\mathrm{B})$

| TAES | TEO |
| :--- | ---: |
|  | $=$ |
| A | $\star$ |
| 19990 | F |
| B | $($ |

The right parenthesis cancels the left parenthesis and the record mark generates all coding.

| BTM | 19990, B |
| :--- | :--- |
| BTM | FMP, A |
| BTM | FRMFAC, X |

Example: $\mathrm{X}=\mathrm{A}+\mathrm{B} \star \operatorname{SQRT}(\mathrm{C}+\operatorname{ATANF}(\operatorname{LOG}(\mathrm{D} \star \mathrm{E})+\operatorname{SIN}(\mathrm{P})))$
The following coding is generated and we leave the verification to the interested student.

| BTM | TOFAC, D |
| :--- | :--- |
| BTM | FMP, E |
| BTM | 19910, FAC |
| BTM | FRMFAC, TEMP1 |
| BTM | 19990, P |
| BTM | FAD, TEMP1 |
| BTM | 19950, FAC |
| BTM | FAD, C |
| BTM | 19890, FAC |
| BTM | FMP, B |
| BTM | FAD, A |
| BTM | FRMFAC, X |

## SPECIAL NOTE ON THE SCAN

The logic employed here is sufficient even for statements of the form:

| $\mathrm{X}=-$ | $(-\mathrm{A}-\mathrm{B})$ |
| :--- | :--- |
| BTM | TOFAC, A |
| BTM | RSGN |
| BTM | FSB, B |
| BTM | RSGN |
| BTM | FRMFAC, X |

However, the 1620 Fortran compiler is able to reduce this statement to its algebraic equivalent before compilation. This yields

```
X=A + B
BTM TOFAC, A
BTM FAD, B
BTM FRMFAC, X
```

This latter coding is much more desirable because of its brevity, and this is exactly what is produced by 1620 Fortran.

In this way, a Fortran user may, from time to time, note discrepancies between the true object program he receives and the object program he expects to receive. This is due to the unary minus $(-(-A))$ and the exception given to this case in the algebraic decoding at compile time. It is this excellent feature which allows for identical compilations of such statements as

$$
\begin{aligned}
& \mathrm{X}=\mathrm{A} \star \mathrm{~B} \\
& \mathrm{X}=(-\mathrm{A}) \star(-\mathrm{B}) \\
& \mathrm{X}=-\mathrm{A} \star(-\mathrm{B}) \\
& \mathrm{X}=-(\mathrm{A} \star(-\mathrm{B})) \\
& \text { BTM TOFAC, } \mathrm{A} \\
& \text { BTM FMP, } \\
& \text { BTM FRMFAC, } \mathrm{X}
\end{aligned}
$$

## Category 2 Statements

## I. DIMENSION

A. Single Dimensioning:

DIMENSION A(10), B(17)
The symbol for which dimensioning has been requested is placed in the symbol table at the first available location. This is most likely the first statement encountered in a source program and hence will fall immediately following the last function name entry. ${ }^{2}$ Immediately below the symbol there are two code fields contained in one word. ${ }^{3}$ The first field is five digits long and is the address of the last element in the array at object time. The second field is contiguous to the first and is a 4-digit number representing the amount of I index requested in the Dimension statement.

The above example
DIMENSION A(10), B(17)
will yield the following symbol table entries assuming that they are encountered as the first statements of a source program.

| Entries | Locations |
| :---: | :---: |
| $\overline{4} 100000000$ | 19879 |
| $\overline{0} \overline{0} 010 \overline{1} 9789$ | 19869 |
| $\overline{4} 200000000$ | 19859 |
| $\overline{0} \overline{0} 017 \overline{1} 9619$ | 19849 |

B. Double Dimensioning:

DIMENSION A $(10,15), \operatorname{BBAA}(2,7)$
The symbol table entries for the double Dimension are identical with the single Dimension entries.

[^20]
## The above example

DIMENSION $\mathrm{A}(10,15), \operatorname{BBAA}(2,7)$
will yield the following symbol table entries assuming that they are encountered as the first statements of a source program.

| Entries | Locations |
| :---: | :---: |
| $\overline{4} 100000000$ | 19879 |
| $\overline{0} \overline{0} 010 \overline{1} 8389$ | 19869 |
| $\overline{4} 242414100$ | 19859 |
| $\overline{0} \overline{0} 002 \overline{1} 8249$ | 19849 |

The digits in locations 19860 and 19840 of both examples have no significance. They are left-over elements. This is always true of the high-order digit of the second word required by single or double dimensioning.

## II. GO TO n:

The Fortran location counter (called "L") is an increasing counter which states where the Fortran statements will fall at object time. Its initial address is 08300 . If a Fortran statement generates two 12-digit instructions, the L counter is increased by 24 and will read 08324 as the next Fortran statement begins compilation.

The assembly of Go To statements is highly dependent upon this counter but is totally independent of the order of encounter. Thus, the
GO TO n
may precede or follow the statement numbered n. For clarity, however, let us first consider the case where the Go To has preceded the numbered statement.

A symbol table look-up operation is performed on $n$ and $n$ is stored as a fixed point, 4-digit number. Let us call this symbol table location Y. Thus, n is stored at locations Y through $\mathrm{Y}-3$, inclusive.

At some later point in the processing a statement with statement number n is encountered. Again a symbol table operation is performed on the 4-digit, fixed point number $n$ but, this time it is found to have been stored previously at location Y. When this occurs, a 5-digit field representing the present value of the L counter is stored in the same word but at locations Y-5 through Y-9.

Also, when the Go To statement was encountered initially, the following statement was generated:
B Y-9

At load time of the object program the field at Y-5 through Y-9 is shifted right two positions and a Branch operation code (49) is inserted at location Y-9 and Y-8. The original digits at Y-4 and Y-3 have been lost.
Thus, we have developed two successive Branch instructions. The first (B Y-9) carries us to a symbol table area where another branch takes us to the first instruction of that statement which bore statement number n . The Branch instruction generated by the Go To is only 7 digits long. Since the 1620 allows instructions to begin only at even locations, the L counter is increased by eight for every Branch instruction generated by Fortran.

## Example:

$$
\begin{aligned}
& 1 \text { GO TO } 2 \\
& 2 \text { GO TO } 1
\end{aligned}
$$

The first available symbol table location is immediately after SQRTF. Thus, the statement number of the first statement is located in the symbol table thus:

$$
\begin{array}{ll}
\text { SQRTF } & 19889 \\
\overline{0} 83000 \overline{0} 001 & 19879
\end{array}
$$

Thus, the instruction 4919860 is generated by GO TO 2. The L counter is increased by eight and the next statement is read in.
The GO TO 2 statement places the number " 2 " in the symbol table and generates a branch to that location minus nine.

| SQRTF | 19889 |
| :--- | :--- |
| $\overline{0} 83000 \overline{0} 001$ | 19879 |
| $\overline{0} 00000 \overline{0} 002$ | 19869 |

Thus, statement 4919860 is generated by GO TO 2. The L counter is increased by eight and the next statement is read in.

Statement 2 GO TO 1 is compiled as 4919870 and the symbol table appears as follows:

| SQRTF | 19889 |
| :--- | :--- |
| $\overline{0} 83000 \overline{0} 001$ | 19879 |
| $\overline{0} 83080 \overline{0} 002$ | 19869 |

The two generated instructions are 4919860 and 4919870.
At load time, the symbol table is altered to read (in part)

| SQRTF | 19889 |
| :--- | :--- |
| $49 \overline{0} 8300001$ | 19979 |
| $49 \overline{0} 8308002$ | 19969 |

The combination of these four branches results in the following:

| 08300 | 49 | 19860 |
| :--- | :--- | :--- |
| 19860 | 49 | 08308 |
| 08308 | 49 | 19870 |
| 19870 | 49 | 08300 |

## III. PAUSE

The Compiler generates a Halt instruction:

## 48 XXXXX XXXXX

Depressing the Start key allows the program to continue.
IV. STOP

The following four instructions are generated:
RCTY
WATY "STOP"
H
B $\quad \star-36$
Depressing the Start key causes the above sequence to be repeated. Note that "Stop" generates 44 digits as opposed to "Pause" which generates 12 digits.
V. IF (SENSE SWITCH i) $\mathrm{n}_{1}, \mathrm{n}_{2}$

The compiler generates two instructions.

$$
\begin{array}{ll}
\mathrm{BCi} & \mathrm{STLOCn}_{1} \\
\mathrm{~B} & \mathrm{STLOCn}_{2}
\end{array}
$$

where $\mathrm{STLOCn}_{\mathrm{j}}$ is the symbol table location (less nine) corresponding to the symbol table look-up on the statement numbers $n_{1}$ and $n_{2}$. A second branch is placed there in a fashion identical with that of GO TO n instructions.
VI. $\operatorname{IF}(A) \mathrm{n}_{1}, \mathrm{n}_{2}, \mathrm{n}_{3}$

The compiler generates the following instructions:

```
BTM TOFAC, A
BD * + 20,51
B STLOCn
DORG\star-3
BNF STLOCn},5
B STLOCn
```

VII. $\operatorname{IF}(\mathrm{I}) \mathrm{n}_{1}, \mathrm{n}_{2}, \mathrm{n}_{3}$

The compiler generates the following instructions:

| BTM | TOFAC, I |
| :--- | :--- |
| CM | FAC, 0, 8 |
| BE | STLOCn $_{2}$ |
| BH | STLOCn $_{3}$ |
| B | STLOCn $_{1}$ |

## VIII. IF (EXPRESSION) $\mathrm{n}_{1}, \mathrm{n}_{2}, \mathrm{n}_{3}$

The expression is evaluated and left in FAC. The rules for evaluation of an arithmetic statement have been discussed under Category 1 statements. With the argument in FAC, the instructions generated are identical with those of $\operatorname{IF}(A)$ or $\operatorname{IF}(I)$ depending upon the nature of the expression.

## IX. COMPUTED GO TO

GO TO ( $\left.\mathrm{n}_{1}, \mathrm{n}_{2}, \ldots, \mathrm{n}_{\mathrm{j}}\right), \mathrm{N}$
Each element in the array is treated in a fashion similar to an unconditional GO TO n . That is, an entry is made in the symbol table for each distinct statement number $\mathrm{n}_{\mathrm{i}}$ and also for the fixed point variable N ( $\mathrm{N}=1, \mathrm{j}$ ).

Thus, if N is 1 , a branch is generated to the first symbol table entry, $\mathrm{n}_{1}$. If N is i , a branch is generated to the i -th symbol table entry, $\mathrm{n}_{\mathrm{i}}$. If N is $N_{\text {max }}$, a branch is generated to the $j$-th symbol table entry, $n_{j}$. The symbol table locations which are the intermediary stopping points for these branches will have their secondary addresses filled in as the numbered statements are encountered.

A tabular array of these symbol table locations are contained in the object program but not as 5-digit addresses. The units digit of the 5-digit address is removed since all branches to the symbol table have a zero in the $\mathrm{P}_{6}$ position.

If the i-th way branch is to be taken $(N=i)$, the i-th 4 -digit set is placed in a Branch instruction of the form 49XXXX0.

Example: GO TO (1, 12, 3, 4), N

Statement Number
1
12
3
4
Symbol
N

Symbol Table Entry
19859
19849
19839
19829
Symbol Table Entry
19819

The compiled instructions are always of the following form:

| MM | $\mathrm{N},-4,10$ |
| :--- | :--- |
| SF | 95 |
| AM | $99, \star+4 \star \mathrm{~N}_{\text {max }}+47$ |
| TF | $\star+23,99$ |
| TF | $\star+17$ |
| B | XXXX0 |
| DORG | $\star-3$ |
| DC | 4, XXXX (symbol table loc $\left.n_{j}\right)$ |
| DC | 4, XXXX (symbol table loc $\left.\mathrm{n}_{\mathrm{j}-1}\right)$ |
| - |  |
| - |  |
| - |  |
| DC | 4, XXXX (symbol table loc $\left.\mathrm{n}_{1}\right)$ |

Let $N=2$ for purposes of the example.

| Location | Compiled | Instructions |
| :---: | :---: | :--- |
| 08300 | MM | N, $-4,10$ |
| 08312 | SF | 95 |
| 08324 | AM | 99,8387 |
| 08336 | TF | 8359,99 |
| 08348 | TF | 8365 |
| 08360 | B | XXXX0 |
| 08368 | DORG $\star-3$ |  |
| 08371 | DC | 4,1982 |
| 08375 | DC | 4,1983 |
| 08379 | DC | 4,1984 |
| 08383 | DC | 4,1985 |

Instructions 1, 2, and 3 above yield an address of 08379 in locations 95-99. Note also that location 08379 contains the first digit of the field $\overline{1} 984$ which are the first four digits of the symbol table location for the statement number 12. This composite, with the aid of the two TF instructions at 8336 and 8348 produces 4919840 at location 8360. At location 19840, at object time, a second branch will then take the program to the instruction generated by that statement which bore statement number 12 at compile time.

## X. DO STATEMENTS (DO $\mathrm{n} \mathrm{I}=\mathrm{J}, \mathrm{K}, \mathrm{L}$ )

The following statements are generated by a Do:
LOC TF (M) I, J (, 8) Beginning of DO
$\left.\begin{array}{ll}\mathrm{A}(\mathrm{M}) & \mathrm{I}, \mathrm{L}(, 8) \\ \mathrm{C}(\mathrm{M}) & \mathrm{I}, \mathrm{K}(, 8)\end{array}\right\} \quad$ Outer Range

The material in parenthesis refers to the use of Immediate instructions which are employed if the indices of the Do statement are fixed point
constants as opposed to fixed point variables. If the L index is not specified, the first statement of the outer range is

$$
\text { AM } \quad \mathrm{I}, 1,8
$$

Note that the outer range of the Do statement is generated immediately and later located at that point in the object program immediately following the instructions compiled for the statement with statement number n .

## XI. CONTINUE

If a Continue statement is not associated with a Do statement, it generates nothing. If it is associated with a Do statement, it is equivalent to attaching its statement number to the instructions generated for the outer range of the Do statement. This is to circumvent the rule concerning Fortran DO-loops not ending in a branch:

```
DO 1 I = 1,100
\bullet
•
IF(A)1, 2, 2
1 CONTINUE
2...........
.
-
•
GO TO 1
-
\bullet
```


## XII. INPUT/OUTPUT and FORMAT

Examination of the I/O statement leads one to suspect that the coding generated by any I/O must be able to find a path to the coding generated by the associated Format statement independent of the physical relationship between them. Thus, the statements

READ1, A, B, I

1 FORMAT (F10.5, E7.4, I3)
must operate at object time in a fashion identical with
1 FORMAT (F10.5, E7.4, I3)

READ1, A, B, I
and the order of encounter of these "mated" statements must be of no significance.

Format generates certain coding in the object program at that point where the Format statement is encountered. Thus, the associated I/O statement must find this information in the object program at the object level.

Consider as a first case, the I/O statement encountered before the associated Format statement.

All I/O statements use two symbol table words. If the I/O statement is encountered first, the setup in the symbol table is as follows:

| $\overline{0} 0000 \bar{Q} \bar{Z} Z Z Z$ | Y |
| :--- | :--- |
| $\overline{0} 0000 \overline{\mathrm{Q} Z Z Z Z}$ | $\mathrm{Y}+10$ |

where Q is a code identifying an I/O-Format entry in the symbol table and ZZZZ is the statement number referencing the Format statement.

As the associated FORMAT statement is encountered, the symbol $Y$ has more information added to it. After the associated FORMAT statement is compiled, the symbol $\mathrm{Y}+10$ will have more information added to it. Thus, the symbols are altered to appear as follows:

$$
\begin{array}{ll}
\bar{X} X X X X \bar{Q} \overline{Z Z Z Z Z} & \mathrm{Y} \\
\overline{\mathrm{Y} Y Y Y Y \bar{Z} Z Z Z ~} & \mathrm{Y}+10
\end{array}
$$

where XXXX is essentially the L counter value at the time the Format statement is encountered and YYYYY is the first even location in core after the material generated by the Format statement.

A third and final change is made to these symbols at the object level so that their final appearance is in the following form:

| $49 \bar{X} X X X X Z Z Z ~$ | $Y$ |
| :--- | :--- |
| $49 \bar{Y} Y Y Y Y Z Z Z ~$ | $Y+10$ |

The I/O statement itself generates $\mathrm{N}+1$ instructions where N is the number of elements in the $1 / \mathrm{O}$ list. The middle $\mathrm{N}-1$ instructions are of the form

| BTM | I/O, $\mathrm{A}_{1}$ |
| :---: | :---: |
| BTM | $\mathrm{I} / \mathrm{O}, \mathrm{A}_{2}$ |
| BTM | $\mathrm{I} / \mathrm{O}, \mathrm{A}_{3}$ |
| BTM | $\mathrm{I} / \mathrm{O}, \mathrm{A}_{\mathrm{n}-}$ |

The $\mathrm{N}+1$ lst instruction is of the form

$$
\text { BTM FINISH, } A_{n}
$$

and the first instruction depends upon which I/O device is requested. However, it is of the general form

$$
\text { BT } \quad \text { SUB, } Y-3
$$

where SUB is a specific subroutine such as RAPT WACD, etc. and $\mathrm{Y}-3$ is the object time address of that symbol table area where the address of the Format information may be found.

Thus, READ 1, A, B, I will generate the following:

| BT | RACD, LOC1 -3 | (location of |
| :--- | :--- | :--- |
| BTM | I/O, A | the statement |
| BTM | I/O, B | number 0001 less |
| BTM | FINISH, I | three) |

The statement TYPE 5, A, B, C, D, E generates the following:

| BT | WATY, LOC5 - 3 |
| :--- | :--- |
| BTM | I/O, A |
| BTM | I/O, B |
| BTM | I/O, C |
| BTM | I/O, D |
| BTM | FINISH, E |

The only exception to the above rule is in the statement

## READ 1

or another of that nature. In that case, a notation is made that no elements are in the list signifying Hollerith input or output.

When the Format statement is encountered the compiler generates one instruction and P pieces of information where P is dependent upon the Format specification.

The first information generated is an instruction of the form $\mathrm{B} \mathrm{Y}+1$. At object time, $Y+1$ contains a second branch which carries us around the Format coding.

The remainder of the information consists of a 5 -digit code specifying the type of Format [E, F, I, / , ), ( , H, X], and, if the Format is Hollerith, the actual double-digit representation of the Hollerith information.

If the FORMAT information is of the $\mathrm{E}, \mathrm{F}$, or I type, the 5 -digit code is of the form

## Xwwdd

where ww is the width of the field, dd is the number of decimal places after the decimal, and $X$ is a code digit specifying $E, F$, or I type conversion ( 5,6 , and 9 respectively).

If the format information is of the Hollerith or X type, the five digit code is of the form

## HHHHH

and contiguous to the code, the size of the Hollerith Field and the doubledigit representation of the Hollerith information.

The 5-digit code for a left and right parenthesis will be noted as LLLLL and RRRRR respectively. Slash will be noted as SSSSS.

Thus the following material will be generated by the statement

$$
5 \text { FORMAT }(4 \mathrm{HAb}=\mathrm{bE} 14.8,6 \mathrm{HbbBb}=\mathrm{b} / \mathrm{F} 10.2)
$$

B STLOC5 +1
LLLLL
HHHHH $\overline{0} 4 \overline{4} 1 \overline{0} 0 \overline{3} 3 \overline{0} 0$
$\overline{5} 140 \overline{8}$
HHHHH $\overline{0} 6 \overline{0} 0 \overline{0} 0 \overline{4} 2 \overline{0} 0 \overline{3} 3 \overline{0} 0$
SSSSS
$\overline{6} 100 \overline{2}$
RRRRR
B STLOC5 +1 will carry us around this Format information when it is encountered during the sequential operation of the object program.

As a further example, consider the Format statement

$$
3 \text { FORMAT (I3, 10X///F7.2, 13HTHEbANSWERbIS) }
$$

The information generated is as follows:
B STLOC3 +1
LLLLL
$\overline{9} 030 \overline{0}$
HHHHH $0 \overline{0} 0 \overline{0} 0 \overline{0} 0 \overline{0} 0 \overline{0} 0 \overline{0} 0 \overline{0} 0 \overline{0} 0 \overline{0} 0 \overline{0} 0$
SSSSS
SSSSS
SSSSS
$\overline{6} 070 \overline{2}$
HHHHH $13 \overline{6} 3 \overline{4} 8 \overline{4} 5 \overline{0} 0 \overline{4} 155 \overline{6} 2 \overline{6} 6 \overline{4} 5 \overline{5} 70 \overline{0} 0 \overline{4} 955$
In the event that a Format statement is encountered before the corresponding I/O statement, the only difference that will occur in the construction of the output information is the setup of the symbol table words Y and $\mathrm{Y}+10$. These words will have been completely formed before the I/O statement is encountered. If the I/O statement is encountered first, symbol table words Y and $\mathrm{Y}+10$ are only partially complete when the Format is encountered and are completed therein.

## Problems

For the following examples, give the proper Fortran statement needed to produce the correct algebraic result and show the coding generated by the compiler.

1. $X=A+B-C-(D)(E)$
2. $X=\sqrt{A^{2}-C(D-E)}$
3. $X=A+B$

$$
\overline{C+\frac{D}{E+\frac{F}{G+H}}}
$$

4. $Z=\operatorname{LOG} \sqrt{(E-F)^{2}}$
5. $X=\frac{A+B}{C-D} \quad \frac{(E)(F)}{G \div H}$
6. $\mathrm{ALFA}=\mathrm{BETA}+\mathrm{GAMMA}+\mathrm{RHO}-\mathrm{CHI}$
7. $\phi=a^{2}+\beta^{2}-10$
8. $A=150(\operatorname{LOG}(\operatorname{SIN}(\operatorname{COS}(A))))^{.3}$
9. $Z=\operatorname{TAN}^{-1}(G)-A-B-C-D-E-F \div G$

Given the following Fortran object programs, construct the Fortran source programs which generated the coding.

1. BTM TOFAC, A

BTM FRMFAC, X
2. BTM TOFAC, A

BTM RSGN
BTM FRMFAC, X
3. BTM TOFAC, A

BTM FAXI, I
BTM FAD, B
BTM FRMFAC, X
4. BTM FAC, A

BTM FAD, B
BTM FRMFAC, TEMP1
BTM TOFAC, C
BTM FAD, D
BTM FMP, TEMP1
BTM FRMFAC, TEMP2
BTM TOFAC, E
BTM,FAD, F
BTM FMP, TEMP2
BTM FRMFAC, TEMP3
BTM TOFAC, G
BTM FAD, H
BTM FMP, TEMP3
BTM FRMFAC, X
5. 8300 TFM I, 1,8

8312 BT RACD, STLOC2 - 3
8324 BTM I/O, A
8336 BTM FINISH, B
8348 BTM TOFAC, A
8360 BTM FAD, B
8372 BTM FRMFAC, X
8384 BT WACD, STLOC3-3
8396 BTM FINISH, X
8408 AM I, 1, 8
$8420 \quad$ CM I, 100, 8
8432 BNH 8312
8444 H
8456 B $\quad$ STLOC2 +1
LLLLL
$\overline{6} 050 \overline{2}$
$\overline{6} 040 \overline{1}$
RRRRR
8484 B $\quad$ STLOC $3+1$
LLLLL
ННННН $\overline{1} 0 \overline{6} 70 \overline{0} 0 \overline{3} 3 \overline{0} 0 \overline{0} 0 \overline{0} 0 \overline{0} 00 \overline{0} 0 \overline{0} 0 \overline{0} 0$
$\overline{6} 050 \overline{2}$
RRRRR

## Glossary

Absolute Address-An instruction address in which five or fewer numeric digits are used to specify an actual 1620 core storage location. Also called actual address.
Access Time-The time required to transfer a unit of information to or from storage from or to the central processing unit.
Accumulator-A unit in a computer or hand calculator where the results of an arithmetic operation may be formed.
Acronym-A name which is formed from the initial or other letters of a phrase (for example, "SOAP" for "Symbolic Optimal Assembly Program").
Actual Address-See absolute address.
Addition Table-That area of core storage (00300-00399) which contains the table of numbers utilized during the table look-up concept of addition.
Address-A designation, usually numerical, of a location where information is stored. Also that part of an instruction which specifies the operand.
Address Arithmetic-Addition, subtraction, or multiplication performed on allowable operands of instructions or declaratives.
Alphameric-An acronym formed from the words "alphabetic" and "numeric." It signifies that data may contain both alphabetic and numeric information.
BCD (Binary Coded Decimal) - A coding system utilizing bits to represent the decimal digits ( $0-9$ ). Each bit has a positional value. The decimal digit is obtained by adding the positional values of those bits in an "On" condition.
Buffer-An intermediate storage device not under programmers control which reduces to a minimum the amount of interlock time necessitated by an I/O operation.
Bug-Data processing jargon for an error in a computer program.
Chain Multiplications-The successive products of more than two data fields (for example $a \times b \times c$ ).
Characteristic-See scientific notation
Characteristic Overflow-A condition generated in floating point arithmetic if an attempt is made to generate a characteristic greater than 99.
Characteristic Underflow-A condition generated in floating point arithmetic if an attempt is made to generate a characteristic less than -99.

Closed Subroutine-A subroutine which may be entered from any instruction in the main program, and which provides for automatic re-entry to the main program. Also called a linked subroutine.
Compiler-A computer program which has the ability to manipulate and translate symbols into a machine language program. The compiler may generate many machine language instructions from one source statement.
Conditional Branch-A type of instruction which causes a deviation from sequential program execution if and only if a specific condition, which is being interrogated by the conditional Branch instruction, exists.
Console-That part of a data processing system that allows for operator communication with the computer.
Data Processing-A series of planned actions and operations upon information to achieve a desired result.
Data Processing Systems-The procedures and devices used to accomplish data processing.
Debugging-The process of determining the correctness of a computer program, locating any errors in it, and correcting them.
Declaratives-Statements to a symbolic processor which control the specific details of assembly.
Diagnostic Tests-Tests performed by a competent, specially trained engineer to determine if a computer is functioning properly.
Direct Address-An instruction address which is the address of data to be processed.
Direct Insert Subroutine-See "Open Subroutine."
Disk Files-A storage medium consisting of a number of rotating disks each of which is coated with a special material on which information may be stored.
Division Simulator-See "Division Subroutine."
Division Subroutine-A series of instructions which simulate division by processes such as iterative subtraction, approximation of a reciprocal through series expansion, and so forth. Also called a "division simulator."
Doubler-An internal device, used in the multiplication process, which doubles a given digit.
Equal-Zero Indicator-An internal computer indicator which is turned on if the result of an arithmetic operation is zero.
Error Messages-Messages put out by a processor, subroutine, or object program to denote a variety of error conditions.
Execution Time-The total time required to execute a given command.
Field-Data in two or more adjacent core positions to be treated as a unit. A flag is used to define the high-order position of a field.
Fixed Product Area-See "Product Generation Area."
Fixed Word Length-Condition in which all storage fields have a set length or capacity, in contrast to variable word length.
Flag Operand-The third operand of a symbolic instruction specifying which digits of the object level instruction are to be flagged.
Floating Point-A form of number representation in which quantities are represented by one number multiplied by a power of the number base.
Floating Point Arithmetic-An arithmetic system which has the ability to operate on numbers represented in floating point form.
Floating Point Subroutines-Subroutines which will handle floating point numbers as arguments.

Hang Up-Data processing jargon for the failure of a program to operate properly and to terminate for unknown reasons.
High-Positive Indicator-An internal computer indicator which is turned on if the result of an arithmetic operation is positive and not zero.
Immediate Commands-Certain specialized 1620 commands where the Q field data begins at position $\mathrm{Q}_{11}$ of the immediate instruction.
Indirect Address-An instruction address which is the address of a second address. This second address is the address of data to be processed. This is single-level indirect addressing. However, the second address may also be indirect giving a second level of indirect addressing. By following this concept a third, fourth, fifth, and so forth, level of Indirect Addressing may be attained.
Input-Any information which enters a computer for the purpose of being processed or to aid in processing.
Input Area-A part of storage allocated to receive information from an input unit.
Label-A symbolic name given to an instruction or pieces of data. It is generally chosen for its high mnemonic content.
Linkage-Instructions related to the entry and re-entry function of a closed subroutine.
Linked Subroutine-See "Closed Subroutine."
Load Routine-A self-contained subprogram which after loading through operator action loads an object program in entirety.
Location Counter-A program-controlled counter used by a processor to ascertain the object time address of an instruction or constant being processed. Also called origin counter.
Loop-A programming technique whereby a group of instructions is repeated with modifications of the instructions in the group and/or with modification of the data or the address of data being operated upon.
Machine Cycle-A fixed time interval in which the computer can perform a specific number of operations.
Macro-Instruction-A source language instruction which during assembly generates more than one machine language instruction.
Magnetic Core-A tiny ring of ferromagnetic material which may be easily magnetized to a negative or positive flux, and once magnetized retains the charge indefinitely unless deliberately changed.
Magnetic Core Memory-See "Magnetic Core Storage."
Magnetic Core Storage-A storage medium consisting of planes of magnetic cores. Information is represented by the magnetic state of the core. Also called magnetic core memory.
Magnetic Tapes-A storage medium consisting of specially treated tape on which information may be stored and retrieved at high speeds.
Mantissa-See "Scientific Notation."
Memory-See "Storage."
Microsecond-One one millionth of a second.
Mnemonic-A name chosen for its memory retention ability.
Module-A segment of core storage containing 20,000 addressable locations. Three such segments are available for the 1620.
Multiplication Table-That area of core storage (00100-00299) which contains the table of numbers utilized during the table look-up concept of multiplication.

Nines Complement-Given a digit $x$, the nines complement is defined as a digit $y$ such that $y=9-x$.
Noise-See "Noisy Digit."
Noisy Digit-The digit chosen to be inserted into the units position of a mantissa during left-shifting operations associated with normalization of floating point numbers. Also called "noise."
Noisy Mode-Performing floating point arithmetic with a noisy digit other than zero.
Normalized-A mantissa is "normalized" if its first digit is nonzero.
Object Program-A machine language computer program received as the result of assembling or compiling a source program.
One over One Address System-A system in which the machine language instructions utilize two addresses, one of which may reference data.
Op Code-See "Operation Code."
Open Subroutine-A subroutine which is inserted in the main line program directly where needed. Also called a direct insert subroutine.
Operation Code-The segment of a 1620 instruction occupying instruction positions $\mathrm{O}_{0}$ and $\mathrm{O}_{1}$. It designates the operation to be performed. Also called Op code.
Origin Counter-See "Location Counter."
Output-The results produced by a computer, usually in the form of tape, punched cards, or printed documents.
Output Area-A part of storage allocated to hold information to be written on an output unit.
Overflow Indicator-An internal computer indicator which is turned on if an overflow condition exists as the result of an arithmetic operation.
P Address-The segment of a 1620 instruction occupying instruction positions $\mathrm{P}_{2}$ through $\mathrm{P}_{6}$ inclusive. Also called the P operand.
$P$ Field Data-Data whose low-order position is specified by the $P$ address of an instruction.
P Operand-See $P$ address.
P Record Data-Data whose high-order position is specified by the P address of an instruction.
Parallel Operation-Arithmetic or data transmission operations performed simultaneously on all digits of a data field.
Pass-One execution of the group of instructions constituting a loop.
Polish Notation-A technique attributed to the Polish logician J. Lukasiewicz which consists of treating an algebraic statement as a manipulatable string of symbols followed by a manipulatable string of operations.
Principle of Toothed Gear-A mechanical method of counting which relies on the ability of a maximum positioned gear to rotate an adjacent gear for the purpose of the propagation of carries.
Processor-A term generally given to a computer program which is an assembler or compiler.
Product Generation Area-A specific area (0080-00099) of core storage where the product in a multiply operation is developed. Also called fixed product area.
Program-Noun: A set of machine instructions which causes a computer to process data and to produce specific results.
Verb: To plan the method of approach and the necessary instructions to process specific data completely.

Q Address-The segment of a 1620 instruction occupying instruction position $\mathrm{Q}_{7}$ through $\mathrm{Q}_{11}$ inclusive. Also called the Q operand.
Q Field Data-Data whose low-order position is specified by the $Q$ address of an instruction.
Q Operand-See "Q address."
Q Record Data-Data whose high-order position is specified by the Q address of an instruction.
Recomplementation-An internal process which performs nines or tens complementation on the result of an arithmetic operation when required.
Record-Data in one or more adjacent core positions to be treated as a unit. A record mark is used to define the low order position of a record.
Relocatable Subroutine-A subroutine whose effect is independent of its physical location in memory, and whose object time location is determined by the processor.
Relocation-The alteration of core storage assignments (instruction locations, data areas, and so forth).
Scientific Notation-A notation in which quantities are expressed as a fractional part (mantissa) and a power of ten (characteristic).
Serial Operation-Arithmetic or data transmission operations performed one character at a time.
Solid-State Circuitry-The utilization of transistors in place of vacuum tubes in computer circuitry.
Source Program-A program written in a higher level programming language as opposed to machine language coding.
Storage-Any device into which information may be entered, held, and retrieved at a later time. Also called memory.
Storage Position-A device capable of storing one character of information.
Stored Program-A program which is located within the storage area of a computer.
Stored Program Computer-A computer whose functions are controlled by coded instructions stored in the memory device of the computer.
Subroutine-A short or repeated sequence of instructions necessary to solve a part of a problem.
Symbolic Address-A symbolic instruction address in which labels are used to reference data. This is opposed to an absolute address.
Symbolic Programming System-1620-The symbolic assembly system peculiar to the 1620 .
Symbolic Assembly System-A programming system consisting of two parts: a language called the symbolic language and a computer program called a processor which translates a source program written in the symbolic language to a machine language object program.
Tens Complement-Given a digit $x$, the tens complement is defined as a number $y$ such that $y=10-x$.
Two-Address Instruction System-A system in which the machine language instructions utilize two addresses, both of which may reference data.
Unconditional Branch-A type of instruction which causes a deviation from sequential program execution regardless of existing conditions.
Variable Word Length-Condition in which the number of positions in a storage field is completely under the control of the programmer.
Wrap Around Memory-A feature of the 1620 in which core position 00000 follows the highest allowable address when incrementing, and precedes the highest allowable address when decrementing.

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## Index

Absolute address, see Actual address
Accept statement, 192
Access time, 3
Actual address, 105
Add Immediate instruction, 44-46
Add instruction, 33-37
Addition, 26-27
Address arithmetic, 109
Addresses
absolute (actual), 105
asterisk, 106-107
indirect, 248-252
symbolic, 105-106
Addressing, indirect, 248-252
Algorithms, arithmetic, 26-32
Alphamerical mode, 18
Arithmetic
algorithms of, 26-32
floating point, 148-154
floating point hardware, 253
Arithmetic instructions, 22, 24, 33-52, 91
Arithmetic-logical unit, 3
Arithmetic macro-instructions, 158-161
Arithmetic statements, 183-184
Assembling a program (definition of), 98
Assembly System, 98
Asterisk address, 106-107
Asterisk symbol, uses for the, 147
Automatic division feature, 13
Automatic light, 294
Branch and Transmit Immediate instruction, 64
Branch and Transmit instruction, 63
Branch Back instruction, 65
Branch instructions, 13, 22, 24, 60-73, 92
conditional, 65-73
unconditional, 61
with variations, 62-65
Branch on Digit instruction 65-66
Branch on Indicator instruction, 68-70
Branch no Flag instruction, 67
Branch no Indicator instruction, 70-71
Card Read-Punch (1622), 10, 13, 74, 269-277

Cards, punched, 5-6
Central processing unit, 3-4
arithmetic-logical unit, 3, 10
control section, 3 , 4
$1620,10,12$
Characteristic, 150, 151, 152
Characteristic overflow, 152-153
Characteristic underflow, 152-153
Check Stop light, 294
Clear Flag instruction, 83-84
Closed subroutines, 62, 155
Coding sheet (SPS), 100-103
Comment statements, 146, 183, 216
Compare Immediate instruction, 49
Compare Instruction, 41 44
Compilation, 172
Computed Go To statement, 186-188, 346-347
Computers
advantages of use of, 1
characteristics of, 7-9
parallel, 8
1620, see Data processing system
serial, 8
"stored program," 2
Conditional branch instructions, see Branch instructions
Console (1620), 10, 13, 281-325
indicator lights, see Indicator lights
keys and signal lights, 290-295
operating procedures, see Operating procedures
panel, 283-288
switches, see Switches
Console Typewriter, see Typewriter
Constants
fixed point, 175-176
floating point, 176-177
Fortran system, 175-177
Continue statement, 213-215, 348
Control gate indicator lights, 284-285
Control instruction, 86-87
Control section of central processing unit, 3, 4
Control statements, 185-190
Conversions in format, 194-203

Core array (1620), 19, 20
Core plane, 18, 19

DAC (define alphameric constant) declarative, 134
DAS (define alphameric symbol) declarative, 131
Data processing
basic considerations in, 2
defined, 1
Data Processing System (1620)
alphamerical mode, 18
console, 10, 13, 281-295
keys and signal lights, 290-295
operating procedures, see Operating procedures
panel, 283-288
switches and indicator lights, 284-290
expansion of basic system, 10
field processing, 17
input-output devices, 13, 262-280
internal data representation, 14-18
introduction to the, 10-21
magnetic core storage, 18-21
numerical mode, 18
programming concepts, basic, 22-25
programming systems, 13
record processing, 17-18
Data processing systems
data representation, 5-7
defined, 1
development of, in 1940's, 2
functional units, 2-4
input devices, see Input-output devices
processing unit, see Processing devices introduction to, 1-9
storage devices, see Storage devices
stored programs, 4
Data representation, 5-7
on cards, 5-6
on paper tape, 6-7
DC (define constant) declarative, 122
Declarative operands, asterisk rule for, 110
Declaratives, 100
card and tape system, 110-145
card system only, 145-146
DAC (define alphameric constant), 134
DAS (define alphameric symbol), 131
DC (define constant), 122
defined, 98,110
DEND (define end), 111
DNB (define numeric blank), 145
DORG (define origin), 110
DS (define symbol), 112

Declaratives (cont.)
DSA (define symbolic address), 137
DSB (define symbolic block), 138
DSC (define special constant), 131
DSS (define special symbol), 131
remarks for, 104
SEND (special end), 146
tape system only, 146
TCD (transfer control and load), 139
TRA (transfer to return address), 141
DEND (define end) declarative, 111
Dictionary of machine operations, concept of, 94-98
Digit Register, 287
Dimension statement, 209-210, 342-343
Direct divide, 13, 239-247
Direct insert subroutine, 155
Display MAR key, 292
Divide feature, 239-247
Divide instruction, 241-242
Division subroutines, 33, 239
DNB (define numeric blank) declarative, 145
Do statement, 210-213, 347-348
DORG (define origin) declarative, 110
Doubler, 28
DS (define symbol) declarative, 112
DSA (define symbolic address) declarative, 137
DSB (define symbolic block) declarative, 138
DSC (define special constant) declaraative, 131
DSS (define special symbol) declarative, 131
Dump numerically, 80-81

E-type Conversion, 195
Emergency off switch, 294-295
End Statement, 206-208
Equal Zero indicator, 25
Error detection, 147, 302-305, 307-308, 311-312, 314-315
Error restart procedures, 277-278
Error, procedures for handling, 303-304, 315-316
Expressions, Fortran language, 179-182

F-type Conversion, 195
Field processing, 17
Fixed word length, 9
Flag operands, 104, 107-108
Floating accumulator (FAC), 328
Floating Add instruction, 254, 255
Floating Branch and Transmit instruction, 257-258

Floating Divide instruction, 256-257
Floating Multiply instruction, 255-256
Floating point arithmetic, 148-154
Floating point hardware, 253-261
Floating point subroutines, 150, 152-153
Floating Shift Left instruction, 259-260
Floating Shift Right instruction, 258
Floating Subtract instruction, 255
Floating Transmit Field instruction, 257
Format statements, 194-206, 348-351
Fortran, 13-14, 170-220
basic 1620, 174-220
internal organization of, 326-353
compiling programs on a 1620 card system, 318-325
compiling programs on a 1620 paper tape system, 305-312
constants, 175-177
determination of category, 328
expressions, 179-182
floating accumulator, 328
functions, 215
introduction to, 170-173
operations, basic, 179
problems, 230-232
processor control operation, 206-208
statements, 183-206
subscripted variables, 209-215
subscripts, 208
symbol table, 326-327
table of Addresses of Encountered Symbols, 328
table of Encountered Operations, 327
variables, 178-179
Fortran Compiler (or Translator), 171, 174
Fortran language, 171, 174
Fortran with format, see Fortran, basic

Glossary, 354-358
Go To Statements, 185-188, 343-345

H-type conversion for alphameric fields, 203
Halt instruction, 84-85, 345
Head cards, 142-145
High Positive indicator, 25

I-type Conversion, 195
If Sense Switch, 190, 345
If statement, 188-189, 345-346
Indicator lights
control gate, 284-285
digit register, 287
input-output, 285

Indicator lights (cont.)
instruction and execute cycle, 284
memory address register, 287
memory buffer register, 286-287
memory data register, 287
multiplier, 285
operating register, 285
parity check, 288-289
sense and branch, 286
Indicators
Equal Zero, 25
High Positive, 25
Overflow, 25
Indirect addressing, 248-252
Information sentences, 95-97, 100
Input-output devices, 2, 3, 262-280
Card Read Punch (1622), 10, 13, 74, 269-277
error restart procedures, 277-278
Paper Tape Punch (1624), 10, 13, 74, 268-269
Paper Tape Reader (1621), 10, 13, 74, 262-267
1620 Data Processing System, 13, 74, 262-280
typewriter, console, 278-280, 281
Input-output indicator lights, 285
Input-output instructions, 22, 24, 74-81, 93
Input-output statements, 190-194, 348351
Insert key, 293
Insert light, 293
Instruction and execute cycle indicator lights, 284
Instructions
Add, 33-37
Add Immediate, 44-46
arithmetic, 22, 24, 33-52, 91
Branch, 13, 22, 24, 60-73, 92
Branch and Transmit, 63
Branch and Transmit Immediate, 64
Branch Back, 65
Branch no Flag, 67
Branch no Indicator, 70-71
Branch no Record Mark, 68
Branch on Digit, 65-66
Branch on Indicator, 68-70
Clear Flag, 83-84
Compare, 41-44
Control, 86-87
Divide, 241-242
Divide Immediate, 242
Dump Numerically, 80-81
Floating Add, 254-255
Floating Branch and Transmit, 257-258
Floating Divide, 256-257

Instructions (cont.)
Floating point hardware, 254-260
Floating Shift Left, 259-260
Floating Shift Right, 258
Floating Subtract, 255
Floating Transmit Field, 257
Halt, 84-85, 345
Input-Output, 22, 24, 74-81, 93
internal data transmission, 22, 24, 5359, 92
Load Dividend, 240-241
Load Dividend Immediate, 241
machine language, 4
miscellaneous, 22, 24, 82-87, 92
Move Flag, 233-235
Multiply, 40-41
Multiply Immediate, 48-49
No Operation, 85-86
Read Alphamerically, 75-77
Read Numerically, 74-75
remarks for, 103-104
Set Flag, 82-83
Subtract, 37-39
Subtract Immediate, 46-48
Transfer Numerical Fill, 237-238
Transfer Numerical Strip, 235-236
Transmit Digit, 53-54
Transmit Digit Immediate, 56-57
Transmit Field, 54-55
Transmit Field Immediate, 57
Transmit Record, 56
Write Alphamerically, 79-81
Write Numerically, 77-79
Internal data transmission instructions, $22,24,53-59,92$
I/O check lights, 289
I/O check switch, 289

Label, 102-103
Light
thermal, 291
procedure to turn off, 299
Lights, see Indicator lights; Signal lights
Line number, 102
Linkage system, 157-158
Linked subroutines, 155
Load Dividend Immediate instruction, 241
Load Dividend instruction, 240

Machine cycles, 7-8
Machine language instruction, 4
Machine language problems, basic, 221-222
Macro-instructions, 155-169
arithmetic, 158-161
defined, 156

Macro-instructions (cont.)
full symbolic coding with problems, 226-230
functional, 161, 164
general information concerning, 165
list of, 157
Macroless symbolic coding problems, 223-226
Magnetic core storage, 18-21
Mantissa, 150, 151
Manual light, 294
Memory address register, 287
Memory address register display selector, 287-288
Memory Buffer Register (MBR), 19, 21, 286-287
Memory Data Register (MDR), 287
Miscellaneous instructions, 22, 24, 82-87, 92
Mnemonics, 23
Move Flag instruction, 233-235
Multiplication, 27-29, 40-41
Multiply instruction, 40-41
Multiplier 5-light register, 285
Multiply Immediate instruction, 48-49

No Operation instruction, 84-86
Noise, 167-169
Normalization, 167
Numerical mode, 18

Open subroutine, 155
Operands, 104-108
Flag, 104, 107-108
P, 104-107
Q, 104-107
Operating procedures, console, 296-325
assembling SPS programs on a 1620 card system, 318-325
assembling SPS programs on a 1620 tape system, 299-305
clear core storage to zeros, 297
compiling Fortran programs on a 1620 card system, 318-325
compiling Fortran programs on a 1620 paper tape system, 305-312
instruct the computer from the typewriter, 296
print core storage data on typewriter, 298
program alteration and/or data entry, 298
program entry from the typewriter, 297
single instruction execution of program, 299
to turn off thermal light, 299
Operation register indicator lights, 285

Output devices, see Input-output devices
Output statements, 192-194
Overflow check switch, 289-290
Overflow indicator, 25
Overflow lights, 290

P address, 22
P operand, 104-107
Page number, 102
Paper tape, punched, 6-7
Paper Tape Punch (1624), 10, 13, 74, 268-269
loading the, 268-269
Paper Tape Reader (1621), 10, 13, 74, 262-267
components, 263-264
loading the, 264-266
operating keys, switches, and lights, 264
tape handling tips, 267
Parallel computers, 8
Parity check indicator lights, 288-289
Parity check switch, 288
Pause statement, 206, 345
Pick subroutines, 166
"Polish Notation," 329
Power On light, 290
Power Ready light, 290-291
Power switch, 290
Print statement, 193
Problems, 221-232
basic machine language, 221-222
Fortran, 230-232
full symbolic coding with macro-instructions, 226-230
macroless symbolic coding, 223-226
Processing devices, 2, 3-4
Program switches, 290
Programming concepts, basic, 22-25
Programs, 4
stored, 4, 10
Punch, see Paper Tape Punch and Card Read Punch
Punch check error, restart procedure, 278
Punch No Feed light, 292
Punch statements, 192
Punch Tape statement, 193
Punched cards, see Cards, punched
Punched paper tape, see Paper tape, punched

Q address, 22, 25
Q operand, 104-107

Read Alphamerically instruction, 75-77
Read check error, restart procedure, 277278

Read Numerically instruction, 74-75
Read statement, 191-192
Reader, see Paper Tape Reader and Card Read Punch
Reader check error, restart procedure, 277
Reader No Feed light, 292
Record processing, 17-18
Register
digit, 287
memory address, 287
memory buffer, 19, 21, 286-287
multiplier, 285
operation, 285
Release key, 293
Reset key, 291
Restart procedures, 277-278
punch check error, 278
read check error, 277-278
reader check error, 277

Save key, 292-293
Self-checking devices, 2
SEND ( special end) declarative, 146
Sense and Branch indicator lights, 286
Serial computers, 8
Set Flag instruction, 82-83
Signal lights
Automatic, 294
Check Stop, 294
Insert, 293
Manual, 294
Power On, 290
Power Ready, 290-291
Punch No Feed, 292
Reader No Feed, 292
Save, 293
Thermal, 291
Source Program, 171
Source statement, 171
Start key, 293
Statement numbers, 184-185
Statements
Accept, 192
Accept Tape, 192
arithmetic, 183-184
comment, 183, 216
Computed Go To, 186-188, 346-347
Continue, 213-215, 348
control, 185-190
Dimension, 209-210, 342
Do, 210-213, 347-348
End, 206-208
Format, 194-206, 348-351
Fortran, 183-206
Go To, 185-188, 343-345
If, 188-189, 345-346

Statements (cont.)
If Sense Switch, 190
input-output, 190-194, 348-351
Pause, 206, 345
Print, 193
Punch, 192
Punch Tape, 193
Read, 191-192
specification, 194-206
Stop, 206, 345
Type, 193-194
Unconditional Go To, 185-186
Stop SIE key, 294
Stop statement, 206, 345
Storage devices, 2, 3, 170
"Stored program" computers, 2
Stored programs, 4, 10
Subroutines
closed (linked), 155
floating point, 150, 152-153
open (direct insert), 155
Pick, 166
Subscripted variables, 209-215
Subscripts, 208
Subtract Immediate instruction, 46-48
Subtract instruction, 37-39
Subtraction, 27
Switches
emergency off, 294-295
I/O check, 289
overflow check, 289-290
parity check, 288
power, 290
program, 290
Symbol Table, 326-327
Symbolic address, 104, 105-106
Symbolic Programming System (SPS), 13, 23, 88-147
assembling on a 1620 card system, 312-318
assembling on a 1620 tape system, 299-305
coding sheet, 100-104
declaratives, see Declaratives
error detection, 147, 302-303, 307-308, 314-315
introduction to, 88-99
operands, 104-108

Table of Addresses of Encountered symbols, 328, 329
Table of Encountered Operations, 327, 329
Tape handling tips, 267
TCD (transfer control and load) declarative, 139
Thermal light, 291
procedure to turn off, 299
TRA ( transfer to return address) declarative, 141
Transfer Numerical Fill instruction, 237238
Transfer Numerical Strip instruction, 235-236
Transmit Digit Immediate instruction, 56-57
Transmit Digit instruction, 53-54
Transmit Field Immediate instruction, 57
Transmit Field instruction, 54-55
Transmit Record instruction, 56
Truncation errors, 168
2-address instruction system, 24-25
Typewriter, console, 278-280, 281
instructing the computer from the, 296
print core storage data on, 298
program entry from the, 297

Unconditional branch instructions, see Branch instructions
Unconditional Go To statement, 185-186

Variable word length, 9
Variables
fixed point, 178
floating point, 178-179
subscripted, 209-215
Word length
fixed, 9
variable, 9
Write Alphamerically instruction, 79-81
Write check error, 278
Write Numerically instruction, 77-79
X-type conversion for blank fields, 202

## About the authc.....

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[^0]:    ${ }^{1}$ The industry accepted abbreviation for input-output is generally I/O.

[^1]:    ${ }^{1}$ The physical preparation of tape and/or cards is referred to throughout this and subsequent chapters as punching. There is a variety of devices used for preparation of source program information.

[^2]:    ${ }^{2}$ See pages 105 and 106 for a discussion of symbolic, absolute, and asterisk addresses.

[^3]:    ${ }^{4}$ Any declarative operand that is permitted an actual, symbolic, or asterisk address is also permitted address arithmetic in that operand.

[^4]:    ${ }^{1}$ There are many versions of SPS, but the most commonly used is one which assumes a floating point word to always be 10 digits in length ( 8 -digit mantissa and 2 -digit characteristic). Another version allows for variability of the mantissa. It is the former version which is discussed in this chapter. Knowledge of this fixed-wordsize system allows for immediate transition to the variable-mantissa system.

[^5]:    * One may use the DIV macro-instruction with this deck. However, in this case the macro consists of hardware divide instructions. This is not the most efficient machine utilization technique, but it does allow one to assemble, on a machine with the division feature, those programs which were written utilizing the division macro. Also, no programming changes are necessary.
    ${ }_{* * *}$ All four arithmetic floating point subroutines are combined in one set so that storage may be utilized more economically.

[^6]:    ${ }^{1}$ One nanosecond is one one billionth of a second.

[^7]:    * $i>m$ is allowable but the object program will not run correctly except by chance.

[^8]:    1 "Sense switch" is synonomous with "program switch."

[^9]:    * Inaccurate due to insufficient specification.

[^10]:    * In many computer problems, the theoretical final result does not agree with the actual final result. In this case it seems that $C_{i}$ might obtain a maximum value of 9800. A comparison might be made to a payroll operation where an employer has 100 employees, and each makes a maximum of $\$ 100$ per week. This does not necessarily imply that the employer must have $\$ 10,000$ ready to meet his payroll. Previous experience has told him that his payroll has never exceeded $\$ 5,000$ in any one week, even though it is theoretically possible for it to be twice as high. This is one of the great problems in fixed point arithmetic: extremely tight bounds on all input data must be known, and checks are generally established along the program's path to assure that all data stay within these bounds. Determining the historical background of a data processing or scientific problem can often take much longer than the actual program construction.

[^11]:    2 Ibid.
    ${ }^{3}$ Ibid.
    *For values of $R$ and $u$ for extensive $n$ see Scarborough, pp. 148-149. For the most extensive tables of Gauss coefficients ever published, see "Tables of the Zeros of the Legendre Polynomials of Order 1-16 and the Weight Coefficients for Gauss' Mechanical Quadrature Formula," by A. N. Lowan, Norman Davids and Arthur Levinson, in Bulletin of the American Mathematical Society, vol. 48, no. 10, October 1942, pp. 739-743.

[^12]:    ${ }^{1}$ However, if a card is punched with an invalid code, it will never be correctly read. The card must be corrected.

[^13]:    ${ }^{2}$ The 1620 will print the character that it is best able to interpret.

[^14]:    ${ }^{1}$ The typewriter is considered as a part of the console even though it is physically removed from the console.

[^15]:    ${ }^{2}$ Due to the high speed of internal processing this light appears to be continually on as cards are being read. Actually it is being turned on and off at a high rate of speed. This action does not indicate that a reader no feed condition exists.

[^16]:    1 These are only suggested settings. The programmer may position them at his discretion. However, the subroutines utilize the Overflow indicator by branching on its condition; therefore, if macro-instructons are used, the Overflow check switch must be set to the "Program" position.

[^17]:    * Floating point hardware system only.

[^18]:    1 Card system only.

[^19]:    * The extra parenthesis are in the statement for demonstration purposes.

[^20]:    ${ }^{2}$ It is not mandatory to have the Dimension statements as the first statement in a source program in the 1620 Fortran system.
    ${ }^{3}$ In this discussion, a word is considered to be a 10 -digit symbol table entry.

